

INELASTIC ANALYSIS OF FRAME STRUCTURES
INCLUDING MEMBER AND JOINT SHEARS

BY

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NOMENCLATURE

a	undeformed shear panel length parallel to x axis
A	cross-sectional area
A_i	Area of i th subrectangle = A_j/n_j
A_j	Area of j th rectangle
A_s	effective shear area
AE	axial stiffness
b	width
b	undeformed shear panel length parallel to y axis
b_c	column flange width
$[B]$	incremental deformation-displacement matrix of order 3×6
c	damping coefficient
C_{sj}	shear area coefficient for j th rectangle
$[C_T]$	incremental damping matrix
d_b, d_c	distances between the centroids of beam and column flanges, respectively
d_g	girder depth
$[D]$	incremental internal force-deformation matrix of order 3×3
E	modulus of elasticity
E	history dependent stiffness of a component curve
E_k	E for k th component
E_{sh}	strain hardening modulus
$\{E\}_j$	dynamic equilibrium error at j th time station
EI	flexural stiffness

f_x, f_y	joint forces parallel to x and y axes, respectively
$\{f\}$	discrete element end-force vector of order 6
$\{f\}$	joint force vector
$\{f(t)\}$	nodal force vector
$\{F_D(t)\}$	damping force vector
$\{F_I(t)\}$	inertia force vector
$\{F_S(t)\}$	stiffness force vector
G	modulus of rigidity
G_j	modulus of rigidity of the j th rectangle
G_t	slope of the joint shear stress-strain curve
h	half length of undeformed discrete element
h	height
h_L, h_R	horizontal distances of the left and right vertical edges of the rectangular shear panel from the centroid, respectively
H	projection of the deformed discrete element shear model on the undeformed original direction
I	second moment of area
I_f	moment of inertia of the flange
J_2'	second invariant of the deviatoric stress tensor
k	shear area factor
k	a constant
k_s	spring stiffness
$[k]$	tangent stiffness matrix
$[k]_C$	conventional portion of discrete element stiffness matrix
$[k]_S$	initial stress portion of discrete element stiffness matrix
$[k]_{st},$ $[k]_{sv}$	portion of discrete element initial stress stiffness matrix due to axial and shear forces, respectively
$K(p)$	complete elliptic integral of the first kind
$[K], [K_T]$	tangent stiffness matrix

l	span
l	number of linear line segments defining the symmetric part of a virgin stress-strain curve
l_j	number of component curves that constitute the virgin σ - ϵ curve for the material of j th rectangle
m	number of input rectangles for a cross-section
m_y, m_z	couples produced by the shear forces acting along the edges of the rectangular shear panel perpendicular to x and y axes, respectively
M	moment
M	internal moment contributed by j th rectangle
$[M]$	mass matrix
n	post-yield stiffness parameter
n_j	number of equal division of j th rectangle
P	mean normal stress
P	axial load or applied lateral load
P_{cr}	critical buckling load
P_E	Euler critical load
$\{P\}$	load vector
Q	first moment of area about the neutral axis ($A\bar{y}$)
R	radius of curvature
S_k	slope of line segment connecting points k and $k-1$ of the virgin stress-strain or force-deformation curve
t	equivalent thickness of the shear panel
t_{cf}	column flange thickness
t_{cw}	column web thickness
t_s	thickness of the shear reinforcement area parallel to the web
T	internal axial force
T_j	internal axial force due to j th rectangle
$[T]$	transformation matrix

u_x, u_y	x and y displacements of the panel, respectively
u_A	x displacement at point A
$\{u\}$	displacement vector
U	strain energy
v_b, v_t	vertical distances of the bottom and top horizontal edges of the rectangular shear panel from the centroid, respectively
v_A	y displacement at point A
V	shear force normal to the deformed axis
V_j	shear force on j th rectangle
w	displacement of member
w_f, w_n, w_s, w_t	deflection due to flexural, normal, shear, and total stresses, respectively
$\{w\}$	discrete element end-displacement vector of order 6
$\{w\}$	4 DOF displacement vector for a joint
$\{\bar{w}\}$	3 DOF displacement vector a member end
$\{W\}$	joint displacement vector
y	difference between the displacements of member and member chord
y	distance of a point from the neutral axis in a section
\bar{y}	distance of the centroidal area from the neutral axis
y_i	height of i th subrectangle from the centroid of the section
Y_k	stress defining the k th component curve
α	damping constant related to mass matrix
α	stiffness degradation factor for a material
β	damping constant related to stiffness matrix
β	yield stress growth factor for mild steel
γ	a variable of α , β , and Δt
γ	shear strain
γ_m	maximum average shear deformation

γ_{xy}	shear strain
γ_y	yield shear strain
$\delta_a, \delta_m, \delta_s$	axial, flexural, and shear deformations
Δ	relative joint displacement
Δt	time increment
ϵ	flexural strain
ϵ_c	strain at the centroid of a section
ϵ_i	strain at the center of i th subrectangle
ϵ_{ij}^p	plastic strain on the plane i along the direction j
ϵ_k	strain defining the k th abscissae of virgin σ - ϵ curve
$\bar{\epsilon}_p$	effective plastic strain
ϵ_{rk}	residual strain of k th component curve
ϵ_{rtk}	temporary value of the residual strain of k th component curve during iteration
ϵ_s	shear strain
$\{\epsilon\}$	generalized strain vector for discrete element
θ	angle that line joining the ends of deformed discrete element makes with the undeformed element direction
θ_r	rigid body rotation
θ_s	shear deformation
θ_v, θ_z	rotations of y and x axes in a shear panel
θ_A	rotation at point A
ν	Poisson's ratio
ξ	time variable
Π_{de}^p	second invariant of the plastic strain increment tensor
σ	flexural stress
$\bar{\sigma}$	history dependent stress of a component curve at a general material point
$\bar{\sigma}$	effective stress

σ_i	stress at the center of i th subrectangle
σ_{ij}	stress on the plane i along j direction
σ'_{ij}	deviatoric stress on plane i along j direction
σ_k	k th ordinate of the virgin σ - ϵ curve
σ_y	uniaxial yield stress
σr_k	fictitious stress of the k th component curve at a material point
$\{\sigma\}$	generalized stress vector for discrete element
τ	shear stress
τ_{\max}	maximum shear stress
τ_y	yield shear stress
ϕ	curvature
ψ_1, ψ_2	angles associated with the discrete element models
ω	circular frequency

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A computer program, FRAME82, is developed to perform inelastic static and dynamic analyses of plane frame structures including member and joint shear deformations. The effects of parameters such as inelastic material properties and member and joint supports, nonlinear geometry, cyclic loading, mass dependent viscous damping, etc., are also included in the program. FRAME82 utilizes a newly developed Discrete (Finite) Element Shear Model to incorporate the effects of member shear, in addition to the Discrete Element Flexural Model that considers only flexural and axial deformations. Joint shear panels are assumed to have only shear deformations, and flexural and axial deformations are ignored. Besides the three regular degrees of freedom, namely, horizontal, vertical, and rotational displacement, the program requires an additional rotational degree of freedom for each joint to include the joint shear deformation effects.

The structure stiffness is formulated from the stress-strain level and several inelastic models including Masing are incorporated. The program updates the structure stiffness after each iteration within each time step and adds any unbalance in "dynamic equilibrium" as a corrective load at the beginning of the subsequent iteration.

The program is verified with several simple structures that have either theoretical solutions or analytical results. The agreement is very good in most of the examples. The reliability of the discrete element shear model and the influence of the parameters that affect the structure response are studied. Several structures with experimental data are analyzed using FRAME82. The analysis of a three story frame tested at the University of California, Berkeley, indicates permanent deformations of the joint shear panels, which were not obtained in the DRAIN 2D analysis.

A user input guide with detailed descriptions is presented with several examples.

CHAPTER 1

INTRODUCTION

1.1 General

In the design of a structure, it is necessary to satisfy both serviceability requirements to avoid functional failure and safety requirements to assure safety against structural failure. The serviceability requirements impose the need to keep the response of the structure in the elastic range and to limit the displacement under moderate loading which may occur numerous times during the life of the structure. In case of an extreme loading, structural failure must be prevented. In order to satisfy the second requirement, the structure must have the ability to absorb and ultimately dissipate large amounts of energy. It is not economical to design a frame subjected to extreme loads occurring during earthquakes of exceptionally high intensity, extreme wave conditions or heavy wind storms that have low probabilities of occurrence to remain within the elastic or proportional limits.

The current concept of earthquake-resistant design involves the structure remaining elastic or nearly so under the influence of moderate earthquakes of frequent occurrences, and the structure yielding locally into the inelastic range, but with safety from collapse, even under the conditions of the most severe probable earthquake (5, 33). Each structural component of a moment resistant frame must be designed such that its ductility allows a redistribution of moments without failure of the component, until the maximum amount of earthquake energy input is

applied to the structure, to avoid structural failure under an extreme loading. Ultimately, all the energy must be dissipated by internal friction and inelastic deformation in both the structural and non-structural elements.

Due to the advent of Finite Element Method techniques and computers and the need of the detailed understanding of the behavior of earthquake-resistant structures, nonlinear analysis of structures has attracted much attention during the past three decades (1-56). Nonlinear analysis includes primarily the effects of material and geometric nonlinearities (22). Material nonlinearity includes nonlinear stress-strain curve for frame materials and supports with a nonlinear reaction-displacement curve due to nonlinear soil response. The nonlinear response is significant in most materials even when the loading is monotonic. Load reversals and cyclic loading greatly increase the nonlinear effects on frames with inelastic materials. Geometric nonlinearity arises from the consideration that points of application of the loads of a system are displaced due to large deformations, and the analysis can no longer be based on undeformed geometry. The axial forces on frame members cause secondary moments. The secondary moment can be divided into two components, P- Δ moment and P-y moment. The P- Δ moment is equal to the axial force P times the joint displacement Δ . The P-y moment is equal to the force P times the distance y, where y is the difference between the displacement of the member and displacement of the member chord.

1.2 Available Procedures for Nonlinear Inelastic Analysis of Frames

Early attempts to model the inelastic response of structures subjected to earthquake motion appeared in the form of an elasto-plastic

approximation to the inelastic behavior of the structure. An elasto-plastic model was utilized by Berg (2), Newmark (39), and Penzien (41) in the late 1950's to analyze single story frames and by Hanson and Fan (19) in the late 1960's to analyze multistory buildings. This model, coupled with the numerical integration of the dynamic equations of motion, afforded the first detailed insight into the inelastic characteristics of buildings during earthquake excitation.

A bilinear model was utilized by Iwan (26) to study inelastic member behavior in 1961 for simple yielding structures and by Clough, Benuska, and Wilson (9), Giberson (16), and Grant (18) in later years. Jennings (27) in 1963 utilized a curvilinear approximation for simple yielding structures and in 1967 Kaldjian and Fan (29) utilized Ramberg-Osgood approximation to the inelastic behavior of structural elements in simple structures subjected to earthquake excitation. Goel (17) expanded the Ramberg-Osgood model to multistory structures by making use of the symmetrical nature of the response of a multistory single bay frame.

Workman (55) developed a program to analyze the dynamic response of a multistory single bay braced frame in 1969. The frame is considered to have three distinct structural elements. They are Diagonal Cross Braces, Girders, and Columns. The diagonal braces are tension carrying members with elasto-plastic behavior. Girders are ideal elasto-plastic beams and axial deformations are neglected. Columns are elasto-plastic beam-columns with axial force effects accounted in the stiffness, deflection pattern and plastic moment characteristics of columns. The moment-curvature relation is nonlinear in the plastic range due to the modification of the plastic moment by the axial force. Nonlinear

response of the frame is obtained by a numerical procedure. The structure is assumed to respond linearly during each time increment. However, member properties may be changed from one interval to the next. Thus, the nonlinear response is obtained as a sequence of linear responses of successively differing systems.

Latona (36) studied the significance of geometric and material nonlinearities in static and dynamic analyses. His analysis included partial plastification of a cross-section, spread of plastification along the length of a member, inelastic strain reversals and $P-\Delta$ frame moments. He divided a cross-section into a finite number of layers. Each layer is assumed to have constant stress as of its centroid. He utilized an ideal elasto-plastic stress-strain relationship to represent the behavior of the material. The member stiffness matrices are obtained by integrating over each cross-section to obtain the section flexibility coefficients, integrating over the length of the member to obtain the member flexibility matrix, and inverting the flexibility matrix. Between time increments, geometry of the structure is updated by adding the displacements that occurred during the preceeding increment to the joint coordinates at the beginning of that increment; i.e., $P-\Delta$ moment is included, but $P-y$ moment is not considered.

Workman and Latona considered only lateral modes of vibration and reduced the unknown displacements to one-third the original number by assuming negligible inertia loads corresponding to vertical and rotary displacements and considering the static equation. They further utilized kinematic condensation which simply imposes the condition that all joints at a given floor level displace laterally by the same displacement; i.e., one degree of freedom per story is retained explicitly.

Hays and Matlock (23) developed FRAME53 to analyze statically loaded plane frames using a Discrete Element Model. This analysis takes into account the actual stress-strain behavior of the materials of which the frame is made. It also handles geometric nonlinearities and nonlinear soil support characteristics. Even though the material and support characteristics are specified as nonlinear, they are elastic in behavior. The discrete element model is shown in Fig. 1.1 (22). It consists of two rigid end bars which are rigidly connected to the neighboring elements to preserve vertical, horizontal, and rotational compatibility at the nodal points, a middle bar that is rigid in bending but extensible, and two rotational springs at the hinges.

A member is divided into a finite number of elements and thus allows member properties, loading, and support conditions to vary along its length. The individual members are solved separately to obtain each member's stiffness and fixed end force matrices. Since member and structure solutions are performed separately, an iterative cycle for each member occurs within the iteration of structural joint displacements. The $P-\Delta$ and $P-y$ moments are taken care of in the analysis by virtue of the large displacement analysis of the element model.

Kanaan and Powell (30) also made the same assumptions as Workman (55) and Latona (36) on effective degrees of freedom and kinematic condensation. The frame is considered to have the following structural elements: (i) Truss bar (ii) Beam Column element (iii) Semi-rigid Connection element and (iv) Shear Panel element. All of the elements are assumed to have bilinear relationship between force and displacement. Yielding is restricted to specific locations. Inelastic

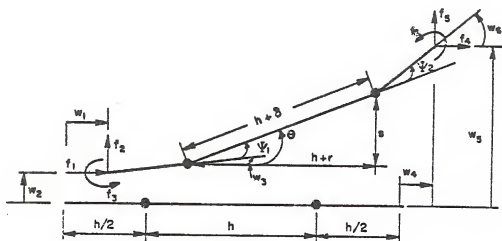


Figure 1.1 Discrete Element Flexural Model (22)

axial deformations are neglected in beam-column elements because of the difficulty of considering the interaction between axial and flexural deformations after yield. Infill panel elements are assumed to have shear stiffness only in the XY plane. The shear panel provides resistance through shear deformation to relative horizontal and/or vertical displacement of nodes it connects. Semi-rigid connection elements are used to account for the angle changes that occur between connected beams or columns. Damping is included in their analysis. It is assumed as a linear combination of mass and stiffness matrices. Only P- Δ moment is incorporated in the program to account for nonlinear geometry.

Santhanam (47) developed FRAME63 which is capable of inelastic static and dynamic analysis of plane frames including the effects of geometric and material nonlinearities in 1978. This program differs from the other available programs due to its capability of handling many types of stress-strain relationships. However, the virgin stress-strain curve is assumed to be symmetric in tension and compression. Several inelastic unloading models, including the Masing Model, were used to represent general piecewise linear symmetric inelastic stress-strain and force deformation curves are incorporated in their program.

A member is divided into a finite number of elements which are then divided into several layers. The same discrete element model which was used by Hays is used to form member stiffness matrix. Three degrees of freedom are considered for each node. Both P- Δ and P-y moments are included in the analysis. However, it does not include effects such as damping and deformations of panel zones, which are included in the program developed by Kanaan and Powell (30).

The programs developed by Santhanam (47) and Kanaan and Powell (30) are the two which handle more parameters which influence the inelastic response of a structure. Even though a more general stress-strain curve was used by Santhanam, effects of member and joint shears and damping are not considered. On the other hand, Kanaan and Powell accounted for damping, rigidity of joint and shear deformations due to panel zones, but they utilized a bilinear relationship between generalized force and generalized displacement. It is to be noted that Kanaan and Powell considered neither the inelastic axial deformations of columns nor P-y moments. Shear deformation was considered only in shear panels but not in beams.

1.3 Purpose of this Research

The purpose of this research is to develop a computer aided analysis that includes all the parameters such as general stress-strain curve for the material, P- Δ moment, P-y moment, member shear, joint shear, viscous damping, etc. The following are the objectives of this research.

- (i) Develop a discrete element model to include the member shear in the frame analysis.
- (ii) Develop a technique to include connection panel deformation in the response analysis of structures subjected to earthquake motions.
- (iii) Incorporate the above two features with viscous damping into FRAME63 without disrupting the existing capabilities of the program to develop a new program, FRAME82.
- (iv) Study the influence of each parameter on the behavior of the structure.

- (v) Compare the predicted response with the available experimental data and analytical results.

1.4 Outline of Presentation

Chapter 2 reviews the elementary beam theory and focuses on the influence of shear on deflection and buckling load. A new discrete element model is developed in Chapter 3 to include the member shear. Chapter 4 is devoted to the derivation of cross-section behavior from the material nonlinear stress-strain curve. It is very similar to that discussed by Santhanam (47) but the incremental force deformation matrix is derived for the discrete element shear model. A technique to incorporate the joint deformation is discussed in Chapter 5. However, this method is restricted in its present application to the rectangular frames with no diagonal bracings. A numerical scheme is presented in Chapter 6 to solve the governing coupled frame equations. Even though mass and stiffness dependent damping are included in the presentation, only mass dependent damping is embodied in the program. The main aspects of the program FRAME82 are discussed in Chapter 7. In Chapter 8, analytical solutions of simple structures are compared with the results obtained from FRAME82. Comparison between the available experimental data and predicted behavior of these structures by FRAME82 is included in Chapter 9. Chapter 10 summarizes the scope of the present research and includes recommendations for further research.

Appendix A contains the required matrices to obtain tangent stiffness matrix for a discrete element. The constant average acceleration method is presented in Appendix B. An input guide with detailed explanations is given in Appendix C. Appendix D deals with the job control language statements and space requirements of the storage

devices. Appendices E, F, G, H, and I include a glossary of FORTRAN variables, FORTRAN listing of FRAME82, sample input, sample output, and digitized values of earthquake motions used in example problems.

CHAPTER 2

SHEAR CORRECTIONS TO CLASSICAL BEAM THEORY

2.1 General

The classical beam theory produces errors in both predicted stresses and strains. The error in stress can generally be ignored in the static loading of structure made of ductile materials, but consideration should be given if brittle materials or fatigue conditions are involved. The error in strain chiefly affects the deflections, underestimating deflections, while overestimating buckling loads and natural frequencies. These errors are generally negligible in slender beams under usual types of loading but are serious in short beams and beams under closely spaced loads which alternate in direction. This error in strain is also likely to be important in "sandwich" beams, latticed beams and flanged beams, where most of the material is concentrated in outer faces and inner part is lightened until it is just strong enough to resist transverse shear force. The resulting shear strain produces additional deflection which is of the same order of magnitude as of the flexural deflection that is given by the classical theory. This chapter deals with the improvements that could be made to the classical beam theory to obtain better estimates of deflection (14, 52).

2.2 Flexural Deformations

The classical beam theory, which incorporates several simplifying assumptions, predicts deflection only due to flexural deformations. The

fundamental assumptions are straight beam, homogeneous, isotropic and elastic material, plane sections remain plane during bending deformations, small deflections compared to the original length of the beam, and beam loaded in a plane containing one of the principal moment of inertia axes (49). The radius of curvature R of the axis of the beam, flexural stress σ at a distance y from the neutral surface, bending moment M , second moment of area I , and modulus of elasticity E are related by the following expression (25, 54):

$$\sigma/y = E/R = M/I \quad (2.1)$$

The curvature of the neutral axis given by

$$1/R = \pm d^2w/dx^2 / [1 + (dw/dx)^2]^{3/2} \quad (2.2)$$

is approximated by

$$1/R = \pm d^2w/dx^2 \quad (2.3)$$

where w is the deflection. Substituting Eq. 2.3 in Eq. 2.1 gives

$$d^2w/dx^2 = \pm M/EI \quad (2.4)$$

This expression is a force deformation relation for a beam subjected to pure bending. However, it represents a good approximation of the beam behavior when the deformations due to shear and axial loads are insignificant. The sign in Equation 2.4 has to be chosen such that it will be consistent with the choice of coordinate axes and the definition of positive direction for bending moment. Adoption of the sign conventions illustrated in Fig. 2.1 leads to

$$d^2w/dx^2 = M/EI \quad (2.5)$$

2.3 Shear Deformations

Since the present study deals with member shear effects extensively, a detailed derivation of force deformation relation for shear is presented in this section. The shear stress τ in a beam at any

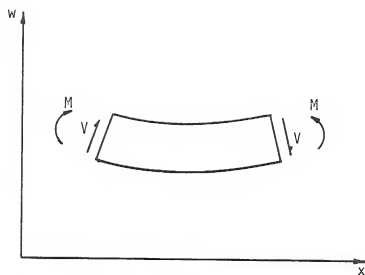
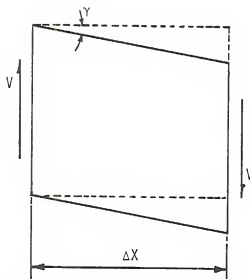
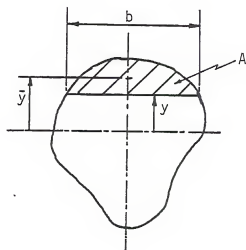


Figure 2.1 Coordinate System and Sign Convention for Bending Moment and Shear



(a) Pure Shear Deformation



(b) Cross Section

Figure 2.2 Deformation of a Beam Element due to Shear

transverse cross section in its length, and at a point a perpendicular distance y from the neutral axis, resulting from bending is given by

$$\tau = V\bar{A}\bar{y}/Ib \text{ or } VQ/Ib \quad (2.6)$$

where V is the applied shear force; A is the area outside of the section parallel to the neutral axis at a distance y (shaded region in Fig. 2.2); \bar{y} is the distance of the centroid of area A from the neutral axis; I is the second moment of area of the complete cross section; b is the breadth of the section at position y ; and Q is equal to A times \bar{y} (25).

A beam of finite length ΔX shown in Fig. 2.2 with its cross section is subjected to a shear force V . Castigliano's first theorem will be used to obtain the shear deflection under pure shear loading. The strain energy U of the beam element is

$$U = \iiint (\tau^2/2G) dydz \Delta X \quad (2.7)$$

$$= (\Delta X/G) \iiint ((VQ)^2/2I^2b^2) dydz \quad (2.8)$$

Hence, the shear deflection δ_s is

$$\begin{aligned} \delta_s &= -\partial U/\partial V = -(\Delta X/G) \iiint (Q^2/I^2b^2) V dydz \\ &= -(\Delta XV/I^2G) \iiint (Q^2/b^2) dydz = \gamma \Delta X \end{aligned} \quad (2.9)$$

$$\text{i.e. } \gamma = -(V/I^2G) \iiint (Q^2/b^2) dydz = -kV/A_s G \quad (2.10)$$

$$\text{where } k = (A_s/I^2) \iiint (Q^2/b^2) dydz \quad (2.11)$$

in which A_s = effective shear area, k = shear area factor, and γ = change in the slope of middle surface due to shear deformations. A is equal to the total area for rectangular and circular sections and the web area for I-sections. The value of k , which is depended on the shape of the cross section, is 1.2 for rectangle, 1.11 for circle and nearly 1.0 for most of the I-sections (52, 53).

2.4 Approximate Analysis of Beam with Center Load

The material presented in this section is selected from the book by Donnell (14). The relative magnitudes of the deflections due to flexural, shear, and normal stresses are studied considering a simply supported beam of rectangular cross section with center load P , shown in Fig. 2.3.

The flexural deflection w_f due to longitudinal bending stress is predicted by classical beam theory as

$$w_f = -Pl^3/48EI = -Pl^3/4Eh^3 \quad (2.12)$$

The shear deflection w_s caused by transverse shear strain is approximately calculated by assuming uniform shear stress distribution over the cross section (instead of the parabolic distribution with zero stress at the top and bottom fibers). This assumption requires the cross sections to remain plane and vertical. The shear strain $\epsilon_s = P/2hG$ is the angle between the cross sections and the top and bottom surfaces, where $P/2$ is the total shear force. Therefore,

$$w_s = -\epsilon_s l/2 = -Pl/4hG = -(1+\nu)Pl/2hE \quad (2.13)$$

Normal strains which are developed by both transverse and longitudinal stresses produce negligible changes in the transverse length. However, an appreciable effect is produced by the longitudinal expansion, of the material directly under the load P due to Poisson's ratio effect. There is a similar expansion under the end reactions $P/2$ but it has a negligible effect on deflection. Assume that P is uniformly distributed over a small width Δ and the lateral compressive stress varies from P/Δ at the top to zero at the bottom. Due to Poisson's ratio effect the top will expand horizontally a distance $(P/\Delta)(\nu/E)(\Delta/2) = \nu P/2E$ on each side of the center line and

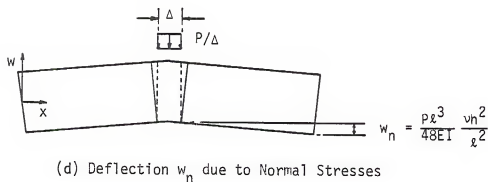
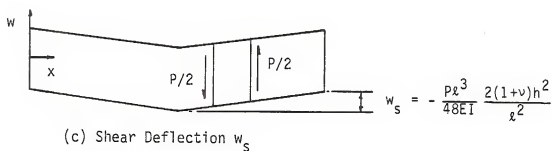
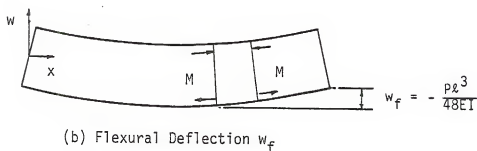
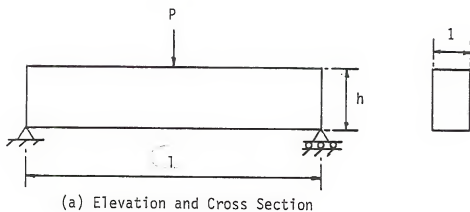


Figure 2.3 Rough Analysis of a Beam with Center Load

the expansion linearly decreases to zero at the bottom. Therefore, the vertical side at the center will rotate through an angle of $(\nu P/2E)/h = \nu P/2hE$. Hence, the deflection w_n due to normal stresses is

$$w_n = (\nu P/2hE)l/2 = \nu Pl/4hE \quad (2.14)$$

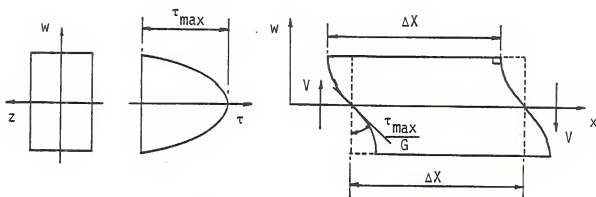
Assume that the total deflection can be obtained by adding the deflections that are derived considering each deformation independently. The deflections w_f , w_s , w_n and the total deflection w_t can be written in the form

$$\begin{aligned} w_f &= -Pl^3/4Eh^3 \\ w_s &= -(Pl^3/4Eh^3)[2(1+\nu)h^2/l^2] \\ w_n &= (Pl^3/4Eh^3)(\nu h^2/l^2) \\ w_t &= w_f + w_s + w_n = -(Pl^3/4Eh^3)[1+(2+\nu)h^2/l^2] \end{aligned} \quad (2.15)$$

The second term in the bracket of w_t represents the correction to the classical elementary formula. It is to be noted that deflection due to transverse normal stress is proportional to and much smaller than that due to transverse shear strain. The former can therefore be taken into account by multiplying the deflection due to transverse shear by a numerical factor of the order of unity.

2.5 Combined Flexural and Shear Deformations

Timoshenko assumed that the deflection due to bending and shear can be determined by superposition (54). This could be justified by closely examining the effect of shear deformations on a beam. For a beam of rectangular cross section, Eq. 2.6 indicates a parabolic shear distribution as shown in Fig. 2.4 (a). Therefore, the shear strain $\gamma = \tau/G$ must vary in a similar fashion. This implies originally plane cross sections distort in the manner shown in Fig. 2.4 (b). Figure 2.4 (c) displays the deformed plane sections of a rectangular



(a) Shear Stress Distribution on a Rectangular Cross Section

(b) Elevation of the Warped Beam of Finite Length ΔX

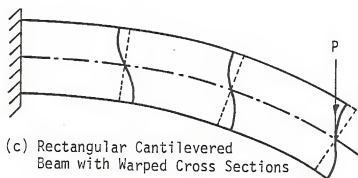


Figure 2.4 Effect of Shear on Plane Cross Sections

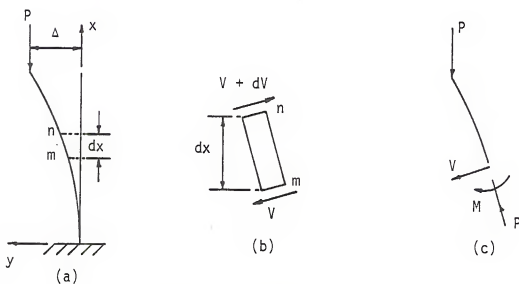


Figure 2.5 Cantilevered Column

cantilevered beam due to flexural and shear deformations. The shearing strains are zero at the upper and lower surfaces and equal to τ_{\max}/G at the neutral surface. Hence, the deformed sections remain normal to the longitudinal fibers at the upper and lower surfaces and inclined to the neutral surface at an angle equal to the shear strain τ_{\max}/G . The warping of all cross sections is the same as long as the shear force remains constant. Hence, shear stresses τ do not contribute to the longitudinal strains and the distribution of the longitudinal stresses σ is the same as in the case of pure bending. A more elaborate theoretical investigation reveals that the influence of shear deformations on flexural strains and stresses is very small, even when the shear force varies along the length of the beam (54). Hence, it is reasonable to add the deflections obtained in separate flexural and shear analyses to obtain the total deflection. Moreover, the effect of transverse normal stresses in the total deflection could be included in the analysis by properly modifying the shear area factor.

Using the principle of superposition,

$$w_t = w_f + w_s \quad (2.16)$$

Differentiating twice with respect to x gives

$$d^2w_t/dx^2 = d^2w_f/dx^2 + d^2w_s/dx^2 \quad (2.17)$$

From Equations 2.5 and 2.9

$$d^2w_f/dx^2 = M/EI$$

$$dw_s/dx = \gamma$$

Substituting the above relationships in Eq. 2.17 yields

$$d^2w_t/dx^2 = M/EI + d\gamma/dx$$

$$\text{i.e.} \quad d^2w_t/dx^2 - d\gamma/dx = M/EI \quad (2.18)$$

Equation 2.18 is the general force deformation relationship that includes the effects of flexural and shear deformations for a beam.

2.6 The Effect of Shearing Force on the Buckling Load

Consider the column shown in Fig. 2.5 to derive an expression for buckling load including the shear effects. The shear force V and the moment M at any section can be obtained considering the equilibrium of the column above that section. Hence,

$$V = -Pdy/dx$$

$$M = P(\Delta - y)$$

Substituting the above expressions into Eq. 2.18 gives

$$d^2y/dx^2 - (d/dx)(-k/A_s G)(-Pdy/dx) = P(\Delta - y)/EI$$

For a prismatic column of constant cross section the above equation becomes

$$(d^2y/dx^2)(1 - kP/A_s G) = P(\Delta - y)/EI$$

$$\text{i.e. } d^2y/dx^2 = [P/EI(1 - kP/A_s G)] (\Delta - y) \quad (2.19)$$

Solving the above differential equation for critical load would give

$$P/EI(1 - kP/A_s G) = \pi^2/4L^2$$

from which

$$P_{Cr} = P_E / (1 + kP_E/A_s G) \quad (2.20)$$

$$\text{where, } P_E = \pi^2 EI / 4L^2 \quad (2.21)$$

represents the Euler critical load for this case and L is the original length of the column. Thus, owing to the action of shearing forces, the critical load is diminished in the ratio

$$1/(1 + kP_E/A_s G)$$

In the case of solid columns this ratio differs but very little from unity. But in the case of built-up columns consisting of struts connected by lacing bars or batten plates, the ratio may vary a lot from

unity and the effect of shear deformations may become of practical importance. For more informationm refer to Theory of Elastic Stability by Timoshenko and Gere (53).

CHAPTER 3

DISCRETE ELEMENT SHEAR MODEL

3.0 Introduction

Discrete and Finite Element Methods are similar. Both methods require the structure to be divided into a finite number of elements, the behavior of which is specified by a finite number of parameters. The solution of the structure as an assembly of its elements follows precisely the same rules applicable to standard discrete problems (56). The basic difference between these two methods is that a continuous displacement function is used for each element in the Finite Element Method, and displacements are "lumped" at a finite number of points within an element in the Discrete Element Method. The points at which the displacements are lumped are referred to as hinges in this presentation. Division of members into a finite number of elements facilitates the handling of the geometric nonlinearity, i.e., $P-\Delta$ and $P-y$ moments, and any variation in the member section properties, in the analysis. The hinges are convenient points for lumping the element deformations. Then nonlinear material force-deformation response can be monitored at these hinges. Discrete Element Flexural Model developed by Hays and Matlock (22) includes flexural and axial deformations, but shear deformations are ignored. The discrete element shear model that is developed in this chapter incorporates the effects of axial, flexural, and shear deformations of the members in the analysis.

3.1 Geometric Representation of the Discrete Element Shear Model

Figure 3.1 (a) displays the geometric representation of the discrete element shear model with the element end displacements and deformations. It consists of two rigid bars, which are rigidly connected to the adjacent elements to preserve horizontal, vertical, and rotational compatibility at the nodes. Each bar is of length h and the undeformed length of the element is $2h$. Axial, flexural, and shear deformations are lumped at the center of the element and the corresponding internal forces are defined at the center of the deformed element as shown in Fig. 3.1 (b). Axial deformations δ_a , flexural deformations δ_m (change in angle between the two rigid bars), and shear deformations δ_s correspond to axial force T , bending moment M and shear force V at the center of the element.

3.2 Deformation Displacement Relations

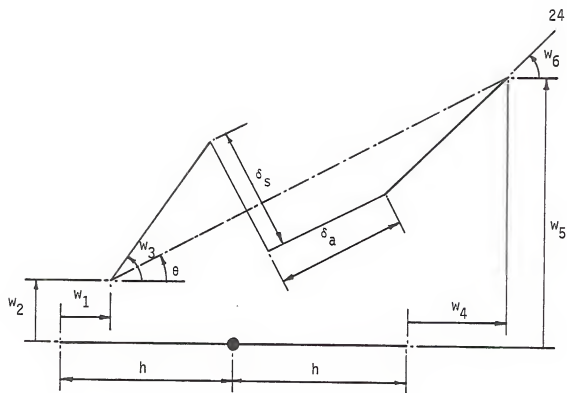
The element end displacements w_1 through w_6 completely define the element deformations δ_a , δ_m , and δ_s . The deformations can be obtained in terms of the end displacements by a simple geometric analysis of model shown in Fig. 3.1 (a).

The angle θ which the line joining the ends of the deformed element makes with the undeformed element direction is given by

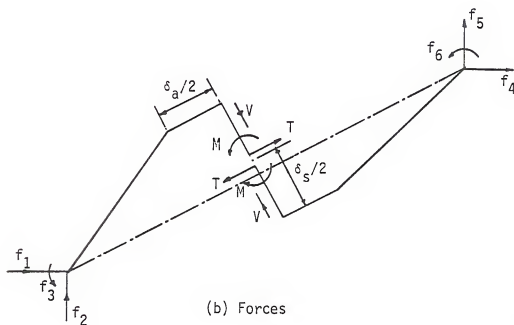
$$\theta = \tan^{-1} \left(\frac{w_5 - w_2}{2h + w_4 - w_1} \right) \quad (3.1)$$

Projection of the deformed element on the line connecting the ends of the deformed element gives

$$\delta_a = (2h + w_4 - w_1) \sec \theta - h \cos(w_3 - \theta) - h \cos(w_6 - \theta) \quad (3.2)$$



(a) Undeformed and Deformed Positions



(b) Forces

Figure 3.1 Discrete Element Shear Model

Projection of the deformed element on the normal to the line connecting the ends of the deformed element gives

$$\delta_s = h \sin(w_3 - \theta) + h \sin(w_6 - \theta) \quad (3.3)$$

The discrete angle change δ_m is

$$\delta_m = w_6 - w_3 \quad (3.4)$$

Equations 3.1 through 3.4 are the deformation displacement relations. They are valid for large displacements since no small displacement theory approximations are made.

Define the generalized strains $\{\epsilon\}$ as

$$\{\epsilon\}^t = [\delta_a, \delta_m, \delta_s] \quad (3.5)$$

and the element end displacements $\{w\}$ as

$$\{w\}^t = [w_1, w_2, w_3, w_4, w_5, w_6] \quad (3.6)$$

Then the incremental relationships take the form

$$\{d\epsilon\} = [B]\{dw\} \quad (3.7)$$

where $[B]$ is a 3x6 incremental deformation displacement transformation matrix such that

$$B_{ij} = \frac{\partial \epsilon_i}{\partial w_j} \quad (3.8)$$

3.3 Element End Force — Internal Force Relations

Consider the equilibrium of the free bodies of the rigid bars in Fig. 3.1 (b) to obtain the relationship between the element end forces and the internal forces. Resolving the forces in the horizontal and vertical directions, and taking moment about the end, for each bar give the following relations:

$$f_1 = -T \cos \theta - V \sin \theta \quad (3.9)$$

$$f_2 = -T \sin \theta + V \cos \theta \quad (3.10)$$

$$f_3 = -M + V[h \cos (w_3 - \theta) + \frac{\delta_a}{2}] + T[h \sin (w_3 - \theta) - \frac{\delta_s}{2}] \quad (3.11)$$

$$f_4 = T \cos \theta + V \sin \theta \quad (3.12)$$

$$f_5 = T \sin \theta - V \cos \theta \quad (3.13)$$

$$f_6 = M + V[h \cos (w_6 - \theta) + \frac{\delta_a}{2}] + T[h \sin (w_6 - \theta) - \frac{\delta_s}{2}] \quad (3.14)$$

Equations 3.9 through 3.14 are the end force internal force relations.

Define the generalized stress vector $\{\sigma\}$ as

$$\{\sigma\}^t = [T, M, V] \quad (3.15)$$

and the element end force vector $\{f\}$ as

$$\{f\}^t = [f_1, f_2, f_3, f_4, f_5, f_6] \quad (3.16)$$

It is proved in Section 3.5 using virtual work that

$$\{f\} = [B]^t \{\sigma\} \quad (3.17)$$

The set of transformations given by Equations 3.7 and 3.17 is called contragradient (56). However, the end force vector and internal force vector of the discrete element shear model do not satisfy Equation 3.17. The inequality is a function of second order deformation terms and occurs because the shear model is not a pure geometric model. The accuracy of the discrete element shear model is illustrated by the examples of Chapters 8 and 9.

3.4 Internal Force-Deformation Relations

For linear elastic materials, the following internal force-deformation equations hold true:

$$T = \frac{AE}{2h} \delta_a \quad (3.18)$$

$$M = \frac{EI}{2h} \delta_m \quad (3.19)$$

$$V = \frac{1}{k} \frac{A_s G}{2h} \delta_s \quad (3.20)$$

where AE , EI , and $A_s G$ are area times modulus of elasticity, area times second moment of area, and effective shear area times modulus of

rigidity respectively, and k is shear area factor. The curvature at the hinge is approximated by dividing the discrete angle change by $2h$. The axial and shear strains are respectively taken as $\delta_a/2h$ and $\delta_s/2h$. For the Equations 3.18 through 3.20 to be correct, the curvature, axial strain, and shear strain need to be small but the displacements need not be small.

For nonlinear stress-strain curves, the relationships between internal forces and deformations can be obtained using the numerical integrations procedure as explained in Chapter 4. Symbolically, Equations 3.21 through 3.23 represent these relations.

$$T = T(\delta_a, \delta_m, \delta_s) \quad (3.21)$$

$$M = M(\delta_a, \delta_m, \delta_s) \quad (3.22)$$

$$V = V(\delta_a, \delta_m, \delta_s) \quad (3.23)$$

Assume that incremental generalized stresses are related to the incremental generalized strains by the following expression:

$$\{d\sigma\} = [D]\{d\epsilon\} \quad (3.24)$$

where $[D]$ is a 3×3 incremental force deformation matrix and D_{ij} is given by

$$D_{ij} = \frac{\partial \sigma_i}{\partial \epsilon_j} \quad (3.25)$$

3.5 Discrete Element Shear Tangent Stiffness Matrix

The tangent stiffness matrix $[k]$ of order 6×6 for the discrete element shear model is defined as

$$\{df\} = [k]\{dw\} \quad (3.26)$$

where $\{f\}$ and $\{w\}$ are the member end force and displacement vectors of order 6 and

$$k_{ij} = \frac{\partial f_i}{\partial w_j} \quad (3.27)$$

Forces $\{\sigma\}$ and $\{f\}$ keep the discrete element model under equilibrium. Therefore, principle of virtual work, the virtual work done by the forces on a equilibrium system due to virtual displacement is zero, leads to

$$\delta \underline{w}^t \underline{f} = \delta \underline{\epsilon}^t \underline{\sigma} \quad (3.28)$$

From Eq. 3.7

$$\{\delta \epsilon\} = [B]\{\delta w\} \quad (3.29)$$

In view of the above expression, Eq. 3.28 becomes

$$\delta \underline{w}^t \underline{f} = \delta \underline{w}^t \underline{B}^t \underline{\sigma} \quad (3.30)$$

Hence,

$$\underline{f} = \underline{B}^t \underline{\sigma} \quad (3.31)$$

Differentiation of the above equation results in

$$d\underline{f} = \underline{B}^t d\underline{\sigma} + d\underline{B}^t \underline{\sigma} \quad (3.32)$$

In tensor notation, Eq. 3.32 can be written as

$$df_i = B_{ki} d\sigma_k + dB_{ki} \sigma_k \quad (3.33)$$

Substitution of Eq. 3.24 and chain rule expansion for dB_{ki} into the above equation gives

$$df_i = B_{ki} D_{k\ell} d\epsilon_\ell + B_{ki,j} dw_j \sigma_k \quad (3.34)$$

Substituting Eq. 3.7 and 3.8 into Eq. 3.34 yields

$$df_i = [B_{ki} D_{k\ell} B_{\ell j} + \sigma_k \epsilon_{k,ij}] dw_j \quad (3.35)$$

Thus, tangent stiffness matrix k_{ij} is given by the following tensor equation:

$$k_{ij} = B_{ki} D_{k\ell} B_{\ell j} + \sigma_k \epsilon_{k,ij} \quad (3.36)$$

In the explicit form, the above equation can be written as

$$k_{ij} = \frac{3}{k_{\ell 1}} \frac{\partial \epsilon_k}{\partial w_i} \frac{3}{\ell_{\ell 1}} \frac{\partial \sigma_k}{\partial \epsilon_\ell} \frac{\partial \epsilon_\ell}{\partial w_j} + \frac{3}{k_{\ell 1}} \sigma_k \frac{\partial^2 \epsilon_k}{\partial w_i \partial w_j} \quad (3.37)$$

This equation takes the following matrix form:

$$[k] = [k]_c + [k]_s \quad (3.38)$$

where

$$[k]_s = [B]^t [D][B] \quad (3.39)$$

Matrix $[k]_s$ is called the initial stress stiffness matrix and is due to second term of Eq. 3.37, that contributes to k_{ij} . A pure rigid body motion of the discrete element produces no internal stresses σ_k and $[k]_s$ will be a null matrix. Initial stress matrix is computed by adding the terms, obtained by multiplying initial stress with the corresponding second partial derivatives of the deformation displacement equations. It can be observed from Eq. 3.4 that

$$\frac{\partial^2 \delta_m}{\partial w_i \partial w_j} = 0 \quad \text{for } i, j = 1+6 \quad (3.40)$$

which implies that there is no contribution to the initial stress matrix from the initial bending moments. Hence, $[k]_s$ can be divided for computational convenience into two components, $[k]_{st}$ and $[k]_{sv}$, which are due to axial and shear forces respectively; i.e.

$$[k]_s = [k]_{st} + [k]_{sv} \quad (3.41)$$

The conventional portion of the stiffness matrix $[k]_c$ is due to the first term of Eq. 3.37. This can easily be computed using the conventional triple matrix product given in Eq. 3.39. The matrices $[B]$, $[D]$, $[k]_{st}$, and $[k]_{sv}$ are provided in Appendix A. It also contains the above matrices for small displacement analysis together with deformation displacement relations and element end force internal force relations.

3.6 Remarks on Member Loads and Restraints

Member loads and restraints are not considered in the above development of force displacement equations for a single discrete element shear model. Member loads are discretized into concentrated loads acting at the member stations and included in the member solution as nodal loads. The same procedure is applicable even to member restraints, for which a series of equivalent concentrated springs are used at the member stations. More information is available in References 22, 23, and 47.

CHAPTER 4

INELASTIC CROSS SECTION RESPONSE FROM NONLINEAR STRESS-STRAIN CURVE AND TANGENT STIFFNESS METHOD

4.1 General

This chapter outlines the method utilized in FRAME82 to obtain the inelastic force deformation response of a cross section. It is an extension of the method that was adopted by Santhanam (47) in his program FRAME63. In addition to the axial and flexural deformations considered by Santhanam, shear deformations are also included in this derivation. It is to be reminded that FRAME82 preserves all the features in FRAME63 and FRAME53, which include inelastic, and nonlinear and linear elastic flexural analyses (22, 47). Only the inelastic cross section response related to the discrete element shear model is presented herein. Tangent stiffness method, which is used to solve a general nonlinear system of equations is also reviewed.

Assumptions and Limitations

A cross section can be constructed of one or several materials of different stress-strain behavior. It is assumed that a cross section can be represented by a series of rectangles. Of course, this is an approximation for a section composed of nonrectangular pieces. It is also assumed that virgin stress-strain curve is defined by a set of piecewise linear segments. Inelastic analysis is restricted to the virgin stress-strain curves which exhibit symmetrical behavior in both tension and compression. The method discussed herein is developed for a

section entirely composed of rectangular pieces whose virgin stress-strain curves are piecewise linear and symmetrical in tension and compression.

The internal forces, namely axial force, bending moment, and shear force are listed as functions of axial, flexural, and shear deformations in Equations 3.21 through 3.23 of Chapter 3. In spite of the above general assumption, to be more realistic, axial force and bending moment are assumed as functions of axial and flexural deformations and shear force is assumed as a function of shear deformations alone. This assumption leads to the following mathematical representation for internal forces:

$$T = T(\delta_a, \delta_m) \quad (4.1)$$

$$M = M(\delta_a, \delta_m) \quad (4.2)$$

$$V = V(\delta_s) \quad (4.3)$$

which implies that interaction between the flexural and shear stresses is ignored. This is justified by the principle of superposition explained in Section 2.5.

Next, a linear strain variation is assumed over the depth of the section to obtain the relations for axial force and bending moment in terms of axial and flexural deformations. Shear strain in a member is generally small compared to the yield shear strain of the material. Hence, a linear elastic shear stress-strain behavior is assumed in FRAME82 for member materials. However, this could be extended to include very general shear stress-strain curve.

4.2 Decomposition of Stress-Strain Curve Using Masing Method

The procedure explained in this chapter is applicable to any generalized relations such as moment-curvature, force-sway, etc., that

exhibit similar behavior as of the stress-strain curve. Consider the virgin stress-strain curve described by the linear segments 0-1-k-l in Fig. 4.1 (a), defined by the coordinates (ϵ_k, σ_k) , $k=1, 2$. The curve can be represented by l idealized elastic-plastic units or "components." The inelastic response of the given curve can be obtained by adding the responses of each idealized elastic-plastic components. The k th component displayed in Fig. 4.1 (b), defined by (ϵ_k, γ_k) is derived from Equations 4.4 through 4.6:

$$\gamma_k = E_k \epsilon_k \quad \text{for } k=1, 2 \quad (4.4)$$

$$\text{where } E_k = S_k - S_{k+1} \quad \text{for } 1 < k < l \quad (4.5)$$

$$\text{and } E_k = S_k \quad \text{for } k=l \quad (4.6)$$

S_k is the slope of the linear segment 1-k given in Fig. 4.1 (a).

Consider the particular stress-strain path shown in Fig. 4.1 (a), stressed to position A from the origin and then unloaded to position B. The stress σ and slope E at any point on the path are obtained as

$$\sigma = \sum_{k=1}^l \bar{\sigma} \quad (4.7)$$

$$E = \sum_{k=1}^l \bar{E} \quad (4.8)$$

where $\bar{\sigma}$ and \bar{E} are the history dependent stress and slope of the k th component corresponding to strain ϵ . Note that $\bar{E} = E_k$ when the material is in the "elastic" region and zero otherwise.

Behavior of an Ideal Elastic-Plastic Component Curve and Summation Procedure

The idealistic behavior of the k th elastic-plastic component is shown in Fig. 4.1 (c). A represents the equilibrium position at the end of $(n-1)$ th load increment and ϵr_k represents the corresponding residual

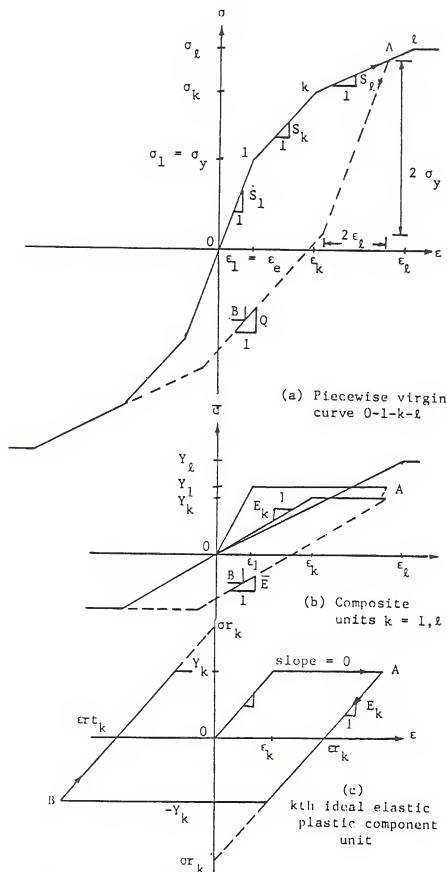


Figure 4.1 Decomposition of General Nonlinear Symmetric Stress-Strain Curve (47)

strain, used to keep track of the deformation path of the k th component. C represents an intermediate point during interaction when equilibrium is not yet established. ϵ_{rk} is a temporary variable to denote the residual strain corresponding to point C . If the loading decrement at the n th load step is considerably small, C will be on the "elastic" line through A and ϵ_{rk} will coincide with ϵ_k . Point C will be on the "plastic" line through A if the new load step is an increment. A fictitious stress σ_k shown in Fig. 4.1 (c) is used later in the Equation 4.9. The flow chart in Fig. 4.2 illustrates the above explained procedure to obtain history dependent stress σ and slope Q for a given strain increment. Note that the check for elastic or plastic response of the component is made with respect to ϵ_k rather than the temporary variable ϵ_{rk} .

4.3 Relationship of Generalized Forces and Deformations

A general cross section is shown in Fig. 4.2 (a) with positive coordinate directions. The assumed linear strain distribution over the depth of the section is given in Fig. 4.3 (b). The bending moment at the section is defined about the Z axis through the geometric centroid. Tensile strain and the curvature that causes more tensile strain at the bottom fiber than at the top, are considered positive in this presentation.

A cross section is defined as a series of m rectangles ($j = 1, m$), each rectangle being of single material of known virgin stress-strain curve as shown in Fig. 4.1 (a). Let stress-strain curve of the j th rectangle have ℓ_j components ($k = 1, \ell_j$). Then each j th rectangle is divided into n_j subrectangles of equal depth ($i = 1, n_j$). It is recommended to use ten equal divisions for a rectangular cross section

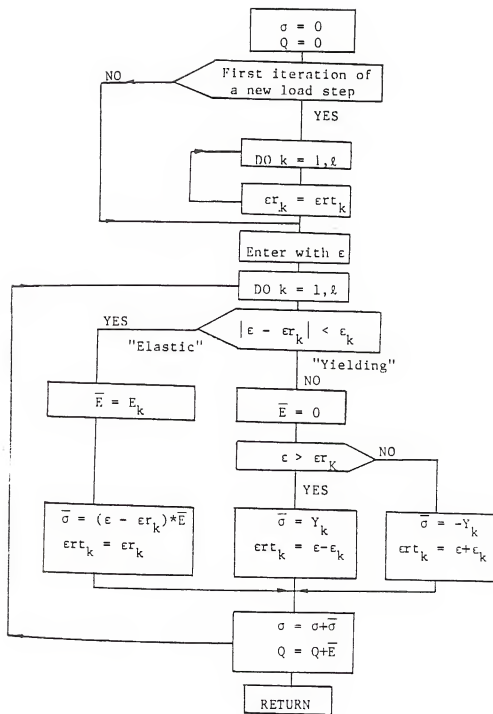


Figure 4.2 Flow Chart for Decomposition of General Nonlinear Symmetric Stress-Strain Curve (47)

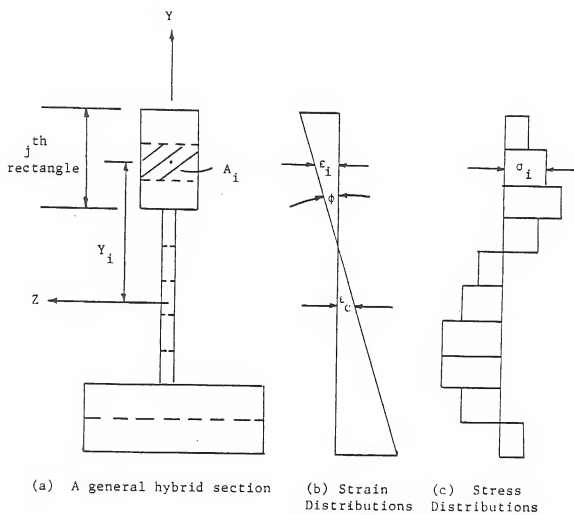


Figure 4.3 Cross Section Definition (47)

and two to four divisions of the flange and four to six divisions on the web for an I-section to obtain good results.

The stress at each subrectangle is assumed uniform over the entire depth of the subrectangle and the strain at the center of the subrectangle is used to obtain this stress. Figure 4.3 (c) shows the typical assumed stress distribution of a cross section.

Referring to the Figures 4.1 (a) and 4.3, and using Equation 4.7, the longitudinal stress σ_i on the i th subrectangle is

$$\sigma_i = \sum_{k=1}^n (\sigma r_k + E_k \epsilon_k) \quad (4.9)$$

in which

$$E_k = E_k \quad (4.10)$$

for elastic case

$$\sigma r_k = -E_k \epsilon r_k \quad (4.11)$$

and

$$E_k = 0 \quad (4.12)$$

for plastic case

$$\sigma r_k = \pm Y_k \quad (4.13)$$

and ϵ_i is the longitudinal strain at the center of i th subrectangle.

The longitudinal strain ϵ_i can be written in terms of the strain ϵ_c at the center of the section and curvature ϕ as

$$\epsilon_i = \epsilon_c - \phi y_i \quad (4.14)$$

Substitution of Eq. 4.14 in Eq. 4.9 gives

$$\sigma_i = \sum_{k=1}^n (\sigma r_k + E_k \epsilon_c - E_k \phi y_i) \quad (4.15)$$

The axial force T_j in the j the rectangle is

$$T_j = \sum_{i=1}^{n_j} \sigma_i A_i \quad (4.16)$$

$$= \frac{A_j}{n_j} \sum_{i=1}^{n_j} \sigma_i \quad (4.17)$$

Hence, the axial force T at the section is given by

$$T = \sum_{j=1}^m T_j \quad (4.18)$$

$$= \sum_{j=1}^m \frac{A_j}{n_j} \sum_{i=1}^{n_j} \sigma_i \quad (4.19)$$

$$= \sum_{j=1}^m \frac{A_j}{n_j} \sum_{i=1}^{n_j} \sum_{k=1}^{\ell_j} (\sigma r_k + E_k e_c - E_k \phi y_i) \quad (4.20)$$

The contribution M_j by the j th rectangle to the total bending moment M is

$$M_j = \sum_{i=1}^{n_j} \sigma_i A_i y_i \quad (4.21)$$

$$= - \frac{A_j}{n_j} \sum_{i=1}^{n_j} \sigma_i y_i \quad (4.22)$$

Hence, the total moment is given by

$$M = \sum_{j=1}^m M_j \quad (4.23)$$

$$= - \sum_{j=1}^m \frac{A_j}{n_j} \sum_{i=1}^{n_j} \sigma_i y_i \quad (4.24)$$

$$= - \sum_{j=1}^m \frac{A_j}{n_j} \sum_{i=1}^{n_j} y_i \sum_{k=1}^{l_j} (\sigma_r + E_k \epsilon_c - E_k \phi y_i) \quad (4.25)$$

The shear force V on the j th rectangle is

$$V_j = C_{sj} A_j G_j \gamma \quad (4.26)$$

where

γ = shear strain

G_j = modulus of rigidity of the j th rectagle

C_{sj} = shear area coefficient, equal to inverse of the shear area factor k of the j th rectangle.

Recommended values of C_{sj} for a typical I-section are, 0 for flanges and 1.0 for web.

Thus, the total shear V at the section is

$$V = \sum_{j=1}^m V_j \quad (4.27)$$

$$= \gamma \sum_{j=1}^m C_{sj} A_j G_j \quad (4.28)$$

The axial force, bending moment, and shear force at the cross section are given respectively by Equations 4.20, 4.25, and 4.28.

4.4 Incremental Force Deformation Matrix

The incremental internal force deformation matrix is defined by Eq. 3.24 and given in Eq. 3.25.

$$\text{i.e.} \quad D_{ij} = \frac{\partial \sigma_i}{\partial \epsilon_j} \quad \text{for } i=1-3 \text{ and } j=1-3 \quad (4.29)$$

The generalized stress $\{\sigma\}$ and strain $\{\epsilon\}$ vectors are defined in Equations 3.15 and 3.5.

$$\text{i.e.} \quad \{\sigma\}^t = [T, M, V] \quad (4.30)$$

$$\text{and } \{\epsilon\}^t = [\delta_a, \delta_m, \delta_s] \quad (4.31)$$

Therefore, 3X3 matrix [D] can be written in the matrix form as

$$[D] = \begin{bmatrix} \frac{\partial T}{\partial \delta_a} & \frac{\partial T}{\partial \delta_m} & \frac{\partial T}{\partial \delta_s} \\ \frac{\partial M}{\partial \delta_a} & \frac{\partial M}{\partial \delta_m} & \frac{\partial M}{\partial \delta_s} \\ \frac{\partial V}{\partial \delta_a} & \frac{\partial V}{\partial \delta_m} & \frac{\partial V}{\partial \delta_s} \end{bmatrix} \quad (4.32)$$

The relations given in Equations 4.1 through 4.3 for T, M, and V yield

$$\frac{\partial T}{\partial \delta_s} = \frac{\partial M}{\partial \delta_s} = \frac{\partial V}{\partial \delta_a} = \frac{\partial V}{\partial \delta_m} = 0 \quad (4.33)$$

Hence, [D] can be written as

$$[D] = \begin{bmatrix} \frac{\partial T}{\partial \delta_a} & \frac{\partial T}{\partial \delta_m} & 0 \\ \frac{\partial M}{\partial \delta_a} & \frac{\partial M}{\partial \delta_m} & 0 \\ 0 & 0 & \frac{\partial V}{\partial \delta_s} \end{bmatrix} \quad (4.34)$$

Assuming the strains are small, displacements need not necessarily be small, axial strain, curvature, and shear strain can be expressed as in Equations 4.35 through 4.37:

$$\epsilon_c = \delta_a / 2h \quad (4.35)$$

$$\delta = \sigma_m / 2h \quad (4.36)$$

$$\gamma = \delta_s / 2h \quad (4.37)$$

Substitution of the above equations in Eq. 4.34 leads to

$$[D] = \frac{1}{2h} \begin{bmatrix} \frac{\partial T}{\partial \epsilon_c} & \frac{\partial T}{\partial \phi} & 0 \\ \frac{\partial M}{\partial \epsilon_c} & \frac{\partial M}{\partial \phi} & 0 \\ 0 & 0 & \frac{\partial V}{\partial Y} \end{bmatrix} \quad (4.38)$$

All the derivatives in Equation 4.38 can be easily obtained from Equations 4.20, 4.25, and 4.28. Remember that σ_{r_k} assumes a discrete constant value for a particular load increment and does not vary with ϵ_c and ϕ .

Therefore,

$$\frac{\partial \sigma_{r_k}}{\partial \epsilon_c} = \frac{\partial \sigma_{r_k}}{\partial \phi} = 0 \quad (4.39)$$

Differentiation of Eq. 4.20 with respect to ϵ_c yields

$$\frac{\partial T}{\partial \epsilon_c} = \sum_{j=1}^m \frac{A_j}{n_j} \sum_{i=1}^{n_j} \sum_{k=1}^{\ell_j} E_k \quad (4.40)$$

$$= \sum_{j=1}^m \frac{A_j}{n_j} \sum_{i=1}^{n_j} E_i \quad (4.41)$$

Note that Eq. 4.8 is substituted in Eq. 4.40 to get Eq. 4.41.

Similarly, differentiation of Eq. 4.20 with respect to ϕ yields

$$\frac{\partial M}{\partial \phi} = \sum_{j=1}^m \frac{A_j}{n_j} \sum_{i=1}^{n_j} y_i^2 \sum_{k=1}^{\ell_j} E_k \quad (4.42)$$

$$\frac{\partial M}{\partial \phi} = \sum_{j=1}^m \frac{A_j}{n_j} \sum_{i=1}^{n_j} y_i^2 E_i \quad (4.43)$$

Differentiation of Eq. 4.20 with respect to ϵ_c and of Eq. 4.25 with respect to ϕ give the same results. Thus,

$$\frac{\partial T}{\partial \phi} = \frac{\partial M}{\partial \epsilon_c} = - \sum_{j=1}^m \frac{A_j}{n_j} \sum_{i=1}^{n_j} y_i \sum_{k=1}^{n_j} E_k \quad (4.44)$$

$$= - \sum_{j=1}^m \frac{A_j}{n_j} \sum_{i=1}^{n_j} y_i E_i \quad (4.45)$$

Finally, differentiation of Eq. 4.28 with respect to γ yields

$$\frac{\partial V}{\partial \gamma} = \sum_{j=1}^m C_{sj} A_j G_j \quad (4.46)$$

Incremental internal force deformation matrix [D], also known as the instantaneous tangent stiffness matrix of the element, can be computed using the Equations 4.38, 4.41, 4.43, and 4.45. Matrices [D] of general, and linear elastic and constant prismatic elements are listed in Appendix A.

4.5 Thin Wall Tubular Sections

The program allows input of a member with thin wall tubular cross section. The cross section is subdivided into 20 equal radial segments. A pair of radial segments on either side of the y-axis is combined to obtain the properties of the equivalent rectangle. Thus, ten equivalent rectangular pieces represent the cross section in the numerical integration procedure. The difference in the computed second moment of area, between the thin tubular section approximated by rectangles and perfect thin tubular section is less than one percent (22).

4.6 Brief Description of the Solution Procedure

A brief description, of the solution procedure outlined in Chapter 6, is presented in this section to explain how the discrete element response is related to the overall frame response in the program FRAME82. The framed structure consists of members and joint shear panels. Each member is divided into a finite number of discrete elements which are then subdivided into several layers. Stiffness and End Force matrices of the discrete elements are obtained using the relationships in this and previous chapters.

Member and joint solutions are performed separately to reduce computer time and to avoid large computer storage requirements. Each member is solved individually using as many elements as necessary to obtain each member's stiffness and fixed-end-force matrices. The ends of each member are "held" at the positions corresponding to the current joint displacements to obtain member solutions. Member stiffness and fixed-end-force matrices are computed using the discrete element tangent stiffness and fixed-end-force matrices, and standard matrix analysis techniques. The member and joint stiffness matrices are combined together to form the structural stiffness and load matrices.

Since member and structure solutions are performed separately, an iterative cycle of each member occurs within each iteration on structural joint displacements. Special care needs to be taken to form correct stiffness matrix in the case of inelastic unloading. Tangent stiffness method used in this analysis to obtain nonlinear structural response is referred as Newton-Raphson method in mathematical numerical analysis.

4.7 Tangent Stiffness Method

Consider a system of nonlinear equations of order n , given in Equation 4.47, which involves load vector \underline{P} and displacement vector \underline{u} . The vectors \underline{P} and \underline{u} represent the joint loads and displacements for joint solution, and member stations loads and displacements for member solution.

$$P_j = P_j(u_1, u_2, \dots, u_n) \quad j=1,2,\dots,n \quad (4.47)$$

Assume that $\{P\}_i$ and $\{u\}_i$ at the end of i th load increment are known and the above equation needs to be solved to obtain $\{u\}_{i+1}$ corresponding to $\{P\}_{i+1}$, the load vector at the end of $(i+1)$ th load increment. Define $\{\Delta P\}_i$ and $\{\Delta u\}_i$ as

$$\{P\}_{i+1} = \{P\}_i + \{\Delta P\}_i \quad (4.48)$$

$$\{u\}_{i+1} = \{u\}_i + \{\Delta u\}_i \quad (4.49)$$

Expand Equation 4.47 around $\{u\}_i$ using Taylor series:

$$P_j \approx P_{j,i} + \sum_{k=1}^n \frac{\partial P_j}{\partial u_k} (u_k - u_{k,i}) \quad j=1,2,\dots,n \quad (4.50)$$

where

$P_{j,i}$ = load P corresponding to j th degree of freedom at the end of i th load increment

u_k = displacement u corresponding to k th degree of freedom

$u_{k,i}$ = value of u_k at the end of i th load increment.

Terms in Equation 4.50 are rearranged to give the following relationship:

$$P_j - P_{j,i} = \Delta P_j = \sum_{k=1}^n \frac{\partial P_j}{\partial u_k} \{u\}_i (u_k - u_{k,i}) \quad j=1,2,\dots,n \quad (4.51)$$

In the matrix form

$$\{\Delta P\} = [K]_{\{u\}_i} \{u - u_i\} \quad (4.52)$$

Hence,

$$\{u\}^{(1)} = \{u\}_i^{(0)} + [K]_{\{u\}_i}^{-1} \{P_{i+1} - P_i^{(0)}\} \quad (4.53)$$

or

$$\{\Delta u\}^{(0)} = [K]_{\{u\}_i}^{-1} \{\Delta P\}^{(0)} \quad (4.54)$$

Matrix $[K]$ represents the tangent stiffness matrix. Superscripts 0 and 1 denote the values at the beginning of the iteration and after the first iteration respectively.

Since the Taylor expansion in Eq. 4.50 is curtailed after the first order derivative terms, $\{u\}^{(1)}$ obtained in Eq. 4.53 is the first approximation to $\{u\}_{i+1}$. Substitution of $\{u\}_{i+1}$ in Eq. 4.47 will yield a load vector $\{P\}$ which is generally different from $\{P\}_{i+1}$. The difference $\{\Delta P\}$ between $\{P\}_{i+1}$ and P is commonly known as remnant or equilibrium error and defined as

$$\{\Delta P\} = \{P\}_{i+1} - \{P\} \quad (4.55)$$

Successive iterations are required until this error is within the allowable tolerance. Repetition of iteration yields the following algorithm:

$$\{\Delta u\}^{(n)} = [K]_{\{u\}^{(n)}}^{-1} \{\Delta P\}^{(n)} \quad (4.56)$$

and

$$\{u\}^{(n+1)} = \{u\}^{(n)} + \{\Delta u\}^{(n)} \quad (4.57)$$

where

$$\{\Delta P\}^{(n)} = \{P\}_{i+1} - \{P\}^{(n)} \quad (4.58)$$

Superscripts n and $(n+1)$ denote the values corresponding to the iterative cycles n and $(n+1)$.

The above explained method is presented in References 46 and 56, and geometric interpretation of this procedure is given in Fig. 4.4 for a single degree of freedom system. The flow chart displayed in Fig. 4.5 illustrates the procedure involved in the tangent stiffness method to solve a set of nonlinear equations. An integer is assigned to each stage of the flow chart and stage 4, which is intentionally excluded in this flow diagram, is introduced in the next section that considers the possibility of inelastic unloading.

4.8 Modified Tangent Stiffness Method

The above described tangent stiffness method in Section 4.7 needs to be modified to include the effects of strain reversal. A detailed description of the procedure demonstrated herein is given in Ref. 47. After computing the displacement vector in stage 3 of the flow chart in Fig. 4.5, one should not proceed to stage 5 during first iteration. Rather, compute the strains at each inelastic "component" such as subrectangles, joint shear panels, and member and joint support curves, corresponding to the incremented $\{u\}$. Check whether there is any strain reversal in any component. If none of the components undergo strain reversal, proceed to stage 5.

If a strain reversal is sensed in any component, the entire procedure must be backed up. The history dependent slope of the stress-strain curve corresponding to the inelastic component, which sensed strain reversal, must be replaced with the largest slope of the stress-strain curve, the slope at the origin of the curve. The overall stiffness matrix thus obtained is referred to as "backed-up stiffness matrix." The displacement vector $\{u\}$ must also be set back to the values prior to the strain reversal. This is symbolically represented

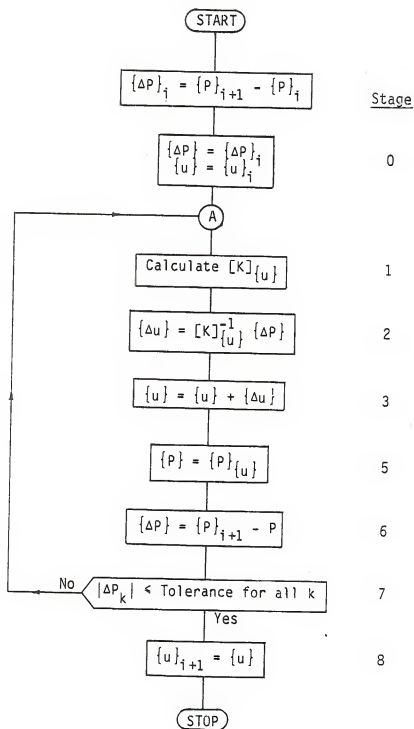


Figure 4.5 Flow Diagram for Tangent Stiffness Method

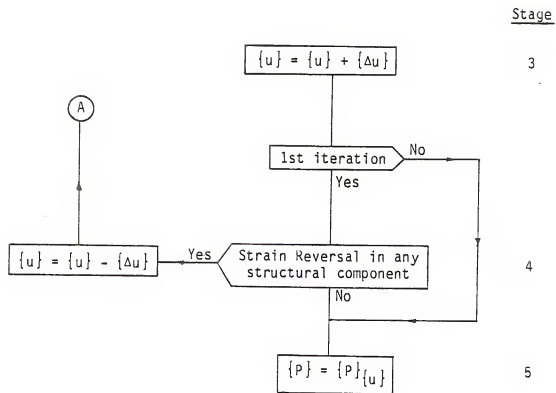


Figure 4.6 Introduced New Stage in Modified Tangent Stiffness Method

as

$$\{u\} = \{u\} - \{\Delta u\} \quad (4.59)$$

Then the stages 1 through 7 are repeated except the formation of backed-up $[K]$ and $\{u\}$, which is referred to as stage 4 in Fig. 4.6, until the solution converges or number of iterations exceeds the specified number of iterations.

Strain Reversal Check

The strain reversal can be directly determined for a single degree of freedom system by comparing the current load with the load history, without solving for incremental deformation. However, the above remark is not applicable to a general system with multiple degree of freedoms. Incremental displacements or deformations must be calculated to find out whether strain reversal has occurred in any subrectangle, joint shear panel or member and joint support curves. It is evident from the decomposition principle explained in Section 4.2 for a general nonlinear curve, that it is necessary to monitor only the first idealized elastic-plastic component to sense any strain reversal in the inelastic components.

CHAPTER 5

SHEAR BEHAVIOR AND STRENGTH OF STEEL JOINTS

5.0 Introduction

Structural frames are usually analyzed assuming that connections are rigid and the sizes of the connections are negligible. While both assumptions simplify the analysis, assuming rigid connection ignores the deformations at the joints and neglecting connection dimensions results in longer member length in the idealized frame than in the real frame, which in turn underestimates the member stiffnesses. In certain structures, the errors caused by the above cited assumptions may be self-compensating. However, in general, the size and the stiffness of the frame connections should be considered in the frame analysis to obtain rational results.

In unbraced frames, structural stability and resistance to lateral loads require the transfer of bending moments between beams and columns. This transfer could be achieved by either semi-rigid or rigid beam-column connections. The beam-column joint will be subjected to high shears whenever a significant unbalance of beam moments is present at the joint. A significant unbalance usually exists at exterior and corner joints, and at the interior joints in the case of lateral load application such as wind or seismic effects.

The shear design of joints is very important in frames that may be subjected to severe earthquake excitations. Such frames may experience stresses and deformations, which are very much higher than the values at

service state. This imposes ductility requirements to be included in the design of frames to ensure serviceability of the structures. This chapter deals with various shear force-shear distortion relationships for joint behavior and the technique to incorporate joint shear behavior in the overall response of the structure.

5.1 Shear Behavior of Joints

The shear behavior of beam-column joints has been the subject of several experimental and analytical studies in recent years (3, 15, 31-35, 42-45). These studies concerned the monotonic and cyclic responses of all types of joints in general and interior joints in particular. Even though beam-column joints can develop failure due to one or combination of the factors such as column web crippling, column web buckling, column flange distortion, and shear yielding and shear buckling of the panel zone, only the shear failure mode of the joint panel is considered in this study. The material presented herein is obtained from references 32, 34, and 35.

The following parameters listed below influence the joint behavior:

- (i) Shearing resistance of the panel zone, which is a function of the panel aspect ratio d_b/d_c and the thickness of the shearing area, $t_{cw} + t_s$, where
 - d_c = distance between the centroids of the column flanges
 - d_b = distance between the centroids of the beam flanges
 - t_{cw} = web thickness
 - t_s = thickness of the shear reinforcement area parallel to the web
- (ii) Effectiveness of the shear reinforcement
- (iii) Resistance of the structural components surrounding the panel

zone, which provides the post-elastic reserve strength of the joint. The flexural resistance of the column flanges and in-plane stiffness of the beam webs adjacent to the joint play major role.

- (iv) Type of connection
- (v) Beneficial effects of column shears - usually oppose the shear force produced in the joints by the beam moments.
- (vi) Effects of column axial loads, which must be included in the joint yield criterion.

Several authors have investigated the influence of the parameters listed above on the behavior of joints.

The most important characteristics of the joint behavior are summarized below. The shearing stresses are highest at the center of the joint panels with a moderate but definite drop towards all four corners. When the joints are stressed beyond the elastic limit, yielding in the panel propagates rather slowly from the center of the panel towards the level of beam flanges, for joints that have large aspect ratios (d_b/d_c) and stiff column flanges. Joints with aspect ratio around unity and the column flanges thin and flexible, exhibit uniform yielding through out the panel. The distribution of shear deformations throughout a joint can be studied from the deformed shape of the joint, that is shown for a typical joint in Fig. 5.1 (32). References 32-34 reveal average shear strain and shear stress parameters of the panel, are adequate to model the joint behavior in the overall frame analysis.

The shear stress-strain curve of a joint exhibits an elastic range, followed by a range of gradually decreasing stiffness, and then a strain

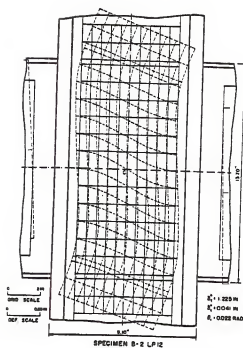


Figure 5.1 Deformations in an Interior Panel Zone (32)

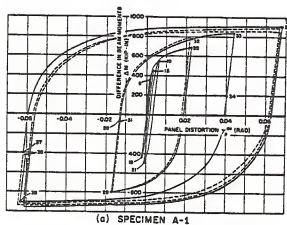


Figure 5.2 Load-Deformation Diagram for a Joint (32)

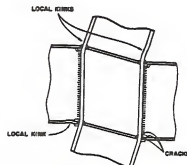


Figure 5.3 Effects of Excessive Joint Distortions (32)

hardening range with constant stiffness. The joint panel remains elastic until the panel zone yields, and in this elastic region, shear resistance is provided mainly by the shear panel. The transition range between elastic stiffness and strain hardening stiffness is governed, primarily by the elements surrounding the panel zone, particularly by the bending resistance of the column flanges and the in-plane stiffness of the beam webs adjacent to the joint. The strain hardening stiffness is largely attributed to the strain hardening in the material.

Properly detailed joints exhibit a remarkable ductility and very stable and repetitive hysteresis loops under cyclic loading as displayed in Fig. 5.2 (32). No drop in strength is noticeable in such joints, even at extremely large inelastic distortions. However, under large distortions diagonal buckling might be observed in thin joint panels, and continued joint distortion would cause the formation of local kinks in beams and columns flanges outside the joint, as illustrated in Fig. 5.3, and could lead to the fracture of the material. The fracture would occur only after several load reversals at extremely large joint distortions.

5.2 Shear Force-Shear Distorsion Relationships for Joints

Krawinkler (32), Krawinkler et al. (34, 35) and Fielding (15) have recommended relationships to predict the behavior of joints based on their experimental investigations and analytical behavior of joints. Although the above authors utilized shear force and shear deformation, of the joint, as the parameters to describe the joint behavior, average shear stress and deformation are used in this presentation to be compatible with input stress-strain curves for members. An analytical joint shear stress-strain curve is derived from uniaxial stress-strain

curve and later modified to comply with the experimental observations made by the above two authors.

5.2.1 Krawinkler Model

The mathematical model used by Krawinkler to derive expressions to represent the joint behavior is displayed in Fig. 5.4. It consists of an ideal elastic-plastic shear panel surrounded by rigid boundaries with springs at the four corners. These springs simulate the resistance of the elements surrounding the panel zones, in particular the bending resistance of column flanges.

The shear panel provides most of the resistance by shear deformations, until the average shear strain attains the yield shear strain. Thus, the joint shear stress in the elastic range is given by

$$\tau = G\gamma \quad 0 \leq \gamma \leq \gamma_y \quad (5.1)$$

where

τ = shear stress

γ = shear strain

G = shear modulus

γ_y = yield shear strain $(= \frac{\tau_y}{\sqrt{3}G})$

The increase in strength beyond τ_y is attributed to the resistance of elements surrounding the panel zone, especially due to the flexural resistance of the column flanges. This resistance is represented by springs at four corners, whose stiffness is that corresponding to concentrated rotations of column flanges at each corner. When the boundary of the panel zones are assumed to be rigid, this spring stiffness is approximated by

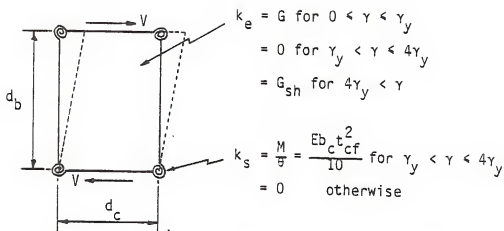


Figure 5.4 Mathematical Model for Joint by Krawinkler

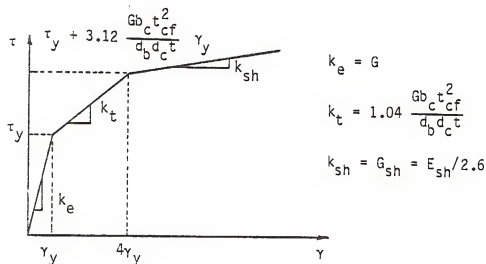


Figure 5.5 Krawinkler Model

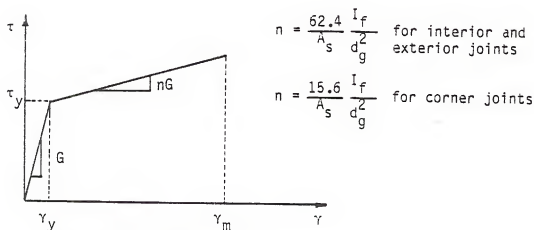


Figure 5.6 Fielding Model

$$k_s = \frac{M}{\theta} = \frac{E b_c t_{cf}^2}{10} \quad (5.2)$$

The work equation gives

$$d_b \Delta v \Delta \gamma = 4 M \theta \quad (5.3)$$

where

$$\theta = \Delta \gamma \quad (5.4)$$

and

$$\Delta v = \Delta \tau d_c t \quad (5.5)$$

in which $t = t_{cw} + t_s$ = equivalent thickness of the shear panel. In view of Equations 5.4 and 5.5, Equation 5.3 becomes

$$\frac{\Delta \tau}{\Delta \gamma} = \frac{4M}{d_b d_c t \theta} \quad (5.6)$$

Feeding Eq. 5.2 into the above equation leads to

$$\frac{\Delta \tau}{\Delta \gamma} = \frac{4 E b_c t_{cf}^2}{10 d_b d_c t} \quad (5.7)$$

Substitution of $E = 2.6G$ in Eq. 5.7 gives the post-yield stiffness for the range $\gamma_y < \gamma < 4\gamma_y$.

$$\text{i.e.} \quad \frac{\Delta \tau}{\Delta \gamma} = 1.04 \frac{G b_c t_{cf}^2}{d_b d_c t} \quad (5.8)$$

Even though the expression derived in Eq. 5.8 holds true only until yielding occurs in the column flange, the finite element study (34) showed that it is valid up to $\gamma = 4\gamma_y$, the shear strain value at which the column flanges nearly attain their full plastic moment capacity. Hence, the joint shear stress is expressed as

$$\tau = \tau_y + 1.04 \frac{G_b t_{cf}^2}{d_b d_c t} (\gamma - \gamma_y) \quad \gamma_y < \gamma < 4\gamma_y \quad (5.9)$$

If the joint is strained beyond $4\gamma_y$, strain hardening in the panel zone usually develops and the strain hardening stiffness is equivalent to $E_{sh}/2.6$. Therefore, the joint shear stress can be written as

$$\tau = \tau_y + 3.12 \frac{G_b t_{cf}^2}{d_b d_c t} \gamma_y + \frac{E_{sh}}{2.6} (\gamma - 4\gamma_y) \quad \gamma > 4\gamma_y \quad (5.10)$$

The joint shear stress-strain model recommended by Krawinkler is given in Fig. 5.5, along with the critical values. This model is expected to give good results for interior joints when the axial column load ratio P/P_y is less than 0.50 and when the combined action of axial load and bending moment in the column will not cause yielding outside the joint, since early yielding of the column will decrease the resistance of elements surrounding the panel zone. This model is not applicable to corner joints which are bounded by framing elements only in two faces of the panel zone. When two beams of different depth frame into the column in interior joints, it is conservative to use the larger value of d_b in joint stress calculations.

5.2.2 Fielding Model

Fielding and Chen (15) assumed a bilinear model shown in Fig. 5.6 to represent the behavior of joint. Until the shear panel yields ($\gamma < \gamma_y$), the shear panel deformation is assumed to provide the entire shear resistance.

$$\text{i.e.} \quad \tau = G\gamma \quad 0 < \gamma < \gamma_y \quad (5.11)$$

The strain-hardening stiffness of the inelastic region is obtained by considering the stiffness of the connection boundary elements (column flanges and horizontal stiffeners). These plate elements are assumed to bend in a frame type manner subsequent to softening of the shear panel due to shear yielding. In this range the deformation of the column web is assumed not to contribute to the additional connection capacity until strain hardening of the web begins. It has been found that flexural rigidity of the column flanges chiefly influences the load carrying capacity of webs in shear.

The obtained post-yield stiffness parameter for interior and exterior connections is

$$n = \frac{62.4}{A_s} \frac{I_f}{d_g^2} \quad (5.12)$$

and for corner connections is

$$n = \frac{15.6}{A_s} \frac{I_f}{d_g^2} \quad (5.13)$$

where d_g = girder depth; A_s = effective shear area of the column web (product of the web thickness and the distance between flange centroids); and I_f = the moment of inertia of the column flange. Thus,

$$I_f = \frac{1}{12} b_c t_{cf}^3 \quad (5.14)$$

in which b_c = column flange width; and t_{cf} = column flange thickness.

For the post-yield stiffness parameter n defined by Eqs. 5.12 and 5.13 to be valid, the column web must not go into the strain hardening

region and the column flanges should not reach their full plastic moment capacities. Since it is found in experimental investigations carried out by Krawinkler (32) and Krawinkler et al. (34, 35) that the previously outlined conditions break down at $\gamma = 4\gamma_y$, it is reasonable to assume that the model recommended by Fielding holds good up to $\gamma_m = 4\gamma_y$, where γ_m = maximum average shear deformation.

5.2.3 Modified Analytical Model

Analytical derivation of joint shear stress-strain curve from uniaxial stress-strain curve, described herein, yields a new model. Since this model does not include the resistance provided by the structural elements surrounding the joint panel zone, it has to be modified for the shear strain range $\gamma_y < \gamma \leq 4\gamma_y$ to obtain a better model that would predict good results. The stiffness recommended by either Krawinkler or Fielding can be used in the range $\gamma_y < \gamma \leq 4\gamma_y$, where the column flanges offer a significant contribution, to modify the analytical model.

Derivation of τ - γ Curve from σ - ϵ Curve

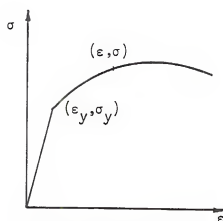
Consider a general uniaxial stress-strain curve given in Fig. 5.7 (a) to obtain the joint shear stress-strain curve. Levy-Mises yield criterion and the isotropic-hardening Levy-Mises theory described in Ref. 37 are used to obtain the required relationship. No distinction is made between natural and nominal strains in this derivation since the strain is assumed small.

Mises yield criterion is given by

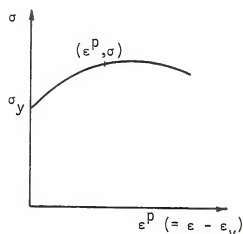
$$J_2' = k^2 \quad (5.15a)$$

or

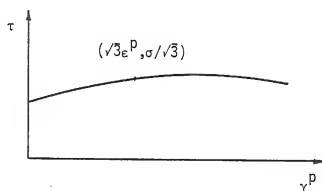
$$\frac{1}{2} \sigma_{ij}' \sigma_{ij}' = k^2 \quad (5.15b)$$



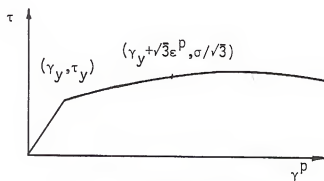
(a) Uniaxial Stress-Strain Curve



(b) Uniaxial Stress-Plastic Strain Curve



(c) Shear Stress-Plastic Strain Curve



(d) Shear Stress-Strain Curve

Figure 5.7 Graphical Representation of the Derivation of Shear Stress-Strain Curve from Uniaxial Stress-Strain Curve

where $J_2' =$ second invariant of the deviatoric stress tensor; $\sigma_{ij}' =$ deviatoric stress on the plane i along the direction j ; $k = a$ constant. Deviatoric stress σ_{ij}' is defined as

$$\sigma_{ij}' = \sigma_{ij} - p \delta_{ij} \quad (5.16)$$

where σ_{ij} = stress; and p = mean normal stress and given by

$$p = \frac{(\sigma_{11} + \sigma_{22} + \sigma_{33})}{3} \quad (5.17)$$

Eq. 5.15b can be rewritten as

$$J_2' = k^2 = \frac{1}{6}[(\sigma_{11} - \sigma_{22})^2 + (\sigma_{22} - \sigma_{33})^2 + (\sigma_{33} - \sigma_{11})^2] + \sigma_{23}^2 + \sigma_{31}^2 + \sigma_{12}^2 \quad (5.18)$$

For uniaxial stress σ_{11} , the space is one dimensional and the condition defining the yield surface is given by

$$|\sigma_{11}| = \sigma_y \quad (5.19)$$

Substitution of Eq. 5.19 into Eq. 5.18 leads to

$$k^2 = \frac{1}{6}(2\sigma_y^2) = \frac{\sigma_y^2}{3} \quad (5.20)$$

For pure shear in the xy plane, $\sigma_{12} = \sigma_{21} = \tau_y$ and the rest of the σ_{ij} s are zero. Substitute these conditions into Eq. 5.18 and obtain

$$k^2 = \tau_y^2 \quad (5.21)$$

In view of Eq. 5.20 and 5.21, the yield shear stress is

$$\tau_y = \sigma_y / \sqrt{3} \quad (5.22)$$

and the corresponding yield shear strain is

$$\gamma_y = \tau_y / G \quad (5.23)$$

Isotropic hardening assumption, that the yield surface maintains its shape, while its size increase is controlled by a single parameter depending on the plastic deformation, is used to obtain the shear stress-strain curve in the inelastic region. The universal plastic stress-strain curve defined by two scalar quantities, the effective stress $\bar{\sigma}$ and the integral of the effective plastic-strain increment $d\bar{\epsilon}_p$, governs the yield surface. When used with the Mises yield condition, the appropriate effective stress $\bar{\sigma}$ is

$$\bar{\sigma} = \sqrt{3J_2} = \left[\frac{3}{2} \sigma'_{ij} \sigma'_{ij} \right]^{\frac{1}{2}} = \frac{1}{2} \left[(\sigma_{11} - \sigma_{22})^2 + (\sigma_{22} - \sigma_{33})^2 + (\sigma_{33} - \sigma_{11})^2 + 3(\sigma_{23}^2 + \sigma_{31}^2 + \sigma_{12}^2) \right]^{\frac{1}{2}} \quad (5.24)$$

and the appropriate effective strain increment $d\bar{\epsilon}_p$ to use with $\bar{\sigma}$ is

$$d\bar{\epsilon}_p = \left[\frac{4}{3} \Pi_{deP} \right]^{\frac{1}{2}} = \left[\frac{2}{3} d\epsilon^P_{ij} d\epsilon^P_{ij} \right]^{\frac{1}{2}} = \left[\frac{2}{9} \{ (d\epsilon^P_{11} - d\epsilon^P_{22})^2 + (d\epsilon^P_{22} - d\epsilon^P_{33})^2 + (d\epsilon^P_{33} - d\epsilon^P_{11})^2 \} + \frac{4}{3} \{ (d\epsilon^P_{23})^2 + (d\epsilon^P_{31})^2 + (d\epsilon^P_{12})^2 \} \right]^{\frac{1}{2}} \quad (5.25)$$

where Π_{deP} = second invariant of the plastic strain increment tensor.

For uniaxial stress σ_{11} , all the stress components are zero other than σ_{11} . Hence, the effective stress defined in Eq. 5.24 becomes

$$\bar{\sigma} = \sigma_{11} \quad (5.26)$$

Plastic incompressibility implies the following condition:

$$de_{22}^p = de_{33}^p = -\frac{1}{2} de_{11}^p \quad (5.27)$$

Substitution of Eq. 5.27 in Eq. 5.25 yields the effective plastic strain increment as

$$d\bar{\epsilon}_p = de_{11}^p \quad (5.28)$$

For pure shear in the xy plane, all the stress components other than σ_{12} and σ_{21} , and all the strain increment components other than ϵ_{12}^p and ϵ_{21}^p are zero. Hence, Eqs. 5.24 and 5.25 give the effective stress and plastic strain increment in the following expressions:

$$\bar{\sigma} = \sqrt{3} \sigma_{12} \quad (5.29)$$

$$d\bar{\epsilon}_p = \frac{2}{\sqrt{3}} de_{12}^p = \frac{d\gamma_{12}^p}{\sqrt{3}} \quad (5.30)$$

Equations 5.26 and 5.29, and 5.28 and 5.30 provide the required relationships between uniaxial and shear stress-strain curves in the inelastic region.

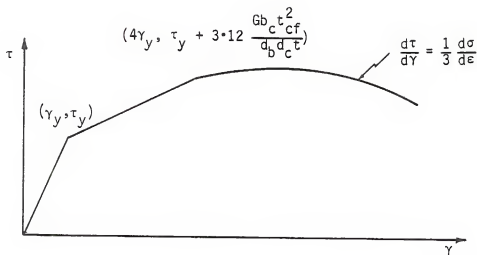
$$\text{i.e.} \quad \sigma_{12} = \frac{1}{\sqrt{3}} \sigma_{11} \quad (5.31)$$

$$\text{and} \quad d\gamma_{12}^p = \sqrt{3} de_{11}^p \quad (5.32)$$

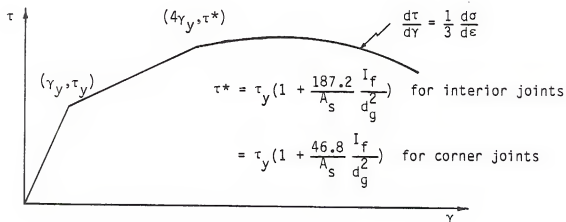
The slope of the shear stress-strain curve in the inelastic region is obtained from the above two equations as

$$\frac{d\sigma_{12}}{d\gamma_{12}^p} = \frac{1}{3} \frac{d\sigma_{11}}{de_{11}^p} \quad (5.33)$$

Equations 5.22 and 5.23, and 5.33 are used to obtain the shear stress-strain curve in the linear elastic and inelastic regions respectively.



(a) Analytical Curve with Krawinkler Recommendations



(b) Analytical Curve with Fielding Recommendations

Figure 5.8 Analytical Shear Stress-Strain Models for Joints

Figure 5.7 (b) shows the uniaxial stress versus plastic strain (strain-yield strain) curve. Stress ordinates are shrunk by a factor of $\sqrt{3}$, while plastic strain abscissae are stretched by $\sqrt{3}$ to obtain the shear stress-plastic shear strain curve in Fig. 5.7 (c). Linear elastic segment of the shear stress-strain curve is added to Fig. 5.7 (c) to derive Fig. 5.7 (d), the analytical shear stress-strain curve.

The shear stress-strain curve of the web (and stiffeners) can be derived from its uniaxial stress-strain curve. This has to be modified to include the effects of elements around the panel zone in the shear strain range, γ_y to $4\gamma_y$. This could be achieved by using the relationships suggested by Krawinkler and Fielding in the above mentioned range. It is worthwhile to note that elastic shear strain curve is the same for all the models that are discussed in this chapter, including the analytical model. Therefore, no matter whose model is employed to include the effects of elements surrounding the panel zone, the difference from the particular model would be only in the strain hardening region beyond $4\gamma_y$. The modified analytical models corresponding to Krawinkler and Fielding models are displayed in Figs. 5.8 (a) and 5.8 (b). It is interesting to observe that Krawinkler model uses 2.6 instead of 3.0 used in the modified analytical model, in the strain hardening range beyond $4\gamma_y$.

5.3 Four Degree of Freedom Joint Stiffness Matrix

The shear strain γ_{xy} at any point in a solid continuum is given by

$$\gamma_{xy} = \left(\frac{\partial u_x}{\partial y} + \frac{\partial u_y}{\partial x} \right) \quad (5.34)$$

where (u_x, u_y) are displacement components of the point parallel to the

X and Y axes. Consider the deformation shape of a rectangular panel subjected to pure shear deformation in Fig. 5.9 (a). The rotations θ_1 and θ_2 of the fibers parallel to x and y axes are defined by

$$\theta_1 = \frac{\partial u}{\partial x} \quad (5.35a)$$

$$\theta_2 = \frac{\partial u}{\partial y} \quad (5.35b)$$

$$\text{Hence, } \gamma_{xy} = \theta_1 + \theta_2 \quad (5.35c)$$

For pure shear deformation

$$\theta_1 = \theta_2 \quad (5.36)$$

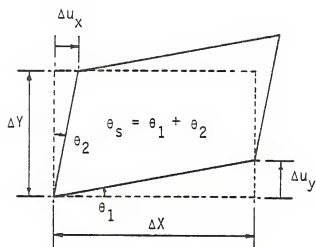
Figure 5.9 (b) displays a rectangular panel that is undergoing a pure rigid body motion. Any fiber in the panel is rotated by the same angular movement.

$$\text{i.e. } \theta_1 = \theta_2 \quad (5.37)$$

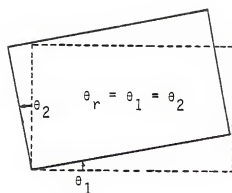
Note that θ_2 is defined in opposite directions in Figs. 5.9 (a) and (b) for convenience.

It is imperative to include an additional degree of freedom for each joint, to the generally used three degrees of freedoms, namely horizontal, vertical, and rotational displacements, to incorporate the joint shear deformation in the frame analysis. Translational displacements of the geometric centroid of the shear panel along the x, y directions and rotational displacements of both x, y axes are chosen as the four degrees of freedom in this study. The following assumptions are necessary to simplify the analysis.

- (i) Shear panel is of rectangular shape with constant thickness and its edges are parallel to the x, y axes before being stressed.

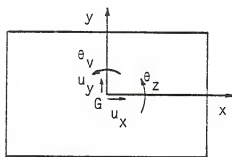


(a) Pure Shear Deformation with No Rigid Body Rotation

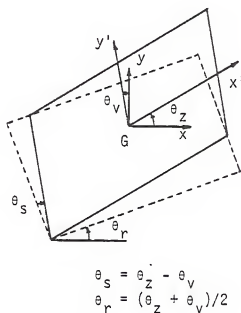


(b) Rigid Body Rotation

Figure 5.9 Shear Deformation and Rigid Body Rotation of a Rectangular Shear Panel



(a) Undeformed Panel



(b) Deformed Panel

Figure 5.10 Rectangular Shear Panel with Four Degrees of Freedom

- (ii) Shear panel experiences a constant-shear-flow distribution.
- (iii) Joint may undergo large rotations, but the deformation, or change in rotation, is small.

First, a four degree of freedom stiffness matrix is derived for a rectangular joint shear panel of constant modulus of rigidity and later, it is modified to include the inelastic behavior of the shear panel.

Constant shear flow distribution assumption implies that the geometry of any point within the shear panel can be defined in terms of the selected four degrees of freedom at the geometric centroid of the panel. The chosen degrees of freedom u_x , u_y , θ_z and θ_v , which denote x-displacement, y-displacement, x-axis rotation, and y-axis rotation respectively, are shown in Fig. 5.10. Let the respective forces be f_x , f_y , m_z , and m_v , where the moments m_z and m_v represent the couples produced by the shear forces along the edges perpendicular to x and y axes respectively. These moments are equal and opposite in direction, for a shear panel undergoing pure rigid body motion. The rigid body rotation of the shear panel corresponding to any deformation is displayed in dashed lines through the lower most corner of the panel to define rigid body rotation θ_r and shear deformation θ_s in terms of θ_z and θ_v .

Application of Eq. 5.36 to the deformed rectangular shear panel in Fig. 5.10 gives the following relationship.

$$\theta_z - \theta_r = \theta_r - \theta_v$$

i.e.

$$\theta_r = (\theta_z + \theta_v)/2 \quad (5.38)$$

Similarly, application of Eq. 5.35c leads to

$$\theta_s = (\theta_z - \theta_r) + (\theta_r - \theta_v)$$

i.e.

$$\theta_s = (\theta_z - \theta_v) \quad (5.39)$$

Linear Elastic Joint Shear Stiffness Matrix

The elastic joint stiffness matrix $[k]$, joint forces $\{f\}$, and displacements $\{w\}$ are related to each other by the following equation:

$$\{f\} = [k]\{w\} \quad (5.40)$$

where

$$\{f\}^t = [f_x, f_y, m_z, m_v] \quad (5.41)$$

$$\{w\}^t = [u_x, u_y, \theta_z, \theta_v] \quad (5.42)$$

$$[k] = Gabt \begin{bmatrix} 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 1 & -1 \\ 0 & 0 & -1 & 1 \end{bmatrix} \quad (5.43)$$

in which G = elastic shear modulus; a = undeformed length of the shear panel parallel to x axis; b = undeformed length of the shear panel parallel to y axis; t = undeformed thickness of the shear panel.

Incremental Joint Shear Stiffness Matrix

Incremental joint stiffness matrix $[k]$ is related to the incremental joint force vector $\{df\}$ and incremental displacement vector $\{dw\}$ by the following expression:

$$\{df\} = [k]\{dw\} \quad (5.44)$$

where

$$\{df\}^t = [df_x, df_y, dm_z, dm_v] \quad (5.45)$$

$$\{dw\}^t = [du_x, du_y, d\theta_z, d\theta_v] \quad (5.46)$$

$$[k] = G_t \text{abt} \begin{bmatrix} 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 1 & -1 \\ 0 & 0 & -1 & 1 \end{bmatrix} \quad (5.47)$$

in which G_t = slope of the joint shear stress-strain curve at the current deformed configuration.

5.4 Member Stiffness Matrix in Four Degree of Freedom Structural Coordinates

Since the joint stiffness matrix is associated with four degrees of freedom, it is required to transform the member stiffness matrix formulated in three degree of freedom structural coordinate system into four degree of freedom structural coordinate system to include joint deformation effects in the analysis. Thus, a member stiffness matrix of order 6×6 would become an 8×8 member stiffness matrix. A member stiffness matrix can be written as

$$[k] = \begin{bmatrix} [k_{11}] & [k_{12}] \\ [k_{21}] & [k_{22}] \end{bmatrix} \quad (5.48)$$

where the suffixes 1, 2 in the submatrices represent the to and from joints. The order of each square submatrix is equal to the number of degrees of freedom. If the transformation matrices are known at the to and from ends, then the submatrices of the transformed stiffness matrix can be obtained using the following transformation relationship (56):

$$[k_{IJ}]_{4 \times 4} = [T_I]_{4 \times 3}^t [k_{IJ}]_{3 \times 3} [T_J]_{3 \times 4} \quad (5.49)$$

where $[T]$ is the transformation matrix and I, J could represent either

from or to ends of the member. It is to be remembered that $[T]$ relates the three degree of freedom member displacements $\{\bar{w}\}$ to the four degree of freedom joint displacements $\{w\}$ as given in Eq. 5.50:

$$\{\bar{d}\bar{w}\}_{3 \times 1} = [T]_{3 \times 4} \{dw\}_{4 \times 1} \quad (5.50)$$

As the joint stiffness matrix is known only for the rectangular panel, the present analysis is restricted to rectangular frames with no diagonal bracings. The required transformation matrices are derived herein for both horizontal and vertical member ends.

Transformation Matrices

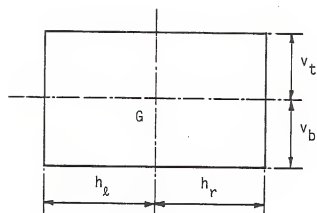
Transformation matrices need to be derived for four cases, namely shear panel at the from end of horizontal member, shear panel at the to end of horizontal member, shear panel at the from end of vertical member, and shear panel at the to end of vertical member. The dimensions of the rectangular panel used are given in Fig. 5.11 (a). Figure 5.11 (b) is considered for the derivation of transfer matrices for horizontal and vertical members. Since the derivation of transfer matrices is very similar for all four cases detailed derivation is provided only for the case of shear panel at the from end of horizontal member. However, the transfer matrices of other cases are also listed herein.

Consider the joint shear panel and horizontal member at the right in Fig. 5.11 (b) to obtain the relationship between member displacements $\{\bar{w}\}$ and joint displacements $\{w\}$ for the case of shear panel at the from end of horizontal member, where

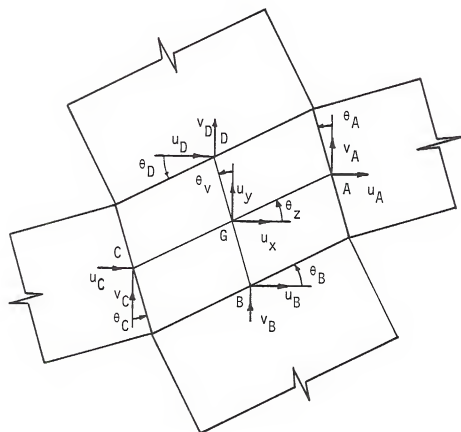
$$\{\bar{w}\}^t = [u_A, v_A, \theta_A] \quad (5.51)$$

$$\{w\}^t = [u_x, u_y, \theta_z, \theta_v] \quad (5.52)$$

From geometry



(a) Dimensions



(b) Shear Panel and Member End Displacements

Figure 5.11 Rectangular Shear Panel

$$u_A = u_X + h_r \cos \theta_Z \quad (5.53a)$$

$$v_A = u_Y + h_r \sin \theta_Z \quad (5.53b)$$

$$\theta_A = \theta_V \quad (5.53c)$$

where, h_r = horizontal distance of the right vertical edge from the geometric centroid of the panel. Differentiation of the set of equations in Eqs. 5.53 yields

$$du_A = du_X - h_r \sin \theta_Z d\theta_Z \quad (5.54a)$$

$$dv_A = du_Y + h_r \cos \theta_Z d\theta_Z \quad (5.54b)$$

$$d\theta_A = d\theta_V \quad (5.54c)$$

Hence, the transformation matrix $[T]$ is given by

$$[T] = \begin{bmatrix} 1 & 0 & -h_r \sin \theta_Z & 0 \\ 0 & 1 & h_r \cos \theta_Z & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix} \quad (5.55)$$

The transformation matrix for the case of shear panel at the to end of horizontal member is given by

$$[T] = \begin{bmatrix} 1 & 0 & h_L \sin \theta_Z & 0 \\ 0 & 1 & -h_L \cos \theta_Z & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix} \quad (5.56)$$

where h_L = horizontal distance of the left vertical edge from the centroid of the panel.

The transformation matrix for the case of shear panel at the from end of vertical member is given by

$$[T] = \begin{bmatrix} 1 & 0 & 0 & -v_t \cos \theta_v \\ 0 & 1 & 0 & -v_t \sin \theta_v \\ 0 & 0 & 1 & 0 \end{bmatrix} \quad (5.57)$$

where v_t = vertical distance of the top horizontal edge from the centroid of the panel.

The transformation matrix for the case of shear panel at the to end of vertical member is given by

$$[T] = \begin{bmatrix} 1 & 0 & 0 & v_b \cos \theta_v \\ 0 & 1 & 0 & v_b \sin \theta_v \\ 0 & 0 & 1 & 0 \end{bmatrix} \quad (5.58)$$

where v_b = vertical distance of the bottom horizontal edge from the centroid of the panel.

5.5 General Comments on DRAIN 2D Analysis

DRAIN 2D, the program developed by Kanaan and Powell (30), also uses a constant shear-flow infill panel element to incorporate the effects of joint shear deformation in the analysis. The element is assumed either rectangle or very close to a rectangle in shape. Flexural and axial deformations are ignored in the analysis. The infill panel element is treated as an isoparametric finite element with eight degrees of freedom, two translational degrees of freedom at the center of each boundary. The infill panel element is connected to beam-column members at nodes. In general, the infill panel element would have four nodes. A beam-column member has two nodes (one at each end) with three degrees of freedom (two translational, one rotational) per node.

Large displacement effects which are included in the FRAME82 analysis, are not taken into account in the DRAIN 2D analysis. The effect of semi-rigid connection element incorporated in the DRAIN 2D analysis can be obtained by inputting a proper joint shear stress-strain curve in FRAME82 analysis.

CHAPTER 6

FRAME ANALYSIS

6.1 Assumptions

The following assumptions are made to derive the theory used in the development of the program FRAME82:

- (1) Plane frame - displacements and forces are in the plane of the frame.
- (2) The deformations (strains and curvature) are of an infinitesimal order, though the displacements (axial, lateral and rotational) can be finite and large.
- (3) Linear strain distribution across the depth of a cross section.
- (4) Member shear strain is in the linear elastic range. No interaction between shear strain, and axial and flexural strains is considered for members in the strain hardening region.
- (5) Shear deformations of joint is included - axial and flexural deformations are neglected.
- (6) A general stress-strain curve is assumed for member flexural and joint shear curves.
- (7) First assumption implies that out-of-plane buckling cannot be considered. Local buckling of flanges and web is also not included.
- (8) In a dynamic analysis, masses are lumped at the structural joints.
- (9) Acceleration is constant within each time step since constant average acceleration method is employed.

- (10) Mass and stiffness dependent damping is assumed.
- (11) Residual stresses are not included in the analysis.

6.2 Outline of the Solution Procedure

The structure is idealized as an assemblage of members and joint shear panels. Each joint (node) possesses either three or four degrees of freedom depending on whether the joint shear deformations are included or ignored. The analysis that includes joint shear deformations utilizes an additional rotational degree of freedom per node, as explained in Chapter 5, to include the effects of shear deformations. Each member is divided into a finite number of discrete elements. Thus, any variation in member properties, loading or restraints may be represented. Each discrete element is subdivided into several layers to compute the discrete element stiffness and fixed end matrices, derived in Chapters 3 and 4. Subdivision helps to include variation in geometric properties of the section and in stress at different levels across the depth of the section. Member loads and restraints are discretized to the member station points. Static loads can be applied anywhere in the frame, but dynamic loads must be applied only at the joints to simplify the dynamic analysis.

It is not economical to solve for member station and joint displacements simultaneously, since the procedure includes a large system of equations, that has a large bandwidth and requires large computer storage and time. Therefore, member and joint solutions are performed separately to reduce the computer cost. Individual members are solved separately using desired number of discrete elements to obtain member stiffness and fixed-end-force matrices. The relationships between member end displacements and joint displacements, presented in

Chapter 5, are used to obtain the above matrices in the structural coordinates. The transformed matrices are then assembled to form the overall structure stiffness and load matrices, to solve for either joint displacements or joint displacement increments depending on linear or nonlinear analysis.

Since member and joint solutions are performed separately, an iterative cycle for each member occurs within each iteration of the joint solution. The member ends are "held" at positions corresponding to the current joint displacements to obtain member solutions. Thus, the procedure updates the structure stiffness after each iteration, and adds any unbalance in equilibrium as a corrective load.

The dynamic analysis presented in this chapter is valid for a general coupled mass matrix. However, the program considers only a diagonal mass matrix, and ignores the inertia masses. If desired, the program could be easily modified to consider coupled mass matrices. Although mass and stiffness dependent viscous damping is used in the theory, only mass dependent damping is incorporated into the program FRAME82.

Joint equations are set up including the tributary masses and viscous damping to obtain the governing structure dynamic equations, whereas member equations are concerned only with the static equilibrium of the members. Numerical integration of the coupled equations of motion is carried out using constant average acceleration method. Iteration is performed within each time step until the equilibrium errors are within the specified tolerances. Equilibrium errors are applied as corrective loads in the subsequent iteration.

6.3 Dynamic Analysis

The governing frame (joint) differential equation of motion is derived herein (4, 10, 11, 30). At any instant of time t , an equation of dynamic equilibrium can be written as

$$\{F_I(t)\} + \{F_D(t)\} + \{F_S(t)\} = \{F(t)\} \quad (6.1)$$

in which $F(t)$ is the nodal (joint) force vector; $F_I(t)$, $F_D(t)$, and $F_S(t)$ are the forces due to inertia, damping, and stiffness respectively. A short time Δt later the equation would be

$$\{F_I(t+\Delta t)\} + \{F_D(t+\Delta t)\} + \{F_S(t+\Delta t)\} = \{F(t+\Delta t)\} \quad (6.2)$$

Subtracting Eq. 6.1 from Eq. 6.2 yields the incremental form of the equation of motion at time t as

$$\{\Delta F_I(t)\} + \{\Delta F_D(t)\} + \{\Delta F_S(t)\} = \{\Delta F(t)\} \quad (6.3)$$

The incremental forces in this equation may be expressed as

$$\{\Delta F_I(t)\} = \{F_I(t+\Delta t) - F_I(t)\} = [M]\{\Delta \ddot{W}(t)\} \quad (6.4a)$$

$$\{\Delta F_D(t)\} = \{F_D(t+\Delta t) - F_D(t)\} = [C_T(t)]\{\Delta \dot{W}(t)\} \quad (6.4b)$$

$$\{\Delta F_S(t)\} = \{F_S(t+\Delta t) - F_S(t)\} = [K_T(t)]\{\Delta W(t)\} \quad (6.4c)$$

where $[M]$ is the mass matrix that does not change with time, and $[C_T(t)]$ and $[K_T(t)]$ are the tangent damping and stiffness matrices. The elements of the incremental damping and stiffness matrices are influence coefficients $C_{Tij}(t)$ and $K_{Tij}(t)$, and are given by

$$C_{Tij} = \frac{\partial F_{Di}}{\partial \dot{W}_j} \quad (6.5a)$$

$$K_{Tij} = \frac{\partial F_{Si}}{\partial W_j} \quad (6.5b)$$

When Eqs. 6.4 are substituted into Eq. 3, the incremental equation of motion becomes

$$[M]\{\Delta\ddot{W}(t)\} + [C_T(t)]\{\Delta\dot{W}(t)\} + [K_T(t)]\{\Delta W(t)\} = \{\Delta F(t)\} \quad (6.6)$$

Rewriting Eq. 6.6 for a time step j leads to

$$[M]\{\Delta\ddot{W}\}_j + [C_T]_j\{\Delta\dot{W}\}_j + [K_T]_j\{\Delta W\}_j = \{\Delta F\}_j \quad (6.7)$$

It is to be reminded that Eq. 6.7 is an approximate equation because of the use of initial tangent values for damping and stiffness terms.

The constant average acceleration method is used to solve the incremental differential Eq. 6.7. The basic equations for this method are presented in Appendix B. It is assumed that viscous damping results from a combination of mass dependent and stiffness dependent effects, so that

$$[C_T] = \alpha[M] + \beta[K_T] \quad (6.8)$$

in which α and β are constants to be chosen depending on the damping characteristics of the structure.

Using the equations given in Appendix B to relate incremental acceleration and velocity with incremental displacement, Eq. 6.7 can be written as

$$[M]\left\{-2\ddot{W}_j - \frac{4}{\Delta t}\dot{W}_j + \frac{4}{\Delta t^2}\Delta W\right\} + [\alpha[M] + \beta[K_T]_j]\left\{-2\dot{W}_j + \frac{2}{\Delta t}\Delta W\right\} + [K_T]_j\{\Delta W\} = \{\Delta F\}_j$$

i.e.

$$\left[\left(\frac{4}{\Delta t^2} + \frac{2\alpha}{\Delta t}\right)[M] + \left(\frac{2\beta}{\Delta t} + 1\right)[K_T]_j\right]\{\Delta W\}_j = \{\Delta F\}_j + [M]\left\{2\ddot{W}_j + \frac{4}{\Delta t}\dot{W}_j + 2\alpha\dot{W}_j\right\} + 2\beta[K_T]_j\{\dot{W}\}_j \quad (6.9)$$

Equation 6.9 can therefore be written as

$$[\gamma[M] + [K_T]_j]\{\Delta\bar{W}\}_j = \{\Delta F\}_j + [M]\left\{2\ddot{W}_j + \frac{4}{\Delta t}\dot{W}_j + 2\alpha\dot{W}_j - 2\beta\gamma\dot{W}_j\right\} \quad (6.10)$$

i.e.

$$\{\Delta\bar{W}\}_j = [\gamma[M] + [K_T]_j]^{-1} \left\{ \{\Delta F\}_j + [M]\left\{2\ddot{W}_j + \left(\frac{4}{\Delta t} + 2\alpha - 2\beta\gamma\right)\dot{W}_j\right\} \right\} \quad (6.11)$$

$$\text{where } \gamma = \left(\frac{4}{\Delta t^2} + \frac{2\alpha}{\Delta t}\right) / \left(\frac{2\beta}{\Delta t} + 1\right) \quad (6.12)$$

$$\text{and} \quad \{\Delta W\}_j = \frac{1}{2\beta + 1} \{\Delta W_j + 2\beta \dot{W}_j\} \quad (6.13)$$

Once $\{\Delta W\}_j$ has been determined by Eq. 6.11, the increment of nodal displacement $\{\Delta W\}_j$ follows from Eq. 6.13, and the incremental velocity and acceleration follow from Eqs. 8.5 and 8.6 respectively.

6.4 Dynamic Equilibrium Check

Due to nonlinear nature of the response, unbalance forces may exist at any joint after predicting $\{\Delta W\}_j$ and computing the inertia, damping and member forces corresponding to the new displacement $\{W\}_{j+1}$. These unbalanced forces or "equilibrium" errors should be successively corrected until they are within specified tolerance in order to predict displacements, velocities, and accelerations for the next time step.

The dynamic equilibrium error $\{E\}_{j+1}$ at the $j+1$ th time station results from the lack of satisfaction of equations of motion. Thus, from Eq. 6.2

$$\{E\}_{j+1} = \{F\}_{j+1} - \{F_I\}_{j+1} - \{F_S\}_{j+1} - \{F_D\}_{j+1} \quad (6.14)$$

All the components on the right hand side of Eq. 6.14 can be exactly computed except $\{F_D\}_{j+1}$ which is the damping force. However, it can be calculated to a fairly reasonable accuracy by integrating the following tensor equation:

$$dF_{Di} = \frac{\partial F_{Di}}{\partial \dot{W}_j} d\dot{W}_j \quad (6.15)$$

In matrix notation the above equation can be written as

$$\{dF_D\} = [C_T] \{d\dot{W}\} \quad (6.16)$$

Therefore,

$$\{F_D\}_{j+1} = \{F_D\}_j + \int_{t_j}^{t_{j+1}} [C_T] \{d\dot{W}\} \quad (6.17)$$

To evaluate the integral in Eq. 6.17 use the average value over the time interval for $[C_T]$. In other words, a parabolic distribution is assumed for damping force within a time step. Then Eq. 6.17 becomes as

$$\{F_D\}_{j+1} = \{F_D\}_j + \frac{1}{2} [\alpha[M] + \beta[K]_j + \alpha[M] + \beta[K]_{j+1}] \{\Delta \dot{W}\} \quad (6.18a)$$

i.e.

$$\{F_D\}_{j+1} = \{F_D\}_j + [\alpha[M] + \frac{\beta}{2} [K]_j + [K]_{j+1}] \{\dot{W} - \dot{W}_j\} \quad (6.18b)$$

where $\{\dot{W}\}$ is the current value of the predicted velocity vector.

The dynamic equilibrium error $\{E\}_{j+1}$ can be considered as an additional force not absorbed by the system. If this error is applied to the system before proceeding to the next time step, then

$$\{\Delta \dot{W}\}_j = [\gamma[M] + [K_T]]^{-1} \{E\}_{j+1} \quad (6.19a)$$

i.e.

$$\{\Delta W\}_j = \frac{1}{\frac{2\beta}{\Delta t} + 1} [\gamma[M] + [K_T]]^{-1} \{E\}_{j+1} \quad (6.19b)$$

where $[K_T]$ varies during the time step. This $\{\Delta W\}_j$ has to be added to the previous estimate of $\{W\}_{j+1}$. This displacement increment of $\{\Delta W\}_j$ will also cause increments in velocities and accelerations, and they are given in Eqs. 6.20 and 6.21:

$$\{\Delta \dot{W}\}_j = \frac{2}{\Delta t} \{\Delta W\}_j \quad (6.20)$$

$$\{\ddot{\Delta W}\}_j = \frac{4}{\Delta t^2} \{\Delta W\}_j \quad (6.21)$$

The above equations are obtained by omitting the terms $\{\dot{W}\}_j$ and $\{\ddot{W}\}_j$ in Equations B.5 and B.6, since their contributions have already been included in the first iteration.

Now the latest estimate of displacements, velocities, and accelerations can be computed and checked for the dynamic equilibrium again. If the dynamic equilibrium errors from Eq. 6.14 are sufficiently small, then the solution proceeds to the next time step. Otherwise, it is necessary to perform more iterations within the time step.

6.5 Damping Constants

The following procedure can be used to select the damping constants α and β . The relationship between generalized damping c_n , and frequency ω_n , of a linear elastic structure is given by (4, 10)

$$[C_n] = \alpha[M_n] + \beta[K_n] \quad (6.22)$$

in which, suffix n denotes the n th mode and

$$[C_n] = [2\xi_n \omega_n M_n] \quad (6.23a)$$

and

$$[K_n] = [M_n \omega_n^2] \quad (6.23b)$$

where ξ_n = a proportion of critical damping in the n th mode. In view of Eqs. 6.23, Eq. 6.22 can be written as

$$\xi_n = \frac{1}{2} \left[\frac{\alpha}{\omega_n} + \beta \omega_n \right] \quad (6.24)$$

The advantage of this definition of damping should be apparent, because it clearly shows that stiffness dependent damping is more effective in the higher modes, whereas mass dependent damping controls the motion in the lower modes. The damping constants α and β can be defined in terms of proportion of critical damping ξ , and circular frequency ω , at two different modes as expressed below.

$$\alpha = \frac{2\omega_i \omega_j (\xi_i \omega_j - \xi_j \omega_i)}{(\omega_j^2 - \omega_i^2)} \quad (6.25)$$

$$\beta = \frac{2(\xi_j \omega_j - \xi_i \omega_i)}{(\omega_j^2 - \omega_i^2)} \quad (6.26)$$

For practical analysis, ω and ξ may be obtained for two different modes corresponding to the elastic structure and then values of α and β can be determined from Eqs. 6.25 and 6.26.

6.6 Comparison with Other Methods

In the above described method, the tangent value of damping is assumed as a linear combination of mass and tangent stiffness matrices. The damping force is then obtained by integrating the tangent damping matrix with respect to velocity vector. A parabolic distribution is assumed within a time step to evaluate the integration.

Kanaan and Powell (30) also assumed the damping matrix as a linear combination of mass and tangent stiffness matrices. But they assumed the incremental damping force as $[C_T]\{\Delta \dot{W}\}$, which is not necessarily true in the case of nonlinear structures. It is true only for linear elastic and nonlinear structures with tangent damping independent of stiffness. The preceding statement is justified by Eqs. 6.27 defined below:

$$\{\Delta F_C\} = [C_T] \{\Delta \dot{W}\} + [\Delta C_T] \{\dot{W}\} \quad (6.27a)$$

i.e.

$$\{\Delta F_C\} = [C_T] \{\Delta \dot{W}\} + \beta [\Delta K_T] \{\dot{W}\} \quad (6.27b)$$

The procedure adopted by Kanaan and Powell did not include the second component on the right hand side of Eq. 6.27b. This means an additional load equivalent to $\beta [\Delta K_T] \{\dot{W}\}$ was permitted to act on the structure, which may significantly modify the resulting response of the structure. Therefore, an equal and opposite load of

magnitude $-\beta[\Delta K_T]\{\dot{W}\}$ must be applied as a corrective load during the subsequent time step. The analysis described herein includes the contribution due to change in stiffness while evaluating the damping force by Eq. 3.18b during each iteration. It is also to be pointed out that their analysis used neither dynamic equilibrium check nor iteration within a time step.

6.7 Comment on Static Analysis

The solution for static analysis utilized exactly the same procedure that is outlined for the dynamic analysis. However, the absence of damping and inertia terms in the static equilibrium equations simplify the analysis and procedure is explained in Section 4.7 under tangent stiffness method.

CHAPTER 7

THE COMPUTER PROGRAM FRAME82

7.0 Introduction

The computer program FRAME82 is developed for the inelastic analysis of plane frames under static and dynamic loadings and is subjected to the restraints outlined in Chapter 6. It is the latest enhanced version of the earlier programs FRAME63 of Santhanam (47) and FRAME53 of Hays (22). In addition to the important features such as nonlinear geometry, inelastic material, and member and joint supports, and cyclic loading available in FRAME63, FRAME82 includes member and joint shear deformations and mass dependent damping. The program is written in FORTRAN IV language for the IMB 370 Computer. Minor modifications may be needed to install this program on a different system.

Input Guide for FRAME82 and the required JCL statements to perform FRAME82 analysis on an IBM 370 system are given in Appendices C and D, respectively. Appendix E contains a glossary of the FORTRAN variables used in the program FRAME82, and is followed by a complete listing of the program in Appendix F. Several comment statements are inserted in the program to facilitate the understanding of the program logic. Sample inputs and a sample output are listed in Appendices G and H, respectively.

7.1 Main Features and Limitations of FRAME82

1. Dimensions: The program is presently dimensioned to analyze a frame of 25 joints, 50 members, 20 cross sections, 20 elements per member, etc. The MAIN program of FRAME82 consists of a dimension guide to make modifications in the dimensions of the program.

2. Discrete Element Model Type: Either shear or flexural discrete element models can be specified for each member. Shear model includes the effects of member shear deformations, that is ignored by the flexural model, in the member stiffness matrix formulation.

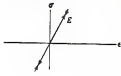
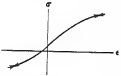
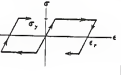
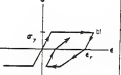
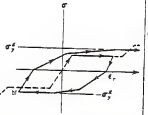
3. Number of Discrete Elements: User can specify different number of elements for each member, depending on its length and loading conditions, to obtain the desired accuracy. Almost double the number of shear elements are required to obtain the same accuracy for flexural response as of flexural analysis. This point is discussed in detail in Chapter 8. The number of elements for each member must be between four and twenty.

4. PDNO option: Usage of PDNO option ignores $P-\Delta$ and $P-y$ moments and a completely linear geometric analysis is performed.

5. JSYES option: This sets the program to incorporate the effects of joint shear deformations in the analysis. Since the joint model was developed only for a rectangular joint, this option can be specified only for rectangular frames.

6. Member Flexural Stress-Strain Models: The flexural stress-strain behavior can be prescribed to be linear elastic, nonlinear elastic, Masing inelasticity, Masing inelasticity with stiffness degradation or special model for mild steel, as listed in Table 7.1. Flexural discrete element model is verified for all the above described

Table 7.1 Stress-Strain Models (48)

Type and σ - ϵ path (1)	Degradation factor, α (2)	Yield growth factor, β (3)	Memory Parameters	
			For each component (4)	For first component (5)
Linear elastic 	—	—	—	—
Nonlinear elastic 	—	—	—	—
Masing component 	0.0	0.0	ϵ_r	region* reversal ^b
Degradation component (proposed) 	$0 \leq \alpha \leq 1$ ($\alpha = 0$, Ref. 21) ($\alpha = 1$, Ref. 5)	0.0	ϵ_r ϵ_{N1} ϵ_{N2} E_{N1} E_{N2}	region reversal ϵ_{max} ϵ_{min} $\epsilon_{preyield}$
Special model for mild steel (proposed) 	$\alpha \neq 0$ (suggested range is 0.15-0.30)	$\beta \neq 0$ (suggested range is 0.3-0.6)	Only One Component ϵ_r ϵ_n ϵ_N ϵ_{N1} E_N E_{N1}	region reversal ϵ_{max} ϵ_{min} $\epsilon_{preyield}$ $\sigma_{N1}^{preyield}$ σ_{N1}^{max}

*Region parameter—+1 = positive yield; 0 = elastic; -1 = negative yield—all first component.

^bReversal parameter—0 = no; 1 = yes.

Note: All subscripts with r (e.g., ϵ_r) refer to temporary values used in intermediate iterations of an analysis.

five types of stress-strain models. However, the shear discrete element model is verified only for the first three, namely, linear elastic, nonlinear elastic, and Masing inelasticity stress-strain models.

7. Member Shear: Input modulus of rigidity and specify discrete shear element model, for a member type to include member shear deformations into the analysis. The program considers only the linear elastic shear deformations.

8. Joint Stress-Strain Curves: The analytical joint model considers only the joint shear deformations and neglects flexural and axial deformations. Linear elastic or inelastic of Masing type can be prescribed for the joint shear stress-strain curve. Thus, any of the joint shear models described in Chapter 5 may be used in the analysis.

9. Joint and Member Supports: Either linear elastic or Masing inelastic stress-strain curves can be specified for joint and member supports.

10. Viscous Damping: Mass dependent damping can be prescribed to include viscous damping in the dynamic analysis.

11. Analysis Restart Feature: Provisions are available to pick up the results at a particular loading stage and proceed the analysis from that stage. This enables the user to break an analysis of a structure that would take a huge computational time, into several runs, and also helps the user to reduce time and load increments in the vicinity of load reversal regions where ill-condition exists for the stiffness matrices. The input guide of Appendix C explains the details for performing continuation runs.

12. Automatic Load Reduction of Static Loads: In case of a solution failure, automatic load reduction feature allows the program to reduce the static joint and member loads by specified percentages and to start a fresh analysis from the last available good solution. User must prescribe the number of such load reductions. Provision is also available to prevent any decrease or increase on the desired member loads, for specified members.

13. Automatic Time Step Reductions: This feature permits the program to reduce the time step by multiple of halves in the event of a dynamic analysis failure. Number of time step reductions must be input by the user.

14. Output options: The program output options are available for joint displacements and reactions, member responses, and joint equilibrium errors. These options provide the opportunity for the user to suppress any unwanted results during static analysis. However, during dynamic analysis, these options are used to specify the time steps at which the results need to be printed.

15. Joint Output: Joint displacements and reactions are printed at the end of each static load increment and at the requested time intervals for the dynamic analysis. Along with these results, shear panel internal moments are printed for rectangular frames that include joint shear deformations into the analysis.

16. Member Output: Besides the member displacements and forces at the member stations (connections of discrete elements), strains (axial and curvatures at both hinges for flexural model; axial, shear, and curvature at the hinge for shear model) are listed against the respective forces along the directions of the deformed geometry, at the hinges of the discrete elements.

17. MEMBER and PRINT options: MEMBER option gives the member results for monitor members at each stage of the iteration processes. PRINT option lists the upper triangular stiffness, and load matrices for all the members and joints respectively in the local and global coordinate systems, in addition to the details given by the MEMBER option. Since these options produce a large amount of output, users are advised to request these options only when indepth details are needed to locate the source of error for convergent difficulties.

18. Hysteresis Record: Hysteresis records of monitor members and joints are listed at the end of each dynamic run. Program allows to specify a maximum of 20 monitor members and joints. Member hysteresis includes the forces and displacements along the directions of original geometry at the member ends, and strains and the respective generalized forces along the directions of deformed geometry at the hinges next to member ends. Joint hysteresis includes joint displacements and shear moments, and plots displaying the variation of these parameters with time.

19. SAVE option: This requests the program to save member and joint hysteresis records in either direct access storage devices (disks) or magnetic tapes depending on the Job Control Statements. Member responses along directions of original geometry and undeformed geometry, and joint responses can be stored in three different storage devices. The stored output can be used to plot the results of the entire dynamic analysis of the structure.

20. Displacement Controlled Analysis: Displacement of a node (joint) can be controlled by inputting a very large spring stiffness with a corresponding very large force at the joint, with magnitude of

the stiffness not exceeding 10^{20} . A magnitude greater than 10^{20} would cause excessive underflow that might interrupt the execution.

21. General Comments:

(a) FRAME82 and FRAME63 were both written for IBM 370. FRAME82 is compiled with Fortran H Extended Compiler with Optimization Level at 3, whereas FRAME63 was compiled with Fortran G Compiler. Note that Fortran H Extended Compiler with Optimization Level 3 produces a load module that requires half of the execution time needed for the load module obtained by Fortran G Compiler to perform an analysis. The available FRAME63 program needs minor modifications to work on Fortran H Extended Compiler.

(b) Subroutine FSUB1 of FRAME63 calls subroutines FSUB21 and FSUB22 the number of times equivalent to the order of the system of linear equations to be solved, to obtain stiffness and load matrices for joints and member respectively. In FRAME82, the above referred subroutines are modified so that FSUB21 and FSUB22 are called just once by FSUB1 for a system of equations. This modification made considerable saving (10-15%) in the computational time. FRAME82 uses a new subroutine FSUB23 to provide the stiffness and load matrices for joint solutions that include JSYES option.

7.2 Program Structure

The program consists of a number of "basic" subroutines which perform independent operations that are generally called by the main program numerous times. Basic subroutines are available to read and print the structure geometry data, member and joint stiffness and loading data; to trace inelastic behavior of the materials; to form discrete element stiffness matrices for flexural and shear models; to

form member stiffness and load matrices; to assemble the global stiffness and load matrices; to solve and print the member and joint responses, etc. Subroutine STATIC for static analysis, DYNA for dynamic analysis with no JSYES option and DYNAJS for dynamic analysis with JSYES option are the major subroutines in this program. STATIC calls several subroutines to carry out the static analysis of a frame. It also calls subroutines DYNA and DYNAJS after reading the structure data to perform dynamic analysis. Main program calls only subroutine STATIC to carry out the necessary operations and also has the COMMON statements for the variables defined in the COMMON blocks.

The program employs four temporary and six permanent, direct access storage devices to perform a complete analysis of a structure. The temporary units store information of member stiffness and load matrices, and member supports during intermediate and final iterations. Three of the permanent files store the results pertaining to joints, joint supports and joint shear panels, and also the final results of all the member related information explained above. The program reads the last available good member and joint solutions including history dependent parameters from these permanent files during continuation runs. Hysteresis records of monitor members and joints are written in the other three permanent files. Appendix D gives descriptions and functions of these units with the space requirements. It also contains a list of job control statements required to execute FRAME82.

CHAPTER 8

VERIFICATIONS WITH ANALYTICAL SOLUTIONS

8.0 Introduction

This chapter is primarily intended to provide several example problems to test and verify the various features and options, such as Discrete Element Shear Model, joint shear, damping, etc., which are added to FRAME63 to develop FRAME82. The examples considered herein are either cantilevered members or single story one bay frames, which have closed form mathematical solutions for most of the examples. The obtained results are compared with FRAME63 analysis and other available studies.

Example 8.1 demonstrates how well the discrete element shear model predicts the response and the convergence rate with the number of elements in a member. The influence of shear on the buckling load and the post-buckling response of the column is illustrated in Example 8.2. Example 8.3 shows how damping influences the structural response. The hysteresis behavior of the joint shear panel is investigated in Example 8.4 using a cantilevered beam excited with a dynamic load. The influence of member shear and joint shear on a prismatic frame is studied in Example 8.5. All the features available in FRAME82 are utilized in the dynamic analysis of a frame subjected to 1.5 El Centro earthquake in Example 8.6.

8.1 Example of Deep Prismatic Cantilevered Beam

A three-foot long cantilevered S12X31.8 steel beam is shown in Fig. 8.1 with its material and section properties (52). The beam is analyzed neglecting all large displacement effects (i.e. PDNO option on) and using a shear area factor of 1.0, for three different loading cases that are listed below. Also, linear elastic material response is assumed.

Case 1: A 22 kips concentrated end load with uniform beam dead weight of 2.65 lbs/in.

Case 2: 22 kips concentrated end load only.

Case 3: A uniform load of 614 lbs/in.

Both flexural and shear models are employed in the analysis. The beam is divided into 4, 8, 12, 16, and 20 elements in each loading case to study the convergence. The beam deflection at the free end is selected as a basis for comparison between analytical and closed form (theoretical) solutions.

The theoretical solutions were obtained using the elementary structural analysis formulae, as follows. The flexural deflection due to concentrated end load and uniformly distributed load are given by Eqs. 8.1a and 8.1b:

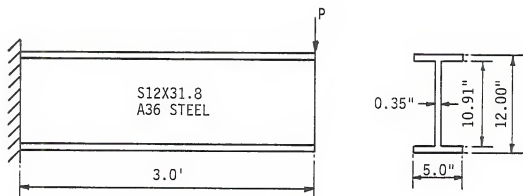
$$\delta_f = \frac{PL^3}{3EI} \quad (8.1a)$$

$$\delta_f = \frac{wL^4}{8EI} \quad (8.1b)$$

The shear deflection due to concentrated end load and uniformly distributed load are given by Eqs. 8.2a and 8.2b:

$$\delta_s = \frac{kPL}{A_s G} \quad (8.2a)$$

$$\delta_s = k \int_0^L \frac{wx}{A_s G} dx = \frac{k}{2} \frac{wL^2}{A_s G} \quad (8.2b)$$



$$I = 218 \text{ in}^4$$

$$A = 9.35 \text{ in}^2$$

$$A_w = 3.82 \text{ in}^2$$

$$E = 29,000 \text{ ksi}$$

$$G = 11,200 \text{ ksi}$$

$$k = 1.0$$

Figure 8.1 Cantilevered Prismatic Deep Beam

The principle of superposition is used to obtain the deflection for the case of combined concentrated end load and uniform load.

The solutions indicated in the tables as shear model and flexural type are obtained using the shear model but inputting a very high shear modulus such that the shear model would give the same results as the flexural model in the limit as the number of elements are increased. The results of each loading case are tabulated with theoretical solutions in Tables 8.1, 8.2, and 8.3 respectively.

Shear deformations account for approximately 25 percent of total deflection in Cases 1 and 2, and 30 percent in Case 3. It is to be noted that a deep beam (depth span ratio - $1/3$) is chosen in this example to yield large shear deformations. It is seen from Tables 8.1 and 8.2 that the flexural model with n elements generally gives the same result as flexural type solution of the shear model with $2n$ elements. This is due to the fact that the flexural model has two flexural springs; whereas the shear model has one. However, in the case of uniformly distributed load, even four elements of the shear model predict the exact closed form value. It can easily be proven that a single shear model element will give the exact displacement for a beam under uniformly distributed load. Incidentally, it is noticed that the analytical results are equal to or lower than the theoretical values for all the cases other than flexural model case of the uniformly distributed load. The latter produces displacements larger than the exact value, i.e., it predicts upper bound displacement solution for uniformly distributed loading, while the other cases yield lower bound displacement solutions.

Table 8.1 Concentrated End Load with Self Weight

Model	Displacements (X 0.01 in.)						
	Type	Number of Elements					Theor. Solution
		4	8	12	16	20	
Shear	Total	7.191	7.255	7.267	7.271	7.273	7.276
	Flex.	5.336	5.400	5.411	5.415	5.417	5.421
Flex.	Total	5.400	5.416	5.418	5.419	5.420	5.421

Table 8.2 Concentrated End Load Only

Model	Displacements (X 0.01 in.)						
	Type	Number of Elements					Theor. Solution
		4	8	12	16	20	
Shear	Total	7.179	7.242	7.254	7.258	7.260	7.263
	Flex.	5.327	5.391	5.403	5.407	5.409	5.412
Flex.	Total	5.391	5.407	5.410	5.411	5.411	5.412

Table 8.3 Uniformly Distributed Load

Model	Displacements (X 0.01 in.)						
	Type	Number of Elements					Theor. Solution
		4	8	12	16	20	
Shear	Total	2.969	2.969	2.969	2.969	2.969	2.969
	Flex.	2.039	2.039	2.039	2.039	2.039	2.039
Flex.	Total	2.071	2.047	2.043	2.041	2.040	2.039

The computer solutions indicate close agreement with the theoretical values and the convergence is extremely good. The study indicates that 20-element shear model analysis is very close to convergence in all cases.

8.2 Example on Buckling of a Prismatic Cantilevered Beam

To investigate the influence of shear deformations on buckling load, a vertical prismatic cantilevered beam shown in Fig. 8.2 with its elastic properties is considered. In view of Equations 2.20 and 2.21, the Euler critical load P_E is

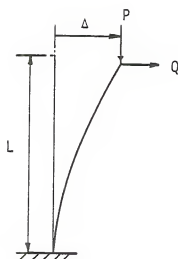
$$P_E = \frac{\pi^2 EI}{4L^2} = 181.7 \text{ kips}$$

and the critical load P_{cr} with shear deformations is

$$P_{cr} = P_E \left[1 + \frac{kP_E}{A_S G} \right] = 0.986 P_E = 179.2 \text{ kips}$$

Twenty elements are used in both shear and flexural model analyses that include geometric nonlinearity. A shear area factor of 1.0 is used. A small lateral load $Q=0.001P_E$, is used in the analysis to disturb the column from an unstable equilibrium position. Three computer runs, two with shear model (true G and 10^5 times the actual G), and one with flexural model were made. As expected, flexural model and shear model with 10^5 times the G results coincide with each other. The nondimensional axial load P/P_E versus lateral displacement Δ/L curves of the flexural and shear model analyses are plotted in Fig. 8.3 along with theoretical solutions.

The theoretical solutions are obtained using the large displacement theory. Reference 53 gives the following relationships for a cantilevered beam considering only the flexural deformations:



$$I = 25.4 \text{ in}^4$$

$$A = 5.43 \text{ in}^2$$

$$A_w = 1.13 \text{ in}^2$$

$$L = 100 \text{ in}$$

$$E = 29,000 \text{ ksi}$$

$$G = 11,200 \text{ ksi}$$

$$k = 1.0$$

$$P_E = \frac{\pi^2 EI}{4L^2} = 181.7 \text{ kips}$$

Figure 8.2 Cantilevered Prismatic Column

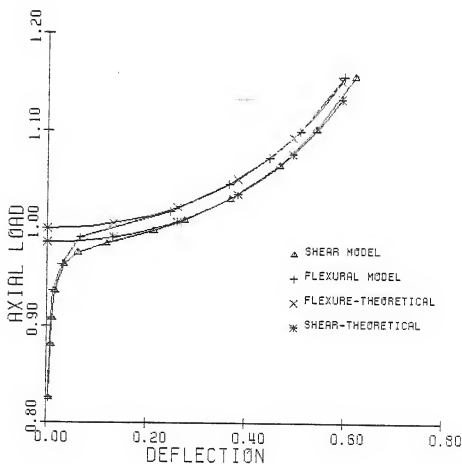


Figure 8.3 Nondimensional Axial Load — Displacement Curve

$$\beta L = K(p) \quad (8.3a)$$

$$\beta \Delta = 2p \quad (8.3b)$$

where

$$\beta = \left[\frac{P}{EI} \right]^{\frac{1}{2}} \quad (8.4a)$$

$$p = \sin \frac{\alpha}{2} \quad (8.4b)$$

in which α = the rotation of the free end from the original geometry, Δ = displacement of the free end, and $K(p)$ = complete elliptic integral of the first kind. Note that the Euler load is given in Eq. 2.21 as

$$P_E = \frac{\pi^2 EI}{4L^2} \quad (8.5)$$

In view of Eqs. 8.3 through 8.5

$$\frac{P}{P_E} = \frac{4K^2(p)}{\pi^2} \quad (8.6a)$$

$$\frac{\Delta}{L} = \frac{2p}{K(p)} \quad (8.6b)$$

When flexural and shear deformations are taken into account, the following relationships can be obtained:

$$\beta L = K(p) \quad (8.7a)$$

$$\beta \Delta = 2p \quad (8.7b)$$

where

$$\beta = \left[\frac{P}{EI \left(1 - \frac{KP}{AG} \right)} \right]^{\frac{1}{2}} \quad (8.8a)$$

$$p = \sin \frac{\alpha}{2} \quad (8.8b)$$

Note that Eqs. 8.7a, 8.7b, and 8.8b are identical to Eqs. 8.3a, 8.3b, and 8.4b. The difference is only at the expression for β , and this difference can be easily recognized when one looks at Eq. 2.19. Equations 8.7 and 8.8 give the required relationships as

$$\frac{P}{P_E} = \frac{4K^2(p)}{\pi^2} \left[\frac{1}{1 + \frac{4K^2(p)}{\pi^2} \cdot \frac{P_E}{A_s G}} \right] \quad (8.9a)$$

$$\frac{\Delta}{L} = \frac{2p}{K(p)} \quad (8.9b)$$

The theoretical curves which are obtained from the above expressions using values of Elliptic Integrals tabulated in Ref. 7, coincide with the analytical curves for $\frac{\Delta}{L} > 0.20$. As expected, the shear model curve with true G yields more deflection than the flexural model curve for a given axial load. The effect of shear deformations on the solution is much less than in Example 8.1, since the depth span ratio of this example is about 1/20.

8.3 Example on Mass Dependent Damping

The cantilevered beam shown in Fig. 8.4 is considered to study the influence of mass dependent damping on the elastic and inelastic responses of a structure. The system is assumed to be under static equilibrium when a dynamic load of 70 kips is suddenly applied at the free end. Neither $P-\Delta$ nor $P-y$ moments are included in the analysis, in order to compare the numerical results with the theoretical values. The weight of the beam is neglected for simplicity. The shear model with 20 elements is utilized in the analysis for all the following cases:

- (i) Elasto-Plastic Analysis with no damping.
- (ii) Elasto-Plastic Analysis with 5% damping.
- (iii) Elastic Analysis with no damping.
- (iv) Elastic Analysis with 5% damping.

The natural period of this one-degree system including shear deformations, is 0.2348. A time increment of 0.02 seconds is adequate to obtain maximum deflection with good accuracy. However, a time

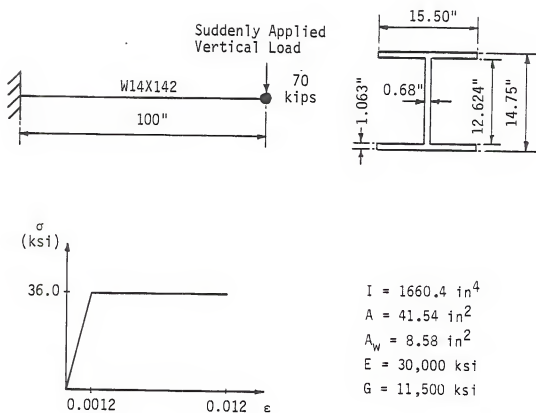


Figure 8.4 Cantilevered Beam Under Suddenly Applied End Load

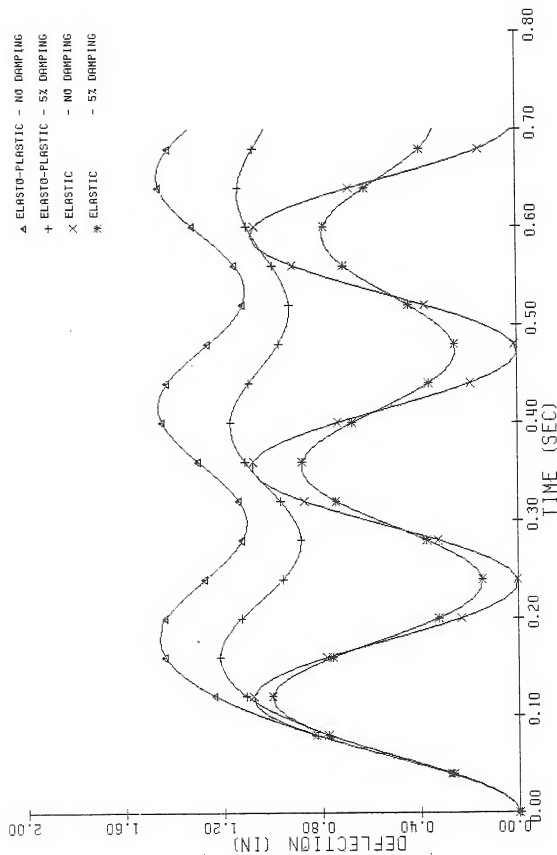


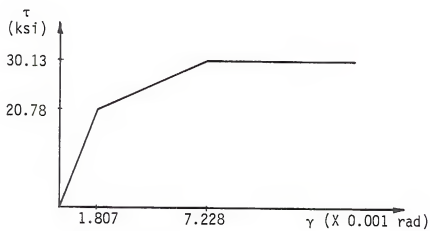
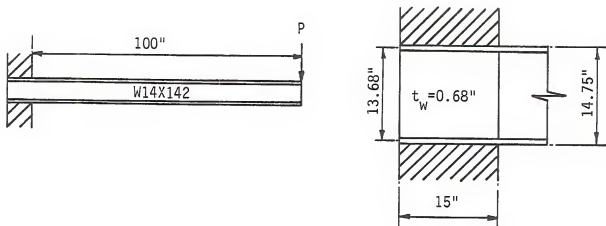
Figure 8.5 Deflection of Free End with Time

increment of 0.01 seconds is used in the dynamic analysis, to avoid any significant phase shift, that would make direct comparison with theoretical solutions difficult. Theoretical solutions available in Ref. 4, for elastic analyses with damping and no damping match well the numerical results.

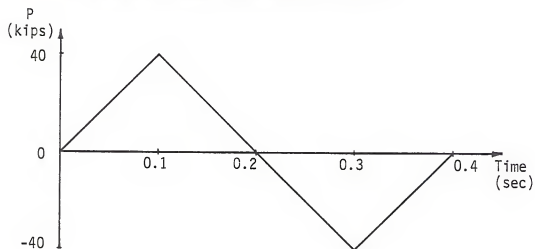
The computer results plotted in Fig. 8.5 illustrate the importance of material inelasticity and damping. Material inelasticity yields more deflection but reduces the amplitude of vibration. Damping diminishes the amplitude of vibration with time and the system ultimately reaches the steady state response or equilibrium position. Also, an effect of material inelasticity is that the equilibrium position is shifted due to inelastic unloading. The elastic solutions is only valid if the material remains elastic and this particular example would require that the yield stress be 62.2 ksi., which is 72.8 percent greater than the specified yield stress.

8.4 Example on Joint Shear Panel

To verify that the analytical model correctly follows the inelastic loading and unloading paths, the cantiliver of Fig. 8.4 is again considered and the shear panel dimensions are given in Fig. 8.6 (a) along with the shear stress-strain curve of the joint. The connection is assumed to prevent any "horizontal" rotation, but permits "vertical" rotation and, thus, the bending moment at the cantilevered end is carried by the joint panel. None of the available references give the shear stress-strain curve for a connection of this nature. A post-yield stiffness of 15 percent is assumed up to four times the yield shear strain for the shear stress-strain curve. A dynamic analysis is performed with no mass and the dynamic load in Fig. 8.6 (b), at the free

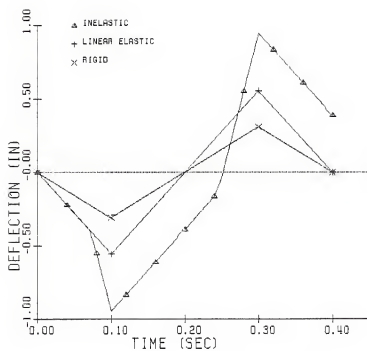


(a) Cantilever Beam with Connection Detail and Joint Shear Stress-Strain Curve

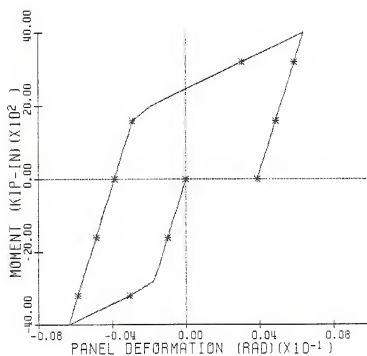


(b) Dynamic Load

Figure 8.6 Details for Joint Shear Panel Behavior Analysis



(a) Deflection of Free End with Time



(b) Shear Panel Moment versus Distortion

Figure 8.7 Cyclic Behavior of Joint Shear Panel and Cantilever Free End

end. Hence, the loading is essentially a gradually applied cyclic static load. The loading curve is chosen such that all points in the beam outside the joint remain elastic throughout the analysis. The beam is analyzed with prismatic properties, linear geometry option and 20 elements. The following three cases are investigated:

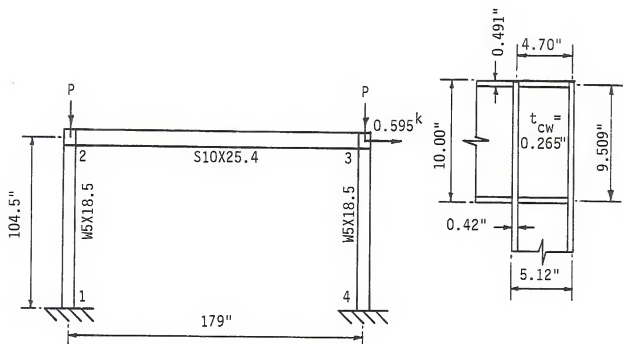
- (i) Inelastic joint shear deformation
- (ii) Linearly elastic joint shear deformation
- (iii) Rigid Joint

The deflection of the free end is plotted against time in Fig. 8.7 (a) for all three cases and hysteretic behavior of the joint shear panel is plotted in Fig. 8.7 (b). The computer results are exactly the same as the theoretical solutions. For the case of rigid joint, theoretical solution is obtained using Eq. 8.1a. The deflection produced by joint shear panel deformation, assuming Masing inelasticity, is added to the deflection obtained from Eq. 8.1a to get the theoretical deflection for the other two cases.

8.5 Example on Prismatic Frame Buckling

The frame in Fig. 8.8 with prismatic section and elastic properties, and connection details, is selected from Ref. 1 to study the member and joint shear effects on the buckling load. The buckling load for this frame considering flexural stiffness and negligible joint size is 594.8 kips (8). Monotonically increasing equal vertical loads are applied at joints 2 and 3, while a constant lateral load of 0.595 kips is applied to joint 3 to avoid any convergence problems with large column axial loads.

Joint shear deformations are considered at joints 2 and 3, and neglected at joints 1 and 4. The frame is analyzed with 12 and 20



SECTION	$I \text{ (in}^4\text{)}$	$A \text{ (in}^2\text{)}$	$A_w \text{ (in}^2\text{)}$
W5X18.5	25.4	5.43	1.13
S10X25.4	12.4	7.46	2.80

$E = 29,000 \text{ ksi}$
 $G = 11,200 \text{ ksi}$
 $k = 1.0$

Figure 8.8 Prismatic Frame Buckling Analysis Data

elements for columns and beams, respectively, and a shear area factor of 1.0. The following four cases are studied:

- (i) Elastic joints with discrete element shear model for members.
(i.e., shear deformations considered in member and joint region)
- (ii) Rigid joints with discrete element shear model for members.
(i.e., no deformations within joint region)
- (iii) Point joints with discrete elements shear model for members.
- (iv) Point joints with discrete element flexural model.

The term Point joint refers to a joint that has negligible dimensions located at the intersection of the member centroidal axes. The vertical load increment is 40 kips up to 400 kips, 20 kips up to 520 kips, and 10 kips until the solution diverges.

The applied axial load is plotted against the horizontal deflection of joint 3, for all cases in Fig. 8.9. The analysis using Point joints with shear model exhibits a significantly lower buckling load than that of the flexural model analysis due to member shear deformations. Increased joint stiffness in the rigid joint with shear model analysis yields more resistant to buckling. However, the curves of Elastic and Point joints with shear model analyses almost coincide with each other. This could be explained as follows. Finite joint dimensions reduce the member lengths in the Elastic joint analysis. Even though joint shear deformations are included, axial and bending deformations are neglected over the joint shear panel. In the case of Point joints, members are longer and axial and bending deformations are included over the entire length; but, joint shear deformations are ignored. In the example problem, the joint shear deformations are almost equal to the additional axial and flexural deformations that is accounted for over

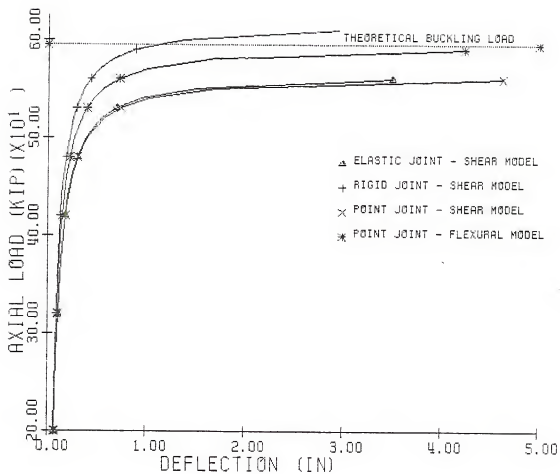


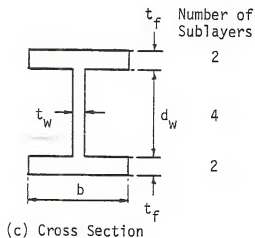
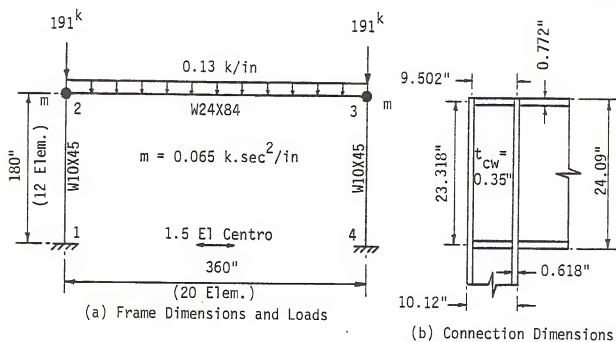
Figure 8.9 Axial Load versus Roof Displacement Curve

the shear panel length in the Point joint analysis. While it is clear that the use of a joint shear model is more rational than extending the flexural deformations arbitrarily into the joint region, it is good that models that do not consider the joint shear deformations may not be too much in error, if the joint regions are considered as part of the flexural members.

8.6 Single Story Frame Subjected to 1.5 El Centro Earthquake

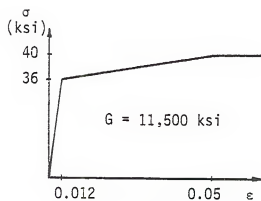
A single story frame, analyzed by Latona (36) is selected to illustrate the application of FRAME82 to general inelastic analysis of a structure subjected to earthquake input. The frame and connection dimensions, gravity loads, section properties, and member stress-strain and joint shear stress-strain curves are given in Fig. 8.10. The post-yield stiffness parameter, recommended by Fielding and Chen (15), for corner joints is utilized to derive the joint shear stress-strain curve for the joints. Joint shear deformations are permitted only at the roof joints. The base of the columns are assumed to have Point joints with no shear deformations. The digital data of El Centro Earthquake available from Kanaan and Powell (30) are used as the input motion.

Latona (36) and Santhanam (47) used the weight of the girder and upper halves of the columns, to obtain the equivalent lumped mass at the roof joints. The heavy concentrated gravity loads acting at girder ends are not considered towards the contribution of the masses in this analysis in order to make comparison with the available results. Controlled acceleration method is used to simulate the ground acceleration of the earthquake. The desired acceleration input is achieved by employing a huge mass of 10^{20} at the base of each column, and premultiplying the input acceleration curve by the same factor

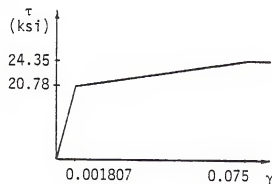


dim (in)	Column	Beam
b	8.022	9.015
t_f	0.618	0.772
d_w	8.884	22.546
t_w	0.35	0.47

(d) Section Properties



(e) Member Stress-Strain Curve



(f) Joint Shear Stress-Strain Curve

Figure 8.10 Details for the Analysis of Latona's Frame

10^{20} . A time step of 0.02 seconds is found good enough to represent the earthquake input. The columns and beam are divided into 12 and 20 discrete elements; flanges and web in each element are divided into two and four sublayers, respectively.

The lateral displacement of the joint 2 relative to the base is plotted against time in Fig 8.11 for both shear and flexural model analyses. The flexural model analysis is exactly the same as of Santhanam's FRAME63 analysis. Shear model analysis yields more displacement than the flexural model analysis. However, the difference is not very significant in this particular example. This is due to joint shear panels being in the elastic region throughout the analysis, and the members being long compared to their depths. The shear moment versus panel distortion of joint 2 is plotted in Fig. 8.12. Since the shear panel yield moment is greater than the yield moments of the members, the shear panels at joints 2 and 3 remain in the elastic region. Figure 8.13 shows the time history of shear moment and moment at joint 2 for shear and flexural model analyses, respectively. The shear model analysis gives a slightly higher moment than the flexural model analysis. The rotations of fibers parallel to the global X and Y axes, in the joint shear panel 2 are plotted in Fig. 8.14 against the time. Since no joint effect is considered in the flexural model analysis, X and Y rotations are identical. It is interesting to observe that Y-rotation in the shear model analysis is very close to the rotation obtained in the flexural model analysis. However, the X-rotation is much larger than the Y-rotation in the shear model analysis. Santhanam (47) has done an extensive comparison between FRAME63, CLOSE11 analyses and Latona's analysis. Figure 8.15 is

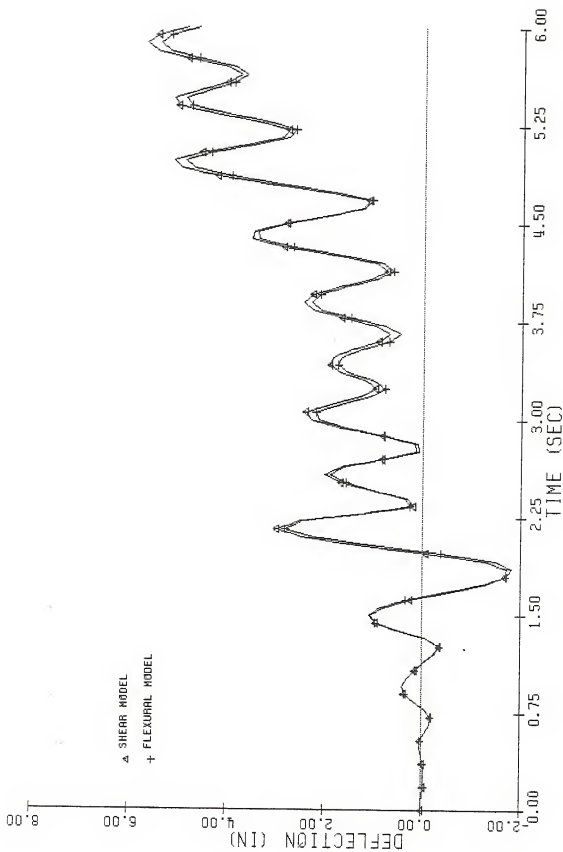


Figure 8.11 Lateral Displacement of Joint 2 with respect to the Base

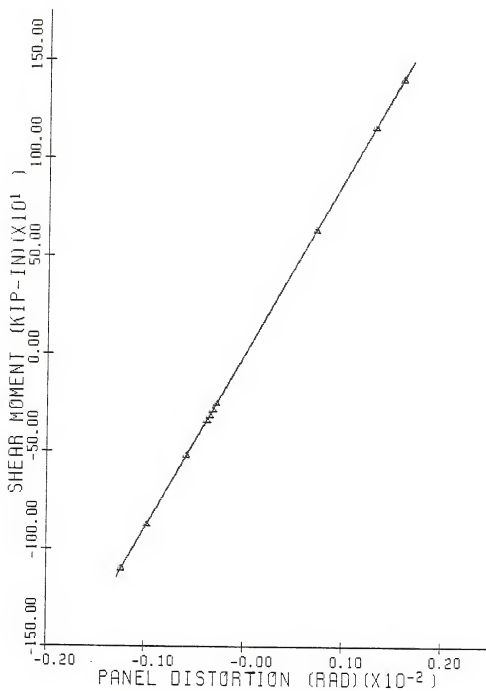


Figure 8.12 Shear Panel Moment — Distortion Diagram for Joint 2

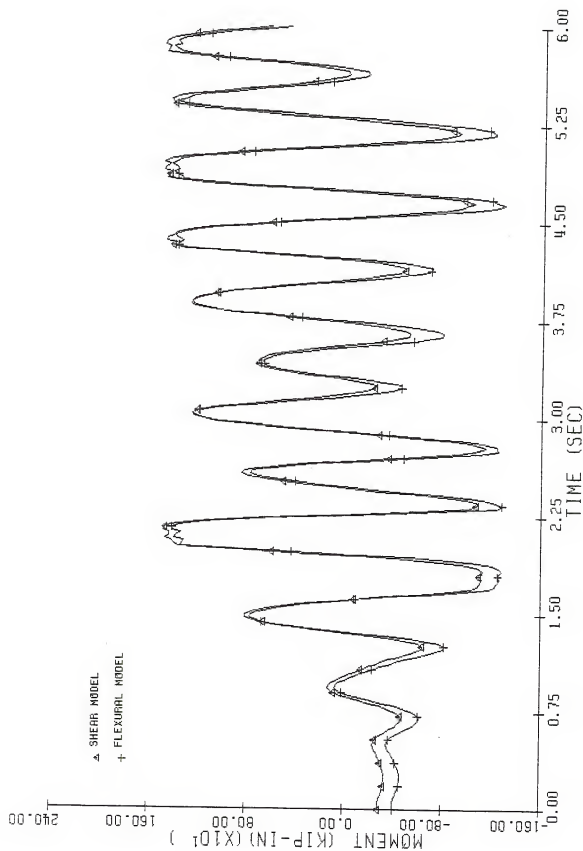


Figure 8.13 Time Histories of Shear Moment and Moment at Joint 2 for Shear and Flexural Model Analyses

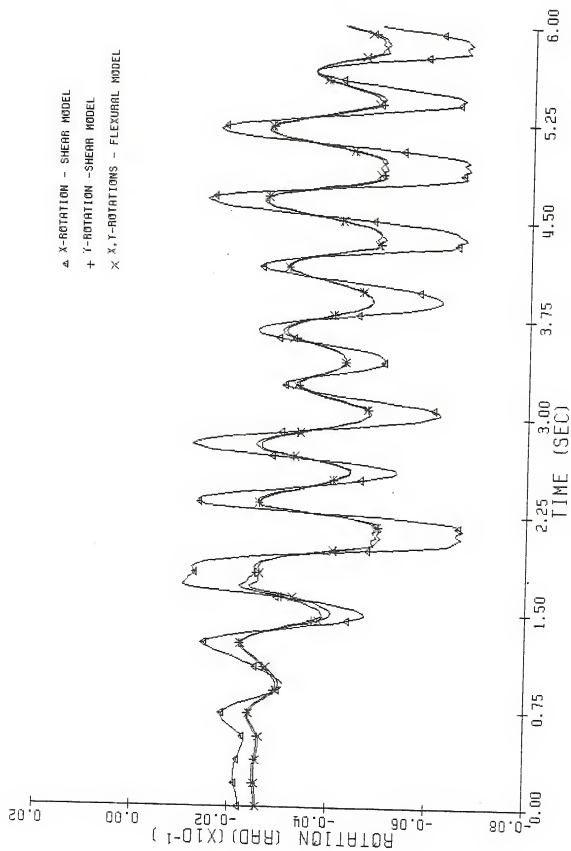


Figure 8.14 Rotations of x and y Axes of the Shear Panel at Joint 2 against Time

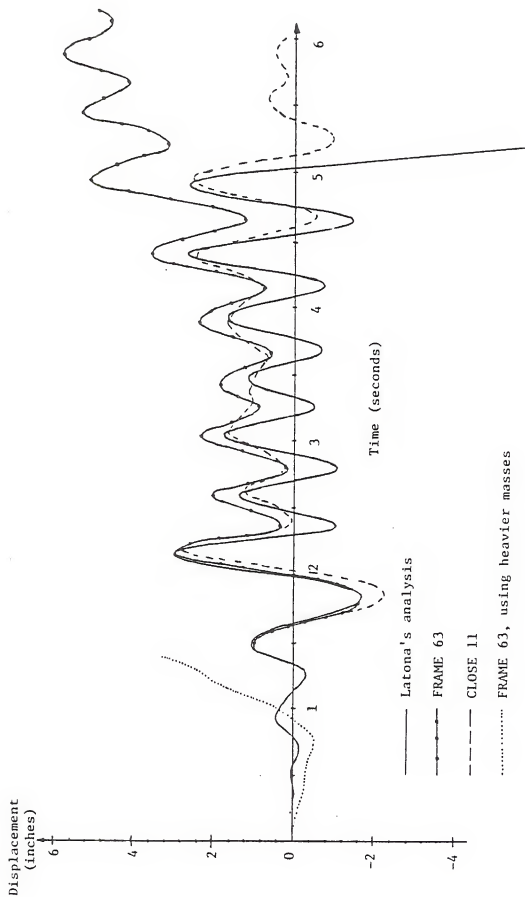


Figure 8.15 Lateral Relative Displacement of Joint 2 with respect to Base (47)

extracted from Ref. 47 to focus on the differences between each analysis.

Latona (36) divides the member into a number of control sections, and each control section into an assemblage of fibers to monitor stress and strain at each layer. The member stiffness matrix is obtained by integrating over each cross-section to obtain the flexibility coefficients, integrating over the length of the member to obtain the member flexibility matrix, and inverting the flexibility matrix. An ideal elasto-plastic stress-strain relationship is assumed for each fiber. The behavior of the structure between time increments is assumed to be linear; the incremental displacement is computed using stiffness matrices at current and preceeding time steps. Geometry of the structure is updated by adding the displacements that occurred during the preceding increment to the joint coordinates at the beginning of each increment. Thus, $P-\Delta$ moment is included and $P-y$ moment is ignored. Correction for equilibrium error at the end of each time increment is neglected. Neither member shear nor joint shear is included in his analysis.

Santhanam's FRAME63 analysis is very similar to FRAME82 analysis, except it does not include member and joint shear deformations. The program CLOSE11 predicts the response of a closed coupled multiple degree freedom nonlinear elastic system using constant average acceleration method. This example was treated as a one degree of freedom in the CLOSE11 analysis. The nonlinear resistance-deformation input was obtained from the results of a series of static load analysis of the frame, using FRAME63.

It can be observed from Fig. 8.15 that the CLOSE11, FRAME63, and Latona's analyses give almost identical results up to 2.3 seconds. No significant deviation could be observed in this region due to the relatively small deformations. However, FRAME63 predicts much larger deformations and drift after 2.3 seconds. CLOSE11, FRAME63, and FRAME82 analyses are based on the same numerical integration scheme. The non-drifting nature of the results of CLOSE11 in the later periods of time indicate that the drift in the results of FRAME63 is primarily due to material and geometric nonlinearities. In view of these formulations, it can be concluded that the omission of P-y moments in Latona's analysis is the major factor that contributes to the deviation between FRAME63 and Latona's analyses.

Latona's dynamic analysis assumes lateral displacement of all joints at a given story level are identical and includes only lateral mode of vibration, i.e., rigid floor assumption is used. However, FRAME82 and FRAME63 analyses include both translational modes and neglect the inertia mass corresponding to rotational freedom. Figure 8.15 illustrates also the importance of including the heavy concentrated loads at joints 2 and 3 into joint masses.

CHAPTER 9

COMPARISONS WITH AVAILABLE EXPERIMENTAL DATA

9.0 Introduction

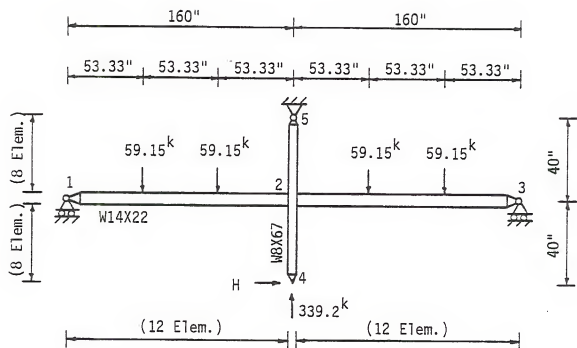
Two examples with experimental results available are presented in this chapter to compare with the FRAME82 analysis. All the experimental investigations were carried out in the Structural Engineering Laboratory of the University of California, Berkeley. Inelastic behavior of a beam-column subassemblage (33) is investigated in Example 9.1. The behavior of the joint shear panel is focused in this example. The dynamic analysis of the three story single bay frame reported in Ref. 12 is considered in Example 9.2. The structure is excited with a motion which is very similar to the El Centro Earthquake motion. The excitation was produced on the University of California, Berkeley, shaking table while attempting to simulate El Centro Earthquake. Digitized acceleration data from the University of California, Berkeley, were not available. Thus, the earthquake input graphs of Ref. 12 were digitized and used in the analysis.

9.1 Example of Beam-Column Subassemblage

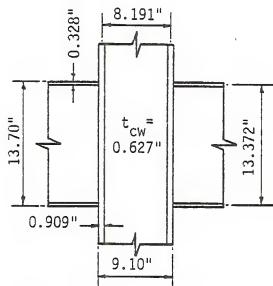
Bertero et al. (3) and KRAWINKLER et al. (33) carried out experimental investigation of the simplest structural assemblage, a column with two beams framing into it, to study the interaction between the basic structural elements (beams, columns, and connections) under repeated loading, when combined into subassemblages within a frame. Two types of subassemblages, one representing an upper story and the other a

lower story, were used to obtain a wide range of behavior that could be expected in subassemblages of high rise unbraced frames. Subassemblage A which represents a typical "upper story" has the following characteristics: Column is subjected to low axial load, while the beam end moment is primarily due to gravity loads, since the effect of the design lateral load is small. The flange and web of the column are thin and in general, horizontal stiffeners are required in the connection to prevent web crippling and column flange distortion. Subassemblage B which represents a typical "lower story" has the following properties: The column is subjected to high axial load and the contribution of gravity loads to the beam end moment is small compared to that of the lateral loads which generally govern the design. The flanges and web of the column are thick enough so that no horizontal stiffener is likely to be required in the connection, even though it is common practice to use one. In their experiment, horizontal stiffeners were used only for subassemblage A.

"Specimen B1" which is of the subassemblage B type is selected in the present analysis to compare with the FRAME82 results. The details of the test specimen B1 are given in Fig. 9.1. The beam ends 1 and 3 are supported by rollers, upper column end 5 is hinged and lower column end 4 is free. The structure is subjected to concentrated gravity loads of magnitude 59.15 kips at the middle third points of the beams, a constant vertical load of 339.2 kips at joint 4 and a cyclic horizontal load H at joint 4. The FRAME82 analysis includes the self-weight of the beams. The measured dimensions and material properties of the test specimen are used in the analysis.



(a) Idealized Subassembly



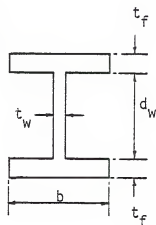
(b) Connection Dimensions

Number of
Sublayers

2

4

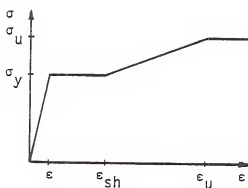
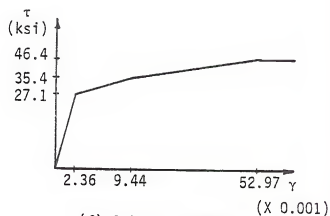
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(c) Cross-Section

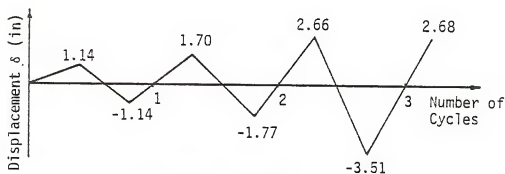
Member	b (in)	t _f (in)	d _w (in)	t _w (in)	w (k/in)
Column	8.16	0.909	7.282	0.627	0.0056
Beam	5.04	0.328	13.044	0.239	0.0018

(d) Section Properties

(e) Member σ - ϵ Curve(f) Joint τ - γ Curve (X 0.001)

	COLUMN W8X67		BEAM W14X22	
	web	flange	web	flange
ϵ_y ($\times 10^{-3}$)	1.58	1.43	1.54	1.28
ϵ_{sh} ($\times 10^{-3}$)	7.0	7.0	23.0	23.0
ϵ_u ($\times 10^{-3}$)	30.8	36.4	37.6	49.9
σ_y (ksi)	47.0	42.5	46.5	38.5
σ_{sh} (ksi)	47.0	42.5	46.5	38.5
σ_u (ksi)	66.0	66.0	56.0	56.0
E (ksi)	29,800	29,800	30,100	30,100
E_{sh} (ksi)	800	800	650	650
G (ksi)	11,460		11,580	

(g) Material Properties



(h) Loading Program

Figure 9.1 Details for Analysis of Beam-Column Subassemblage

The horizontal displacement of joint 4 is controlled during the analysis as in the case of the experiment. Figure 9.1 (h) shows the displacement controlled loading used in the analysis. In the experiment, each cycle shown in Fig. 9.1 (h) was repeated four times and it was observed that elastic unloading stiffness decreased with increasing column displacement. The present FRAME82 analysis does not include the stiffness degradation effects. Hence, one cycle is considered in the analysis for every four cycles of the experiment to keep the computer cost low.

The joint shear stress-strain curve is derived as explained in Chapter 5. The τ - γ curve, Fig. 9.1 (f), is obtained by adding the contribution of column flanges to post yield shear stress, predicted by Krawinkler, to the theoretical shear stress-strain curve derived from the flexural stress-strain curve, Fig. 9.1 (e). However, the plateau in the shear stress-strain curve is neglected and the strain hardening region of the panel is obtained by linearly connecting the values of the stresses at the strains $4\gamma_y$ and γ_u . Masing model is used to include inelastic behavior of the material. The slowly applied static loading is simulated by a dynamic analysis with no mass at joint 4 to avoid unnecessary output and to reduce cpu time.

The horizontal load H versus the horizontal displacement δ of joint 4, and H versus the rotation θ_r of joint 2 are respectively plotted in Figures 9.2 and 9.3. One could observe that the analytical curves envelop the experimental curves in these diagrams. The deviation between the analytical and experimental curves is significant only in the region where load reversal occurs. This could be due to the usage of one load cycle in the analysis for four cycles that were used in the

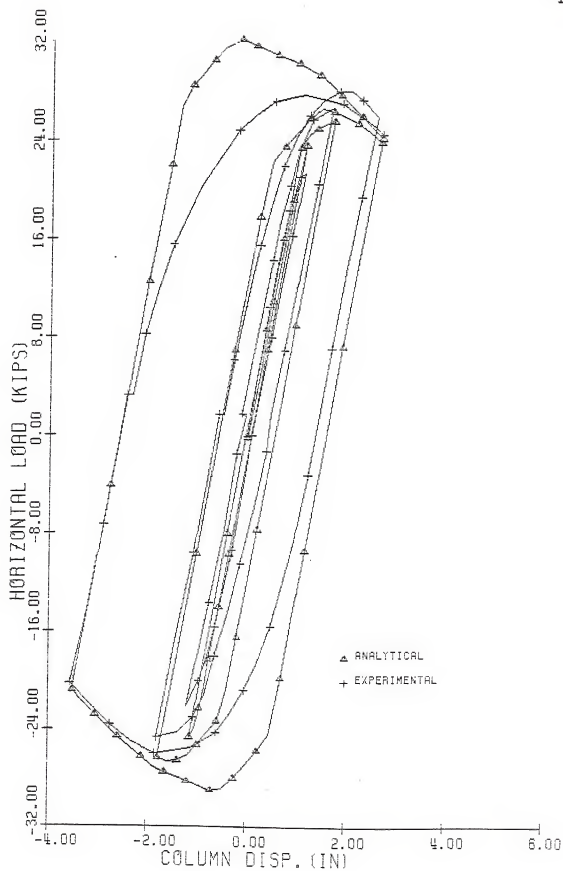


Figure 9.2 Horizontal Load H — Horizontal Displacement δ Diagram

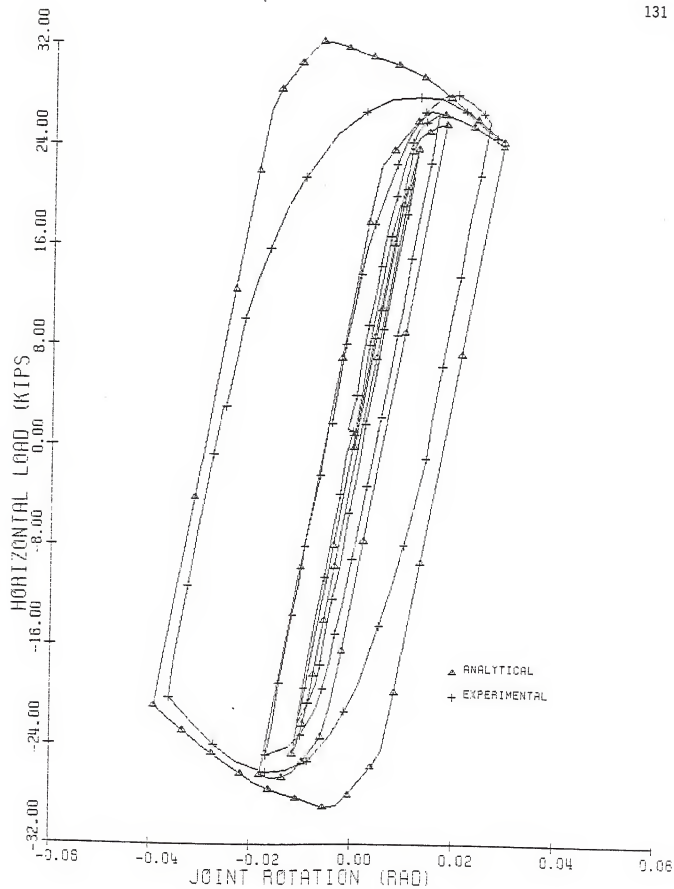


Figure 9.3 Horizontal Load H — Joint Rotation θ_r Diagram

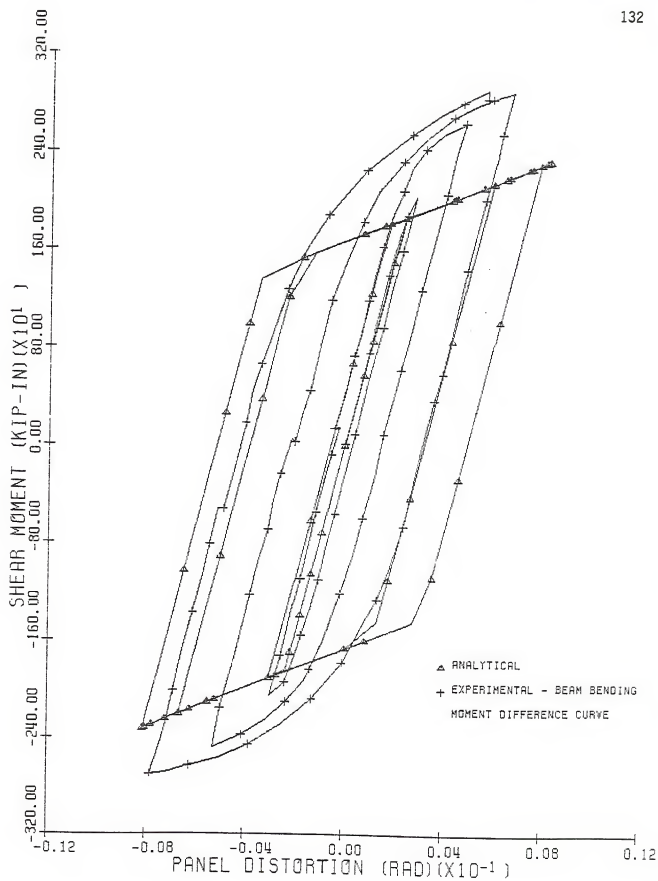


Figure 9.4 Joint Shear Moment — Joint Panel Distortion Diagram

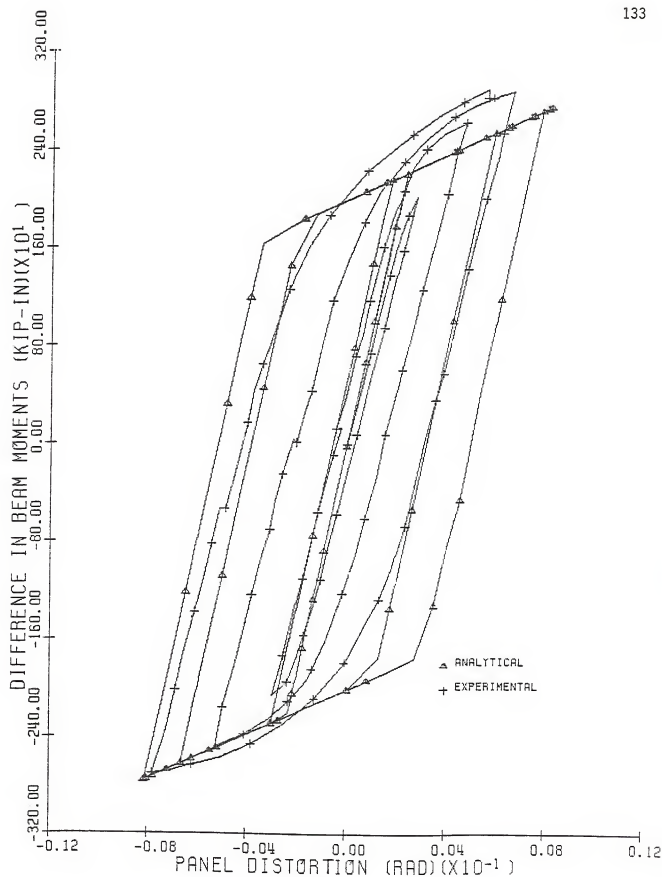


Figure 9.5 Difference of Beam End Moments — Joint Panel Distortion Diagram

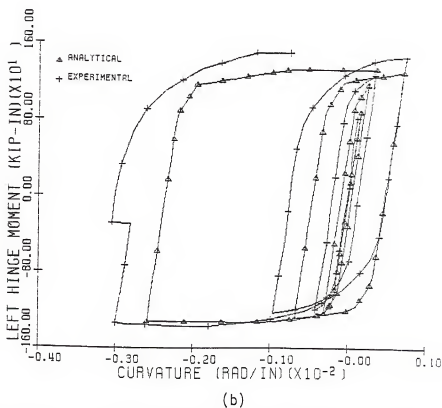
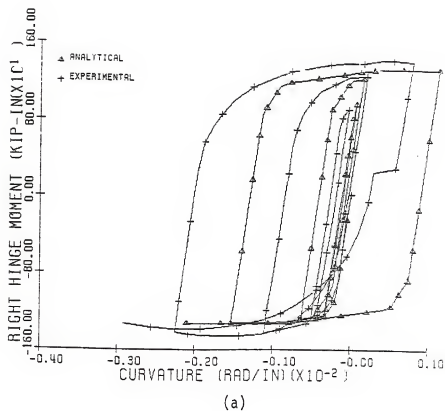


Figure 9.6 Moment — Curvature Diagrams at the Hinges closer to Joint 2

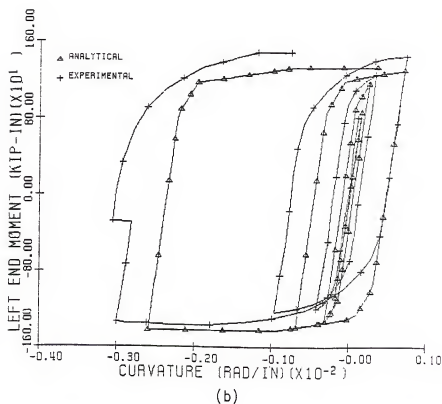
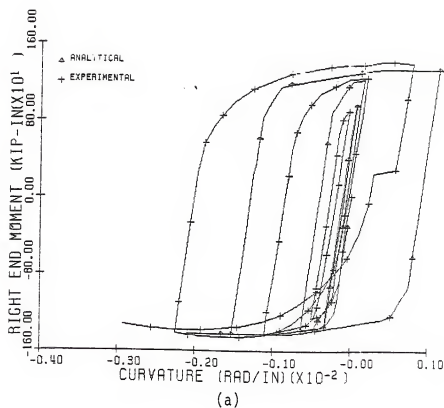


Figure 9.7 Beam End Moment — Curvature Diagrams at Joint 2

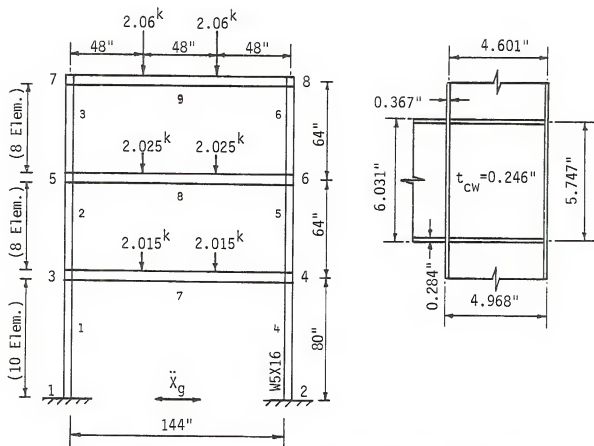
experiment for a chosen displacement range and also the inability of Masing model to predict the degradation behavior of structures accurately (21, 47, 48).

Joint shear panel moment is plotted against joint shear distortion in Fig. 9.4. Since no experimental joint shear moment data are available, difference of beam end moments at joint 2 is plotted instead of the joint shear moment for the experimental curve. Thus, a significant difference is noticed between the analytical and experimental curves of Fig. 9.4. The difference of beam end moments at joint 2 versus joint shear panel distortions is shown in Fig. 9.5. It shows good agreement between experimental and analytical results.

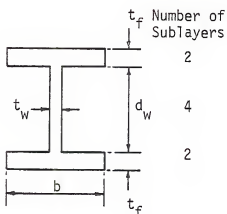
The bending moment and curvature of the beams at the discrete element hinges which are closer to joint 2 (6.5 inches away from the respective beam ends) are plotted in Fig. 9.6. However, the experimental curves correspond to beam end moments and the average curvatures over a beam length of 11 inches. Figure 9.7 gives the beam end moments versus the curvatures plots. The curvatures are defined as stated for the previous figure.

9.2 Example of a Three Story Frame

Clough and Tang (12, 13), and Tang and Clough (51) performed several dynamic tests on a three story steel frame to study the seismic behavior of a large-scale steel structure. The test structure shown in Fig. 9.8 (a) was excited on the 20 foot square earthquake simulator of the Earthquake Engineering Research Center, University of California, Berkeley. Two phases of tests were carried out to observe significant inelastic deformations in the structure. In the Phase I study, the joint panel zones of the structure were deliberately made understrength



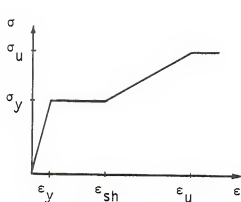
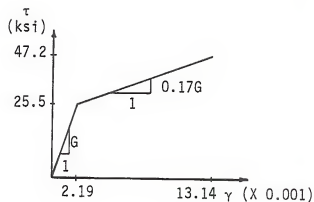
(a) Idealized 3 Story Frame and Typical Connection Detail



(b) Cross-Section

Dim (in)	Column	Beam
b	5.0	4.016
t_f	0.367	0.284
d_w	4.234	5.463
t_w	0.246	0.243

(c) Section Properties

(d) Member σ - ϵ Curve(e) Joint τ - γ Curve

	COLUMN W5X16		BEAM W6X12	
	web	flange	web	flange
ϵ_y ($\times 10^{-3}$)	1.46	1.34	1.61	1.27
ϵ_{sh} ($\times 10^{-3}$)	27.0	19.7	24.5	15.2
ϵ_u ($\times 10^{-3}$)	70.5	59.1	61.2	48.4
σ_y (ksi)	44.1	39.8	49.6	39.2
σ_{sh} (ksi)	44.1	39.8	49.6	39.2
σ_u (ksi)	65.0	65.4	67.6	63.6
E (ksi)	30,300	29,800	30,900	30,800
E_{sh} (ksi)	480	650	490	735
G (ksi)	11,650	11,460	11,880	11,850

(f) Material Properties

	1st FLOOR	2nd FLOOR	3rd FLOOR
Point Load (kips)	2.015	2.025	2.06
Distributed Load (k/in)	0.00441	0.00426	0.00380
Mass ($k \cdot \text{sec}^2/\text{in}$)	0.006011X2	0.006009X2	0.006017X2
Damping	0.147%		

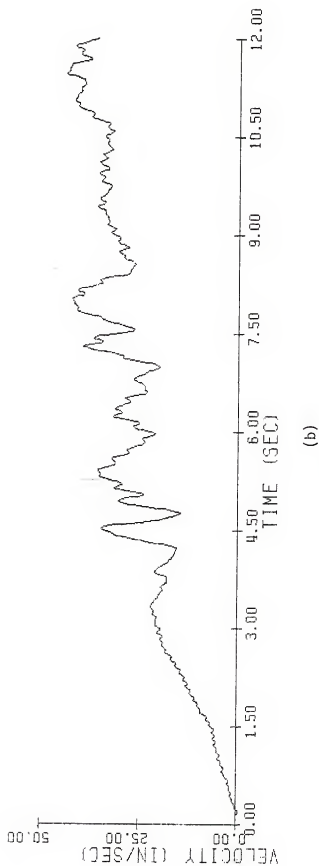
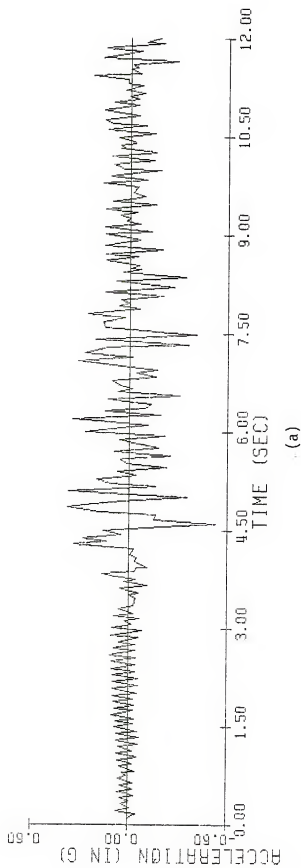
(g) Load, Mass, and Damping

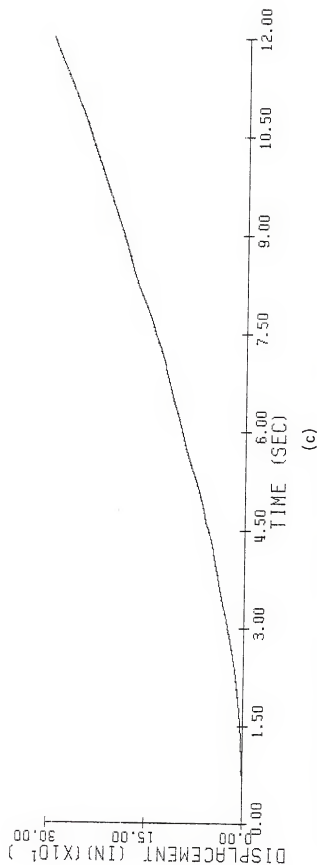
Figure 9.8 Details for Analysis of 3 Story Frame

so that yielding was initiated in these regions. In the Phase II study, the panel zones were strengthened with doubler plates, so that yielding occurred exclusively at column and beam ends. Several earthquake inputs are used in both Phase I and II structures.

The experimental results obtained for the test designated as EC400-I are compared with FRAME82 analysis in this study. Figure 9.8 shows the details of input of the test frame for the FRAME82 analysis. The bases of the frame are assumed to be rigid. Joint shear deformations are considered in the other joints. The members are discretized into finite number of elements as shown in Fig. 9.8 (a). Measured section and material properties are used in the analysis. The strain hardening stiffness of the joint shear stress-strain curve is taken as 0.17 times the modulus of rigidity, the experimentally observed value. Masing model option is used to incorporate material inelastic behavior. The tributary weight of the structural components is assumed as a uniformly distributed load over the girders. For the dynamic analysis, tributary mass of structural components and concentrated loads are lumped at the nodes. Joint masses are included in the equations of motion for structure along X and Y directions and rotational inertia is ignored.

The graphical accelerogram of EC400-I, available in Ref. 12, is magnified by 380 percent in both acceleration and time axes directions, and then digitized using a Summagraphics TD48 electronic digitizer. Constant average acceleration method is employed to integrate the accelerogram to get velocity and displacement. The obtained acceleration data, and the velocities and displacements of the shaking table obtained by integration are plotted in Fig. 9.9 against time.





(c)

Figure 9.9 Base Line Uncorrected Table Acceleration, Velocity, and Displacement — Time Diagrams

Digitized values need to be corrected to obtain the best possible integrated velocity and acceleration results. This is achieved by introducing corrections to the base line, such as to minimize the mean-squared table velocity (40). A seventh order base line correction curve is used in this example.

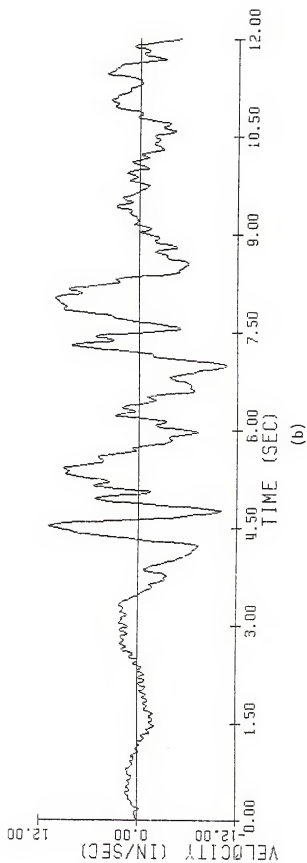
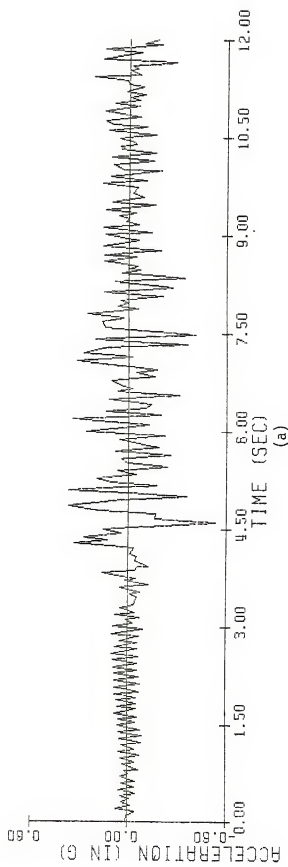
Mass proportional damping ($\beta=0$) corresponding to the forced vibration test results of 0.147 percent critical for the first mode of the structure is specified. The obtained frequency of the structure 2.273 cps for the first mode is used to calculate α :

$$c = \alpha m = \xi c_{cr} = 2\xi/km$$

$$\text{i.e. } \alpha = 2\xi \left(\frac{k}{m}\right)^{\frac{1}{2}} = 2\xi \omega = \frac{2(0.147)2.273(2\pi)}{100} = 0.042$$

A time step of 0.012 seconds, approximately half the time interval of digitization for recorded data is used. This time interval is adequate to insure numerical stability since the period of vibration for the first mode had been estimated as 0.44 seconds.

The results obtained in the FRAME82 analysis are presented herein along with the available experimental observations. Since the analytical results reported by Tang and Clough were matched with the experimental values by varying several parameters, such as damping, their analytical results are not reproduced. Figure 9.10 displays accelerations, velocities and displacements of the shaking table obtained respectively for base line corrected accelerograms. The observed shaking table displacement is plotted in Fig. 9.10 (c) and follows a pattern very similar to the analytical curve. Relative displacements of each story with respect to table and absolute table displacement are shown in Fig. 9.11. Figure 9.12 displays story drifts against time. The experimental curves are advanced by 0.1 seconds in



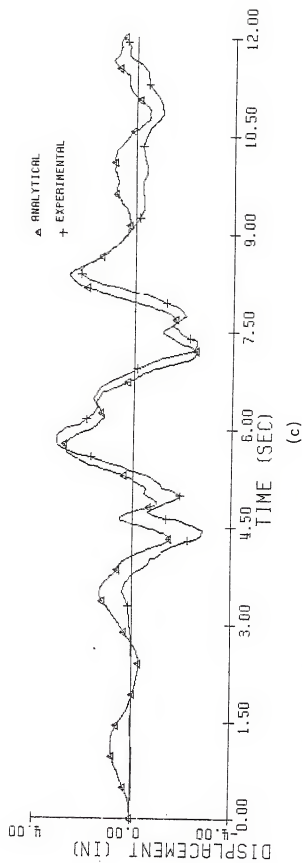
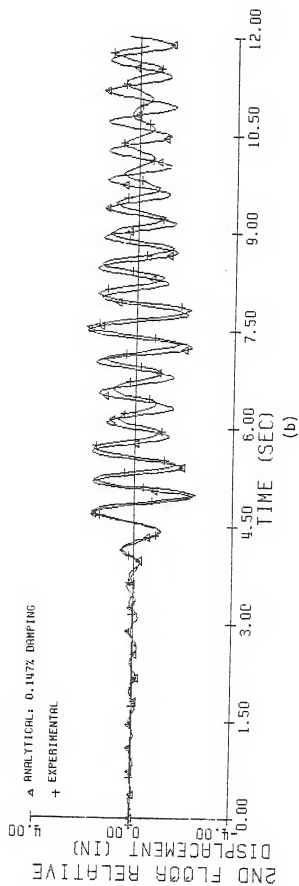
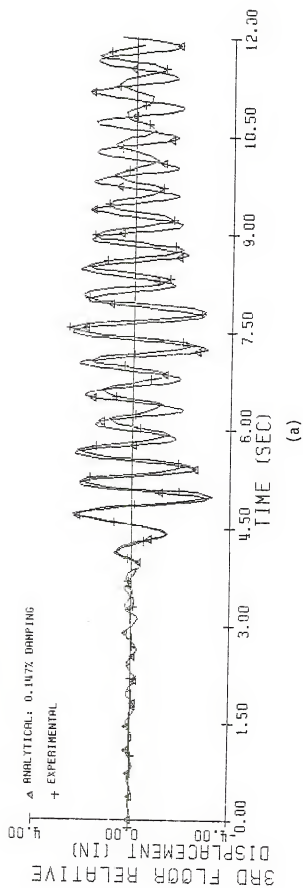


Figure 9.10 Base Line Corrected Table Acceleration, Velocity, and Displacement — Time Diagrams



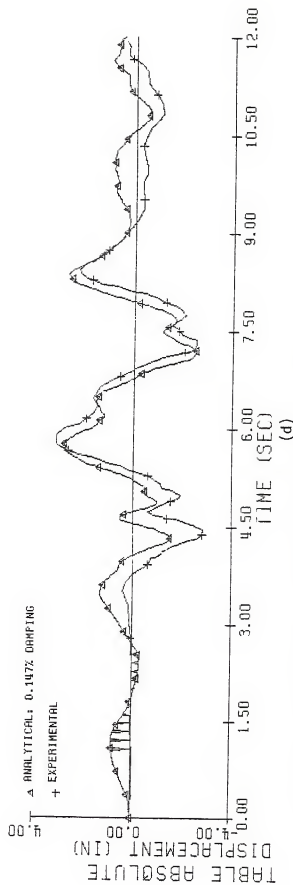
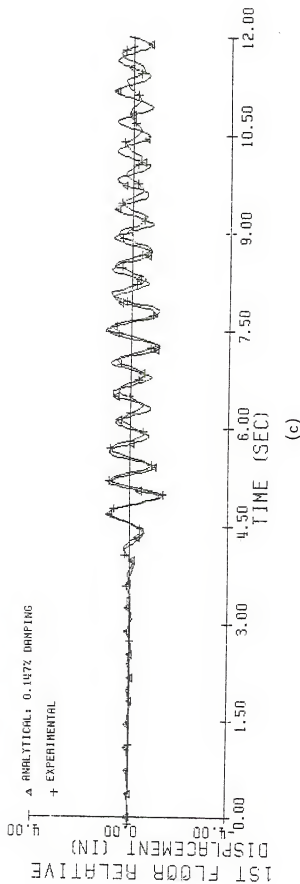
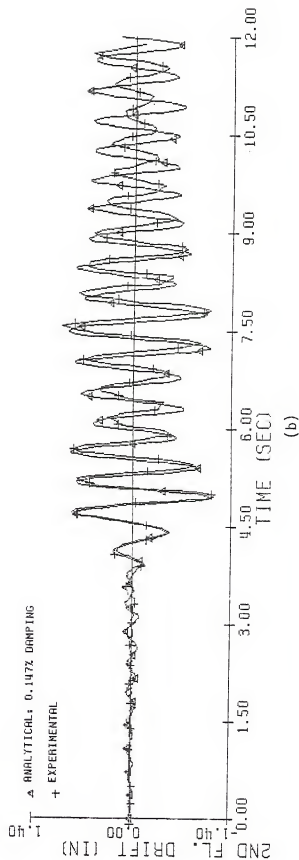
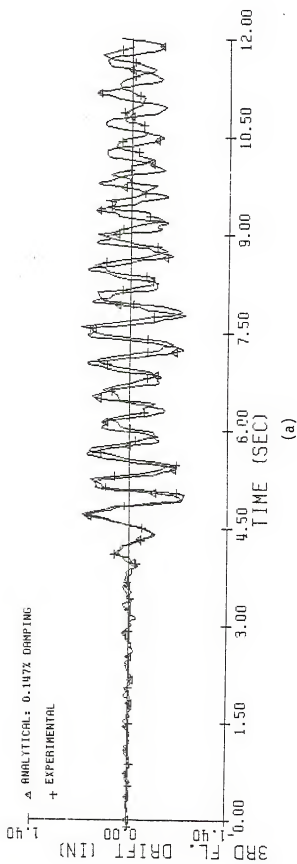


Figure 9.11 Time Histories of Relative Displacements of Floors with respect to Table and Absolute Table Displacement



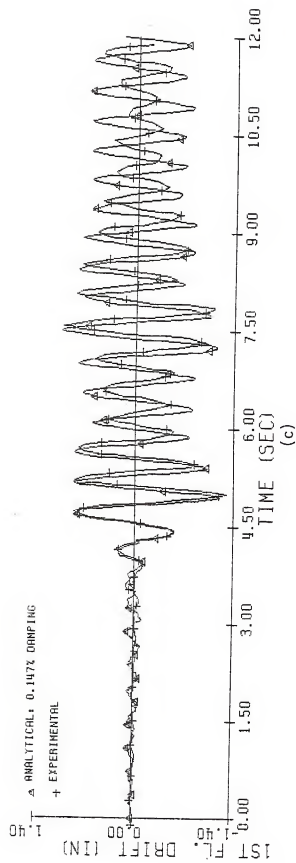
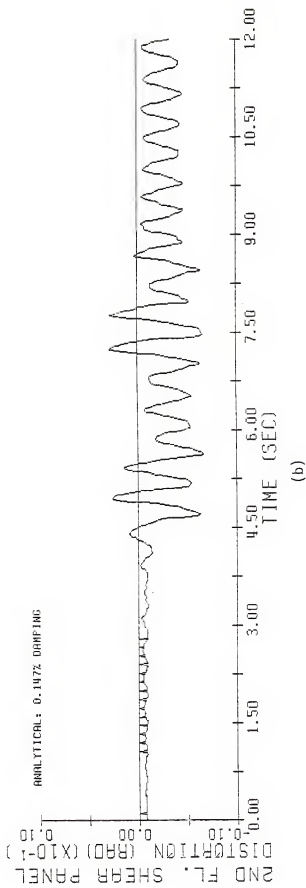
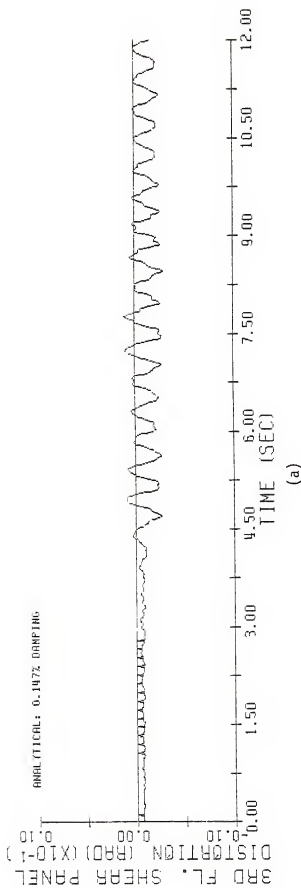


Figure 9.12 Floor Drift — Time Diagrams

the relative story displacement and story drift plots in order to match the first peak with the analytical results. The analytical distortions of the joint shear panels along the right column are plotted in Fig. 9.13 against time. The measured first floor joint shear panel distortion is also given in Fig. 9.13 (c). Figure 9.14 consists of the predicted hysteretic behavior of the joint shear panels along the right column. The respective experimental curves are not reproduced from Ref. 12 as it is difficult to digitize these complicated plots. Experimental curves display a smooth transition from elastic to inelastic region instead of the abrupt change exhibited in Fig. 9.14. However, they are generally in good agreement with the DRAIN 2D results. Figure 9.15 displays comparative plot of measured and predicted results for story shears. The analytical moments at the upper ends of the columns and girder ends for the first floor are plotted in Fig. 9.16. The measured moments are also plotted in Figs. 9.16 (c) and (d).

The analytical plots given in Ref. 13 and 51 were obtained using the program DRAIN 2D that was developed by Kanaan and Powell (30). DRAIN 2D considers three degrees of freedom, namely, horizontal, vertical, and rotational displacements. Provision is made for degrees of freedom to be deleted or combined (for zero and identical displacements at different nodes) to obtain substantial reduction in the computer time. The structure is assumed to be composed of the following elements; namely, (i) truss, (ii) beam-column, (iii) shear panel, and (iv) semi-rigid connection. All elements are assumed to have bilinear relationship between force and displacement. The interaction between axial force and moment may be specified in the beam-column element which is permitted to yield through the formation of concentrated plastic



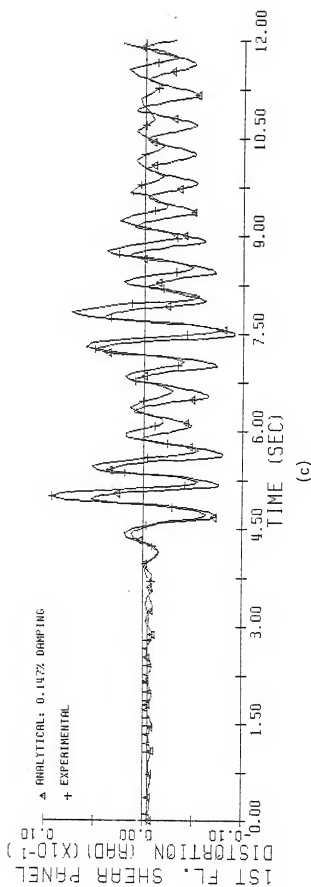
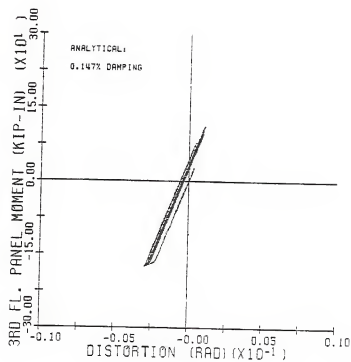
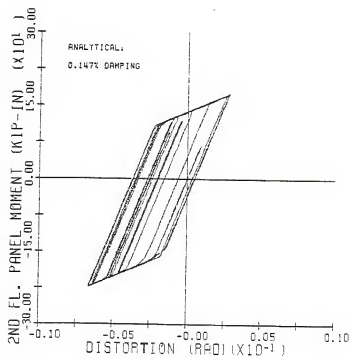


Figure 9.13 Joint Shear Panel Distortion — Time Diagrams



(a)



(b)

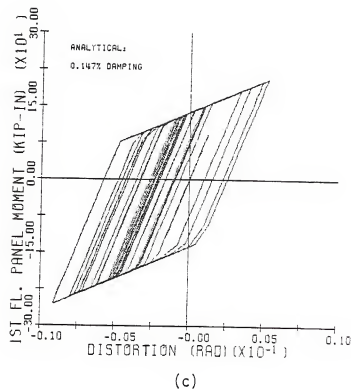
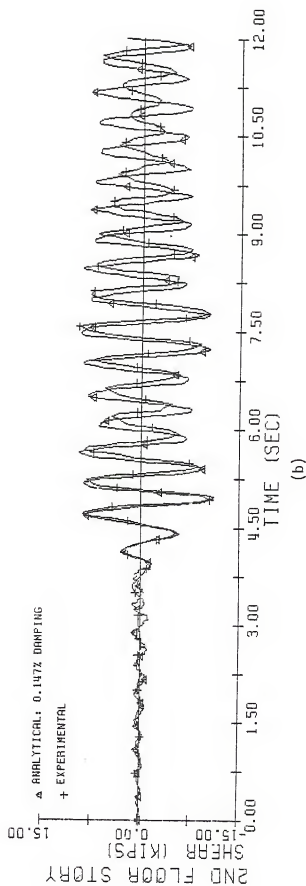
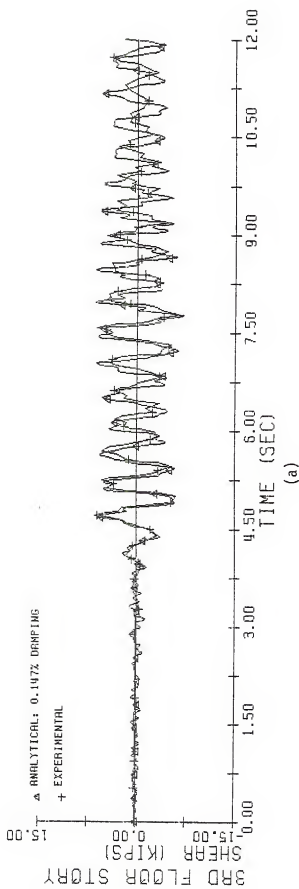


Figure 9.14 Joint Shear Panel Moment — Time Diagrams



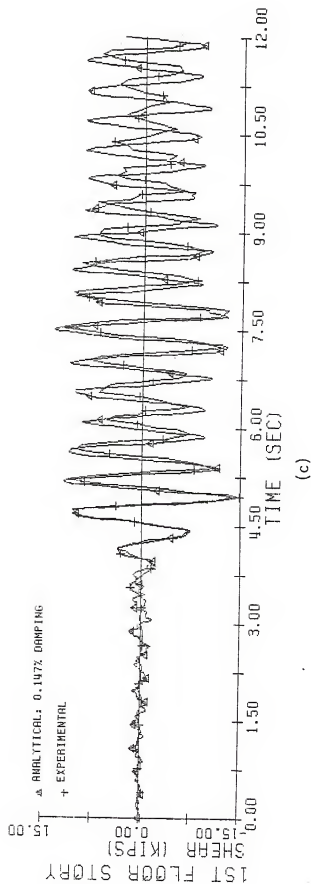
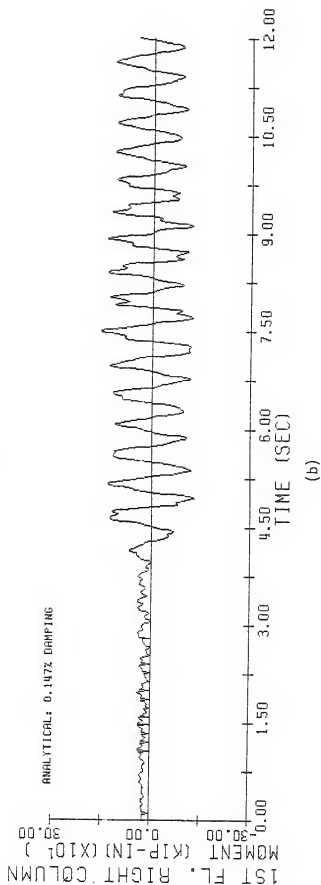
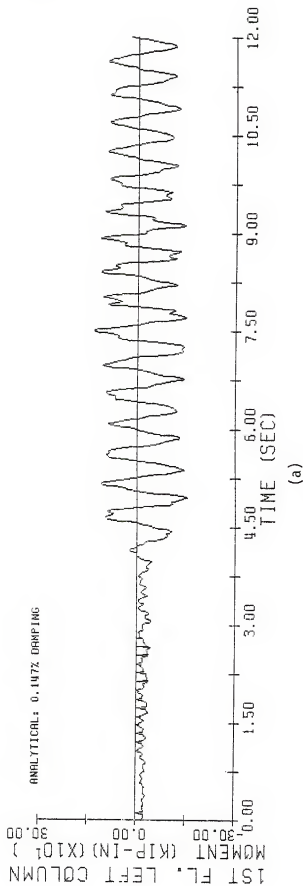


Figure 9.15 Story Shear Force — Time Diagrams



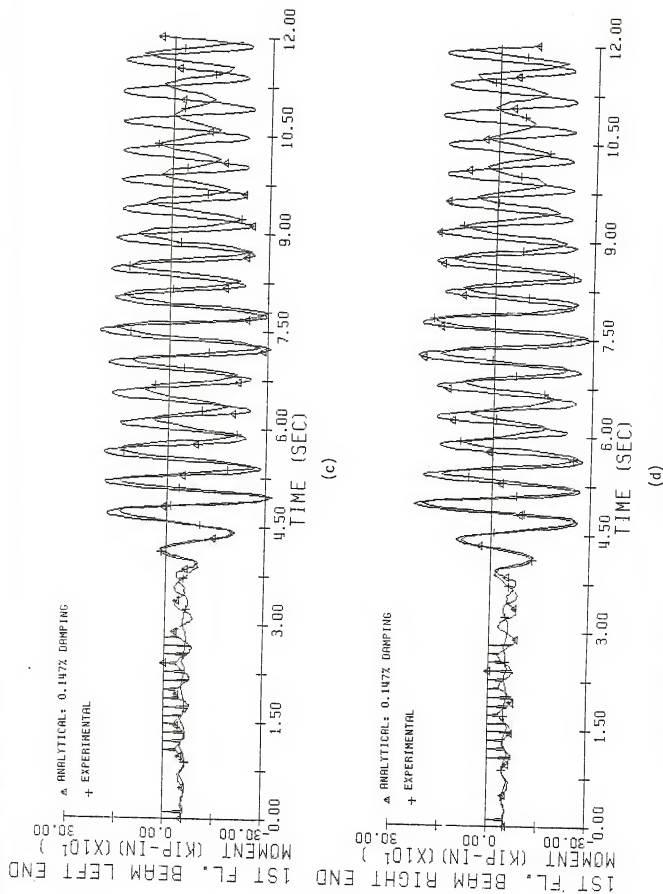


Figure 9.16 Time Histories of First Floor Column and Girder Moments

hinges at its ends. Additional nodes can be specified along a member so that spread of yielding can be studied. Inelastic axial deformations are assumed not to occur in beam-column elements, because of the difficulty of considering the interaction between axial and flexural deformations after yield in their finite element model. The P- Δ moment effect is taken into account by including a geometric stiffness based on the axial force under static loads. The influence of P-y moment and member shear deformations on the structural response are ignored. Static loads may be applied prior to the dynamic loading, but no yielding is permitted under these loads. The dynamic response is determined by step-by-step integration with a constant acceleration assumption within any step. The tangent stiffness method is employed to get the inelastic response of a structure. The program assumes a linear structural behavior within each time step. If the stiffness of the structure changes due to yielding or unloading within a time step, the stiffness matrix is recomputed at the end of that time step and the new stiffness matrix is used in the succeeding time step. Any unbalance in equilibrium resulting from a change in stiffness within a time step is eliminated by applying corrective loads in the subsequent time step. Diagonal mass matrix is utilized in the analysis. Viscous damping of mass-dependent and/or stiffness-dependent type may be specified.

Clough and Tang (13), and Tang and Clough (51) used the idealized structural Model C shown in Fig. 9.17 in their DRAIN 2D analysis. The frame was discretized as an assemblage of nine beam-column, six shear panel and two semi-rigid connection elements. The semi-rigid connections were at the column ends. Rocking mechanism of the shaking table supported by vertical actuators that could reduce the overall

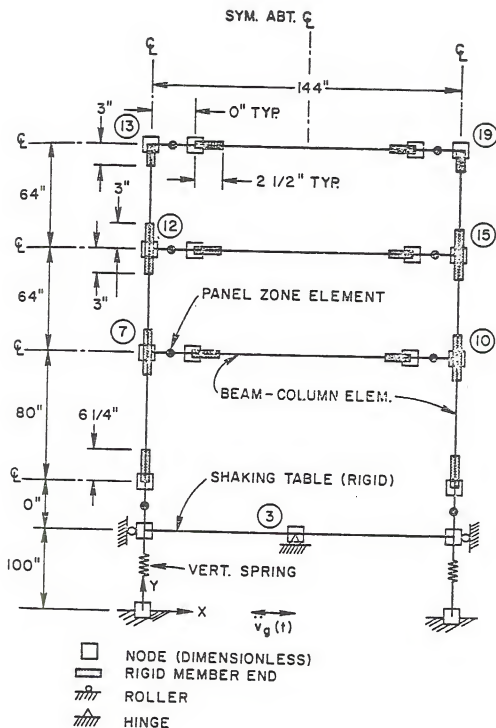


Figure 9.17 Shaking Table Structure Interaction Model Used by Clough and Tang (13)

stiffness of the structure, was modeled with two vertical springs. The table was restrained from vertical translation by a hinge at its center. The actual dimensions of the members, post-yield strain hardening ratio of 17 percent for the panel zones, a rotational stiffness of 750,000 kip-in/rad for each semi-rigid connection, a time step of 0.01204 seconds and mass dependent damping of 1.5 percent critical for the first mode were input. The stiffness of the vertical springs was varied to match the first mode frequency of the model with the experimental observation. The tributary mass of structural components and static loads was assumed to be lumped at the nodes for the motions in the X direction only. A parabolic base line correction was applied to the table acceleration records in order to obtain the best possible integrated displacement results.

Observations and Interpretations

The following observations and interpretations are made about the FRAME82 analysis, DRAIN 2D analysis, and experimental results.

- (i) The FRAME82 analytical model yields a slightly higher period of vibration than the measured value. This, leads to phase shift which could be due to low damping, rigid base assumption, inadequate number of discrete elements per member, large time step, etc. It is to be pointed out that the pitching motion of the shaking table would have reduced the frequency of the structure.
- (ii) The predicted and measured response amplitudes match at the first peak. However, the predicted response oscillates through a large amplitude, while the measured response damps out. The damping could be increased to obtain better amplitude and phase

correlations. The measured 0.147 percent critical damping for the first mode of the structure is used in this analysis. Tang used 1.5 percent critical damping, which is about ten times greater than the measured value in the program developed by Kanaan and Powell (30) to match the computed and measured results in References 13 and 51.

- (iii) The dead load and load history effects were disregarded in the experimental results available in Ref. 12. EC400-I is one among the several test runs performed on the Phase I structure. However, the predicted results include dead load effect. Even though FRAME82 is capable of including load history effect the present example does not include stresses due to previous loadings since the load history is not listed completely in Ref. 12. Moreover, the computer cost to include all prior load histories would be beyond the budget of this study. The plotted experimental curves for shear panel distortions and first floor column and girder moments are obtained by adding the analytical dead load effects to the experimental plots given in Ref. 12.
- (iv) The joint shear panel distortion—time diagrams in Fig. 9.13 display permanent deformations which are not exhibited in either experimental or analytical curves given in References 12, 13, and 51. Joint shear panel predicted hysteresis loops shown in Fig. 9.14 and experimental hysteresis loops available in Ref. 12 show inelastic deformations at the joints. The structure that had been tested underwent several test runs prior to this particular run and it would have had residual deformations at the beginning of the test. This would reduce the permanent deformations for

this particular run. It can be observed from Fig. 9.14 (c) that the shear strain oscillates approximately between $2.5\gamma_y$ and $-4\gamma_y$ for the first floor shear panel. If it would have oscillated within a range of $2\gamma_y$, one could attempt to justify the absence of permanent deformations using shake-down principle. Permanent deformations need to be displayed at all the joints where the range of oscillation is greater than $2\gamma_y$, unless the load is applied such that the net permanent deformations are zero. It seems unlikely that with these large inelastic excursions, the net permanent shear deformations would be zero in all the joint shear panels, as reported in the DRAIN 2D analysis. Even Kabe (28) pointed out that DRAIN 2D analysis predicted considerable error in the permanent deformations when a different three-story frame was tested at the University of California, Los Angeles.

- (v) The permanent deformations are easily seen only on the joint response curves. It is hard to observe any permanent set in member response curves. This is primarily due to the fact that this example structure is intentionally designed understrength at joints to have large inelastic deformations at the joint shear panels and elastic behavior in the members. Since joint shear panels are the primary structural components that undergo inelastic deformations, the permanent deformations are pronounced in the joint shear panel plots.
- (vi) Though DRAIN 2D analysis predicted good results for this example, it did not display any permanent deformations at the joint shear panels. The major factors that would have contributed to this discrepancy are discussed in this paragraph. The DRAIN 2D

assumes linear structural behavior within each time step. It corrects any change in the stiffness of the structure and any unbalance in equilibrium as corrective load, in the subsequent time step. This error is rectified in the FRAME82 analysis by updating the stiffness after each iteration and adding the corrective load at the beginning of next iteration, within a time step. The ignoring of dead load and load history in the DRAIN 2D analysis would also have influenced the joint shear panel response to a considerable extent since shear panels are the primary components that are subjected to inelastic deformations. FRAME82 results reported in this study includes the dead load stresses.

In conclusion, better results could be obtained by using a larger damping in the FRAME82 analysis. It would display residual deformations at the joint shear panels that were not obtained from the DRAIN 2D analysis. The rocking motion of the shaking table can easily be incorporated in the FRAME82 analysis by properly modifying the support conditions of the model.

CHAPTER 10

CONCLUSIONS AND RECOMMENDATIONS

10.1 Conclusions

The main objective of this research was to develop a computer aided analysis of the inelastic static and dynamic behavior of plane frame structures including member and joint shear deformations. A new Discrete Shear Element Model is developed to include member shear deformations along with flexural and axial deformations, and nonlinear geometry. An additional rotational degree of freedom is utilized for each joint to devise a technique to incorporate joint shear deformations. The theory and the developed program FRAME82 are presented in this report. Besides the shear deformations, FRAME82 considers nonlinear geometry, inelastic material response, cyclic loading, inelastic member and joint supports, mass dependent viscous damping, etc. The program formulates the structure stiffness matrix from the stress-strain level of the component materials, and perform member and joint solutions separately using tangent stiffness method.

The program is verified with several simple structures that have theoretical solutions. A pair of structures which were tested at the University of California at Berkeley are analyzed with FRAME82. The analytical results have shown generally good agreement with the experimental responses and the solutions given by other analyses. It is observed that FRAME82 analysis predicts residual deformations of joint shear panels, that were not exhibited in the DRAIN 2D analysis.

10.2 Recommendations

Even though FRAME82 employs efficient solution procedures, it requires more computer time than many other existing programs to analyze a structure. This is due to the fact that the program is highly complex since it formulates the structure stiffness from the stress-strain level. It is, however, very economical to use FRAME82 to analyze a structure, instead of carrying out an experimental investigation. FRAME82 inelastic analysis is recommended for moderate size plane frame structures which have a maximum of 25 joints and 50 members.

With regard to the future of the program, the following improvements and features can be added into the program.

1. The program is currently restricted to rectangular frames with no diagonal bracing when including joint shear deformations in the analysis. The program can be modified so as to include joint shear deformations in the analysis of any plane frame with/without diagonal bracing.
2. The program assumes that the member shear stress does not exceed the yield shear stress and takes only the linear shear deformations into account. A general shear stress-strain curve can be incorporated into the program to include inelastic member shear deformations without much difficulty.
3. Interaction between axial and flexural stresses is considered in the member stiffness formulation. No interaction is considered between shear, and the axial and flexural stresses. Any one of the strain hardening assumptions such as isotropic hardening, kinematic hardening, etc., can be utilized to include the interaction between axial, flexural, and shear stresses.

4. In the case of joints, only the shear deformations are considered in the analysis. More experimental and theoretical investigations are needed to include axial and flexural deformations into the joint shear model.

5. Stiffness dependent viscous damping can be incorporated into the program which presently considers only the mass dependent viscous damping. Stiffness dependent damping plays an important role on the response of the structure at higher modes of vibration.

6. Discrete shear element model can be used only for linear elastic, nonlinear elastic, and masing inelastic stress-strain curves. The new model can be extended to include masing inelasticity with stiffness degradation and special mild steel model type behavior for the member flexural stress-strain curves.

7. Computation of structure stiffness from the stress-strain curves of each member layer facilitates identifying the correct position of plastic hinges, and incorporating the partial plastification of the sections into the analysis. This method requires a lot of bookkeeping operations and more computer time, which makes the FRAME82 analysis very expensive. Instead of performing the analysis at the stress-strain level, the analysis can be made considering the overall behavior of the cross-sections, which is commonly found in literature, at the expense of some accuracy to reduce the computer cost. A comparison can be made between the results obtained by different types of analyses.

8. Lateral and torsional buckling of members and buckling of joint shear panels can be included in the analysis.

9. The program performs inelastic unloading only for structural components which are prescribed to have symmetric stress-strain

curves. The possibility of including a more general stress-strain curve can be studied.

10. Input formats can be extended to include automatic generation of stress-strain curves and cross section data for standard steel sections. This modification would make the program more convenient to the user for design analysis.

11. FRAME82 is written for the analysis of plane frame structures. This can be extended to perform inelastic analysis for three-dimensional frames without losing the important features available in this program. While a three-dimensional static nonlinear elastic program has been written by Mitchell (38), the development of a three-dimensional dynamic, inelastic analysis program with the generality of FRAME82 would require considerable work.

APPENDIX A

DISCRETE SHEAR ELEMENT MATRICES

This appendix contains the matrices involved in the formulation of stiffness matrix for the discrete element shear model discussed in Chapter 3. The required matrices for the stiffness matrix of discrete element flexural model are available in References 22 and 47.

The discrete element deformations δ_a , δ_m , and δ_s , and the angle θ , defined in Eqs. 3.1 through 3.4 are rewritten in Eqs. A.1 through A.4:

$$\delta_a = (2h + \omega_4 - \omega_1) \sec \theta - h \cos (\omega_3 - \theta) - h \cos (\omega_6 - \theta) \quad (\text{A.1})$$

$$\delta_m = \omega_6 - \omega_3 \quad (\text{A.2})$$

$$\delta_s = h \sin (\omega_3 - \theta) + h \sin (\omega_6 - \theta) \quad (\text{A.3})$$

$$\theta = \tan^{-1} \left(\frac{\omega_5 - \omega_2}{2h + \omega_4 - \omega_1} \right) \quad (\text{A.4})$$

In order to simplify the presentation the following parameters H , ψ_1 , and ψ_2 are defined in Eqs. A.5 through A.7.

$$H = 2h + \omega_4 - \omega_1 \quad (\text{A.5})$$

$$\psi_1 = \omega_3 - \theta \quad (\text{A.6})$$

$$\psi_2 = \omega_6 - \theta \quad (\text{A.7})$$

A.1 Initial Stress Stiffness Matrices

In view of Eqs. 3.37 and 3.41, the elements of the initial stress stiffness matrices associated with axial force and shear force, kST_{ij} and kSV_{ij} , can respectively be written as in Eqs. A.8 and A.9:

$$kST_{ij} = T \frac{\partial^2 \delta_a}{\partial \omega_i \partial \omega_j} \quad (A.8)$$

$$kSV_{ij} = V \frac{\partial^2 \delta_s}{\partial \omega_i \partial \omega_j} \quad (A.9)$$

The above equations imply that $[k]_{ST}$ and $[k]_{SV}$ are symmetrical square matrices of order 6. Since the computation involves extensive algebra, only the final results are presented herein.

The initial stiffness matrix associated with axial force, $[k]_{ST}$ is given in Eq. A.10:

$$[k]_{ST} = \frac{T}{H^2} \begin{bmatrix} kst_{11} & kst_{12} & kst_{13} & -kst_{11} & -kst_{12} & kst_{16} \\ & kst_{22} & kst_{23} & -kst_{12} & -kst_{22} & kst_{26} \\ & & kst_{33} & -kst_{13} & -kst_{23} & 0 \\ & & & kst_{11} & kst_{12} & -kst_{16} \\ & & & & kst_{22} & -kst_{26} \\ \text{symmetric} & & & & & kst_{66} \end{bmatrix} \quad (A.10)$$

in which

$$kst_{11} = \frac{H}{2} \sin \theta \sin 2\theta - \delta_s \sin 2\theta \cos^2 \theta + \frac{h}{4} \sin^2 2\theta (\cos \psi_1 + \cos \psi_2) \quad (A.10a)$$

$$kst_{12} = -H \sin \theta \cos^2 \theta + \delta_s \cos 2\theta \cos^2 \theta - \frac{h}{2} \sin 2\theta \cos^2 \theta (\cos \psi_1 + \cos \psi_2) \quad (A.10b)$$

$$kst_{13} = -\frac{Hh}{2} \sin 2\theta \cos \psi_1 \quad (A.10c)$$

$$kst_{16} = -\frac{Hh}{2} \sin 2\theta \cos \psi_2 \quad (A.10d)$$

$$kst_{22} = H \cos^3 \theta + \delta_s \sin 2\theta \cos^2 \theta + h \cos^4 \theta (\cos \psi_1 + \cos \psi_2) \quad (A.10e)$$

$$kst_{23} = Hh \cos^2 \theta \cos \psi_1 \quad (A.10f)$$

$$kst_{26} = Hh \cos^2 \theta \cos \psi_2 \quad (A.10g)$$

$$kst_{33} = H^2 h \cos \psi_1 \quad (A.10h)$$

$$kst_{66} = H^2 h \cos \psi_2 \quad (A.10i)$$

The initial stiffness matrix associated with shear force, $[k]_{sv}$ is presented in Eq. A.11:

$$[k]_{sv} = \frac{V}{H^2} \begin{bmatrix} ksv_{11} & ksv_{12} & ksv_{13} & -ksv_{11} & -ksv_{12} & ksv_{16} \\ & ksv_{22} & ksv_{23} & -ksv_{12} & -ksv_{22} & ksv_{26} \\ & & ksv_{33} & -ksv_{13} & -ksv_{23} & 0 \\ & & & ksv_{11} & ksv_{12} & -ksv_{16} \\ & & & & ksv_{22} & -ksv_{26} \\ \text{symmetric} & & & & & ksv_{66} \end{bmatrix} \quad (A.11)$$

in which

$$ksv_{11} = -h \sin \theta \cos^2 \theta (\cos \psi_1 + \cos \psi_2) - \frac{\delta}{4} \sin^2 2\theta \quad (A.11a)$$

$$ksv_{12} = h \cos 2\theta \cos^2 \theta (\cos \psi_1 + \cos \psi_2) + \frac{\delta}{2} \sin 2\theta \cos^2 \theta \quad (A.11b)$$

$$ksv_{13} = \frac{Hh}{2} \sin 2\theta \sin \psi_1 \quad (A.11c)$$

$$ksv_{16} = \frac{Hh}{2} \sin 2\theta \sin \psi_2 \quad (A.11d)$$

$$ksv_{22} = h \sin 2\theta \cos^2 \theta (\cos \psi_1 + \cos \psi_2) - \delta_s \cos^4 \theta \quad (A.11e)$$

$$ksv_{23} = -Hh \cos^2 \theta \sin \psi_1 \quad (A.11f)$$

$$ksv_{26} = -Hh \cos^2 \theta \sin \psi_2 \quad (A.11g)$$

$$ksv_{33} = -H^2 h \sin \psi_1 \quad (A.11h)$$

$$ksv_{66} = -H^2 h \sin \psi_2 \quad (A.11i)$$

A.2 Incremental Deformation-Displacement Matrix [B]

An element of the matrix [B] is given in Eq. 3.8 as

$$B_{ij} = \frac{\partial \epsilon_i}{\partial \omega_j} \quad (\text{A.12})$$

where

$$\{\epsilon\}^t = [\delta_a, \delta_m, \delta_s] \quad (\text{A.13})$$

and

$$\{\omega\}^t = [\omega_1, \omega_2, \omega_3, \omega_4, \omega_5, \omega_6] \quad (\text{A.14})$$

Thus

$$[B] = \frac{1}{H} \begin{bmatrix} b_{11} & b_{12} & b_{13} & -b_{11} & -b_{12} & b_{16} \\ 0 & 0 & -H & 0 & 0 & H \\ b_{31} & b_{32} & b_{33} & -b_{31} & -b_{32} & b_{36} \end{bmatrix} \quad (\text{A.15})$$

in which

$$b_{11} = -H \cos \theta - \frac{\delta_s}{2} \sin 2\theta \quad (\text{A.15a})$$

$$b_{12} = -H \sin \theta + \delta_s \cos^2 \theta \quad (\text{A.15b})$$

$$b_{13} = Hh \sin \psi_1 \quad (\text{A.15c})$$

$$b_{16} = Hh \sin \psi_2 \quad (\text{A.15d})$$

$$b_{31} = -\frac{h}{2} \sin 2\theta (\cos \psi_1 + \cos \psi_2) \quad (\text{A.15e})$$

$$b_{32} = h \cos^2 \theta (\cos \psi_1 + \cos \psi_2) \quad (\text{A.15f})$$

$$b_{33} = Hh \cos \psi_1 \quad (\text{A.15g})$$

$$b_{36} = Hh \cos \psi_2 \quad (\text{A.15h})$$

A.3 Incremental Force-Deformation Matrix [D]

The equations (4.38, 4.41, 4.43, 4.45, 4.46) derived in Chapter 4 are summarized underneath to obtain the incremental force-deformation matrix [D]:

$$[D] = \frac{1}{2h} \begin{bmatrix} \frac{\partial T}{\partial \epsilon_c} & \frac{\partial T}{\partial \phi} & 0 \\ \frac{\partial M}{\partial \epsilon_c} & \frac{\partial M}{\partial \phi} & 0 \\ 0 & 0 & \frac{\partial V}{\partial \gamma} \end{bmatrix} \quad (\text{A.16})$$

in which

$$\frac{\partial T}{\partial \epsilon_c} = \sum_{j=1}^m \frac{A_j}{n_j} \sum_{i=1}^{n_j} E_i \quad (\text{A.16a})$$

$$\frac{\partial T}{\partial \phi} = \frac{\partial M}{\partial \epsilon_c} = - \sum_{j=1}^m \frac{A_j}{n_j} \sum_{i=1}^{n_j} y_i E_i \quad (\text{A.16b})$$

$$\frac{\partial M}{\partial \phi} = \sum_{j=1}^m \frac{A_j}{n_j} \sum_{i=1}^{n_j} y_i^2 E_i \quad (\text{A.16c})$$

$$\frac{\partial V}{\partial \gamma} = \sum_{j=1}^m C_{sj} A_j G_j \quad (\text{A.16d})$$

For the special case of a linear elastic material of modulus of elasticity E and modulus of rigidity G , assuming average cross-sectional area A , shear area A_s , and second moment of area I , the matrix $[D]$ becomes

$$[D] = \frac{1}{2h} \begin{bmatrix} AE & 0 & 0 \\ 0 & EI & 0 \\ 0 & 0 & A_s G \end{bmatrix} \quad (\text{A.17})$$

A.4 Discrete Shear Element Matrices and Other Essential Relationships Excluding Geometric Nonlinearities

The matrices presented in sections A.1 and A.2 include the effects of geometric nonlinearity described in Chapter 3, and the matrices in section A.3 include the material nonlinearity described in Chapter 4. Sometimes, it may be needed to analyze structures considering material nonlinearity and neglecting geometric nonlinearity. Hence, the matrices

given in sections A.1 and A.2, and the deformation-displacement relationships and equilibrium equations given in Chapter 3 are presented below ignoring geometric nonlinearities.

$$[k]_{ST} = [\text{Null}] \quad (\text{A.18})$$

$$[k]_{SV} = [\text{Null}] \quad (\text{A.19})$$

$$[B] = \begin{bmatrix} -1 & 0 & 0 & 1 & 0 & 0 \\ 0 & 0 & -1 & 0 & 0 & 1 \\ 0 & 1 & h & 0 & -1 & h \end{bmatrix} \quad (\text{A.20})$$

Deformation-Displacement Relationships

$$\theta = \frac{(\omega_5 - \omega_2)}{2h} \quad (\text{A.21a})$$

$$\delta_a = \omega_4 - \omega_1 \quad (\text{A.21b})$$

$$\delta_m = \omega_6 - \omega_3 \quad (\text{A.21c})$$

$$\delta_s = h(\omega_3 + \omega_6) + (\omega_2 - \omega_5) \quad (\text{A.21d})$$

Equilibrium Equations

$$f_1 = -T \quad (\text{A.22a})$$

$$f_2 = V \quad (\text{A.22b})$$

$$f_3 = -M + Vh \quad (\text{A.22c})$$

$$f_4 = T \quad (\text{A.22d})$$

$$f_5 = -V \quad (\text{A.22e})$$

$$f_6 = M + Vh \quad (\text{A.22f})$$

APPENDIX B
CONSTANT AVERAGE ACCELERATION METHOD

The acceleration $\{\ddot{w}\}$ is assumed to be constant between adjacent time stations. Therefore, the acceleration between stations j and $j+1$ is given by

$$\{\ddot{w}\} = \frac{1}{2} \{\ddot{w}_j + \ddot{w}_{j+1}\} \quad (\text{B.1})$$

The velocity $\{\dot{w}\}$ at any time within the same interval can be obtained by

$$\{\dot{w}\} = \{\dot{w}\}_j + \int_{t_j}^t \{\ddot{w}\} dt$$

$$\text{i.e.} \quad \{\dot{w}\} = \{\dot{w}\}_j + \frac{1}{2} (t - t_j) \{\ddot{w}_j + \ddot{w}_{j+1}\} \quad (\text{B.2})$$

Hence, the velocity at station $j+1$ is

$$\{\dot{w}\}_{j+1} = \{\dot{w}\}_j + \frac{\Delta t}{2} \{\ddot{w}_j + \ddot{w}_{j+1}\} \quad (\text{B.3})$$

where Δt = time increment

The displacement at station $j+1$ is given by

$$\{w\}_{j+1} = \{w\}_j + \int_{t_j}^{t_{j+1}} \{\dot{w}\} dt$$

$$\text{i.e.} \quad \{w\}_{j+1} = \{w\}_j + \Delta t \{\dot{w}_j\} + \frac{\Delta t^2}{4} \{\ddot{w}_j + \ddot{w}_{j+1}\} \quad (\text{B.4})$$

Equations B.3 and B.4 are the basis for constant average acceleration

method of numerical integration. The incremental velocity $\{\Delta \dot{W}\}$, and incremental acceleration $\{\Delta \ddot{W}\}$, can be obtained as a function of incremental displacement $\{\Delta W\}$ at time station j , and time increment Δt , from Equations B.3 and B.4 and are given by

$$\{\Delta \dot{W}\}_j = -2\{\dot{W}\}_j + \frac{2}{\Delta t} \{\Delta W\}_j \quad (B.5)$$

$$\{\Delta \ddot{W}\}_j = -2\{\ddot{W}\}_j - \frac{4}{\Delta t} \{\dot{W}\}_j + \frac{4}{\Delta t^2} \{\Delta W\}_j \quad (B.6)$$

APPENDIX C INPUT GUIDE FOR FRAME82

Units of force, distance, and time must be consistent throughout the input data.
 Dimensions of the input variables are given within brackets.
 Input data corresponding to the fourth degree of freedom (v) will be disregarded in the analysis if the option (JSYES) to include joint shear deformations is not exercised.

IDENTIFICATION OF RUN (Two statements per run)

<u>Stat</u>	<u>Col</u>	<u>Format</u>	<u>Entry</u>
1	1-80	10A8	Description to identify the run.
2	1-80	10A8	Continuation of the description.

IDENTIFICATION OF PROBLEM (One statement per problem)

The program stops if the Problem Number is CEASE.

<u>Stat</u>	<u>Col</u>	<u>Format</u>	<u>Entry</u>
1	1-5	A5	Problem Number.
	6-9	A4	PDNO to exclude geometric nonlinearity.
	11-15	A5	JSYES to incorporate joint shear deformations.
	16-76	A5, 7A8	Description of the Problem.
	77-80	A4	See Note 1

Note 1

Enter MBER for output of member iteration details.
 Enter RINT for stiffness matrices output.
 Enter SAVE to save member and joint hysteresis on storage devices.

TABLE 1 - PROGRAM CONTROL DATA (Three statements per problem)

Hold options are specified for Tables 2-7 in the first statement. The program holds data only if data were input in the preceding problem. Hold option is not applicable for problem types 1 and 9.

Second statement contains output options for Tables 8, 9, and 10.

Number of statements in Tables 2-7 are specified in the third statement.

<u>Stat</u>	<u>Col</u>	<u>Format</u>	<u>Entry</u>
1	1-5	I5	Problem Type (see Note 2)
	6-10	I5	1 to Hold Prior Data for Table 2.
	11-15	I5	1 to Hold Prior Data for Table 3A.
	16-20	I5	1 to Hold Prior Data for Table 3B.
	21-25	I5	1 to Hold Prior Data for Table 3C.
	26-30	I5	1 to Hold Prior Data for Table 4A.
	31-35	I5	1 to Hold Prior Data for Table 4B.
	36-40	I5	1 to Hold Prior Data for Table 4C.
	41-45	I5	1 to Hold Prior Data for Table 4D.
	46-50	I5	1 to Hold Prior Data for Table 4E.
	51-55	I5	1 to Hold Prior Data for Table 5A.
	56-60	I5	1 to Hold Prior Data for Table 5B.
	61-65	I5	1 to Hold Prior Data for Table 5C.
	66-70	I5	1 to Hold Prior Data for Table 5D.
	71-75	I5	1 to Hold Prior Data for Table 6.
			2 to Hold Prior Data for Table 6 and then to Modify by a certain % to be specified in Table 6.
76-80	I5		1 to Hold Prior Data for Table 7.

Note 2

Available problem types are listed below:

- 1 - A new problem (always static) - Results not held from preceding problem.
- 2 - Static problem - Results held from preceding static problem.
- 3 - Dynamic problem - Results held from preceding static problem.
- 4 - Dynamic problem - Results held from preceding dynamic problem.
- 9 - Read for structure data only - Does not affect the results of the preceding problem available on disk from prior run.

<u>Stat</u>	<u>Col</u>	<u>Format</u>	<u>Entry</u>
2	1-5	I5	1 to suppress output Table 8 in Static analysis. <u>or</u> Increments <u>of</u> time steps after which Table 8 is to be printed during Dynamic analysis.
	6-10	I5	1 to suppress output Table 9 in Static analysis. <u>or</u> Increments <u>of</u> time steps after which Table 9 is to be printed during Dynamic analysis.
	11-15	I5	1 to suppress output Table 10 in Static analysis. <u>or</u> Increments <u>of</u> time steps after which Table 10 is to be printed during Dynamic analysis.

<u>Stat</u>	<u>Col</u>	<u>Format</u>	<u>Entry</u>
3	6-10	I5	Number of Statements in Table 2.
	11-15	I5	Number of Statements in Table 3A.
	16-20	I5	Number of Statements in Table 3B.
	21-25	I5	Number of Statements in Table 3C.

26-30	I5	Number of Statements in Table 4A.
31-35	I5	Number of Statements in Table 4B.
36-40	I5	Number of Statements in Table 4C.
41-45	I5	Number of Statements in Table 4D.
46-50	I5	Number of Statements in Table 4E.
51-55	I5	Number of Statements in Table 5A.
56-60	I5	Number of Statements in Table 5B.
61-65	I5	Number of Statements in Table 5C.
66-70	I5	Number of Statements in Table 5D.
71-75	I5	Number of Statements in Table 6.
76-80	I5	Number of Statements in Table 7.

TABLE 2 - FRAME GEOMETRY DATA
(Number of statements as per Table 1)

Stat	Col	Format	Entry
1	11-15	I5	Number of Joints.
	21-25	I5	Reference Joint.
	31-40	E10.3	X-Coordinate of the reference joint [d].
	41-50	E10.3	Y-Coordinate of the reference joint [d].
	61-70	E10.3	Joint Location Tolerance [d].

2nd and succeeding statements prescribe the x and y offsets of the TO joints with respect to the FROM joint.

Stat	Col	Format	Entry
2/2+	11-15	I5	From Joint.
	21-30	E10.3	X-Offset [d].
	31-40	E10.3	Y-Offset [d].
	46-80	7I5	TO Joints (see Note 3).

Note 3

Several joints can be specified in one statement if offsets between any two adjacent TO joints are equal to the offset between the FROM joint and the first TO joint

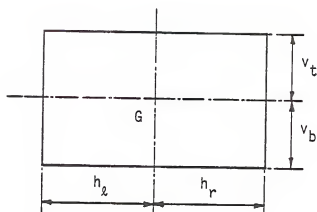
TABLE 3A - JOINT DATA
(Number of statements as per Table 1)

Stat	Col	Format	Entry
1	1-5	I5	Number of Joint Stiffness Types.

2nd and succeeding statements specify the joint stiffness type for each joint.

Stat	Col	Format	Entry
2/2+	1-5	I5	Joint Stiffness Type.
	11-80	14I5	Joint Numbers.

3rd and successive statements give the dimensions and shear stress-strain curve for each joint stiffness type.



Stat	Col	Format	Entry
3/3+	1-5	I5	Joint Stiffness Type.
	11-15	E10.3	h_l [d].
	21-30	E10.3	h_r [d].
	31-40	E10.3	v_b [d].
	41-50	E10.3	v_t [d].
	51-60	E10.3	Thickness of the panel [d].
	61-70	E10.3	Modulus of Rigidity* [f/d^2].
	71-75	I5	Shear Stress-Strain Curve Number*.

* Either modulus of rigidity or curve number can be specified.

TABLE 3B - JOINT SHEAR STRESS-STRAIN CURVES
(Number of statements as per Table 1: Two per curve)

The program is currently restricted to Masing inelastic behavior. Hence, leave the columns corresponding to material and stiffness degradation factors blank.

Stat	Col	Format	Entry
1	2-5	A4	Material (Enter MILD if the special model for mild steel is to be used. Otherwise, leave it blank).
	6-10	I5	Curve Number.
	11-15	I5	Number of Points.
	16-20	I5	Symmetry Option (see Note 4).
	21-30	E10.3	Stiffness Degradation α Factor.
	31-40	E10.3	Stiffness Degradation β Factor.
	41-80	8I5	Shear Stress - Values.
2	1-10	E10.3	Shear Stress Multiplier [f/d^2].
	11-20	E10.3	Shear Strain Multiplier [d/d].
	41-80	8I5	Shear - Strain Values.

Note 4

If equal to 1 a symmetrical branch is provided internally. The first stress and strain values must be zero if the symmetry option is used. The curve must be symmetric to perform inelastic analysis.

TABLE 3C - MEMBER LOCATION DATA
(Number of statements as per Table 1)

Stat	Col	Format	Entry
1	11-15	I5	Number of Member Stiffness Types.
	21-25	I5	Number of Member Load Types.

2nd and succeeding statements prescribe stiffness and load types for every member.

Stat	Col	Format	Entry
2/2+	6-10	I5	FROM Joint.
	16-20	I5	Stiffness Type.
	21-25	I5	Load Type.
	31-80	10I5	T0 Joints (see Note 5).

Note 5

Members with same stiffness and load types as of the member connecting the FROM and first T0 joints, can be specified if the FROM joint of each new member is the T0 joint of the previous one.

TABLE 4A - INCREMENTAL JOINT LOADS AND SUPPORT LINEAR
RESTRAINTS IN STRUCTURE x , y , and z AXES
(Number of joints as per Table 1: Two statements per joint)

Stat	Col	Format	Entry
1	1-5	I5	Joint.
	11-20	E10.3	Load Parallel to x -Axis [f].
	21-30	E10.3	Load Parallel to y -Axis [f].
	31-40	E10.3	M_z Moment [fd].
	41-50	E10.3	M_y Moment [fd].
2	11-20	E10.3	Restraint Parallel to x -Axis [f/d].
	21-30	E10.3	Restraint Parallel to y -Axis [f/d].
	31-40	E10.3	R_z Restraint [fd].
	41-50	E10.3	R_y Restraint [fd].
	71-80	E10.3	Mass [f/g] (see Note 6).

Note 6

A negative input mass will cause mass to be omitted in equation of motion for structure y displacement and a positive mass to be used in equation of motion in structure x direction. A positive input mass makes the program to use mass in both x and y equations.

TABLE 4B - NONLINEAR JOINT SUPPORTS
(Number of statements as per Table 1)

Stat	Col	Format	Entry
1	1-5	I5	Joint.
	11-20	E10.3	Q-Multiplier [f or fd].
	21-30	E10.3	W-Multiplier [f or fd].

41-45	I5	Curve Number of Force Restraint // to x-Axis.
46-50	I5	Curve Number of Force Restraint // to y-Axis.
51-55	I5	Curve Number of Moment Restraint about z Direction.
56-60	I5	Curve Number of Moment Restraint about v Direction.
61-65	I5	Curve Number of Force Restraint // to x'-Axis.
66-70	I5	Curve Number of Force Restraint //to y'-Axis.
76-80	I5	Stiffness Type (see Note 7).

Note 7

If curves are specified along member directions, stiffness type of the member is required.

TABLE 4C - NONLINEAR SUPPORT CURVES
(Number of statements as per Table 1: Two per curve)

<u>Stat</u>	<u>Col</u>	<u>Format</u>	<u>Entry</u>
1	6-10	I5	Curve Number.
	11-15	I5	Number of Points.
	16-20	I5	Symmetry Option (see Note 8).
	26-80	1115	Q-Values.
<u>Stat</u>	<u>Col</u>	<u>Format</u>	<u>Entry</u>
2	26-80	1115	W-Values.

Note 8

If equal to 1, a symmetrical branch is provided internally. The first Q and W values must be zero if symmetry option is equal to 1. In this case, Q-W will be inelastic of the Masing type.

TABLE 4D - DYNAMIC JOINT FORCES
(Number of statements as per Table 1)

<u>Stat</u>	<u>Col</u>	<u>Format</u>	<u>Entry</u>
1	6-10	I5	Joint Number.
	11-20	E10.3	F _x -Axis Multiplier [f].
	21-30	E10.3	F _y -Axis Multiplier [f].
	31-40	E10.3	M _z -Axis Multiplier [fd].
	41-50	E10.3	M _y -Axis Multiplier [fd].
	51-60	E10.3	Time Axis Multiplier [t].
	61-65	I5	Curve Number // to x Axis.
	66-70	I5	Curve Number // to y Axis.
	71-75	I5	Curve Number // to z Direction.
	76-80	I5	Curve Number // to v Direction.

TABLE 4E - DYNAMIC JOINT FORCE CURVES

(Number of statements as per Table 1: nominally 2 statements per curve)

Stat	Col	Format	Entry
1	6-10	I5	Curve Number.
	11-15	I5	Number of Points.
	26-80	11I5	Force Values.
1+	1-80	16I5	Continue the remaining Force Values on the succeeding statements.
Stat	Col	Format	Entry
2	26-80	11I5	Time Values.
2+	1-80	16I5	Continue the remaining Time Values on succeeding statements.

TABLE 5A - MEMBER STIFFNESS TYPES

(Number of statements as per Table 1: Number of sets of statements is equal to the number of stiffness types defined in this problem)

Stat	Col	Format	Entry
1	1-5	I5	Stiffness Type.
	6-10	I5	Number of Elements (see Note 9).
	11-20	E10.3	Modulus of Elasticity $[f/d^2]$ (Blank if Nonlinear Option=1).
	21-25	A5	Element Type.
			SHEAR if member shear deformations are to be included.
			FLEX to neglect member shear deformation effects.
	31-40	E10.3	Prismatic Moment of Inertia $[d^4]$ (Blank if specified below).
	41-50	E10.3	Prismatic Area $[d^2]$ (Blank if specified below).
	51-55	I5	Nonlinear Option.
			Blank to exclude material nonlinearity effects.
			1 to include material nonlinearity effects.
	56-60	I5	Number of Statements that Follow.
	61-65	I5	Axis Option.
			1, if restraints are in the direction of member axes.
			2, if restraints are in the direction of structure axes.
			In both cases, restraints are per unit of length along the member x' -axis, and distances are along the member x' -axis.
	66-70	I5	Output Option.
			If Blank, complete beam-column output is given. If 1, only member end forces are given.
	71-75	I5	FROM Joint Option (see Note 10).
	76-80	I5	TO Joint Option (see Note 11).

Note 9

Number of elements must be between 4 and 20. If Blank, 20 elements are used. If even number of elements are used, displacements and equilibrium errors are printed at the center station for monitor member. If odd number of elements are used, they are printed at the first station from the center towards the FROM joint.

Note 10

If 1, the member is assumed pinned to joint at FROM end. If Blank, the member is assumed rigidly connected to joint at FROM end. If -ij, the member is assumed to be rigidly connected to the joint at FROM end and to have i rigid discrete elements followed by j discrete elements that remain linear regardless of stress level.

Note 11

If 1, the member is assumed pinned to joint at TO end. If Blank, the member is assumed rigidly connected to joint at TO end. If -ij, the member is assumed to be rigidly connected to the joint at TO end and to have i rigid discrete elements followed by j discrete elements that remain linear regardless of stress level.

2nd statement is required only for Prismatic Members with Element Type = SHEAR and Nonlinear Option Blank.

Stat	Col	Format	Entry
2	1-10	E10.3	Modulus of Rigidity $[f/g^2]$.
	11-20	E10.3	Effective Shear Area $[d^4]$.

3rd and succeeding statements of the set if Nonlinear Option is Blank and Element Type = FLEX. An example presented at the end of this appendix illustrates the input of this particular statement.

Stat	Col	Format	Entry
3/3+	11-20	E10.3	From (Distance) $[d]$.
	21-30	E10.3	To (Distance) $[d]$.
	31-40	E10.3	Moment of Inertia $(I) [d^4]$.
	41-50	E10.3	Flexural Area $(A) [d^2]$.
	51-60	E10.3	Restraint // to x' or x Axis $(S_{x'}) [f/d^2]$.
	61-70	E10.3	Restraint // to y' or y Axis $(S_{y'}) [f/d^2]$.
	71-80	E10.3	Rotational Restraint about z' -Axis $(S_{z'}) [f]$.

3rd and succeeding statements of the set if Nonlinear Option = 1.

Stat	Col	Format	Entry
3/3+	11-15	I5	Cross Section # at FROM Joint.
	15-20	I5	q-w Curve # at FROM Joint // to x' or x Axis.
	21-25	I5	q-w Curve # at FROM Joint // to y' or y Axis.
	26-30	I5	q-w Curve # at FROM Joint about z' Axis.
	36-40	I5	Cross Section # at TO Joint.
	41-45	I5	q-w Curve # at TO Joint // to x' or x Axis.
	46-50	I5	q-w Curve # at TO Joint // to y' or y Axis.

51-55	I5	q-w Curve # at TO Joint about z' Axis.
61-70	E10.3	q-Multiplier [f/d or f].
71-80	E10.3	w-Multiplier [d or d/d].

TABLE 5B - CROSS-SECTION PROPERTIES

(Number of statements as per Table 1: Number of sets of statements is equal to the number of cross-sections defined in this problem.)

1st statement of the set.

Stat	Col	Format	Entry
1	6-10	I5	Cross-Section Number.
	11-15	I5	Number of Statements that Follow.

2nd and succeeding statements of the set.

Stat	Col	Format	Entry
2/2+	6-10	I5	Number of Equal Layers (see Note 12).
	11-20	E10.3	Width or Outside Diameter [d].
	21-30	E10.3	Depth or Thickness [d].
	31-40	E10.3	Centroidal Distance [d].
	41-45	I5	Area Option.
			If Blank, input is properties of rectangle. If equal to 1, input is properties of thin wall tube.
	46-50	I5	Curve Number.
	51-60	E10.3	Stress-Multiplier [f/d ²].
	61-70	E10.3	Strain-Multiplier [d/d].
	71-80	E10.3	Shear Area Coefficient.

Note 12

If Blank, σ - ϵ will be nonlinear but elastic. If not, σ - ϵ must be symmetric for inelastic treatment, and the sum total of all the layers in a cross section must be ≤ 10 .

TABLE 5C - MEMBER STRESS-STRAIN CURVES

(Number of statements as per Table 1: Two per curve if flexural model is employed and Three per curve if shear model is employed.)

Stat	Col	Format	Entry
1	2-5	A4	Material (Enter MILD if the special model for mild steel is to be used. Otherwise, leave it Blank).
	6-10	I5	Curve Number.
	11-15	I5	Number of Points (see Note 13).
	16-20	I5	Symmetry Option (see Note 14).
	21-30	E10.3	Stiffness Degradation α Factor.
	31-40	E10.3	Stiffness Degradation β Factor.
	41-80	8I5	Flexural Stress - Values.
2	41-80	8I5	Flexural Strain - Values.

Note 13

If σ - ϵ is to follow inelastic path, number of points including origin must be ≤ 4 .

Note 14

If equal to 1, a symmetrical branch is provided internally. The first stress and strain values must be zero if the symmetry option is used. The curve must be symmetric to perform inelastic analysis.

3rd statement is required for the set only if discrete element shear model is employed for this particular cross-section.

<u>Stat</u>	<u>Col</u>	<u>Format</u>	<u>Entry</u>
3	1-10	E10.3	Elastic Shear Modulus $[f/d^2]$.

TABLE 5D - NONLINEAR MEMBER SUPPORT CURVES
(Number of statements as per Table 1: Two per curve)

<u>Stat</u>	<u>Col</u>	<u>Format</u>	<u>Entry</u>
1	6-10	I5	Curve Number.
	11-15	I5	Number of Points.
	16-20	I5	Symmetry Option (see Note 15).
	26-80	11I5	q-Values.
<u>Stat</u>	<u>Col</u>	<u>Format</u>	<u>Entry</u>
2	26-80	11I5	w-Values.

Note 15

If equal to 1, a symmetrical branch is provided internally. The first q and w values must be zero if the symmetry option is used. Then, q-w will be inelastic of the Masing type.

TABLE 6 - MEMBER LOAD DATA
(Number of statements as per Table 1: Number of sets of statements equal to the number of load types defined in this problem)

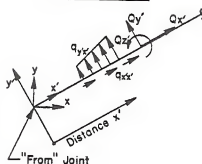
Member loads may be input by any one of the four axis options outlined below:

Q_a is the concentrated load in the direction of the a-axis.

q_{ab} is the distributed load in the direction of the a-axis and has its intensity per unit of length along the b-axis.

Concentrated loads may not be input at distance of 0.0.

AXIS OPTION 1



1st statement of the set.

Stat	Col	Format	Entry
1	6-10	I5	Load Type.
	11-20	E10.3	% Increase in Load.
			Blank Unless Hold Option = 2.
	21-25	A5	DITTO (see Note 16).
	31-40	E10.3	Uniform Load // to x' Axis ($q_{x',x'}$) [f/d].
			Blank, if second statement is used.
	41-50	E10.3	Uniform Load // to y' Axis ($q_{y',y'}$) [f/d].
			Blank, if second statement is used.
	56-60	I5	Number of Statements that Follow.
	61-65	I5	1 (Axis Option).
	80	A1	* (see Note 17).

Note 16

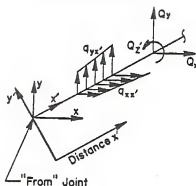
An entry of DITTO will cause all the load types higher than the current load type being defined to have the same % increase without providing additional data statements for them.

Note 17

An entry of * overrides any % of load increase or reduction specified in Table 6 or Table 7 and maintains constant member load.

2nd and succeeding statements of the set.

Stat	Col	Format	Entry
2/2+	11-20	E10.3	From Distance x' (along member) [d].
	21-30	E10.3	To Distance x' (along member) [d].
	31-40	E10.3	Load // to x'-Axis.
			$Q_{x'}$ or $q_{x',x'}$ [f or f/d].
	41-50	E10.3	Load // to y'-Axis.
			$Q_{y'}$ or $q_{y',y'}$ (f or f/d).
	51-60	E10.3	Moment about z'-Axis.
			$Q_{z'}$ or $q_{z',x'}$ [fd or f].
	80	A1	* (see Note 17).

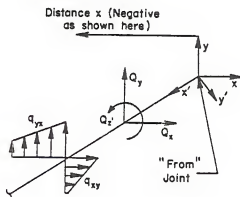
AXIS OPTION 2

1st statement of the set.

Stat	Col	Format	Entry
1	6-10	I5	Load Type.
	11-20	E10.3	% Increase in Load.
			Blank Unless Hold Option = 2.
	21-25	A5	DITTO (see Note 16).
	31-40	E10.3	Uniform Load // to x-Axis ($q_{xx'}$) [f/d].
			Blank, if second statement is used.
	41-50	E10.3	Uniform Load // to y-Axis ($q_{yy'}$) [f/d].
			Blank, if second statement is used.
	56-60	I5	Number of Statements that Follow.
	61-65	I5	2 (Axis Option).
	80	A1	* (see Note 17).

2nd and succeeding statements of the set.

Stat	Col	Format	Entry
2/2+	11-20	E10.3	From Distance x' (along member) [d].
	21-30	E10.3	To Distance s' (along member) [d].
	31-40	E10.3	Load // to x' -Axis.
			Q_x or $q_{xx'}$ [f or f/d].
	41-50	E10.3	Load // to y' -Axis.
			Q_y or $q_{yy'}$ [f or f/d].
	51-60	E10.3	Moment about z' -Axis.
			$Q_{z'}$ or $q_{z'x'}$ [fd or f].
	80	A1	* (see Note 17).

AXIS OPTION 3

1st statement of the set.

Stat	Col	Format	Entry
1	6-10	I5	Load Type.
	11-20	E10.3	% Increase in Load.
	21-25	A5	Blank Unless Hold Option = 2.
	31-40	E10.3	DITTO (see Note 16).
	41-50	E10.3	Uniform Load // to x-Axis (q_{xy}) [f/d].
			Blank, if second statement is used.
			Uniform Load // to y-Axis (q_{yx}) [f/d].
			Blank, if second statement is used.
	56-60	I5	Number of Statements that Follow.
	61-65	I5	3 (Axis Option).
	80	A1	* (see Note 17).

2nd and succeeding statements of the set.

Stat	Col	Format	Entry
2/2+	11-20	E10.3	From Distance x (along structure axis) [d].
	21-30	E10.3	To Distance x (along structure axis) [d].
	31-40	E10.3	Load // to x-Axis.
			Q_x or q_{xy} [f or f/d].
	41-50	E10.3	Load // to y-Axis.
			Q_y or q_{yx} [f or f/d].
	51-60	E10.3	Moment about z'-Axis.
			$Q_{z'}$ or $q_{z'x}$ [fd or f].
	80	A1	* (see Note 17).

AXIS OPTION 4

It is identical to Axis Option 3 except distances are in structure y-axis and 4 is input in column 65 of the first statement.

The member x'-axis goes from the FROM joint to the TO joint. The FROM and TO joints are determined by input of Table 3. An example illustrating various axis options is given at the end of this appendix (22).

TABLE 7 - ITERATION CONTROL
(Two statements unless held from previous problem)

1st statement contains frame solution parameters.

Stat	Col	Format	Entry
1	1-5	I5	# of Load Reductions.
	6-10	I5	# of Time Step Halvings.
	11-15	I5	Maximum Number of Iterations.
	16-20	I5	# of Time Steps.
	21-30	E10.3	Force Error [f].
	31-40	E10.3	Moment Error [fd].
	41-50	E10.3	Size of Time Step [t].
	51-55	F5.2	% Reduction of Joint Load.
	56-60	I5	Total Number of Monitor Joints (< 20).
	61-80	4I5	Monitor Joint Numbers.

+1 1-80 16I5 Continue the remaining Monitor Joint Numbers on the succeeding statements.

2nd statement contains member solution parameters and damping coefficient.

Stat	Col	Format	Entry
2	1-10	E10.3	Mass Dependent Damping Constant (α) [1/t].
	11-15	I5	Monitor Joint option (see Note 18).
	16-20	I5	Maximum Number of Iterations.
	21-30	E10.3	Force Error [f].
	31-40	E10.3	Moment Error [fd].
	51-55	F5.2	% Reduction of Member Load.
	56-60	I5	Total Number of Monitor Members (≤ 20).
	61-80	4I5	Monitor Member Numbers.
2+	1-80	16I5	Continue the remaining Monitor Members on the succeeding statements.

Note 18

- 0 for output of actual displacements of monitor joints in time varying plots.
- 1 for output of monitor joint displacements with respect to first monitor joint in time varying plots.
- 2 for output of monitor joint displacements with respect to the previously input monitor joints in time varying plots (i.e. i+1 with respect to i).

COMMENTS ON INPUT GUIDE

General

The data statements must be stacked in proper order for the program to run.

The last statement of the data must contain CEASE in the first five columns to stop execution.

A consistent system of units of force [f], distance [d], and time [t] must be used for all input data - e.g., pounds, inches, and seconds.

Input data correspond to fourth degree of freedom (v) will be disregarded in the analysis if JSYES (Joint Shear YES) option is not specified.

MBER (meMBER) and RINT (pRINT) options will assist you to detect any convergence problems. Remember that these options will produce huge output.

SAVE option saves member and joint hysteresis on storage devices.

Majority of the five-space words are integers.

All ten-space words are floating-point decimal numbers.

All numbers must be right justified.

The Problem Number may contain alphanumeric characters.

Table 1 - Program Control Data

Data are accumulated in Tables 2 through 7 until the corresponding Hold Options are left blank in Table 1.

The maximum number of statements that can be accumulated in Table 5A is 50 plus the number of Stiffness Types.

The maximum number of statements that can be accumulated in Table 6A is 75 plus the number of Load Types.

Type 1 problems start the iterative solution with zero displacements.

Type 2, 3, and 4 problems use the displacements of the previous problem in their first iteration.

Type 9 problem reads structure data only.

Output Options for dynamic solutions require input of the time step increment between output. A zero or blank gives output only the final time step. A one gives output for every time step and generates a lot of output.

Table 2 - Frame Geometry Data

The first statement gives the total number of joints in the frame, which must not exceed 25.

The reference joint, its coordinates, and the joint location tolerance are given only if the Hold Option for Table 2 is not exercised.

Joints are numbered from 1 to the total number of joints. A joint number may not be deleted in a series unless the Hold Option is not exercised. However, the joint may be structurally deleted by removing all members intersecting at the joint.

The reference joint may be any joint and it may have any coordinates, except that it and other joint coordinates must be less than $1.0E+20$.

The maximum difference in joint numbers, for joints that are connected by members is 5.

The second and succeeding statements in Table 2 specify the location of all additional joints in the frame at least once. If Hold Option is used, only the new joints must be specified.

All offsets must be FROM a previously located joint TO another joint. The TO joint may be a previously defined joint. This allows the user to check the locations of the joints. If the error in the location of the joint is within the joint location tolerance, then the solution continues; otherwise, the solution terminates with an appropriate diagnostic.

The joint location tolerance should allow for normal round-off error. If offsets are input to the nearest 0.1 inch, then a joint location tolerance of 0.3 inch will be usually sufficient for a moderate-sized frame.

The repetition of the TO joint allows the user to locate up to seven joints with one statement, if the offsets between the adjacent new TO joints are the same as between the FROM joint and the first TO joint.

It is not necessary for offsets to be given at locations where members are. However, the location of all joints must be specified at least once.

Table 3A - Joint Data

The joint data is required to incorporate the joint shear deformation effects into the analysis. Only the rectangular joint panels can be prescribed at present.

The first statement gives the total number of Joint Stiffness Types in the frame, which must not exceed 25.

In order for the joints to have same stiffness type, they must have the same dimensions and stress-strain properties.

Joints with the same stiffness type can be specified in a single statement. However, a maximum of 14 joint numbers can be specified in any desired order in a single statement.

Joint Stiffness Type of zero (0) may be input to include joints with negligible stiffness (dimensions).

The properties of the Joint Stiffness Types can be input in any order.

Either modulus of rigidity or joint shear stress-strain curve shall be specified.

A maximum of eight different joint shear stress-strain curves can be specified.

Table 3B - Joint Shear Stress-Strain Curve

The joint shear stress-strain curves need not be input in the order of the curve numbers.

The τ - γ curves must be input such that the γ values are in the ascending algebraic order.

Usually shear stress and shear strain values will have the same sign.

A maximum of eight points can be input for each curve.

Anti-symmetrical curves may be input by specifying only the positive displacement branch including the origin (0,0).

Table 3C - Member Location Data

The first statement gives the total number of member stiffness types and the total number of member load types.

Member stiffness and load types (other than zero) are numbered from one to their total number. The total number of member stiffness and load types must not exceed 25 individually.

The total number of members in the frame must not exceed 50.

Type zero stiffness is used to delete a previously defined stiffness. Type zero load is used to indicate no load on the member. The restrictions on length, orientation etc. outlined below, do not apply to members with zero stiffness type and zero load type.

In order for two members to have the same stiffness type, they must have the same length, the same angular orientation in the frame, and the same stiffness properties with respect to their FROM and TO joints.

In order for two members to have the same load type, they must have the same length, the same angular orientation in the frame, and the same stiffness properties with respect to their FROM and TO joints.

The member coordinate axes are defined by the FROM and TO joints specified. The member x' -axis starts at the FROM joint and goes to the TO joint. The member y' -axis and z' -axis are located from the member x' -axis by the right hand rule.

All members in the frame must be assigned a stiffness type and a load type. This assignment is not accumulative for a member in the frame; i.e., the last values of stiffness and load types specified replace the previous values. Thus, stiffness and load types of a member must be specified on the same statement.

Up to ten members with the same stiffness and load types may be located with a single statement if the FROM joint of each new member is the TO joint of the previous one.

Table 4A - Incremental Joint Loads and Support Linear Restraints

All joint loads and linear supports (restraints) are specified with respect to the structure axes.

Joint loads and restraints are accumulated in Table 4A.

M_v moment and R_v restraint will be included in the analysis only if JSYES option is exercised.

Structure supports may be input as linear elastic joint restraints (springs). Complete fixity of a joint may be achieved by inputting a very large value for the spring stiffness. No round-off errors are encountered when extremely large values are specified unless large values are input and then subtracted away.

Complete freedom of joint movements is obtained by not specifying any restraints at a joint.

A displacement may be enforced by specifying a very large restraint and a corresponding force equal to the desired displacement times the large restraint.

Table 4B - Nonlinear Joint Supports

The latest curve numbers, including zero (which deletes any old curve number), replace the old curve numbers at a joint. Curves may have any number from 1 to 20.

A joint may have both linear supports (Table 4A) and nonlinear supports (Table 4B)

Curve number corresponding to moment restraint in the v-direction is considered only if JSYES option is specified.

Curves may be specified in both structure and member directions. If curves are specified in member directions, then the stiffness type of the member which the curves are referenced to must be given.

The Q and W multipliers input in Table 4B times the Q-W curves input in Table 4C yield the final Q-W values at a joint.

The ratio of the final Q-values to the final W-values should not be many orders of magnitude larger than the stiffness data for the members of the frame, if the supports are specified in member directions.

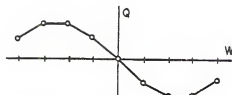
Table 4C - Nonlinear Support Curves

The Q-W curves do not have to be input in the ascending order of the curve numbers.

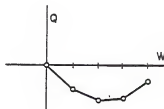
The Q-W curves must be input such that the final W values will be in ascending algebraic order.

Normal Q-W curves will have opposite signs for displacements and forces.

Anti-symmetrical curves may be input by specifying only the positive displacement branch including the origin.



Anti-Symmetrical Curve



Input Curve

Table 4D - Dynamic Joint Forces

Dynamic joint forces need not be input in the ascending order of the joint numbers.

Joint load curve number shall not exceed 20.

Curve number corresponding to M_v moment is ignored in the analysis if JSYES option is not specified.

Table 4E - Dynamic Joint Force Curves

The latest force-time values input to the dynamic joint force curve replace the previously assigned values.

Curves can be input in any desired order.

A maximum of 300 points can be input for a curve.

Table 5A - Member Stiffness Types

Stiffness type must be input in ascending order. If Table 5A is held from the previous problem, then the first new stiffness type in Table 5A (if any) must be equal to the number of stiffness types in the last problem plus one.

Discrete element flexural and shear models can be specified for prismatic members and members with material nonlinearity. But only flexural model can be specified for members with linearly varying stiffness properties.

Prismatic members with FLEX (flexural) element type and a single modulus of elasticity may be input with one statement, if no member restraint is present. Other members with FLEX element type require two or more statements.

Prismatic members with SHEAR element type and a single modulus of elasticity may be input with two statements, if the member has no restraints. Other members with SHEAR element type require three or more statements.

If more than one statement is used to describe a member stiffness type with FLEX element type, the prismatic stiffness properties must be left blank.

If more than two statements are used to describe a member stiffness type with SHEAR element type, the prismatic stiffness properties must be left blank.

If the nonlinear option is left blank, then the third and succeeding statements describe the variation in the linear stiffness properties of the members. This type of input is illustrated later in this appendix.

If any of the member stiffness properties are nonlinear, the nonlinear option is set equal to one and the third statement gives the cross section numbers, and q-w curve numbers, and q and w multipliers, at the member FROM and TO joints. Then the cross section properties, stress-strain curves, and q-w curves are defined in Tables 5B, 5C, and 5D.

The final q-w values used are the product of the q and w multipliers and the q-w curves input in Table 5D.

The latest multipliers, cross section numbers, and curve numbers replace the old data, if any, at a joint.

Cross sections and q-w curves may have any number from 1 to 20.

Effective shear area is equal to the shear carrying area divided by shear area factor. Note that shear area factor is very similar to the inverse of shear area coefficient used in Table 5B.

Table 5B - Cross Section Properties

Cross-sections do not have to be input in the order of their numbers.

Cross sections are defined as a series of up to 10 peices. Each peice may be either a rectangle or a thin wall tube and have a unique flexural stress-strain curve number up to 8. The final stress-strain values are the product of the stress and strain multipliers, and the stress-strain curves input in Table 5C. (Each piece may be subdivided into specified number of layers for inelastic treatment. The total number of sublayers for the whole cross section must be ≤ 10 .)

The centroidal distance input for the tube and the rectangle is the distance from the member x' -axis to the centroid of the pipe or rectangle. This distance is positive if it is along the direction of the member y' -axis. Linear interpolation along the length of the member between corresponding pieces is provided in the program. Thus, the cross section input at the two end joints should have the same number of pieces and pieces should be input in the same order. Interpolation between a rectangular piece and a tubular piece is not allowed.

All data input for a cross section number replaces the previous data, if any, for that cross-section number.

Shear area coefficient times the area of the piece is the contribution of the piece to the shear area of the cross-section. The summation of such areas gives the effective shear area for the cross-section.

Table 5C - Member Stress-Strain Curves

Member flexural stress-strain curves are input similar to the Q-W curves of Table 4C. Normally, stress and strain values will have the same sign.

Corresponding pieces in the cross-sections at the two end joints must have the same number of points on their flexural stress-strain curves. This allows linear interpolation along the length of the member. If inelastic algorithm is specified, the corresponding pieces must have exactly the same σ - ϵ curve at the two ends of the member.

Elastic shear modulus is specified only if discrete element SHEAR model is used for the particular member.

Table 5D - Nonlinear Member Support Curves

Member support curves (q-w) are input similar to the Q-W curves of Table 4C. However, the final q values will have the unit of force per unit distance.

The q-w curves at both joints of a member must have the same number of points. This allows linear interpolation along the length of the member.

Table 6 - Member Load Data

Load types must be input in ascending order. If Table 6 is held from the previous problem then the first new load type in Table 6 (if any) must be equal to the number of load types in the last problem plus one.

If the Hold Option for Table 6 is set equal to two (2) in Table 1, then Table 6 must have one statement for each old type, which has the load type and the percent (25 percent = 25.0) increase in absolute value of all loads described in that load type, plus whatever statements are needed to define any new load types.

Load types with only uniform loads over the full member length may be input with only one statement. Other loadings require two or more statements.

If more than one statement is used to describe a member load type, the uniform loads on the first statement must be left blank.

Variable, concentrated, and partial uniform loadings must be input in sections but need not be input consecutively, and sections may overlap. This format is illustrated later in this appendix.

All sections, except concentrated loads, must have their TO distance larger in absolute value than their FROM distance by more than the length of one discrete element.

Concentrated loads may not be specified at a distance of 0.0.

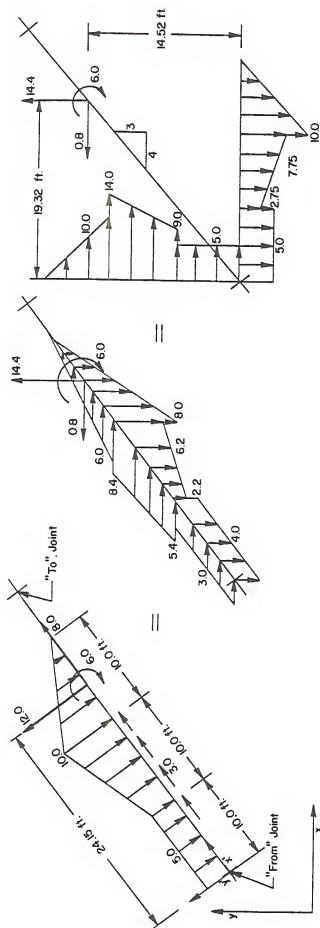
Table 7 - Iteration Control

The maximum number of iterations for the frame and member solutions should be specified to save computer time. Normally, convergence will be reached within five or ten iterations. An upper limit of 20 is set in the program.

The allowable equilibrium errors may be set by the following procedure until the user develops his own special requirements. Select as a force and a moment that would have a negligible effect on the frame if applied at any point in the frame. (For example, the designer may know the value of his loads to the nearest 0.1 kips. Then a reasonable joint force error would be 0.01 kips, and a reasonable moment error would be 0.01 kips times the length of a typical member.) The errors permitted in the member solution should be 0.1 times the corresponding joint errors to allow for round-off.

Monitor joints and members options may help to study the iteration process, particularly if the solution fails to converge. The numbers of the monitor members are the ones assigned by the program in the order in which the members are input in Table 3C. In a dynamic problem, hysteresis information will be output for monitor members only, and the time history of displacements and shear moments will be printed and plotted for monitor joints only.

A maximum of 20 monitor joints and 20 monitor members can be specified.



Axis Option 1				Axis Option 2				Axis Option 3				Axis Option 4			
From	To	Q_x, Q_{xx}	Q_y, Q_{yy}	From	To	Q_x, Q_{xx}	Q_y, Q_{yy}	From	To	Q_x, Q_{xx}	Q_y, Q_{yy}	From	To	Q_x, Q_{xx}	Q_y, Q_{yy}
0.0	10.0	-5.0	-5.0	0.0	10.0	3.0	-4.0	0.0	8.0	5.0	-5.0	0.0	6.0	5.0	-5.0
10.0	10.0	3.0	-5.0	10.0	10.0	5.4	-2.2	8.0	8.0	9.0	-2.75	6.0	6.0	9.0	-2.75
20.0	20.0	3.0	-10.0	20.0	20.0	8.4	-6.2	16.0	16.0	14.0	-7.75	12.0	12.0	14.0	-7.75
24.15	24.15	8.0	12.0	24.15	24.15	-0.8	14.4	19.32	19.32	-0.8	14.4	14.52	14.52	-0.8	14.4
20.0	20.0	-10.0	-10.0	20.0	20.0	6.0	-8.0	16.0	16.0	10.0	-10.0	12.0	12.0	10.0	-10.0
30.0	30.0	0.0	0.0	30.0	30.0	0.0	0.0	24.0	24.0	0.0	0.0	18.0	18.0	0.0	0.0

o - One Statement for Concentrated Loads

• - One Statement for Sections with Uniform Loads

* - Two Statements for Sections with Linearly Varying Loads

Notes:

There is No Restriction on the Length of a Section Except that it Must Exceed the Length of One of the Discrete Elements.

"From" and "To" Joints Set by Input in Table 3C.

Sections Need Not be Input in Order.

Concentrated Loads May Not be Input at a Distance of 0.0.

APPENDIX D

JOB CONTROL LANGUAGE STATEMENTS

This appendix presents the data sets (files) involved in the FRAME82 analysis of frame structures. FRAME82 analysis requires sequential data sets. The data sets can be stored in either magnetic tapes or direct-access storage devices. However, direct-access storage devices of disk type are recommended for the FRAME82 analysis since they require less access time than the magnetic tapes. Cards may be used for the units that store the hysteretic response of the structure subjected to dynamic loading.

The program, FRAME82, requires four scratch files and three permanent files. Three more permanent files are required if SAVE option is to be specified in the analysis. Cards may be used as the storing device for those additional permanent files, since the member and joint hysteresis output stored in these three units need not be read during the execution.

Scratch files 1, 2, 3, and 4 are used to transfer member results back and forth from the core during a run. This reduces the memory requirements for member results to that of a single member since the results of only one member are held in the core at any time. Cataloged (permanent) files 11, 12, and 13 are used to store the results of the entire frame; i.e. joint and member results. Cataloged files 14, 15, and 16 save member hysteresis at the FROM and TO ends in the direction of original geometry, member responses at the sections near to the FROM

and T0 joints in the direction of deformed geometry, and joint displacements and joint shear moments about the z-axis, respectively.

The results are alternatively written on to files 1 and 2, 3 and 4, and 11 and 12 on successive steps so that there will be at least a complete set of good results in the case of convergence or power failure. File 13 keeps the information about which of the two files 11 and 12 contains the latest complete set of good results of the frame analysis.

At the end of each load increment or time step, if a successful solution is obtained (i.e. member and joint solutions satisfy the prescribed equilibrium errors), the member and joint solutions and related quantities are written on to permanent files 11 and 12. Member solutions and related quantities are stored in scratch files 1 and 2. However, the joint information remains within the core and requires an insignificant amount of space compared to that of member information. Therefore, usage of same space parameters is suggested for files 1, 2, 11, and 12. Files 3 and 4 store the indices for various sublayers of the discrete elements and for member support curves to keep track of the occurrence of strain reversal. Since the Input/Output operations are very small, files 3 and 4 do not need large space as files 1 and 2. Nominal size space is adequate for file 13, since it contains only the number of the unit which stores the latest complete set of good results.

Files 14, 15, and 16 are required only if SAVE option is prescribed and their sizes are depended on the number of time steps. Refer to the WRITE statements in subroutines DYNA and DYNAJS to compute the space requirements for these files.

The example problems solved in this study were run on IBM 3081 in conjunction with IBM 3033 and IBM 4341 as supports in a 3 cpu environment. The JCL statements used in Example 9.2 are listed below (6, 47).

```
//EX92 JOB (2006,0800,400,20,0),'V.BALACHANDRAN',CLASS=1,
// REGION=1000K,TYPRUN=HOLD
//PASSWORD
//*ROUTE
//STEP1 EXEC PGM=FRAME82
//STEPLIB DD DSN=UF.B3060801.S1.FRAME83,DISP=SHR
//FT01F001 DD UNIT=3380,DCB=(RECFM=VBS,BLKSIZE=23476),
// SPACE=(TRK,(03,01),RLSE,CONTIG)
//FT02F001 DD UNIT=3380,DCB=(RECFM=VBS,BLKSIZE=23476),
// SPACE=(TRK,(03,01),RLSE,CONTIG)
//FT03F001 DD DCB=(RECFM=VBS,BLKSIZE=5492,BUFNO=1),
// UNIT=3380,SPACE=(TRK,(02,01),RLSE,CONTIG)
//FT04F001 DD DCB=(RECFM=VBS,BLKSIZE=5492,BUFNO=1),
// UNIT=3380,SPACE=(TRK,(02,01),RLSE,CONTIG)
//FT06001 DD SYSOUT=A,DCB=(RECFM=FA,LRECL=133,BLKSIZE=133)
//FT11F001 DD DSN=UF.B3060801.S1.BALA11,UNIT=3380,
// DISP=(OLD,KEEP),SPACE=(TRK,(03,01),RLSE,CONTIG),
// DCB=(RECFM=VBS,BLKSIZE=23476)
//FT12F001 DD DSN=UF.B3060801.S1.BALA12,UNIT=3380,
// DISP=(OLD,KEEP),SPACE=(TRK,(03,01),RLSE,CONTIG),
// DCB=(RECFM=VBS,BLKSIZE=23476)
//FT13F001 DD DSN=UF.B3060801.S1.BALA13,UNIT=3380,
// DISP=(OLD,KEEP),SPACE=(TRK,(1,1),RLSE,CONTIG),
// DCB=(RECFM=VBS,BLKSIZE=20)
//FT14F001 DD DSN=UF.B3060801.S1.BALA14,DISP=(MOD,CATLG),
// DCB=(DSORG=PS,RECFM=FB,LRECL=80,BLKSIZE=23440),
// UNIT=3380,SPACE=(TRK,(35,05),RLSE,CONTIG)
//FT15F001 DD DSN=UF.B3060801.S1.BALA15,DISP=(MOD,CATLG),
// DCB=(DSORG=PS,RECFM=FB,LRECL=80,BLKSIZE=23440),
// UNIT=3380,SPACE=(TRK,(35,05),RLSE,CONTIG)
//FT16F001 DD DSN=UF.B3060801.S1.BALA16,DISP=(MOD,CATLG),
// DCB=(DSORG=PS,RECFM=FB,LRECL=80,BLKSIZE=23440),
// UNIT=3380,SPACE=(TRK,(16,04),RLSE,CONTIG)
//FT05F001 DD *
//*INCLUDE DATA
CEASE
/*EOJ
```

If the permanent data sets do not exist in the system at time of first run, the files 11 through 16 have to be created using the disposition parameter DISP=(NEW,CATLG). For subsequent runs, disposition parameter needs to be changed to DISP=(OLD,KEEP) for files

11, 12, and 13, and DISP=(MOD,CATLG). for files 14, 15, and 16. Use the following DD statement for files 14 through 16 if the member and joint hysteresis is to be punched on cards.

```
//FTnnF001 DD SYSOUT=B,DCB=(RECFM=FB,LRECL=80,BLKSIZE=80)
```

Refer to System/370 Job Control Language by G. E. Brown (6) for further information regarding the JCL statements.

APPENDIX E
GLOSSARY OF FORTRAN VARIABLES IN FRAME82

CURVAT1()	curvature at left hinge of discrete element	DHM()	matrix of member end displacements in member coordinates
CURVAT2()	curvature at right hinge of discrete element	DMS()	matrix of member end displacements in member coordinates
DI(,)	area of subrectangle	DMSH()	matrix of member end displacements in a DOP structure coordinate system
DACCUT()	incremental acceleration of joint	DP	depth of rectangle or thickness of pipe
DAE	AE of subrectangle	DQ	slope of linear variation in loading or elastic restraints
DBCL()	change in $BI(, ,)$ between from and to joints divided by M	DQC()	change in force between corresponding joints at from and to joints
DC(,)	direction of direction cosines		change in member support curve at from and to joints
DC1(,)	transpose of $DC(,)$		incremental static loads at joint in $x/y/z$ and v directions
DC1,PC2	direction cosines for load types	DOXX(),DOYY(),	change in $SRC()$ between from and to joints divided by M
DC1L(),DC2L()	direction cosines for stiffness types	DOZZ(),DOVV()	slope of linear stiffness variation
DC1S(),DC2S()	depth of subrectangle	DSHCL()	change in $SRC(,)$ between corresponding points on stress stress curve at from and to joints
DC2L()	change in $DI(, ,)$ between from and to joints divided by M	DS(, ,)	4.0/DTI
DDIS	distance between member output stations	DSGL(,)	2.0/DTI
DDI	difference in horizontal displacements of ends of element	DSSI	2.0/DTI*2
DDY	difference in vertical displacements of ends of element	DSS2	time step increment
DDZ	difference in rotation of ends of shear element	DTE	angle cut one subrectangle
DEL	length of section of member loading	DT	time step increment
DELA	axial deformation in shear element	DTI	incremental velocities of joints
DELA2	DELA/2.0	DVSLJT()	change in displacement values between corresponding points on member support curves at from and to joints divided by M
DELH	difference in rotation of ends of shear element	DW()	x and y offsets
DELS	element deformation in shear element	Dx,Dy	member static displacements
DELS2	DELS/2.0	DX(),DY(),DZ()	x and y offsets for load types
DELTA	increment of joint displacement	DYL(),DYL()	x and y offsets for stiffness types
DELTA2	change in strain between corresponding points on stress strain curves at from and to joints divided by M	DZ(),DZ()	joint displacements
DEPSL()	dynamic force increments at a loading station	DZJ(),DZJ()	displacements stored for monitor
DPPS(,)	three or four dynamic force increments at a loading station	DZVJ(),DZVJ()	displacements at all stations (axial, lateral or rotational)
DPJXT(),DPJVT()	change in $GL()$ between from and to joints divided by M	DZJ()	change in $YCI()$ between from and to joints divided by M
DPL()	depth of rectangle or thickness of pipe	DZL,DZ2	modulus of elasticity
DI(,)	distance from the from joint to output station	E	modulus of elasticity
DIS	displacements of monitor joint at time step	EA	moment of inertia times modulus of elasticity
DISJ(,)	alphametric constant	EI	EI at first and second rotational springs in element
DITT	alphametric check for same percent increase of member loads	E1,E12	stiffness
DITTO()		EITEM()	

KOPFQW if equal to 1, member support curve limit exceeded
 KOPFSE if equal to 1, stress strain curve limit
 KORD(,) if equal to 1, monitor joint has support curve limit exceeded
 KOUNT temporary integer variable to count statements
 KR,KL integers for corresponding points on opposite ends of symmetrical stress strain curve
 KSETPD warning message when a run excluding geometric nonlinearities is analyzed
 KTEMP temporary value
 LOCAL see comment in SUBROUTINE ELEMST
 LITL problem type
 LITL problem type of last problem
 L1-L7 dimension limits
 L7M1 L7 - 1
 L7M2 L7 - 2
 L7M3 L7 - 3
 L7M4 number of elements in member
 L7M5 material for a stress strain curve
 L7M6 material for joint shear stress strain curve
 L7M7 region index for member support curves;
 L7M8 yield surface definition similar to REGION
 L7M9 denotes direction of member support curve, $\pm 2,3$ are in the directions of member support curve, ± 1 is reversal index at element in 3 directions (see MCXYZ = 1 reversal occurred, =0 did not occur)
 L7M10 maximum value permitted for IDJT
 L7M11 alphanumeric check for dup of iteration details of members
 L7M12 $HUB + 1$ value permitted for INB
 L7M13 alphanumeric constant
 L7M14 monitor joint member
 L7M15 monitor joint
 L7M16 control for multiple load option
 L7M17 number of discrete elements by load type
 L7M18 number of elements
 L7M19 monitor member number
 L7M20 $E - 1$
 L7M21 maximum number of cross sections
 L7M22 maximum value permitted for MC5
 L7M23 maximum value permitted for MC6
 L7M24 maximum number of elements per member
 L7M25 maximum number of nonlinear joint curves
 L7M26 maximum number of joint shear stress strain curves
 L7M27 maximum value permitted for NJT
 L7M28 maximum value permitted for NLT
 L7M29 maximum value permitted for NLT
 L7M30 maximum value permitted for NLT
 L7M31 maximum number of nodes on MH
 L7M32 maximum number of nodes
 L7M33 maximum number of pieces in cross section
 L7M34 maximum number of points for defining a dynamic force curve
 L7M35 maximum number of member soil support curves
 L7M36 maximum value permitted for NST
 L7M37 maximum number of stress strain curves
 L7M38 maximum number of time steps that can be analyzed in a single run
 L7M39 $HRTIP + 1$
 L7M40 maximum number of dynamic force curve
 L7M41 maximum number of stress strain curves
 L7M42 see comments after statement # 9900 in SUBROUTINE RDMST
 L7M43 = 1 member final results printed
 L7M44 = 0 member final results not printed
 L7M45 $H + 2$
 L7M46 $(H + 2)/2$
 L7M47 $HRTIP - 1$, (also same as maximum number of component curves, if inelastic action to be considered)
 L7M48 maximum number of points (including nonlinearities) defining symmetric part or stress strain curve, if inelastic action to be considered
 L7M49 $HRTIP$ for stiffness type
 L7M50 number of discrete elements for stiffness type
 L7M51 material for either member or joint
 L7M52 material for special ALPHA-BETA model used consistent with other restraints (see input guide)
 L7M53 cross section number
 L7M54 a variable locally used in SUBROUTINE SECUR for identifying and processing stress strain curves specified with the input guide for wild steel
 L7M55 area number at left joint
 L7M56 area number at or right joint
 L7M57 curve number

MNJSS maximum number of joint shear stress strain curves
 MNJST maximum number of joint stiffness types
 MNJTC maximum value permitted for NJT
 MNJTL maximum value permitted for NLT
 MNM maximum value permitted for NLT
 MNMH maximum value permitted for NLT
 MNMS maximum number of nodes on MH
 MNMC maximum number of nodes
 MNPC maximum number of pieces in cross section
 MNPT maximum number of points for defining a dynamic force curve
 MNPS maximum number of member soil support curves
 MNST maximum value permitted for NST
 MNSS maximum number of stress strain curves
 MNSTIP maximum number of time steps that can be analyzed in a single run
 MNSTIP + 1
 MNTHL maximum number of dynamic force curve
 MNTHL maximum number of stress strain curves
 MNTHL see comments after statement # 9900 in SUBROUTINE RDMST
 MNTHL = 1 member final results printed
 MNTHL = 0 member final results not printed
 MNTHL $H + 2$
 MNTHL $(H + 2)/2$
 MNTHL $HRTIP - 1$, (also same as maximum number of component curves, if inelastic action to be considered)
 MNTHL maximum number of points (including nonlinearities) defining symmetric part or stress strain curve, if inelastic action to be considered
 MNTHL $HRTIP$ for stiffness type
 MNTHL number of discrete elements for stiffness type
 MNTHL material for either member or joint
 MNTHL material for special ALPHA-BETA model used consistent with other restraints (see input guide)
 MNTHL cross section number
 MNTHL a variable locally used in SUBROUTINE SECUR for identifying and processing stress strain curves specified with the input guide for wild steel
 MNTHL area number at left joint
 MNTHL area number at or right joint
 MNTHL curve number

NA() maximum number of cross sections
 NA() maximum value permitted for MC5
 NA() maximum value permitted for MC6
 NA() maximum number of elements per member
 NA() maximum number of nonlinear joint curves
 NA() maximum number of joint shear stress strain curves
 NA() maximum value permitted for NJT
 NA() maximum value permitted for NLT
 NA() maximum value permitted for NLT
 NA() maximum value permitted for NLT
 NA() maximum number of nodes on MH
 NA() maximum number of nodes
 NA() maximum number of pieces in cross section
 NA() maximum number of points for defining a dynamic force curve
 NA() maximum number of member soil support curves
 NA() maximum value permitted for NST
 NA() maximum number of stress strain curves
 NA() maximum number of time steps that can be analyzed in a single run
 NA() $HRTIP + 1$
 NA() maximum number of dynamic force curve
 NA() maximum number of stress strain curves
 NA() see comments after statement # 9900 in SUBROUTINE RDMST
 NA() = 1 member final results printed
 NA() = 0 member final results not printed
 NA() $H + 2$
 NA() $(H + 2)/2$
 NA() $HRTIP - 1$, (also same as maximum number of component curves, if inelastic action to be considered)
 NA() maximum number of points (including nonlinearities) defining symmetric part or stress strain curve, if inelastic action to be considered
 NA() $HRTIP$ for stiffness type
 NA() number of discrete elements for stiffness type
 NA() material for either member or joint
 NA() material for special ALPHA-BETA model used consistent with other restraints (see input guide)
 NA() cross section number
 NA() a variable locally used in SUBROUTINE SECUR for identifying and processing stress strain curves specified with the input guide for wild steel
 NA() area number at left joint
 NA() area number at or right joint
 NA() curve number

NB() maximum number of cross sections
 NB() maximum value permitted for MC5
 NB() maximum value permitted for MC6
 NB() maximum number of elements per member
 NB() maximum number of nonlinear joint curves
 NB() maximum number of joint shear stress strain curves
 NB() maximum value permitted for NJT
 NB() maximum value permitted for NLT
 NB() maximum value permitted for NLT
 NB() maximum value permitted for NLT
 NB() maximum number of nodes on MH
 NB() maximum number of nodes
 NB() maximum number of pieces in cross section
 NB() maximum number of points for defining a dynamic force curve
 NB() maximum number of member soil support curves
 NB() maximum value permitted for NST
 NB() maximum number of stress strain curves
 NB() maximum number of time steps that can be analyzed in a single run
 NB() $HRTIP + 1$
 NB() maximum number of dynamic force curve
 NB() maximum number of stress strain curves
 NB() see comments after statement # 9900 in SUBROUTINE RDMST
 NB() = 1 member final results printed
 NB() = 0 member final results not printed
 NB() $H + 2$
 NB() $(H + 2)/2$
 NB() $HRTIP - 1$, (also same as maximum number of component curves, if inelastic action to be considered)
 NB() maximum number of points (including nonlinearities) defining symmetric part or stress strain curve, if inelastic action to be considered
 NB() $HRTIP$ for stiffness type
 NB() number of discrete elements for stiffness type
 NB() material for either member or joint
 NB() material for special ALPHA-BETA model used consistent with other restraints (see input guide)
 NB() cross section number
 NB() a variable locally used in SUBROUTINE SECUR for identifying and processing stress strain curves specified with the input guide for wild steel
 NB() area number at left joint
 NB() area number at or right joint
 NB() curve number

NC() maximum number of cross sections
 NC() maximum value permitted for MC5
 NC() maximum value permitted for MC6
 NC() maximum number of elements per member
 NC() maximum number of nonlinear joint curves
 NC() maximum number of joint shear stress strain curves
 NC() maximum value permitted for NJT
 NC() maximum value permitted for NLT
 NC() maximum value permitted for NLT
 NC() maximum value permitted for NLT
 NC() maximum number of nodes on MH
 NC() maximum number of nodes
 NC() maximum number of pieces in cross section
 NC() maximum number of points for defining a dynamic force curve
 NC() maximum number of member soil support curves
 NC() maximum value permitted for NST
 NC() maximum number of stress strain curves
 NC() maximum number of time steps that can be analyzed in a single run
 NC() $HRTIP + 1$
 NC() maximum number of dynamic force curve
 NC() maximum number of stress strain curves
 NC() see comments after statement # 9900 in SUBROUTINE RDMST
 NC() = 1 member final results printed
 NC() = 0 member final results not printed
 NC() $H + 2$
 NC() $(H + 2)/2$
 NC() $HRTIP - 1$, (also same as maximum number of component curves, if inelastic action to be considered)
 NC() maximum number of points (including nonlinearities) defining symmetric part or stress strain curve, if inelastic action to be considered
 NC() $HRTIP$ for stiffness type
 NC() number of discrete elements for stiffness type
 NC() material for either member or joint
 NC() material for special ALPHA-BETA model used consistent with other restraints (see input guide)
 NC() cross section number
 NC() a variable locally used in SUBROUTINE SECUR for identifying and processing stress strain curves specified with the input guide for wild steel
 NC() area number at left joint
 NC() area number at or right joint
 NC() curve number


```

Q11-Q76
loads on member end stations (increment
for incremental fixed end force
solution, zero for member stiffness
matrix solutions and total for
evaluation of total end forces on
member)
member station loads
member loads at edges of sections
values of QXL( ),QYL( ),QZL( ) at left
end of section
values of QXL( ),QYL( ),QZL( ) at right
end of section
joint loads
QX1( ),QY1( ),
QZ1( ),QW1( ),
QX11-Q11T,Q21T-Q21T
temporary values of QX1( ), QY1( ), QZ1(
), QW1( ) or loading or restraints at
beginning and end of element
difference in axial displacement between
discrete rotational hinges in element
switch (if equal to +1 negative
curvature, if equal to -1 positive
curvature)
radius of member support curve or
joint support curve
mean radius of pipe
recursion multipliers
characteristic resistance defining
component of member or joint support
curve
RMX for support curve at joint
RMX1 for member support curve at the
center of a discrete element
joint reactions
difference in lateral displacement
between discrete rotational springs in
member
stiffness matrix used for member springs
in structure coordinates
S*CO31H
S*CO31
see comments in subroutines MEMENT and
MEMNT
SLMNT stiffness matrix (6X6)
3X3 portion of SREY1
3X6 member stiffness
member solutions - composed of 3X3
submatrices of element stiffness matrix
3X3 portion of SEN stored for element
matrix while forming SEN for station I
SEN5
SEN2
shear force at the hinge of the shear
element along the decreased axis
shear stress coefficient at left or right
end
shear area coefficient at left or right
end
shear area coefficient at mid-element
alphanumeric constant to include
discrete shear element model
shear stress coefficient at discrete
rightmost hinge of leftmost and
rightmost hinge of discrete element
hinges of member member at each time
step (leftmost and rightmost element
element hinges for linear member)
joint shear moment
joint shear moment
time step
stress at centroid of subrectangle
characteristic stress of component
history dependent stress at hinge for a
sublayer
stress values for stress strain curve
stress values for a component curve
stress definition of sigma
epsilon curve at left end of joint
epsilon curve at right end of joint
stress values for complete stress strain
curve at mid-element
SIGT critical part of SIGT( )
SIGT1 critical part of SIGT( )
SINI for support curve number
SINI1 SIN of rotation at station I
SINISIN SIN of rotation at station IM1
SINI + SINI1
SINI + SINI2
sin(THETA)
sin(THETA1)
sin(THETA2)
sin(2*THETA)
sin(2*THETA1)
sin(2*THETA2)
joint constant to calculate joint shear
moment and stiffness
tangent spring stiffnesses of joint
support
diagonal stiffness term for joint
stiffness matrix
vector of stiffness coefficients
the smaller stiffness at bifurcation
point
temporary value of SIBPR
SIBPR at either left hinge of discrete
structural element or the hinge of
discrete structural element for a
subrectangle, for a component curve

```



```

TH      element length
THDR    deformed length of shear element along
        vertical geometry
THDX1   /THDX
THDX2   angle axially deformable bar in element
THETA   makes with member x-prime axis
        angle between the line joining the
        deformed ends of the shear element and
        thickness of joint shear panel
THKJ( ), THKJT
TIME    time corresponding to time step being
        analyzed
TLTR     thrust at left and right ends of element
TH( , ) temporary matrix to store portions of
        element stiffness matrix and initial
        forces (initial stress matrix)
        alphanumeric variable internally set
        to denote present and next time steps in
        a dynamic problem and none in a static
        problem
THSTP    force, axial displacement,
        lateral displacement, shear forces and
        moments, constitutive parameters and
        lateral displacement on right end of
        monitor members at time steps
        joint location tolerance
TOL      total time range for dynamic analysis
TOTIME  matrix THD when transforms member
        matrix THD into matrix TH
TRD( , ) transforms of matrix THD
TRR( , ) transforms member stiffness and load
        matrices from 3 DOF to 4 DOF in
        structure coordinates
THO( , ) matrix TH when transforms member off-
        diagonal stiffness matrix
        into matrix TH
TT       center bar in axially deformable
        thrust at the hinge of shear element
        along deformed axis
TT, TTIS( ), TTI    temporary location for calculation of
        temporary location on cross section
        axial force on cross section
        tan(THSTP)
        THDTH
        THDTH2
TTM      time scale of dynamic force curve number
TTM( )   temporary location for calculation of
        axial force on cross section
        2*THD
TOL      thrust in element stored for all
        time steps
TIS( )   see comments after statement # 4100 in
        SUBROUTINE FAREEV
TTISLEP, TTISRET

```

```

TI, T2    thrust at first and second rotational
          springs in flexural displacement
TJ3       temporary matrix used to obtain triple
          product
T43( , ) temporary matrix used in matrix
          multiplication
          multiplication with which joint or member
          support is considered for computing
          resistance and stiffness
          uniform member loads
          temporary values of UQZ( ), UQZ( )
          residual deformation of component of
          joint or member support curve
          UQZ( ), UQZ( )
          UQZT, UQZT
          UQ( )
          URT( )
          U1( ), U2( )
          U1T, U2T
          U1TT( ), U2TT( )
          V
          V1, V2
          V1J( ), V1JT
          V1J2
          V1
          VTM
          VTMH2
          VDJ( ), VDJT
          VDJ1
          VTM, VTM5, VTM6
          V1( ), V2( )
          V1T, V2T
          V1TT( ), V2TT( )
          U( )
          U( )
          UJ
          UH1( )
          UH2( )
          UH3( )
          UH4( )
          UH5( )
          UH6( )
          UH7( )

```

shear velocity
 shear at left and right ends of element
 vertical length of rectangular joint
 shear panel, below center
 VDJ() at to end
 shear force in axially deformable center
 VTMH2
 vertical length of rectangular joint
 shear panel, above center
 VDJ() at from end
 velocities at joint in SUBROUTINE DYNAJS
 by the velocities at joint in SUBROUTINE
 shear forces on ends of elements
 shear forces on ends of elements
 shear forces on ends of elements
 see comments in SUBROUTINES ELEMST and
 FORMID
 factor of displacement increments from
 SUBROUTINE FAREEV
 characteristic deformation defining the
 component of joint or member support
 curve
 displacement or stress
 displacement multiplier for member
 support curves
 displacement multiplier for joint
 support curves
 residual deformations of components of
 member support curves
 temporary value of UH

APPENDIX F
FORTRAN LISTING OF FRAME82

```

COMMENT - MAIN PROGRAM OF FRAMES2
REAL*8 REAL#8 (A-R, C-Z)
REAL*4 DISJT
2 3 4
FORCEL, STRANL, BMOENL, CURVAL, SHFORL, GAMMAL,
FORCE, STEARE, BMOHNE, CURVAR, SHFORE, GAMMAR,
PRAE, FEAAD, PRACH, FERROT, FEMLT,
TOAIF, TOAAD, TOMCH, TCHOT, TOSIF, TOLD,
SHBJ
COMMENT - THIS DRIVER ONLY DIMENSIONS PROGRAM
COMMENT - TO CHANGE DIMENSIONS CHANGE ONLY THIS DRIVER AND DIMENSIONED
COMMENT - COMMON BLOCKS IN APPROPRIATE SUBROUTINES
COMMENT - VALUES DO NOT CHANGE IN DIMENSIONED COMMON BLOCKS
***** DIMENSION GUIDE *****
COMMON /B(L9,L4) RO(L6) M(L6)
COMMON /BLOC1(4,MNJT) BLOCK2(MNJT)
COMMON /COMMON BLOCK4(MN) BLOCK5(MNCS) BLOCK9(MNLT)
COMMON /COMMON BLOCK7(L1) BLOCK8(MNJS) BLOCK9(MNPCS)
COMMON /COMMON BLOC11(MNJT)
COMMON /COMMON BLOC10(4,L4) BLOC12(MNCS,MNPCS) BLOC13(MNSS)
COMMON /COMMON BLOC14(MNCH) BLOC16(MNJT)
COMMON /COMMON BLOC22(MNJT) & (4,MNJS,MNJTST1)
COMMON /COMMON BLK9 (MNTVJL,MNPTF) BLOC23(5,MNJT)
COMMON /COMMON BLOC11 (MNJT)
COMMON /COMMON SKT5 (MNE1,10) SKT6 (MNE1,10)
COMMON /COMMON SKT7 (MNE1) SKT8 (MNE1,6)
COMMON /COMMON SKT13(MNCS,MNPCS) SKT12(MNSS,MSSIN1)
COMMON /COMMON SKT15(MNE1,2,MNPCS) SKT14(MNE1,2,MNPCS)
COMMON /COMMON SKT19(MNJT,5) SKT20 (MNE1,3)
COMMON /COMMON SKT25(MNJT,5) SKT28 (MNE1,MNJTST1)
COMMON /COMMON SKT30(MNSS) & (MNE1,2,MNPCS) SKT31 (MNE1,2,MNPCS)
COMMON /COMMON SKT32(MNE1,MNPCS,MSSIN1) & (MNE1,2,MNPCS) SKT34 (MNJT)
*****
DIMENSION AR(100,24), RO(100),W(100)
COMMON /DBLK1/KEEP4C,NC4D4,KEEP4Z,NC4ZE
COMMON /DBLK3/ MNTVJL
COMMON /DBLK1/ X(25), Y(25), QXX(25), QYY(25),
DIY(25), DZZ(25), RXX(25), RYY(25), RZZ(25),
NSXT(25), NXY(25), NRZZ(25), QJY(25),
NSVP(25), ISTJB(25),
COMMON /BALA01/ QVV(25), SVV(25), DVV(25), ZRVV(25),
COMMON /BLOCK2/ DSVV(25), DTS(25), ZLS(25), DCIS(25),
DCZS(25), PRF(25), PRAE(25), QM(25), WM(25),
IGFOR(25), ELEEN(25), IPIHR(25), NC51(25), TULOP(25),
NAL(25), NSXL(25), NSYL(25), NSZL(25), BAR(25),
NSXR(25), NSYR(25), NSZR(25), NCDS(25), IACIPS(25),
COMMON /BALA05/ SS(25),HLJ(25),HEJ(25),VLJ(25),VJJ(25),
THKJ(25),
COMMON /BLOCK3/ DIL(25), DYL(25), DCIL(25),
DC2(25), UOYH(25), UQY(25), NCDL(25), IAXOPL(25),
NC61(25),
COMMON /BLOCK4/ POMH(50,6), SMC(50,21), IST(50), LI(50),
JTI(50), JTI(50), NITE(50), IMM(50), IMC(50),
COMMON /BLOCK5/ XEL(50), FL(50), AEL(50),
SXL(50),
COMMON /BLOCK6/ XLL(75), XEL(75), QXL(75), QYL(75),
FGL(75),
COMMON /BLOCK7/ AE(22), SY(22), SY(22),
SZ(22), QZ(22), QZ(22), DI(22),
SOY(22), REX(22), RY(22), ERZ(22),
WIS(22), VZ(22), WZ(22), DS(3*22),
BIS(22), TIS(22), ISJ(20),
COMMON /BLOCK8/ NPT(22), NJJ(11),
COMMON /BALA09/ GL(10), SHCL(10), DSCHL(10),
COMMON /BLOCK9/ DCIL(10), DBCL(10), DCIL(10), DPCL(10),
YCL(10), DCIL(10), EPSI(10,11), DSIGL(10,11),
DEPSL(10,11), ISST(10), NSSR(10),
COMMON /BLOCK10/ ZHASS(25), FTXJ(25), FTXJY(25), FTHJZZ(25),
COMMON /BALA11/ FTXJ(25), FTXJY(25), FTHJZZ(25),
COMMON /BLOCK11/ SS(14,24),
COMMON /BLOCK12/ SS(20,10), EM(20,10), BI(20,10), DI(20,10),
COMMON /BALA13/ NSS(20,10), NA(20), NCDA(20), TRECT(20,10),
COMMON /BLOCK13/ NPAS(08), ISS(08), NSIG(08,11), NEPS(08,11),
COMMON /BLOCK14/ NEPT(11), ISM(20), NQM(20,11), NWM(20,11),
COMMON /BLOCK15/ EPST(21), SIGT(21), EPSTS(11), SIGTS(11),
COMMON /BALA16/ ERXJ(5,25), ERYJY(5,25), ERZJY(5,25),
COMMON /BLOCK17/ ERXJY(5,25), ERYJY(5,25), ERZJY(5,25),
COMMON /BALA18/ ERXJY(5,25), ERYJY(5,25), ERZJY(5,25),
COMMON /BLOCK21/ ACCJT(100), VELJT(100), ZHASSR(100), DACCTJT(100),

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[illegible]

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MNTM = 20
MNTST = 20
MNTCS = 20
MNC6 = 75
MDJT = 5
MNB = 4 * MDJT + 3
MNE = 20
MNTJS = 20
MNCSS = 8
MNCSS = 20
MNCSS = 10
MNCSS = 8
MNTVJL = 20
MNTPTF = 300
MNTSTP = 70
MNTSTP = 1
MNCQW = 20
MNCSTL = 1
MNCSTL = 1
MNE = 1
L1 = MNE + 2
L2 = 3 * MNE1
L3 = MNB
L4 = MNB + 1
L5 = 3 * L1
L6 = 4 * MNTJ
IF (L6 - L1, L5) L6=L5
L1 = L5 + 1
COMMENT - SUBROUTINE STATIC IS THE MAIN SUBROUTINE OF PROGRAM FRAME63
COMMENT - AND PERFORMS SIMPLE INPUT, OUTPUT AND COMPUTATIONAL FUNCTIONS
CALL STOP
END

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[illegible]

[illegible]

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1070      GO TO 1090
COMMENT - CONTINUE
COMMENT - PRINT NOTE & WARNING MESSAGE AT THE BEGINNING OF A
      IF ( ITYPE .EQ. 9 ) GO TO 1080
      PRINT 30
1080      GO TO 1090
      CONTINUE
1090      PRINT 35
      CONTINUE
      IF ( KSETJS .NE. 0 ) GO TO 1100
      IF ( KSETJS = 1
        IF ( JTSHEQ.JSYSES ) GO TO 1095
        GO TO 1100
1095      CONTINUE
COMMENT - PRINT NOTE & WARNING MESSAGE ABOUT THE JOINT SHEAR AT THE
COMMENT - BEGINNING OF A FRESH RUN
      IF ( ITYPE .EQ. 9 ) GO TO 1098
      PRINT 210
      GO TO 1100
1098      CONTINUE
1100      PRINT 220
      CONTINUE
      PRINT 22, ( AN1(II), II=1,40 )
      PRINT 15, NPROB, PDEL, JTSHE, (AN2(II), II=1,9)
      PRINT 101, ITYPE, KEEEP2, NCD2, KEEEP3A, NCD3A, KEEEP3B, NCD3B, KEEEP3C
      NCD3C, KEEEP4A, NCD4A, KEEEP4B, NCD4B, KEEEP4C, NCD4C, KEEEP4D, NCD4D,
      KEEEP5A, NCD5A, KEEEP5B, NCD5B, KEEEP5C, NCD5C,
      KEEEP5D, NCD5D, KEEEP6A, NCD6A, KEEEP6B, NCD6B, KEEEP6C, NCD6C,
      KEEEP6D, NCD6D, KEEEP7A, NCD7A, KEEEP7B, NCD7B, KEEEP7C, NCD7C,
      KEEEP7D, NCD7D
      PRINT 102, ITYPE, IP9, IP10
      GO TO 1150
1120      GO TO 1150
      IF ( ITYPE .GT. 4 ) GO TO 1140
      PRINT 103, ITYPE, IP9, IP10
      GO TO 1150
1130      PRINT 109, IPE, IP9, IP10
1150      CONTINUE
COMMENT - CHECK FOR KEEP OPTION ON FIRST PROBLEM OF RUN
      KEEEP = KEEEP2+KEEEP3A+KEEEP3B+KEEEP3C+KEEEP4A+KEEEP4B+KEEEP4C+
      KEEEP4D+KEEEP5A+KEEEP5B+KEEEP5C+KEEEP5D+KEEEP6A+KEEEP6B+KEEEP6C+
      KEEEP6D+KEEEP7A+KEEEP7B+KEEEP7C+KEEEP7D
      IF ( KEEEP .EQ. 0 .AND. KEEEP .NE. 0 ) GC TC 1200
      GO TO 1300
1200      PRINT 51
      CONTINUE
      GO TO 9805
COMMENT - ABORT PROBLEM, SEARCH FOR INDEPENDENT PROBLEM
1300      CONTINUE
      TABAN = 1 INDICATES FATAL ERROR FOUND IN SUBROUTINE
COMMENT - PROBLEM ABANDONED IN SEARCH OF AN INDEPENDENT PROBLEM
      TABAN = 0
      NLR = 0
      PROGBAD STARTS HERE
      PRINT 11
      PRINT 16, NPROB, (AN2(II), II=1,9)
COMMENT - SUBROUTINE JTCORD INPUTS JOINT GEOMETRY DATA (TABLE 2)
COMMENT - CHECKS FOR BAD DATA, COMPUTES JOINT COORDINATES, ECHO PRINTS
COMMENT - DATA AND PRINTS COMPUTED JOINT COORDINATES
      CALL JTCORD
      IF ( TABAN .EQ. 1 ) GO TO 9805
      TEMP = KEEEP3A + KEEEP3B + KEEEP3C
      TEMP = NCD3A + NCD3B + NCD3C
      IF ( TEMP .NE. 0 .AND. TEMPF .EQ. 0 ) GC TO 1410
      GO TO 1420
1410      PRINT 200
      GC TO 1430
1420      CONTINUE
      PRINT 11
      PRINT 16, NPROB, (AN2(II), II=1,9)
1430      CONTINUE
COMMENT - SUBROUTINE MEMLOC INPUTS LOCATION OF MEMBER STIFFNESS AND LOADS
COMMENT - TYPES IN FRANE, AND JOINT DATA AND JOINT SHEAR STRESS-STRAIN
COMMENT - EFFECTS FOR ANALYSIS THAT INCLUDES JOINT SHEAR DEFORMATION
COMMENT - EFFECTS (TABLE 3). ALSO COMPUTES MEMBER NUMBERS, LENGTHS, ETC.
      CALL MEMLOC
      IF ( TABAN .EQ. 1 ) GO TO 9805
      TEMP = KEEEP4A + KEEEP4B + KEEEP4C + KEEEP4D + KEEEP5A
      TEMP = NCD4A + NCD4B + NCD4C + NCD4D + NCD5A
      IF ( TEMP .NE. 0 .AND. TEMPF .EQ. 0 ) GC TC 1440
      GO TO 1450
1440      PRINT 200
      GC TO 1460
1450      CONTINUE
      PRINT 11
      PRINT 16, NPROB, (AN2(II), II=1,9)
1460      CONTINUE
COMMENT - SUBROUTINE JNTDAT INPUTS JOINT LOADS AND RESTRAINTS
COMMENT - (TABLE 4), CHECKS FOR BAD DATA, ACCUMULATES JOINT LOADS AND
COMMENT - RESTRAINTS, ECHO PRINTS DATA AND PRINTS ACCUMULATED DATA
COMMENT - EQUILIBRIUM MEMBERS ARE SET EQUAL TO NET JOINT LOADS
      CALL JNTDAT
      IF ( TABAN .EQ. 1 ) GO TO 9805
      IF ( NLR .NE. 0 ) GC TO 1500
      TEMP = KEEEP5A + KEEEP5B + KEEEP5C + KEEEP5D
      TEMP = NCD5A + NCD5B + NCD5C + NCD5D
      IF ( TEMP .NE. 0 .AND. TEMPF .EQ. 0 ) GC TC 1470
      GO TO 1480
1470      PRINT 200

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1480      GO TO 1490
      CONTINUE
      PRINT 11
      PRINT 10,NPROB,(AN2(II),II=1,9)
1490      CONTINUE
      COMMENT - SUBROUTINE BDST INPUTS MEMBER STIFFNESS DATA (TABLE 5),
      COMMENT - CHECKS FOR BAD DATA AND ECHO PRINTS DATA
      CALL BDST
      IF ( LABAN.EQ. 1 ) GO TO 9805
      GO TO 1510
1500 PRINT 200
      GO TO 1520
1510      CONTINUE
      PRINT 10,NPROB,(AN2(II),II=1,9)
1520      CONTINUE
      COMMENT - SUBROUTINE RDML INPUTS MEMBER LOAD DATA (TABLE 6) CHECKS
      COMMENT - FOR BAD DATA CONVERTS LOADS AND DISTANCES TO MEMBER
      COMMENT - COORDINATES AND ECHO PRINTS DATA
      CALL RDML
      IF ( LABAN.EQ. 1 ) GO TO 9805
      IF ( NLR.NE. 0 ) GO TO 1560
      IF ( KEEP.EQ. 1 .AND. NCD7.EQ. 0 .AND. ITYPE.EQ. 9 ) GO TO 1530
      GO TO 1540
1530 PRINT 200
      GO TO 1550
1540      CONTINUE
      PRINT 11
      PRINT 10,NPROB,(AN2(II),II=1,9)
1550      CONTINUE
      COMMENT - SUBROUTINE ITCCM INPUTS ITERATION CONTROL DATA, CHECKS FOR
      COMMENT - BAD DATA AND ECHO PRINTS DATA
      CALL ITCCM
      IF ( LABAN.EQ. 1 ) GO TO 9805
      IF ( ITYPE.NE. 9 ) GO TO 1560
      ITYPEL = ITYPE
1560      GO TO 1600
      CONTINUE
      IF ( ITYPEL.NE. 9 .AND. NLR.EQ. 0 ) GO TO 2000
      IF ( ITYPE.NE. 3 ) GO TO 2000
      IF ( ITYPE.NE. 3 ) GO TO 2100
      REWIND 13
      READ (13) IREAD
      IF ( IREAD.EQ. 11 ) IWRITE = 12
      IF ( IREAD.EQ. 12 ) IWRITE = 12
      REWIND IREAD
      IF ( JVSIR.EQ. JSYES ) GC TO 1575
      READ ( IREAD ) ( DXX(I), DYY(I), DZZ(I), I=1,NJT )
      DO 1565 I = 1,NJT
      NTMP = NSXX(I) + NSYY(I) + NSZZ(I) + NSXP(I) + NSYP(I)
      IF ( NTMP.EQ. 0 ) GO TO 1587
      READ ( IREAD ) ( WRX(I,J), WRZ(I,J), WRY(I,J), WRZY(I,J), WRZ(I,J),
      2 WRZ(I,J), WXP(I,J), WXP(I,J), WXP(I,J), WXP(I,J), WXP(I,J),
      3 WXP(I,J), J = 1,10 )
1565      CONTINUE
      COMMENT - INITIALISE REVERSAL INDICATORS FOR JOINT CURVES
      DO 1570 I = 1,NJT
      DO 1570 N = 1,5
      JCUREV(I,N) = 0
1570      CONTINUE
      GO TO 1590
1575      CONTINUE
      READ ( IREAD ) ( DXX(I), DYY(I), DZZ(I), DVV(I), I=1,NJT )
      READ ( IREAD ) ( GASTS(I), J=1,3, I=1,NJT )
      COMMENT - INITIALISE REVERSAL INDICATORS FOR JOINT SHEAR STRESS-STRAIN
      COMMENT - CURVES
      DO 1585 I = 1,NJT
      DVV(I) = 0
1585      CONTINUE
      DO 1587 I = 1,NJT
      NTMP = NSXX(I) + NSYY(I) + NSZZ(I) + NSVV(I) + NSXP(I) + NSYP(I)
      IF ( NTMP.EQ. 0 ) GO TO 1587
      READ ( IREAD ) ( WRX(I,J), WRZ(I,J), WRY(I,J), WRZY(I,J), WRZ(I,J),
      2 WRZ(I,J), WXP(I,J), WXP(I,J), WXP(I,J), WXP(I,J), WXP(I,J),
      3 WXP(I,J), J = 1,10 )
1587      CONTINUE
      COMMENT - INITIALISE REVERSAL INDICATORS FOR JOINT CURVES
      DO 1589 I = 1,NJT
      DO 1589 N = 1,6
      JCUREV(I,N) = 0
1589      CONTINUE
      GO TO 1700
1590      CONTINUE
      REWIND N2
      REWIND N2
      DO 1700 JJ = 1,NM
      ISTD = ISTD(JJ)
      IF ( ISTD.EQ. 0 ) GO TO 1700
      MODEL1 = MODEL(ISTD)
      M = NSTIF(ISTD)
      NM1 = M+1
      NM2 = M+2
      READ ( IREAD ) ( DX(I), DY(I), DZ(I), I=1,NP2 )
      WRITE ( N2 ) ( ISTD, D1(I), D2(I), D3(I), I=1,NP2 )
      IF ( ISTD.EQ. 1 ) GO TO 1700
      READ = NSXL(ISTD) + NSYL(ISTD) + NSZL(ISTD)

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      IF (NREAL.EQ.0) GO TO 1600
2  READ (IREAD) ((EPRIS(I,J), EPTIS(I,J), WBYN(I,J), WPTYN(I,J),
      WRTN(I,J), WRTYN(I,J), J = 1,10), I = 1,2,MP1),
2  WRITE (N2) ((EPRIS(I,J), EPTIS(I,J), WBYN(I,J), WPTYN(I,J),
      WRTN(I,J), WRTYN(I,J), J = 1,10), I = 2,MP1)
1600 CONTINUE
      IF (MODELT.EQ.-1) GO TO 1605
      IF (ELENMT.EQ.SHEAR) GO TO 1602
      NHINGE = 2
2  READ (IREAD) ((EPRIS(I,J,K), EPTIS(I,J,K), EPR2S(I,J,K),
      EPT2S(I,J,K), K = 1,MP1), I = 2,MP1)
2  WRITE (N2) ((EPRIS(I,J,K), EPTIS(I,J,K), EPR2S(I,J,K),
      EPT2S(I,J,K), K = 1,MP1), I = 2,MP1)
      IF (MODELT.EQ.0) GO TO 1605
2  READ (IREAD) ((EPBF1(I,J,K), EPBF2(I,J,K), SLBF1(I,J,K),
      SLBF2(I,J,K), K = 1,MP1), I = 2,MP1)
4  WRITE (N2) ((EPBF1(I,J,K), EPBF2(I,J,K), SLBF1(I,J,K),
      SLBF2(I,J,K), K = 1,MP1), I = 2,MP1)
      GO TO 1603
1602 NHINGE=1
2  READ (IREAD) ((EPRIS(I,J,K), EPTIS(I,J,K), EPR2S(I,J,K),
      EPT2S(I,J,K), K = 1,MP1), I = 2,MP1)
2  WRITE (N2) ((EPRIS(I,J,K), EPTIS(I,J,K), EPR2S(I,J,K),
      EPT2S(I,J,K), K = 1,MP1), I = 2,MP1)
      IF (MODELT.EQ.0) GO TO 1605
2  READ (IREAD) ((EPBF1(I,J,K), EPBF2(I,J,K), SLBF1(I,J,K),
      SLBF2(I,J,K), K = 1,MP1), I = 2,MP1)
2  WRITE (N2) ((EPBF1(I,J,K), EPBF2(I,J,K), SLBF1(I,J,K),
      SLBF2(I,J,K), K = 1,MP1), I = 2,MP1)
1603 CONTINUE
2  READ (IREAD) ((EPRIS(I,J,K), EPTIS(I,J,K), EPR2S(I,J,K),
      EPT2S(I,J,K), K = 1,MP1), I = 2,MP1)
2  WRITE (N2) ((EPRIS(I,J,K), EPTIS(I,J,K), EPR2S(I,J,K),
      EPT2S(I,J,K), K = 1,MP1), I = 2,MP1)
      IF (MODELT.EQ.2) GO TO 1605
4  READ (IREAD) ((YGROR(I,L,J), YTGROW(I,L,J), J = 1,MP1),
      I = 2,MP1)
4  WRITE (N2) ((YGROR(I,L,J), YTGROW(I,L,J), J = 1,MP1),
      I = 2,MP1)
1605 CONTINUE
      IF (NREAL.EQ.0) GO TO 1620
      DO 1610 I = 2,MP1
      DO 1610 N = 1,3
      MCUREV(I,N) = 0
1610 CONTINUE
1610 WRITE (N2) ((MCUREV(I,N), N = 1,3), I = 2,MP1)
      CONTINUE
      IF (MODELT.EQ.-1) GO TO 1700
      DO 1650 I = 2,MP1
      DO 1650 J = 1,MP1
      IRV(I,L,J) = 0
1650 CONTINUE
1650 WRITE (N2) ((IRV(I,L,J), J = 1,MP1), I = 2,MP1)
      CONTINUE
1700 READ (IREAD) ((FCMN(I,J), I = 1,MP1), J = 1,6)
      CONTINUE
      IF (ITYPE.EQ.2) GO TO 5000
2100 CONTINUE
      IF (JTSUR.EQ.JSYES) GO TO 2200
      CALL DYN4 (RM, RO, W, SL, L1, L3, L4, L6, DELWJT)
      GO TO 1010
2200 CALL CONTINUE DYN4S (RM, RO, W, SL, L1, L3, L4, L6, DELWJT)
      GO TO 1010
5000 CONTINUE
      ITYPE = ITYPE
      NITP = 0
      NITPR = 1
      COMMENT = IRVRS = 1 REVERSAL SENSED
      COMMENT = I = 0 NOT SENSED
      INVERSE = 0
5100 CONTINUE
      IF (INVERSE.EQ.0) GO TO 5105
      IF (APPROB.EQ.PRINT.CR.APROB.EQ.MEMBER) GO TO 5103
      CONTINUE
5103 PRINT 195
5105 CONTINUE
      INDEX = 1
      COMMENT = ITAPE = 0 TAPES N1 & N2 ARE SWITCHED AS USUAL
      COMMENT = I = 0 NOT SWITCHED
      ITAPE = 1
      IF (INVERSE.EQ.0) ITABE = 0
      IF (ITAPE.EQ.0) GO TO 5200
      N1 = N2
      N2 = N1
      N1 = NT
5200 CONTINUE
      NT = N4

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      N4 = N3
      N3 = N2
      NITF = NITF + 1
      NCHECK = 0
      REWIND N1
      REWIND N2
      REWIND N3
      REWIND N4
      COMMENT - FORM MEMBER STIFFNESS MATRICES AND MEMBER FIXED-END-FORCE
      COMMENT - MATRICES
      DO 5800
        JJ = 1, NH
        ISTT = IST(JJ)
        LTT = LT(JJ)
      COMMENT - SKIP FOR NULL MEMBER
      IF (ISTT .EQ. 0) GO TO 5750
      COMMENT - SUBROUTINE FORMST CALCULATES MEMBER (6 X 6) STIFFNESS MATRIX
      COMMENT - AND TAKING ADVANTAGE OF SYMMETRY STORES IN COMPACT VECTOR
      CALL FORMST ( RM, RC, W, SL, SMET, L1, L3, L4, L6, JJ )
      DO 5510
        I = 1, 21
        SSC ( JJ, I ) = SMET(I)
      CONTINUE
      IF ( IVERSE .NE. 0 ) GO TO 5705
      COMMENT - SUBROUTINE FORMLD CALCULATES MEMBER INCREMENTAL FIXED-END-
      COMMENT - FORCE MATRIX ON FIRST ITERATION OF EACH PROBLEM
      COMMENT - IF REVERSAL HAS OCCURRED, THEN FORMLD IS ONCE AGAIN ACCESSED
      CALL FORMLD ( RM, RO, W, SL, FORMT, L1, L3, L4, L6, JJ )
      DO 5710
        I = 1, 6
        FORM ( JJ, I ) = FORMT(I)
      GO TO 5800
      COMMENT - SET FIXED-END-FORCE-MATEIX TO NULL MATRIX FOR NULL LOADING
      DO 5750
        I = 1, 6
        FORM ( JJ, I ) = 0.0
      CONTINUE
      REWIND N1
      COMMENT - DUMP OF STIFFNESS MATRIX AND LOAD VECTOR, TO ACTIVATE, SET LAST
      COMMENT - FIVE COLUMNS IN PROBLEM NUMBER CARD EQUAL TO PRINT
      DO 5900
        JJ = 1, NH
        ISTT = IST(JJ)
        IF ( ISTT .EQ. 0 ) GO TO 5900
        PRINT 99, ( SSC ( JJ, I ), I=1, 21 ), ( FORM ( JJ, I ), I=1, 6 )
      CONTINUE
      PRINT 98
      77777 CONTINUE
      IF ( JSER .EQ. JSYES ) GO TO 16000
      COMMENT - START SOLUTION OF FRAME JOINT EQUILIBRIUM EQUATIONS
      COMMENT - SET CONTROL CONSTANTS FOR FRAME SOLUTION
      IHB = 3*IDJ + 2
      UL = 3*NJT
      NPSUB = 21
      IF ( ITYPE .EQ. 2 ) GO TO 6300
      COMMENT - ZERO JOINT DISPLACEMENT UNLESS HOLDING FROM A PREVIOUS PROBLEM
      COMMENT - OR A PREVIOUS ITERATION
      DO 6250
        I = 1, NJT
        DXX(I) = 0.0
        DYY(I) = 0.0
        DZZ(I) = 0.0
      CONTINUE
      IF ( ITYPE .EQ. 1 .AND. NITF .EQ. 1 ) GO TO 6320
      IF ( IVERSE .EQ. 0 ) GO TO 6320
      COMMENT - DECREMENT JOINT DISPLACEMENTS
      DO 6310
        I = 1, NJT
        DXX(I) = DXX(I) - DELWJT(J)
        J = J + 1
        DYY(I) = DYY(I) - DELWJT(J)
        J = J + 1
        DZZ(I) = DZZ(I) - DELWJT(J)
      CONTINUE
      CONTINUE
      INDEX = 0
      COMMENT - CALL GRI2PA FOR SOLUTION OF FRAME JOINT EQUILIBRIUM EQUATIONS
      COMMENT - GRI2PA SOLVES BOTH FRAME JOINT EQUILIBRIUM EQUATIONS AND
      COMMENT - SUBS21 TO SET UP FRAME EQUATIONS - GRI2PA CALLS SUBS1 WHICH CALLS
      COMMENT - EQUATIONS
      CALL GRI2PA ( RM, RO, W, SL, L3, L4, L6, IHB )
      IF ( IHB .LT. 10000 ) GO TO 6350
      COMMENT - GO TO 9800
      COMMENT - ADD ON INCREMENTS OF JOINT DISPLACEMENTS
      DO 6500
        J = 1, NJT
        DXX(I) = DXX(I) + W(J)
        DELWJT ( J ) = W ( J )
        J = J + 1
        DYY(I) = DYY(I) + W(J)
        DELWJT ( J ) = W ( J )

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      J = J + 1
      DZZ(I) = DZZ(I) + W(J)
6500  CONTINUE
      NITERF = NITERF + 1
      NCHECK = 0
      IF (NITERF .NE. 2) GO TO 6510
      NCHECK = 1
6510  CONTINUE
      INVERSE = 0
      NMJ = 0
      KOFFJ = 0
COMMENT - SOLVE FOR JOINT REACTIONS
      DO 6600 I = 1, NJT
COMMENT - SUBROUTINE INELST CALCULATES THE RESISTIVE SPRING FORCE AND
      THE SPRING STIFFNESS FOR THE JOINT SPRINGS FOLLOWING
COMMENT - NONLINEAR LOADING. INELASTIC UNLOADING PATH
      CALL INELST(I, SJX, SJY, SJZ, SJV, SJXY, SJYZ, SJVZ, CJV)
COMMENT - SKIP JOINT REACTIONS IF REVERSAL HAS BEEN SENSED.
      IF ( INVERSE .NE. 0 ) GO TO 6600
      ERX(I) = - SX(I)*DXX(I) + QJX
      ERX(I) = - SY(I)*DXY(I) + QJY
      ERZ(I) = - SZ(I)*DZZ(I) + QJZ
      KOJ(I) = KOFFJ
      IF (INJ(I) .EQ. 0) GO TO 6600
      NMJ = NMJ + 1
      KOJ(NMJ, NITF) = KOFFJ
6600  CONTINUE
      IF ( INVERSE .NE. 0 ) GO TO 7300
COMMENT - COMPUTE FOR EACH JOINT - THE SUM OF APPLIED JOINT LOAD
      - AND THE REACTION - WHEN THE APPROPRIATE MEMBER END FORCES ARE
COMMENT - SUBTRACTED FROM THIS SUM THE RESULT IS THE JOINT EQUILIBRIUM
      DO 7250 I = 1, NJT
      ERXX(I) = ERX(I) + ERX(I)
      ERYX(I) = ERY(I) + ERY(I)
      IF(DABS(ERYX(I)) .GT. 1.0E+15) ERYX(I) = 0.0
      ERZY(I) = ERZ(I) + ERZ(I)
      IF(DABS(ERZY(I)) .GT. 1.0E+15) ERZY(I) = 0.0
      ERZZ(I) = ERZ(I) + ERZ(I)
      IF(DABS(ERZZ(I)) .GT. 1.0E+15) ERZZ(I) = 0.0
7250  CONTINUE
      IF (AFR0B .EQ. PRINT .OR. AFR0B .EQ. MEMBER ) GO TO 7260
      GO TO 7300
7260  CONTINUE
7300  PRINT NITF, NITF
COMMENT - START NONLINEAR MEMBER SOLUTION
      IPAE = 0
      NMNC = 0
      DO 7500 JJ = 1, NM
      ISC(JJ) = 0
      NITM(JJ) = 0
COMMENT - CALL SUBROUTINE MEMSOL FOR ITERATIVE SOLUTION OF MEMBER TO
COMMENT - FIND MEMBER END FORCES FOR JOINT EQUILIBRIUM CHECK IN FRAME
      CALL MEMSOL ( BM, RC, F, SL, L1, L3, L4, L6)
      IF (ISC(JJ) .EQ. 1) NMNC = NMNC + 1
7500  CONTINUE
      IF ( INVERSE .EQ. 0 ) GO TO 7600
COMMENT - SAVE JOINT DISPLACEMENTS (CNLI) FROM THIS FIRST ITERATION
      NMJ = 0
      DO 7650 I = 1, NJT
      IF ( INJ(I) .EQ. 0 ) GO TO 7650
      NMJ = NMJ + 1
      DIXM(J, NMJ, I) = DIX(I)
      DIXM(J, NMJ, I) = DIX(I)
      DIZM(J, NMJ, I) = DIZ(I)
7650  CONTINUE
COMMENT - RETURN FOR THE ADDITIONAL FRAME ITERATION (REVERSAL CASE)
      GO TO 5100
7600  CONTINUE
      NMJ = 0
COMMENT - SAVE JOINT DISPLACEMENTS AND EQUILIBRIUM ERRORS FROM THIS
COMMENT - ITERATION FOR MONITOR JOINTS
      IF (INJ(I) .EQ. 0) GO TO 7700
      NMJ = NMJ + 1
      ERXEM(J, NMJ, NITF) = ERX(I)
      ERYEM(J, NMJ, NITF) = ERY(I)
      ERZEM(J, NMJ, NITF) = ERZ(I)
      DIXEM(J, NMJ, NITF) = DIX(I)
      DIZEM(J, NMJ, NITF) = DIZ(I)
7700  CONTINUE
8000  CONTINUE
COMMENT - COMPUTE NUMBER OF JOINTS NOT CLOSED --- SKIP CHECKS CORRESPONDING
COMMENT - TO ZERO DISPLACEMENTS
      NMNC = 0
      DO 8700 I = 1, NJT
      IF(DABS(ERXX(I)) .GT. EER1 .AND. DABS(QXX(I)) .LT. 1.0E+15)
      GO TO 8600
      IF(DABS(ERYX(I)) .GT. EER1 .AND. DABS(QYX(I)) .LT. 1.0E+15)
      GO TO 8600
      IF(DABS(ERZZ(I)) .GT. EER1 .AND. DABS(QZZ(I)) .LT. 1.0E+15)
      GO TO 8600

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2      IF(DABS(EZZZ(I)) .GT. ERR2 .AND. DABS(QZZ(I)) .LT. 1.0E+15)
      GO TO 8700
8600  NUNC = NUNC + 1
8700  CONTINUE
      IF (NUNC.EQ. 0) GO TO 8900
      PRINT 175, NUNC, NITF
      IF (NITF.EQ. 0) NITF = 1
      IF (NUNC.GT. 0) GC TO 8950
COMMENT - RETURN FOR NEXT FRAME ITERATION
      GO TO 8100
8900  CONTINUE
      IF (APHOB.EQ. PRINT.CR. APROB.EQ. MEMBER) GO TO 8920
      GO TO 8950
8920  CONTINUE
      PRINT 177, NITF
8950  CONTINUE
      IF (NUNC.GT. 0) PRINT 185, NUNC, NITF
COMMENT - PRINT SUMMARY OF FRAME ITERATIONS
      PRINT 181
      NMJ = 0
      KASTER = 0
      DO 8960 I = 1, NJT
      IF (IMJ(I).EQ. 0) GO TO 8960
      NMJ = NMJ + 1
      DO 8980 J = 1, NITF
      IF (KONJ(NMJ,J).EQ. 1) GO TO 8952
      EXXNJ(NMJ,J), DXXNJ(NMJ,J), DYYNJ(NMJ,J), DZZNJ(NMJ,J),
2      ERYNJ(NMJ,J), ERXNJ(NMJ,J), ERZNNJ(NMJ,J)
8952  KASTER = 1
      EXXNJ(NMJ,J), DXXNJ(NMJ,J), DYYNJ(NMJ,J), DZZNJ(NMJ,J),
2      ERYNJ(NMJ,J), ERXNJ(NMJ,J), ERZNNJ(NMJ,J)
8955  CONTINUE
8960  CONTINUE
      IF (KASTER.EQ. 1) PRINT 184
      IF (APHOB.EQ. PRINT.OR. APROB.EQ. MEMBER) GO TO 8961
      GO TO 89961
8961  CONTINUE
      IF (ITYPE.EQ. 1) GO TO 88961
      PRINT 156
88961  CONTINUE
COMMENT - PRINT TABLE 8 IF REQUESTED
      IF (IPB.EQ. 1) GO TO 8970
      PRINT 16, NPROB, (ANZ(II), II=1,9)
      IF (NUNC.GT. 0.OR. NMNC.GT. 0) PRINT 777
      PRINT 151
      KASTER = 0
      TEMPPX = 0.0
      TEMPPY = 0.0
      TEMPPZ = 0.0
      DO 8966 I = 1, NJT
      IF (KOJ(I).EQ. 1) GO TO 8962
      GO TO 8963
      PRINT 152, I, DXX(I), DYY(I), DZZ(I), RXI(I), RYI(I), RZI(I)
8962  KASTER = 1
      CONTINUE
      PRINT 153, I, DXX(I), DYY(I), DZZ(I), RXI(I), RYI(I), RZI(I)
8963  CONTINUE
      IF (DABS(QXX(I)).GE. 1.0D+15) GO TO 8964
      TEMPPX = TEMPPX + QXX(I)
8964  CONTINUE
      IF (DABS(QYY(I)).GE. 1.0D+15) GO TO 8965
      TEMPPY = TEMPPY + QYY(I)
8965  CONTINUE
      IF (DABS(QZZ(I)).GE. 1.0D+15) GO TO 8966
      TEMPPZ = TEMPPZ + QZZ(I)
8966  CONTINUE
      PRINT 151, I, TEMPPX, TEMPPY, TEMPPZ
      IF (KASTER.EQ. 1) PRINT 154
8970  CONTINUE
COMMENT - PRINT TABLE 9 IF REQUESTED
COMMENT - PRINT WHEN NOT REQUESTED SUBROUTINE PRINTS MUST STILL BE
COMMENT - ACCESSED TO TAKE CARE OF TYPE 9 PROBLEM BUT DETAILED
COMMENT - PRINTING OF MEMBER RESULTS WILL BE AVOIDED
      REWIN
      REWIND N2
      NT = N1
      N1 = N2
      N2 = NT
COMMENT - SUBROUTINE PRINTS OUTPUTS MEMBER RESULTS
      CALL SUBMTW9 (ANZ,NPROB,NM,FO,H,SL,L1,L3,L4,L6)
8980  CONTINUE
COMMENT - PRINT TABLE 10 (JOINT EQUILIBRIUM ERRORS) IF REQUESTED
      IF (IP10.EQ. 1) GO TO 8990
      PRINT 16, NPROB, (ANZ(II), II=1,9)
      IF (NUNC.GT. 0.OR. NMNC.GT. 0) PRINT 777
      PRINT 164
      DO 8985 I = 1, NJT
      GO TO 8950
8985  PRINT 152, I, ERXX(I), ERYI(I), ERZZ(I)
      GO TO 8950
16000  CONTINUE
COMMENT - START SOLUTION OF FRAME JOINT EQUILIBRIUM EQUATIONS
COMMENT - FOR JOINT SHEAR RATION
COMMENT - SET CONTROL CONSTANTS FOR FRAME SOLUTION

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      IHB = 4*ID1 + 3
COMMENT - CALCULATE THE NUMBER OF DEGREES OF FREEDOM
      NL = 3*NJT
      DO 16100 I=1,NJT
      IF (JST(I) .NE. 0) NL=NL+1
16100 CONTINUE
      NL = 1
      IF (NFSUB = 23)
      IF ( ITYPE .EQ. 2 ) GO TO 16300
      IF (NITF .EQ. 1) GO TO 16300
COMMENT - ZERO JOINT DISPLACEMENT UNLESS HOLDING FROM A PREVIOUS PROBLEM
COMMENT - DO 16250 I = 1, NJT
      DIX(I) = 0.0
      DIY(I) = 0.0
      DIZ(I) = 0.0
      DVX(I) = 0.0
16250 CONTINUE
16300 IF ( ITYPE .EQ. 1 .AND. NITF .EQ. 1 ) GO TO 16320
      IF ( IVERSE .EQ. 0 ) GO TO 16320
COMMENT - DECREMENT JOINT DISPLACEMENTS
      DO 16310 I = 1, NJT
      J = J + 1
      DIX(I) = DIX(I) - DELWJT(J)
      DIY(I) = DIY(I) - DELWJT(J)
      DIZ(I) = DIZ(I) - DELWJT(J)
      IF (JST(I) .NE. 0) GO TO 16305
      DVX(I) = 0.0
      GO TO 16310
16305 J = J + 1
      DVY(I) = DVY(I) - DELWJT(J)
16310 CONTINUE
16320 CONTINUE
      INDEX = 0
COMMENT - CALL GRIF2A FOR SOLUTION OF FRAME JOINT EQUILIBRIUM EQUATIONS
COMMENT - GRIF2A CALLS BOTH FRAME JOINT EQUILIBRIUM EQUATIONS AND
COMMENT - MEMBER EQUILIBRIUM EQUATIONS - GRIF2A CALLS FSUB1 WHICH CALLS
COMMENT - FSUB23 TO SET UP FRAME EQUATIONS.
      CALL
      IF (IHB .LT. 10000) GO TO 16350
      GO TO 16300
COMMENT - ADD ON INCREMENTS OF JOINT DISPLACEMENTS
16350 J = 0
      DO 16500 I = 1, NJT
      J = J + 1
      DVX(I) = DIX(I) + W(J)
      DIY(I) = DIY(I) + W(J)
      DIZ(I) = DIZ(I) + W(J)
      DVY(I) = DVY(I) + W(J)
      J = J + 1
      DZX(I) = DZX(I) + W(J)
      DZY(I) = DZY(I) + W(J)
      DZZ(I) = DZZ(I) + W(J)
      IF (JST(I) .NE. 0) GO TO 16360
      DVX(I) = 0.0
      GO TO 16500
16360 J = J + 1
      DVY(I) = DVY(I) + W(J)
      DELWJT ( J ) = W ( J )
16500 CONTINUE
      NITERF = NITERF + 1
      NCHECK = 0
      INDEX = 0
      IF (NITERF .NE. 2) GO TO 16510
      NCHECK = 1
      INDEX = 1
16510 CONTINUE
      IVERSE = 0
      NBJ = 0
      KOFFJ = 0
COMMENT - SOLVE FOR JOINT REACTIONS
      DO 16600 I = 1, NJT
COMMENT - SUBROUTINE INELASTIC CALCULATES THE RESISTIVE SPRING FORCE AND
COMMENT - THE SPRING STIFFNESS FOR THE JOINT SPRINGS FOLLOWING
COMMENT - NONLINEAR LOADING, INELASTIC UNLOADING PATH
      CALL
COMMENT - SKIP EQUILIBRIUM CALCULATIONS IF REVERSAL HAS BEEN SENSED.
      IF ( IVERSE .NE. 0 ) GO TO 16600
      SXX(I) = - SXX(I)*DXX(I) + QXX
      SYY(I) = - SYY(I)*DIY(I) + QYY
      SZZ(I) = - SZZ(I)*DZZ(I) + QZZ
      SVX(I) = - SVX(I)*DVX(I) + QJV
      SVY(I) = - SVY(I)*DVY(I) + QJV
      KOFFJ = KOFFJ
      IF (IYJ(I) .EQ. 0) GO TO 16600
      LEJ = LEJ + 1
      KOFFJ = KOFFJ
16600 CONTINUE
COMMENT - CALL SUBROUTINE DJSISE TO OBTAIN THE SHEAR MOMENT AT EACH
COMMENT - JOINT
      DO 16700 I = 1, NJT
      SHRC(I) = 0.0
      IF (JST(I) .EQ. 0) GO TO 16700
      CALL JSTISE (I,STFJ,SHRCJ)

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IF (IYESS, NE, 0) GO TC 16700
16700 CONTINUE
      IF (IYESS, NE, 0) GO TO 17300
COMMENT - COMPUTE FOR EACH JOINT - THE SUM OF APPLIED JOINT LOAD
COMMENT - AND THE REACTION - WHEN THE APPROPRIATE MEMBER END FORCES ARE
COMMENT - SUBTRACTED FROM THIS SUM THE RESULT IS THE JOINT EQUILIBRIUM
COMMENT - ERROR FOR JOINT SHEAR OPTION SUBTRACT THE FORCES THAT ARE
COMMENT - CARRIED BY THE JOINT SHEAR DEFORMATION.
DO 17250 I = 1, NJT
      ERXX(I) = QXX(I) - RXX(I)
      IF (DABS(ERXX(I)) .GE. 1.0E+15) ERXX(I) = 0.0
      ERY(I) = QY(I) - RY(I)
      IF (DABS(ERY(I)) .GE. 1.0E+15) ERY(I) = 0.0
      ERZZ(I) = QZZ(I) - RZZ(I)
      IF (DABS(ERZZ(I)) .GE. 1.0E+15) ERZZ(I) = 0.0
      IF (JST(I), NE, 0) GO TC 17000
      GO TO 17250
17000 CONTINUE
      ERVV(I) = QVV(I) - RVV(I) + SHMO(I)
      IF (DABS(ERVV(I)) .GE. 1.0E+15) ERVV(I) = 0.0
17250 CONTINUE
      IF (APROB .EQ. PRINT .OR. APROB .EQ. MEMBER) GO TO 17260
      GO TO 17300
17260 CONTINUE
      PRINT 1555, NIIP
17300 CONTINUE
COMMENT - START NONLINEAR MEMBER SOLUTION
      IFAC = 0
      NJNC = 0
      DO 17500 JJ = 1, NM
        INC(JJ) = 0
        IF (INC(JJ)) GO TO 17600
COMMENT - CALL SUBROUTINE MEMSOL FOR ITERATIVE SOLUTION OF MEMBER TO
COMMENT - FIND MEMBER END-FORCES FOR JOINT EQUILIBRIUM CHECK IN FRAME
      CALL MEMSOL (I, ER, RC, W, SL, L1, L3, L4, L6)
17500 CONTINUE
      IF (IYESS, NE, 0) GO TO 17600
COMMENT - IF IYESS DISPLACEMENTS (ONLY) FROM THIS FIRST ITERATION
COMMENT - FOR MONITOR JOINTS
      DO 17650 I = 1, NJT
        INC(I) = 0
        IF (INC(I)) GO TC 17650
        DXX(I) = ERXX(I)
        DYY(I) = ERY(I)
        DZZ(I) = ERZZ(I)
        DVV(I) = ERVV(I)
17650 CONTINUE
COMMENT - RETURN FOR THE ADDITIONAL FRAME ITERATION (REVERSAL CASE)
      GO TO 5100
17600 CONTINUE
      NMJ = 0
COMMENT - SAVE JOINT DISPLACEMENTS AND EQUILIBRIUM ERRORS FROM THIS
COMMENT - ITERATION FOR MONITOR JOINTS
      DO 17700 I = 1, NJT
        INC(I) = 0
        IF (INC(I)) GO TC 17700
        NMJ = NMJ + 1
        ERXXJ(NMJ, NIIP) = ERXX(I)
        ERYJ(NMJ, NIIP) = ERY(I)
        ERZZJ(NMJ, NIIP) = ERZZ(I)
        ERVVJ(NMJ, NIIP) = ERVV(I)
        DXXJ(NMJ, NIIP) = DXX(I)
        DYYJ(NMJ, NIIP) = DYY(I)
        DZZJ(NMJ, NIIP) = DZZ(I)
        DVVJ(NMJ, NIIP) = DVV(I)
17700 CONTINUE
COMMENT - COMPUTE NUMBER OF JOINTS NOT CLOSED --- SKIP CHECKS CORRESPOND
COMMENT - ING TO SPECIFIED DISPLACEMENTS
      NJNC = 0
      DO 18700 I = 1, NJT
        IF (DABS(ERXX(I)) .GT. ERR1 .AND. DABS(QXX(I)) .LT. 1.0E+15)
          GO TO 18900
        IF (DABS(ERY(I)) .GT. ERR1 .AND. DABS(QY(I)) .LT. 1.0E+15)
          GO TO 18900
        IF (DABS(ERZZ(I)) .GT. ERR2 .AND. DABS(QZZ(I)) .LT. 1.0E+15)
          GO TO 18900
        IF (DABS(ERVV(I)) .GT. ERR2 .AND. DABS(QVV(I)) .LT. 1.0E+15)
          GO TO 18900
      GO TO 18700
      NJNC = NJNC + 1
18600 CONTINUE
18700 IF (NJNC .EQ. 0) GO TO 18900
      PRINT 175, NJNC, NIIP
      IF (NJNC .GT. 0) GO TO 18950
      IF (NJNC .EQ. 0) GO TO 18950
COMMENT - RETURN FOR NEXT FRAME ITERATION
      GO TO 5100
18900 CONTINUE
      IF (APROB .EQ. PRINT .OR. APROB .EQ. MEMBER) GO TO 18920
      GO TO 18950
18920 CONTINUE
      PRINT 177, NIIP

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18950 CONTINUE
COMMENT - PRINT SUMMARY OF FRAME ITERATIONS
PRINT 231
      NMJ = 0
      KASTER = 0
DO 18960 I = 1,NJT
  IF (LBJ(I).EQ.0) GO TO 18960
  NMJ = NMJ + 1
DO 18955 J = 1,NITF
  IF (KOHJ(NMJ,J).EQ.1) GO TO 18952
  PRINT 232, I, NMJ, J, DXXJ(NMJ,J), DYYJ(NMJ,J), DZZJ(NMJ,J),
  2 DVVJ(NMJ,J), ERXXJ(NMJ,J), ERYJ(NMJ,J), ERZZJ(NMJ,J),
  3 ERVJ(NMJ,J)
GO TO 18955
18952 KASTER = 1
PRINT 233, I, DXXJ(NMJ,J), DYYJ(NMJ,J), DZZJ(NMJ,J),
  3 DXXJ(NMJ,J), ERXXJ(NMJ,J), ERYJ(NMJ,J), ERZZJ(NMJ,J),
  3 ERVJ(NMJ,J)
18955 CONTINUE
18960 CONTINUE
      IF (APROB.EQ.1) PRINT 184
      IF (APROB.EQ.0) PRINT .OR. APROB .EQ. MEMBER ) GO TO 18961
      GO TO 88962
18961 CONTINUE
      IF (ITYPE .EQ. 1 ) GO TO 88962
PRINT 196
88962 CONTINUE
COMMENT - PRINT TABLE 8 IF REQUESTED
      IF (IPB .EQ. 1) GO TO 18970
PRINT 18, NPROB, (AN2(II), II=1,9)
PRINT 18, NJNC .GT. 0 .OR. MNMC .GT. 0) PRINT 777
PRINT 234
      KASTER = 0
      TEMPXX = 0.0
      TEMPYY = 0.0
      TEMPZZ = 0.0
      TEMPVV = 0.0
DO 18967 I = 1,NJI
  SHOCJ = -SHMO(I)
  IF (KOHJ(I).EQ.1) GO TO 18962
  PRINT 235, I, DXX(I), DYY(I), DZZ(I), DVV(I), RIX(I), RYY(I),
  2 RZZ(I), RYY(I), SHMO(I), SHMOJ
GO TO 18967
18962 KASTER = 1
PRINT 236, I, DXX(I), DYY(I), DZZ(I), DVV(I), RIX(I), RYY(I),
  2 RZZ(I), RYY(I), SHMO(I), SHMOJ
18963 CONTINUE
      TEMPA = TEMPA + RXX(I) GO TO 18964
18964 CONTINUE
      IF (DABS(QY(I)).GE.1.0D+15) GO TO 18965
      TEMPYY = TEMPYY + RYY(I)
18965 CONTINUE
      IF (DABS(QZ(I)).GE.1.0D+15) GO TO 18966
      TEMPZZ = TEMPZZ + RZZ(I)
18966 CONTINUE
      IF (DABS(QV(I)).GE.1.0D+15) GO TO 18967
      TEMPVV = TEMPVV + RVV(I)
18967 CONTINUE
      TEMPA = TEMPA + RXX(I), TEMPYY, TEMPZZ, TEMPVV
PRINT 237, KASTER .EQ. 1) PRINT 154
CONTINUE
18970 CONTINUE
COMMENT - PRINT TABLE 9 IF REQUESTED
COMMENT - EVEN IF NOT REQUESTED, SUBROUTINE PRINT9 MUST STILL BE
COMMENT - ACCESSED (TO TAKE CARE OF TYPE 9 PROBLEMS) BUT DETAILED
COMMENT - PRINTING OF MEMBER RESULTS WILL BE AVOIDED)
REWIND N2
      NT = N1
      N1 = N2
      N2 = NT
COMMENT - SUBROUTINE PRINT9 OUTPUTS MEMBER RESULTS
CALL CONTINUE PRINT9 (AN2,NPROB,RM,RC,N,SL,L1,L3,L4,L6)
COMMENT - PRINT TABLE 10 (JOINT EQUILIBRIUM ERRORS) IF REQUESTED
      IF (IP10 .EQ. 1) GO TO 8990
PRINT 16, NPROB, (AN2(II), II=1,9)
      IF (NJNC .GT. 0 .OR. MNMC .GT. 0) PRINT 777
PRINT 239
DO 18989 I = 1,NJT
  PRINT 235, I, ERXX(I), ERYJ(I), ERZZ(I), ERVJ(I)
18989 CONTINUE
      IF (MNMC .GT. 0 .OR. NJNC .GT. 0) GO TO 9800
COMMENT - RETURN FOR NEW PROBLEM
9000 GO TO 9010
9010 CONTINUE
      NLM = NLR + 1
      IF (NLR .LE. NLR4 ) GO TO 1450
9805 CONTINUE
COMMENT - SOLUTION IS ABANDONED
PRINT 50
9810 READ I2, NPROB, (AN1(II), II=1,18)
      IF (NPROB(1) .EQ. TEST1) GO TO 9900

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01244*75
01245*75
01246*75
01247*75
01248*75
01249*75
01250*75
01251*75
01252*75
01253*75
01254*75
01255*75
01256*75
01257*75
01258*75
01259*75
01260*75
01261*75
01262*75
01263*75
01264*75
01265*75
01266*75
01267*75
01268*75
01269*75
01270*75
01271*75
01272*75
01273*75
01274*75
01275*75
01276*75
01277*75
01278*75
01279*75
01280*75
01281*75
01282*75
01283*75
01284*80
01285*75
01286*75
01287*80
01288*75
01289*75
01290*75
01291*80
01292*75
01293*75
01294*75
01295*75
01296*75
01297*75
01298*75
01299*75
01300*75
01301*75
01302*75
01303*75
01304*75
01305*75
01306*75
01307*75
01308*75
01309*75
01310*75
01311*75
01312*75
01313*75
01314*75
01315*75
01316*75
01317*75
01318*75
01319*75
01320*75
01321*75
01322*75
01323*75
01324*75
01325*75
01326*75
01327*75
01328
01329
01330
01331
01332
01333
01334
01335
01336*77
01337*77
01338*77
01339*77

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[illegible]

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257 FORMAT ( 213, F6.3, 5(1P12.5))
258 FORMAT ( 15E10, CHECK THE DATA)
777 FORMAT ( 4E10, *** SOLUTION DID NOT CLCSE - STUDY MONITOR,
10
      NTXT = NTI + NJT
      IF ( APERCEN .NE. PRINT ) GO TO 400
      IF ( APERCEN .LE. 10 ) GO TO 400
      PRINT = PRINTC
400 CONTINUE
      TEMP = NTI
      TOTTEH = TEMP * DTI
      NJTT = 3 * NJT
      DO 500 I = 1, NJT
      IF (ZMASS(I) .GE. 0.0) GO TO 410
      ZMASS(3*I-2) = ZMASS(I)
      ZMASS(3*I-1) = 0.0
      ZMASS(3*I) = 0.0
410      ZMASS(3*I-2) = ZMASS(I)
      ZMASS(3*I-1) = ZMASS(I)
      ZMASS(3*I) = 0.0
500 CONTINUE
      DO 550 I = 1, NJTT
      CDAMP(I) = CDMFZMASS(I)
      CONTDAMP(ZMASS(I)) .GE. 1.0E+15) CDAMP(I) = 0.0
      IF (ITYPE .EQ. 4) GO TO 900
      DO 600 I = 1, NJTT
      VELJUT(I) = 0.0
600 CONTINUE
      TIME = 0.0
900 CONTINUE
      DSS1 = 4.0/DTI
      DSS2 = DSS1/DTI
      COMMENT - IF THIS IS A CONTINUATION OF TYPE 9 PROBLEM, THEN VALUES
      CCOMMENT - MUST BE READ FROM UNIT 'IREAD'
      IF ( ITYPEL .EQ. 9 ) GO TO 940
      COMMENT - IF THIS IS A NORMAL CONTINUATION OF TYPE 1 OR TYPE 2 PROBLEM
      CCOMMENT - THEN THE 'IREAD' IS NOT READ
      IF ( ITYPEL .EQ. 2 ) GO TO 1000
      COMMENT - IF THIS IS A NORMAL CONTINUATION OF TYPE 3 OR TYPE 4 PROBLEM
      CCOMMENT - THEN THE 'IREAD' IS NOT READ
      IF ( NTI .EQ. 0 ) GO TO 1000
940 CONTINUE
      REWIND 13
      READ (13) IREAD
      IF ( IREAD .EQ. 11 ) IWRITE = 11
      COMMENT - READ OFF UNIT 'IREAD'
      REWIND IREAD
      READ (IREAD) ( DX(I), DYT(I), DZZ(I), I=1, NJT )
      DO 942 I = 1, NJT
      IF ( NTYPE .EQ. 9 ) GO TO 942
      READ (IREAD) ( WTX(I,J), WTY(I,J), WTX(I,J), WTY(I,J), WTX(I,J), WTY(I,J),
      3 WTX(I,J), WTY(I,J), WTX(I,J), WTY(I,J), WTX(I,J), WTY(I,J),
      4 WTX(I,J), WTY(I,J) )
942 CONTINUE
      COMMENT - INITIALISE REVERSAL INDICATORS FOR JOINT CURVES
      DO 944 I = 1, NJT
      DO 944 N = 1, 5
      JCUREV(I,N) = 0
945 CONTINUE
      COMMENT - IF THE LAST GOOD SOLUTION STORED ON UNIT 'IREAD' WAS ENDING IN
      CCOMMENT - STATIC ANALYSIS THEN, VELOCITIES ETC. ARE NOT APPLICABLE
      IF ( ITYPEL .EQ. 3 AND ITYPE .EQ. 3 ) GO TO 950
      READ (IREAD) ( ACCJ(I), I=1, NJT )
950 CONTINUE
      REWIND 14
      REWIND 14
      DO 980 I = 1, NJT
      ISTD = ISTD(JJ)
      IF ( ISTD .EQ. 0 ) GO TO 980
      MODEL1 = MCDL(ISTD)
      ELEPH(ISTD)
      NHTNGE = 2
      N1 = NSTIF(ISTD)
      N2 = N1
      N2 = N1 + 2
      READ (IREAD) ( DX(I), DY(I), DZ(I), I=1, N2 )
      WRITE(N2) ( DX(I), DY(I), DZ(I), I=1, N2 )
      IF ( N2 = NSXL(ISTD) + NSYL(ISTD) + NSZL(ISTD) )
      2 IF ( N2 = 0 ) GO TO 952
      READ (IREAD) ( WTX(I,J), WTY(I,J), WTX(I,J), WTY(I,J), WTX(I,J), WTY(I,J),
      2 WTX(I,J), WTY(I,J), WTX(I,J), WTY(I,J), WTX(I,J), WTY(I,J),
      2 WTX(I,J), WTY(I,J), WTX(I,J), WTY(I,J) )
952 CONTINUE
      IF ( MODEL1 .LE. -1 ) GO TO 954
      IF ( ISTD .EQ. 8 ) GO TO 953
      READ (IREAD) ( EPR1(I,J,K), EPR2(I,J,K), EPR3(I,J,K), EPR4(I,J,K),
      2 EPR5(I,J,K), EPR6(I,J,K), EPR7(I,J,K), EPR8(I,J,K), EPR9(I,J,K),
      2 EPR10(I,J,K), EPR11(I,J,K), EPR12(I,J,K), EPR13(I,J,K), EPR14(I,J,K),
      2 EPR15(I,J,K), EPR16(I,J,K), EPR17(I,J,K), EPR18(I,J,K), EPR19(I,J,K),
      2 EPR20(I,J,K), EPR21(I,J,K), EPR22(I,J,K), EPR23(I,J,K), EPR24(I,J,K),
      2 EPR25(I,J,K), EPR26(I,J,K), EPR27(I,J,K), EPR28(I,J,K), EPR29(I,J,K),
      2 EPR30(I,J,K), EPR31(I,J,K), EPR32(I,J,K), EPR33(I,J,K), EPR34(I,J,K),
      2 EPR35(I,J,K), EPR36(I,J,K), EPR37(I,J,K), EPR38(I,J,K), EPR39(I,J,K),
      2 EPR40(I,J,K), EPR41(I,J,K), EPR42(I,J,K), EPR43(I,J,K), EPR44(I,J,K),
      2 EPR45(I,J,K), EPR46(I,J,K), EPR47(I,J,K), EPR48(I,J,K), EPR49(I,J,K),
      2 EPR50(I,J,K), EPR51(I,J,K), EPR52(I,J,K), EPR53(I,J,K), EPR54(I,J,K),
      2 EPR55(I,J,K), EPR56(I,J,K), EPR57(I,J,K), EPR58(I,J,K), EPR59(I,J,K),
      2 EPR60(I,J,K), EPR61(I,J,K), EPR62(I,J,K), EPR63(I,J,K), EPR64(I,J,K),
      2 EPR65(I,J,K), EPR66(I,J,K), EPR67(I,J,K), EPR68(I,J,K), EPR69(I,J,K),
      2 EPR70(I,J,K), EPR71(I,J,K), EPR72(I,J,K), EPR73(I,J,K), EPR74(I,J,K),
      2 EPR75(I,J,K), EPR76(I,J,K), EPR77(I,J,K), EPR78(I,J,K), EPR79(I,J,K),
      2 EPR80(I,J,K), EPR81(I,J,K), EPR82(I,J,K), EPR83(I,J,K), EPR84(I,J,K),
      2 EPR85(I,J,K), EPR86(I,J,K), EPR87(I,J,K), EPR88(I,J,K), EPR89(I,J,K),
      2 EPR90(I,J,K), EPR91(I,J,K), EPR92(I,J,K), EPR93(I,J,K), EPR94(I,J,K),
      2 EPR95(I,J,K), EPR96(I,J,K), EPR97(I,J,K), EPR98(I,J,K), EPR99(I,J,K),
      2 EPR100(I,J,K) )

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      INDEX = 0
      IF ( ( ITESTP(JT) + IADYN ) .NE. 0 ) GO TO 1100
      IF ( NITERF .NE. 1 ) GO TO 1100
      IF ( JT .EQ. 1 ) GO TO 1100
      NCHECK = 1
      INDEX = 1
1100  CONTINUE
      REVERSE = 0
      COMMENT - SOLVE FOR JOINT REACTIONS
      DO 1300 J=1,NJ
      SUBROUTINE IJST1 CALCULATES THE RESISTIVE SPRING FORCE AND
      COMMENT - AND THE SPRING STIFFNESS FOR THE JOINT SPRING UNLOADING
      COMMENT - NONLINEAR LOADING, INELASTIC UNLOADING PATH
      CALL ( REVERSE, NE, SJX, SJY, SJZ, SJV, SJXY, QJX, QJY, QJZ, QJV)
      IF ( REVERSE .NE. 0 ) GO TO 1250
      RXX(I) = - SX(I)*DX(I) + QJX
      RYY(I) = - SY(I)*DY(I) + QJY
      RZZ(I) = - SZ(I)*DZ(I) + QJZ
      ROJ(I) = KOFFJ
      IF ( IAJ(I) .EQ. 0 ) GO TO 1250
      RMJ = NJ+1
      ROMJ(NMJ,NITF) = KOFFJ
1250  CONTINUE
1300  CONTINUE
      IF ( NITERF .NE. 0 ) GO TO 1600
      IF ( REVERSE .NE. 0 ) GO TO 1600
      COMMENT - COMPUTE FOR EACH JOINT - THE SUM OF APPLIED JOINT LOAD
      COMMENT - AND THE REACTION WHEN THE APPROPRIATE WHERE END FORCES
      COMMENT - ARE SUBTRACTED FROM THIS SUM THE RESULT IS THE JOINT
      COMMENT - DO 1500 ERACS
      DO 1500 I=1,NJ
      ERXX(I) = CXX(I) + RXX(I)
      IF ( DABS(CXX(I)) .GE. 1.0E+15 ) ERXX(I) = 0.0
      ERYY(I) = CYX(I) + RYY(I)
      IF ( DABS(CYX(I)) .GE. 1.0E+15 ) ERYY(I) = 0.0
      ERZZ(I) = CZZ(I) + RZZ(I)
      IF ( DABS(CZZ(I)) .GE. 1.0E+15 ) ERZZ(I) = 0.0
1500  CONTINUE
1600  CONTINUE
      COMMENT - DO 1650 LIST THE FOLLOWING VECTORS USED IN SUBROUTINE ADJTER
      DO 1650 I=1,NJ
      ERXX(I) = 0.0
      ERYY(I) = 0.0
      ERZZ(I) = 0.0
1650  CONTINUE
      REMIND N1
      REMIND N2
      REMIND N3
      REMIND N4
      GO 1650 APROB .EQ. PRINT .OR. APROB .EQ. MEMBER ) GO TO 1700
1700  CONTINUE
1710  PRINT 155, NIIF
      CONTINUE
      TIMESIP = ANOW
      IFAB = 0
      IFAC = 0
      DO 2000 JJ = 1, NM
      IST = IST(JJ)
      ITC = IT(JJ)
      IMC(JJ) = 0
      NITH(JJ) = 0
      CCOMMENT - SKIP FOR NULL MEMBER
      IF ( IMC(JJ) .EQ. 0 ) GO TO 1850
      CALL MEMSOL ( NM, GC, SL, L1, L3, L4, L6 )
      IF ( IMC(JJ) .EQ. 1 ) NMNC = NMNC + 1
      GO TO 1950
      COMMENT - SET MEMBER END FORCE-MATRIX TO NULL MATRIX FOR NULL MEMBER
      DO 1900 I = 1, 6
      FORN(JJ,I) = 0.0
1900  CONTINUE
      COMMENT - IF REVERSAL HAS BEEN SENSED AT THE BEGINNING OF
      COMMENT - A NEW TIME STEP THEN SKIP STIFFNESS FORMATION CALCULATIONS
      COMMENT - AS BEING TIME STEP SINCE WRONG INCREMENTS HAVE ALREADY BEEN
      COMMENT - ADDED TO THE JOINT DISPLACEMENTS AT THE END OF LAST TIME STEP
      COMMENT - SO EVERYTHING MUST BE BACKED UP TO THE LAST TIME STEP, CORRECT
      COMMENT - STIFFNESS FORMATION MUST BE FORMED AT ITS END, REVISED INCREMENTS MUST
      COMMENT - BE ADDED TO JOINT DISPLACEMENTS, AND AGAIN THE NEXT TIME STEP
      COMMENT - MUST BE BEGUN.
      IF ( REVERSE .NE. 0 ) GO TO 2000
      IF ( NMNC .EQ. 0 ) PRINT 777
      COMMENT - IF SOLUTION FAILS FOR ANY REASON, THEN THE LAST GOOD STORED
      COMMENT - SOLUTION IS NOT NECESSARILY THE LAST GOOD SOLUTION SOLVED FOR
      COMMENT - IS RECALCULATED BEFORE PROCEEDING FURTHER
      COMMENT - SIMILAR THINGS ARE DONE IN CASE OF FAILURE IN JOINT SOLUTION
      COMMENT - EITHER WITHIN THE TIME STEP OR AT A NEW TIME STEP
      IF ( NMNC .EQ. 0 ) GO TO 1955
      IABAN = 1
      PRINT 92, JT, TIME
      GO TO 3870
1955  CONTINUE
      INDEX = 0
      NCHECK = 0
      IF ( ISTA .EQ. 0 ) GO TO 2000
      COMMENT - SUBROUTINE FORMST CALCULATES MEMBER (6 X 6) STIFFNESS MATRIX

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COMMENT - AND TAKING ADVANTAGE OF SYMMETRY STORES IN CCMFACT VECTOR
COMMENT - SMT(I) = SMT(2)
CALL FORMT( (RM, RO, W, SL, SMT, L1, L3, L4, L6, JJ) )
DO 1960 SSC( JJ, I) = SMT(I)
2000 CONTINUE
IF ( IVERSE.EQ. 0 ) GO TO 2015
COMMENT - DECREMENT TIME STEP PARAMETERS & JOINT DISPLACEMENTS,
COMMENT - VELOCITIES, AND ACCELERATIONS
NITF = 1
NITERP = 1
IDYN = 1
LASTEP(JT) = 1
TIME = TIME - DTI
DO 2005 I = 1, NJTT
VEL(I) = VEL(I) - DVEL(JT(I))
ACCT(I) = ACCT(I) - DACC(JT(I))
2005 CONTINUE
DO 2010 I = 1, NJT
DXT(I) = DXT(I) - DELWJT(3*I - 2)
DVT(I) = DVT(I) - DELWJT(3*I - 1)
DZZ(I) = DZZ(I) - DELWJT(3*I)
2010 GO TO 1050
2015 CONTINUE
COMMENT - BUILD STIFFNESS MATRIX AND LOAD VECTOR, TO ACTIVATE, SET LAST
COMMENT - DIVE COLUMNS IN ROBLOC NUMBER CHD EQUAL TO PRINT
IF ( APROE.NE. PRINT ) GO TO 2060
DO 2050 JJ = 1, NH
FORMT(JJ, I) = 0.0
2040 CONTINUE
IF ( ISTT.EQ. 0 ) GO TO 2050
PRINT 99, ( SSC(JJ, I), I=1, 21), ( PCMTM(JJ, I), I=1, 6 )
2050 CONTINUE
DO 3000 I = 1, NJT
CALL DIST( ( FJX, FJZ, FJZ, FJZ, TIME, I)
2060 CONTINUE
FJXT(I) = FJX
FJYT(I) = FJY
FJZT(I) = FJZ
2900 CONTINUE
ERXX(I) = FJXT(I) + ERXX(I)
ERXY(I) = FJYT(I) + ERXY(I)
ERZZ(I) = FJZT(I) + ERZZ(I)
3000 CONTINUE
NCHECK = 0
NEXE = 1
IF ( JT.GT. 1 ) GO TO 3200
IF ( ITYPE.EQ. 4 ) GO TO 3200
DO 3140 I = 1, NJT
IF ( ZHASSR(3*I-2).GT. 1.0D-10 ) GO TO 3020
ACCTJ(3*I-2) = 0.0
GO TO 3040
IF ( ZHASSR(3*I-1).GT. 1.0D-10 ) GO TO 3060
ACCTJ(3*I-1) = 0.0
GO TO 3080
ACCTJ(3*I-1) = ERY(I)/ZHASSR(3*I-1)
IF ( ZHASSR(3*I).GT. 1.0D-10 ) GO TO 3100
ACCTJ(3*I) = 0.0
GO TO 3120
ACCTJ(3*I) = ERZZ(I)/ZHASSR(3*I)
3100 CONTINUE
3120 CONTINUE
3140 DO 3250 I = 1, NJTT
3200 FACCJT(I) = ZHASSR(I)*ACCTJ(I)
FDMJNT(I) = CDAMP(I)*VELUT(I)
3250 CONTINUE
DO 3300 I = 1, NJT
ERXX(I) = ERXX(I) - FACCJT(3*I-2) - FDMJNT(3*I-2)
IF(DAS(FJXT(I)).GT. 1.00E+10) ERXX(I) = 0.0
ERXY(I) = ERXY(I) - FACCJT(3*I-1) - FDMJNT(3*I-1)
IF(DABS(FJYT(I)).GT. 1.00E+10) ERXY(I) = 0.0
IF(DABS(FJZT(I)).GT. 1.00E+10) ERZZ(I) = 0.0
3300 CONTINUE
DO 3320 I = 1, NJT
IF ( DABS(QX(I)).LT. 1.0E+15.AND.DABS(FJXT(I)).LT. 1.0E+10 )
2 ERXX(I) = ERXXD(I)
CONTINUE
IF ( DABS(QY(I)).LT. 1.0E+15.AND.DABS(FJYT(I)).LT. 1.0E+10 )
2 ERXY(I) = ERYD(I)
3320 GO TO 3330
IF ( DABS(QZ(I)).LT. 1.0E+15.AND.DABS(FJZT(I)).LT. 1.0E+10 )
2 ERZZ(I) = ERZZD(I)
3330 CONTINUE
EDUT(I) = 1
COMMENT - EDUT(I) DENOTES THAT THE PARTICULAR TIME STEP BEING
ACCESSED NOW HAS ALREADY BEEN COMPLETELY SOLVED ONCE, BUT IS
ACCESSED AGAIN THIS TIME ONLY FOR THE PURPOSE OF

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C      (BACKED UP) STIFFNESS FORMATION
      DO 3700 I = 1, NJT
      IF (DABS(CXX(I)).LT.1.0E+15.AND.DABS(FJXT(I)).LT.1.0E+10)
2      GO TO 3510
      CONTINUE
      IF (DABS(ERXX(I)).GT.ERR1) GO TO 5100
3510 CONTINUE
      IF (DABS(CYY(I)).LT.1.0E+15.AND.DABS(FJYT(I)).LT.1.0E+10)
2      GO TO 3520
      CONTINUE
      IF (DABS(ERY(I)).GT.ERR1) GO TO 5100
3520 CONTINUE
      IF (DABS(CZZ(I)).LT.1.0E+15.AND.DABS(FJZT(I)).LT.1.0E+10)
2      GO TO 3700
      CONTINUE
      IF (DABS(ERZ(I)).GT.ERR2) GO TO 5100
3700 CONTINUE
COMMENT - PRINT TABLE 8 IF REQUESTED
COMMENT - ELSE IF NOT REQUESTED, PRINT RESULTS FOR THE LAST TIME STEP
      IF (JT.EQ.NT11) GO TO 3710
      IF (IP8.EC.0) GO TO 3860
      IF ((JT-1)/IP8*IP8.NE.JT-1) GO TO 3860
3710 PRINT 11
      PRINT 16, NPREC, (AN2(II), II=1,9)
      PRINT 151
      KASTER = 0
      TEMPXX = 0.0
      TEMPYY = 0.0
      TEMPZZ = 0.0
      DO 3850 I = 1, NJT
      PRINT 152, DXX(I), DYY(I), DZZ(I), EXX(I), EYY(I), RZZ(I)
      GO TO 3840
3800 CONTINUE
      KASTER = 1
      PRINT 153, DXX(I), DYY(I), DZZ(I), EXX(I), EYY(I), RZZ(I)
3840 CONTINUE
      IF (DABS(CXX(I)).GE.1.0E+15. OR.DABS(FJXT(I)).GE.1.0E+10)
2      GO TO 3840
      TEMPXX = TEMPXX + EXX(I)
3842 CONTINUE
      IF (DABS(CYY(I)).GE.1.0E+15. OR.DABS(FJYT(I)).GE.1.0E+10)
2      GO TO 3844
      TEMPYY = TEMPYY + EYY(I)
3844 CONTINUE
      IF (DABS(CZZ(I)).GE.1.0E+15. OR.DABS(FJZT(I)).GE.1.0E+10)
2      GO TO 3850
      TEMPZZ = TEMPZZ + RZZ(I)
3850 CONTINUE
      PRINT 157, TEMPXX, TEMPYY, TEMPZZ
      IF (KASTER.EQ.1) PRINT 154
3860 CONTINUE
      IF (JT.GT.1) GO TO 3865
      IF (LTYP8.NE.9) GO TO 3865
      PRINT 90
      PRINT 120, TIME
      PRINT 100, (VELJT(I), I = 1, NJT)
      PRINT 90
      PRINT 130, TIME
      PRINT 100, (ACCJT(I), I = 1, NJT)
3865 CONTINUE
      REWIND 81
      REWIND N2
      NT = N1
      N1 = N2
      N2 = NT
3870 CONTINUE
      IF (IABAN.EQ.0) GO TO 3890
      REWIND 11
      READ (13) IREAD
      REWIND IREAD
      READ (13) IREAD
      DO 3880 I = 1, NJT
      NEXPE = NSXX(I) + NSYY(I) + NSZZ(I) + NSXP(I) + NSIP(I)
      IF (NEXPE.EQ.0) GO TO 3880
      READ (IREAD, FMT=10, J=1,10) NSXX(I,J), NSYY(I,J), NSZZ(I,J), NSXP(I,J), NSIP(I,J)
      WRT2(I,J), WRTXP(I,J), WRTY(I,J), WRTZ(I,J), WRTIP(I,J)
      J = 1,10
3880 CONTINUE
      READ (IREAD) JT, TIME, (VELJT(I), I=1, NJT)
      READ (IREAD) ACCJT(I), I=1, NJT
      N11 = NT11 - 1
      PRINT 96
      PRINT 18, JT, TIME
3890 CONTINUE
COMMENT SUBROUTINE PRINT 9 OUTPUTS MEMBER RESULTS
COMMENT CALL SUBROUTS (AN2, NPREC, RH, RC, W, SL, L1, L3, L4, L6)
3900 CONTINUE
      IF (IABAN.NE.0) GO TO 3950
      IF (JT.EQ.NT11) GO TO 3910

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COMMENT - IF (IP10.EQ.0) GO TO 3950
3910 IF ((JT-1)/IP10*IP10.NE. JT-1) GO TO 3950
PRINT 11
PRINT 16, NPROB, (AN2(I), I=1,9)
PRINT 16, I = 1, NJT
3940 PRINT 152, I, ERX(I), ERY(I), ERZ(I)
PRINT 90
3950 CONTINUE
IF (JT.EQ. NTI1) GO TO 10000
COMMENT - NEW TIME STEP
TIME2 = TIME + DTI
THESIP = ANEW
REWIND N1
NT = N3
N3 = N4
N4 = NT
REWIND N3
IF (N3.EQ.0)
  IFCHECK = 1
  INDEX = 0
DO 4000 JJ = 1, NM
  ISTT = 1, NM
  IFTT = 1, NM
  IF (ISTT.EQ.0) GO TO 4000
CALL FORMH ( ER, BC, W, SL, SMRT, L1, L3, L4, L6, JJ )
CALL FORMH ( ER, BC, W, SL, FCMT, L1, L3, L4, L6, JJ )
DO 3970 I = 1, 6
  FORMH (JJ, I) = FCMT(I)
3970 CONTINUE
4000 CONTINUE
NT = N3
N3 = N4
N4 = NT
IF (APRCE.NE. PRINT) GO TO 4060
PRINT 98
DO 4050 JJ = 1, NM
  IF (ISTT.EQ.0) GO TO 4050
PRINT 99, SMC(JJ, I), I=1,21, ( FORMH(JJ, I), I=1,6 )
4050 CONTINUE
PRINT 98
4060 CONTINUE
DO 4200 I = 1, NJT
  CALL DISTLD (FJX, FJY, FJZ, FJV, TIME2, I)
  DISTLD (FJX, FJY, FJZ, FJV, TIME2, I)
  FJXT(I) = FJX - FJXT(I)
  FJYT(I) = FJY - FJYT(I)
  FJZT(I) = FJZ - FJZT(I)
  FJVT(I) = FJV - FJVT(I)
4200 CONTINUE
IF (JT.GT.1) GO TO 4260
IF (NSAJ.EQ.0) GO TO 4260
DO 4250 I = 1, NSNJ
  NJTNT = NJ(I)
  DISJT ( 3*I-2, JT ) = DIX (NJJOINT)
  DISJT ( 3*I-1, JT ) = DIY (NJJOINT)
  DISJT ( 3*I, JT ) = DIZ (NJJOINT)
4250 CONTINUE
4260 CONTINUE
DO 4270 I = 1, NJT
  AA1 = ACCJT (3*I-2)
  AA2 = ACCJT (3*I-1)
  AA3 = ACCJT (3*I)
  VV4 = VELJT (3*I-2)
  VV5 = VELJT (3*I-1)
  VV6 = VELJT (3*I)
  ITEMP = 3*I-1
  IF (I.EQ.1) MASSR (ITEMP) * (2.0*AA1+VV4*DSS1) + DFJXT(I)
  + CDABZ (ITEMP) * 2.0*VV4
  ITEMP = ITEMPI
  IF (I.EQ.2) MASSR (ITEMP) * (2.0*AA2+VV5*DSS1) + DFJYT(I)
  + CDABZ (ITEMP) * 2.0*VV5
  ITEMP = ITEMPI
  IF (I.EQ.3) MASSR (ITEMP) * (2.0*AA3+VV6*DSS1) + DFJZT(I)
  + CDABZ (ITEMP) * 2.0*VV6
4270 CONTINUE
  IHT = 3*I+2
  NL = 3*NJT
  NL = 1
  NFSUB = 21
  CALL GRTPA (RW, HO, W, SI, L3, L4, L6, IHE)
  IF (IHE.LT.10000) GO TO 4280
COMMENT - SYMBOLICALLY MAKE NJNC = 1
  NJNC = 1
  IABAN = 1
  NTEMP = JT + 1
  TEMP = TIME + DTI
PRINT 94, NTEMP, TEMP
GO TO 3970
4280 CONTINUE
COMMENT - COMPUTE INCREMENTS OF VELOCITY AND ACCELERATION
DO 4300 I = 1, NJT
  DVELJT(I) = -2.0*VELJT(I) + 2.0*W(I)/DTI
  DACCJT(I) = -2.0*ACCJT(I) + 4.0*W(I)/DTI + DSS2*W(I)
4300 CONTINUE

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DO 4400 I = 1, NJT
  VELJT(I) = VELJT(I) + DVELJT(I)
  ACCJT(I) = ACCJT(I) + DACCJT(I)
  DVELJT(I) = W(I)
4400 CONTINUE
DO 4500 I = 1, NJT
  DX(I) = DX(I) + W(3*I-2)
  DY(I) = DY(I) + W(3*I-1)
  DZ(I) = DZ(I) + W(3*I)
4500 CONTINUE
IF (NSMJ.EQ.0) GO TO 4610
DO 4600 II = 1, NSMJ
  HJOINT = HJ(II)
  DISJT ( 3*II-2, JT+1 ) = DX(HJOINT)
  DISJT ( 3*II-1, JT+1 ) = DY(HJOINT)
  DISJT ( 3*II, JT+1 ) = DZ(HJOINT)
4600 CONTINUE
4610 GO TO 10000
5100 CONTINUE
IF (JT.NE.1) GO TO 5110
PRINT 92, JT, TIME
PRINT 260
      GO TO 11100
      CCNTINUE
5110 COMMENT - ITERATE WITHIN TIME STEP
COMMENT - ZERO DFS - ONLY SOLVING FOR ERROR
DO 5150 I = 1, NJT
  DFS(I) = 0.0
  DFS(I) = 0.0
5150 CONTINUE
DO 5155 JJ = 1, NM
  FORM(JJ,I) = 0.0
5155 CONTINUE
  IHS = 3*IDJ+2
  NL = 3*NJT
  NL = 1
  NPSUB = 21
  CALL GRIP2A (EM,50,J,SL,L3,L4,L6,IHB)
  IF (IHB.LT.10000) GO TO 5160
COMMENT - SYMBOLICALLY MAKE NJNC = 1
  NJNC = 1
  IABAN = 1
  PRINT 92, JT, TIME
  IF (JT.EQ.1) GO TO 11100
GO TO 3870
5160 CONTINUE
DO 5200 I = 1, NJT
  VELJT(I) = VELJT(I) + W(I)*2.0/DTI
  ACCJT(I) = ACCJT(I) + W(I)*DSS2
5200 CONTINUE
DO 5300 I = 1, NJT
  DX(I) = DX(I) + W(3*I-2)
  DY(I) = DY(I) + W(3*I-1)
  DZ(I) = DZ(I) + W(3*I)
5300 CONTINUE
IF (NSMJ.EQ.0) GO TO 5410
DO 5400 II = 1, NSMJ
  HJOINT = HJ(II)
  DISJT ( 3*II-2, JT ) = DX(HJOINT)
  DISJT ( 3*II-1, JT ) = DY(HJOINT)
  DISJT ( 3*II, JT ) = DZ(HJOINT)
5400 CONTINUE
5410 CONTINUE
IF (NMIF.LT.NMIF) GO TO 1065
PRINT 20, NMIF
COMMENT - SYMBOLICALLY MAKE NJNC = 1
  NJNC = 1
  IABAN = 1
  PRINT 92, JT, TIME
  IF (JT.EQ.1) GO TO 11100
GO TO 3870
10000 CONTINUE
IF (JT.LT. NTI1) GO TO 1040
IF (APROB.NE.NTI1) GO TO 10005
WRITE (14,12) (A#1(II), II=1,40)
10005 CONTINUE
IF (NSMJ.EQ.0) GO TO 10150
DO 10100 II = 1, NSMJ
  PRINT 205, HJ(II)
  IF (A#100.NE.SAVE) GO TO 10010
WRITE (14,13) HJ(II)
10010 CONTINUE
PRINT 210
PRINT 212
      TEMP = TIME - NTI1 * DTI
      DO 10020 J = 1, NTI1
        TEMP = TEMP + DTI
        PRINT 254, J, TEMP, FMAXP(II,J), FMAXD(II,J), FMINOM(II,J),
          FMINCT(II,J), FMINSHF(II,J), FMINTD(II,J),
          IF (APROB.NE.SAVE) GO TO 10020
        WRITE (14,255) HJ(II), J, TEMP, FMAXP(II,J), FMAXD(II,J),

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100202 CONTINUE      PRMOSH(II,J), PRMACT(II,J), PRMSHF(II,J), PRMLTD(II,J) 02189*88
PRINT 205, MM(II) 02201*88
IF (APROB.NE. SAVE) GO TO 10022 02202*88
WRITE (14,207) MM(II) 02203*88
10022 CONTINUE 02204*88
PRINT 212 02205*88
PRINT 212 02206*88
DO 10024 J = 1,NTI1 02207*88
TEMP = TIME - ANTI1 * DTI 02208*88
TEMP = TEMP + DTI 02209*88
PRINT 254, J,TEMP,TCAXF(II,J),TCAKD(II,J),TOMOM(II,J), 02210*88
TOROT(II,J),TOSHF(II,J),TOLTD(II,J) 02211*88
IF (APROB.NE. SAVE) GO TO 10024 02212*88
WRITE (14,255) MM(II),J,TEMP,TOAXF(II,J),TOAKD(II,J), 02213*88
TOMOM(II,J),TCSHF(II,J),TCSHF(II,J),TCLTD(II,J) 02214*88
10024 CONTINUE 02215*88
PRINT 220, MM(II) 02216*88
IF (APROB.NE. SAVE) GO TO 10030 02217*88
WRITE (15,221) MM(II) 02218*88
10030 CONTINUE 02219*88
TEMP = TIME - ANTI1 * DTI 02220*88
ISTT = IST(MM(II)) 02221*88
IF (PRMOSH(ISTT).EQ. SHEAR) GO TO 10060 02222*88
PRINT 251 02223*88
PRINT 230 02224*88
DO 10050 J = 1,NTI1 02225*88
TEMP = TEMP + DTI 02226*88
PRINT 254, J,TEMP,FCRCEL(II,J),STRANL(II,J), 02227*88
BMOMNL(II,J),CURVAL(II,J) 02228*88
IF (APROB.NE. SAVE) GO TO 10050 02229*88
WRITE (15,255) MM(II),J,TEMP,FCRCEL(II,J),STRANL(II,J), 02230*88
BMOMNL(II,J),CURVAL(II,J) 02231*88
10050 CONTINUE 02232*88
PRINT 220, MM(II) 02233*88
IF (APROB.NE. SAVE) GO TO 10052 02234*88
WRITE (15,222) MM(II) 02235*88
10052 CONTINUE 02236*88
TEMP = TIME - ANTI1 * DTI 02237*88
PRINT 252 02238*88
PRINT 230 02239*88
DO 10054 J = 1,NTI1 02240*88
TEMP = TEMP + DTI 02241*88
PRINT 254, J,TEMP,FCRCEL(II,J),STRANR(II,J), 02242*88
BMOMNR(II,J),CURVAR(II,J) 02243*88
IF (APROB.NE. SAVE) GO TO 10054 02244*88
WRITE (15,255) MM(II),J,TEMP,FCRCEL(II,J),STRANR(II,J), 02245*88
BMOMNR(II,J),CURVAR(II,J) 02246*88
10054 CONTINUE 02247*88
GO TO 10100 02248*88
10060 CONTINUE 02249*88
PRINT 253 02250*88
PRINT 253 02251*88
DO 10070 J = 1,NTI1 02252*88
TEMP = TEMP + DTI 02253*88
PRINT 254, J,TEMP,FCRCEL(II,J),STRANL(II,J), 02254*88
BMOMNL(II,J),CURVAL(II,J),SHFORL(II,J),GAMMAL(II,J) 02255*88
IF (APROB.NE. SAVE) GO TO 10070 02256*88
WRITE (15,255) MM(II),J,TEMP,FCRCEL(II,J),STRANL(II,J), 02257*88
BMOMNL(II,J),CURVAL(II,J),SHFORL(II,J),GAMMAL(II,J) 02258*88
10070 CONTINUE 02259*88
PRINT 220, MM(II) 02260*88
IF (APROB.NE. SAVE) GO TO 10072 02261*88
WRITE (15,222) MM(II) 02262*88
10072 CONTINUE 02263*88
TEMP = TIME - ANTI1 * DTI 02264*88
PRINT 252 02265*88
PRINT 230 02266*88
DO 10080 J = 1,NTI1 02267*88
TEMP = TEMP + DTI 02268*88
PRINT 254, J,TEMP,FCRCEL(II,J),STRANR(II,J), 02269*88
BMOMNR(II,J),CURVAR(II,J),SHFORR(II,J),GAMMAR(II,J) 02270*88
IF (APROB.NE. SAVE) GO TO 10080 02271*88
WRITE (15,255) MM(II),J,TEMP,FCRCEL(II,J),STRANR(II,J), 02272*88
BMOMNR(II,J),CURVAR(II,J),SHFORR(II,J),GAMMAR(II,J) 02273*88
10080 CONTINUE 02274*88
10090 CONTINUE 02275*88
10100 CONTINUE 02276*88
10150 CONTINUE 02277*88
PRINT 11 02278*88
PRINT 110, TIME 02279*88
PRINT 100, ( LXX(I), DYY(I), DZZ(I), I=1,NJT ) 02280*88
PRINT 90 02281*88
PRINT 120, TIME 02282*88
PRINT 100, ( VELJT(I), I=1,NJIT ) 02283*88
PRINT 90 02284*88
PRINT 130, TIME 02285*88
PRINT 100, ( ACCJT(I), I=1,NJIT ) 02286*88
IF (VLSJ.EQ. 0) GO TO 10000 02287*88
DO 10250 I=1,NLSHJ 02288*88
I = NJ(I) 02289*88
DO 10200 J = 1,NTI1 02290*88
IF (I.EQ. 1) GO TO 10190 02291*88
IF (I.EQ. 0) GO TO 10190 02292*88
IF (I.EQ. -1) GO TO 10180 02293*88
TH(J) = DISJT(IIJ-2,J) - DISJT(IIJ-5,J) 02294*88

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20 FORMAT ( 45H JOINT NUMBERS MUST BE POSITIVE )
21 FORMAT ( 10F10.2E11 JOINT NUMBERS, I5, I2H NOT LOCATED )
22 FORMAT ( 10H NONE )
23 FORMAT ( 40H NO DATA HELD OR READ IN TABLE 2 )
31 FORMAT ( 50H NUMBER OF CARDS IN TABLE 2 MAY NOT EQUAL 1 )
50 FORMAT ( 20H JOINT NUMBER ABOVE GREATER THAN NUMBER,
        43H OF JOINTS IN FRAME )
60 FORMAT ( 15H NUMBER OF JOINTS IN FRAME GREATER THAN,
        35H STORAGE ALLOW )
70 FORMAT ( 15H X AND Y OFFSETS FOR JOINT, I7,
        15H ARE BOTH ZERO )
80 FORMAT ( 10H JOINT, I5, 30H HAS NOT PREVIOUSLY BEEN SPEC,
        2H SHIFTED )
90 FORMAT ( 32H ERROR IN LOCATION OF JOINT, I5
        40H EXCEEDS THE TOLERANCE SPECIFIED ABOVE
        30H THE ERROR IN X DIRECTION IS 10.3, //, 4X,
        4H THE ERROR IN Y DIRECTION IS 210.3 )
PRINT 9
IF (NCD2.EQ. 1) GO TO 8100
IF (NCD2.LE. 0.AND. KEEP2.LE. 0) GO TO 8300
COMMENT - DO NEW DATA
PRINT 17
PRINT 23
GO TO 9800
1150 CONTINUE
JNTL = 0
IF (KEEP2.EQ. 1) GO TO 1230
DO 1200 I = 1, NNTJ COORDINATES EQUAL TO 1.01E50
X(I) = 1.01E20
Y(I) = -1.01E20
1200 COMMENT - READ FIRST CARD OF TABLE 2
READ 10, NJT, J1, D1, DY, TCL
PRINT 11, NJT, J1, D1, DY, TCL
COMMENT - IF (D1.EQ. 0) GO TO 8200
IF (J1.GT. NJT) GO TO 8500
IF (J1) = D1
Y(J1) = DY
GO TO 1240
COMMENT - OLD NEW DATA
COMMENT - READ FIRST CARD OF TABLE 2
1230 READ 16, NJT
PRINT
PRINT 18, NJT
1240 CONTINUE
IF (NJT.GT. NNTJ) GO TO 8600
PRINT 14
N2M1 = NCD2 - 1
COMMENT - DO FOR SECOND AND SUCCEEDING CARDS OF TABLE 2
DO 4900 JJ = 1, N2M1
READ 12, J1, D1, DY
IF (J1.GT. NJT) (J2(I), I=1, 7)
N2M2 = 0
DO 1270 I = 1, 7
IF (J2(I).GT. NJT) JNTL = 1
IF (J2(I).NE. 0) N2M2 = N2M2 + 1
1270 PRINT J1, D1, DY, (J2(I), I=1, N2M2)
IF (J1.GT. NJT) GO TO 8200
COMMENT - CHECK IF FROM JCINT HAS BEEN LOCATED
1300 IF (J1) = 0, (J2(I), I=1, 7) GO TO 8800
IF (JNTL.EQ. 1) GO TO 8500
IF (J2(I).EQ. 0.0.AND. D1.EQ. 0.0) GO TO 8700
COMMENT - DO FOR ALL JOINTS SPECIFIED ON THIS CARD
DO 4900 I = 1, N2M2
COMMENT - COMPUTE THE POSIBLY VALUES OF COORDINATES
3250 XT = X(J1) + DX
YT = Y(J1) + DY
J2II = J2(I)
IF (J2II.LE. 0) GO TO 8200
IF (J2II.GT. 0) GO TO 4000
COMMENT - JOINT PREVIOUSLY LOCATED COMPUTE DIFFERENCE BETWEEN OLD
COMMENT - LOCATION AND NEW LOCATION EXI AND EYI
EXI = X(J2II) - XT
EYI = Y(J2II) - YT
IF (EXI.LT. 0.0) EXI = -EXI
IF (EYI.LT. 0.0) EYI = -EYI
COMMENT - AVERAGE OLD AND NEW COORDINATES (TCL) GO TO 8900
X(J2II) = 0.5*(X(J2II) + XT)
Y(J2II) = 0.5*(Y(J2II) + YT)
GO TO 1500
COMMENT - JOINT NOT PREVIOUSLY LOCATED
4000 X(J2II) = XT
Y(J2II) = YT
4500 CONTINUE
J1 = J2II
4600 CONTINUE
4900 CONTINUE
GO TO 9800
8100 PRINT 11
GO TO 9700
8200 PRINT 20
GO TO 9700

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20 FORMAT ( 45H JOINT NUMBERS MUST BE POSITIVE ) 02573
21 FORMAT ( 32H MONO MEMBER WITH STIFFNESS TYPE, 15, 9H AND LOAD, 02574
25 FORMAT ( 32H TYPE 15, 32H WAS SPECIFIED AS GOING FROM, 02575
4 32H NOT ALLOW THIS ORDER TO BE REVERSED, PROGRAM DOES, 02576
30 FORMAT ( 36H NO DATA HELD OR READ IN TABLE 3C ) 02579*79
40 FORMAT ( 40H NUMBER OF CARDS IN TABLE 3C MAY NOT EQUAL 1 ) 02580*79
50 FORMAT ( 43H JOINT NUMBER ABOVE GREATER THAN NUMBER, 02581
61 FORMAT ( 57H OF JOINTS IN FRAME ) 02582
2 57H NUMBER OF STIFFNESS TYPES GREATER THAN STORAGE, 02583
62 FORMAT ( 46H ALLOWS ) 02584
57H ALLOWS ) 02585
71 FORMAT ( 57H STIFFNESS AND LOAD TYPES MUST BE POSITIVE, 02586
2 57H NUMBERS ) 02587
72 FORMAT ( 57H STIFFNESS OR LOAD TYPE ABOVE GREATER THAN TOTAL, 02588
57H NUMBER OF STIFFNESS OR LOAD TYPES SPECIFIED ABOVE ) 02589
73 FORMAT ( 57H YOU CANNOT HOLD UP THE LOAD WITHOUT SOME STIFF, 02590
57H STIFFNESS - IF STIFF TYPE = 0 - LOAD TYPE MUST = 0 ) 02592
74 FORMAT ( 50H MAXIMUM BAND WIDTH OF EQUATIONS EXCEEDED, 02593
2 50H REMEMBER JOINTS OR EXTENSION DIVIDE AND LESS, 02594
91 FORMAT ( 50H ERROR IN OFFSETS FOR MEMBER OF STIFFNESS TYPE, 02595
15, 48H THE X AND Y OFFSETS FOR THE MEMBER BETWEEN, 02596
3 48H JOINTS, 48H DO NOT AGREE WITH, PREVIOUSLY DEFINED OFFSETS, 02597
48H FOR A MEMBER OF THIS TYPE WITHIN THE ALLOWED, 02598
7 48H ERROR OF TWO TIMES THE JOINT LOCATION TOLERANC, 02599
92 FORMAT ( 48H ERROR IN OFFSETS FOR MEMBER OF LOAD TYPE, 02600
15, 48H THE X AND Y OFFSETS FOR THE MEMBER BETWEEN, 02601
3 48H JOINTS, 48H DO NOT AGREE WITH, PREVIOUSLY DEFINED OFFSETS, 02602
48H FOR A MEMBER OF THIS TYPE WITHIN THE ALLOWED, 02603
7 48H ERROR OF TWO TIMES THE JOINT LOCATION TOLERANC, 02604
93 FORMAT ( 57H NUMBER OF JOINT STIFFNESS TYPES MUST BE POSITI, 02605*62
2 57H VE AND LESS THAN OR EQUAL TO THE ALLOWABLE STORAGE, 02610*62
94 FORMAT ( 57H JOINT STIFFNESS TYPE MUST BE POSITIVE, 02611*62
2 57H THAN OR EQUAL TO THE NUMBER OF JOINT STIFF TYPES ) 02612*62
95 FORMAT ( 50H ALL THE JOINT STIFF TYPES ARE NOT DEFINED, 02613*62
50H GREATER MEMBER HAS TO BE, 02614*62
97 FORMAT ( 50H WITHIN THE POSITIVE X-DIRECTION FOR THE JSYES OPTION, 02615*77
2 50H ORIENTATION OF A VERTICAL MEMBER HAS TO BE IN, 02616*77
98 FORMAT ( 51H THE POSITIVE X-DIRECTION FOR THE JSYES OPTION, 02617*77
2 51H ONLY RECTANGULAR FRAMES CAN BE ANALYZED IN THE, 02618*77
99 FORMAT ( 13H JSYES OPTION ) 02619*77
48H ERROR IN THE MEMBER WITH STIFFNESS TYPE =, 15, 02620*77
16H AND LOAD TYPE =, 15, 20H THAT CONNECTS JOINT, 15, 02621*77
100 FORMAT ( 40H TABLE 3A - JOINT TYPE AND SIZE DATA, /// ) 02622*62
101 FORMAT ( 12H NO DATA, // ) 02623*62
102 FORMAT ( 15, 5X, 1415 ) 02624*68
103 FORMAT ( 38H NUMBER OF JOINT STIFFNESS TYPES =, 15, // ) 02625*62
104 FORMAT ( 21H JOINT JOINTS, //, 9H TYPE, // ) 02626*62
105 FORMAT ( 5X, 15, 5X, 1415 ) 02627*65
106 FORMAT ( 15, 5X, 6210.3, 15 ) 02628*62
107 FORMAT ( 48H JOINT STIFF THJ HJ GJ HJ NJSS, VJ 02629*79
2 48H TYPE, // ) 02630*62
116 FORMAT ( 5X, 15, 5X, 6211.3, 15 ) - JOINT SHEAR STRESS STRAIN CURVES, // 02631*79
120 FORMAT ( 48H RATE CURVE NUMB SYNT (1=YES, TAB=HULT, 02632*79
2 48H GAN=HULT, 66 02633*79
122 FORMAT ( 1X, 48, 31, 10, 3, 81, 210.0 = NO ) 02634*79
123 FORMAT ( 8X, 24, 1, 13, 2X, 10X, 2E11.3, 3, 6X, 2E10.0, 17, 815 ) 02635*79
124 FORMAT ( 8X, 4, 3, 13, 2X, 10X, 2E11.3, 3, 6X, 3E10.0, 17, 815 ) 02636*79
150 FORMAT ( 46H EITHER SHEAR MODULUS OR SHEAR STRESS-STRAIN, 02640*79
33H CURVE NUMBER SHOULD BE SPECIFIED ) 02641*79
151 FORMAT ( 45H BOTH SHEAR MODULUS AND SHEAR STRESS-STRAIN, 02642*79
2 45H STIFFNESS TYPE ) 02643*79
152 FORMAT ( 48H JOINT SHEAR STRESS-STRAIN CURVE NUMBER SHOULD, 02644*79
3 48H BE POSITIVE AND LESS THAN THE MAXIMUM ALLOWABLE, 02645*79
153 FORMAT ( 33H JOINT STRESS-STRAIN CURVE NUMBER ) 02646*79
48H NO CARDS SHALL BE SPECIFIED IN TABLE 3B WHEN, 02647*79
154 FORMAT ( 49H JOINT SHEAR OPTION IS NOT EQUAL TO JSYES, 02648*79
2 49H IF KE2F3B IS NOT EQUAL TO 1, SCUB3B HAS TO BE, 02649*79
155 FORMAT ( 48H NON-ZERO ) 02650*79
156 FORMAT ( 47H NUMBER OF CARDS IN THIS TABLE MUST BE EVEN ) 02651*79
157 FORMAT ( 47H IF SYMMETRY OPTION=1, FIRST POINT ON CURVE, 02652*79
2 47H MUST BE EQUAL TO (0,0) ) 02653*79
158 FORMAT ( 48H STRESS OPTION MUST BE 1 OR 0 ) 02654*79
50H AND 8 ) 02655*79
159 FORMAT ( 50H OR NO CURVE NUMBER FOR STRESS-STRAIN CURVE NU, 02656*79
2 50H MEMBER OR NO CURVE SPECIFIED ) 10H NOT INPUT ) 02657*79
160 FORMAT ( 31H STRESS-STRAIN CURVE NUMBER ) 02658*79
161 FORMAT ( 30H NO DATA SHALL BE INPUT IN TABLE 3B WHEN NO SH, 02659*80
2 30H SHEAR STRESS-STRAIN CURVE IS SPECIFIED FOR THE JOINTS ) 02660*80
DATA JSYES, 48H 5HJSYES, 02661*79
DATA YNO, 48H 02662*79
COMMENT - INPUT TABLE 3A 02663*79
PRINT 100 02664*79
02665*62

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      IF (JTSHE.EQ.JSYES) GO TO 210
PRINT 101
COMMENT - SET TO 510 THE JOINT STIFFNESS TYPES TO ZERO
210 CONTINUE
      IF (KEEP3B.NE.1) GO TO 215
PRINT 17
      IF (NCD3B.NE.0) GO TO 215
PRINT 23
      GO TO 510
215 DO 220 J = 1,NJT
220   JST(J) = 0
      READ 110,NJST
PRINT 111,NJST
COMMENT - READ JOINTS WITH THE SAME TYPE NUMBER.
PRINT 112
      STENE = NCD3B-NJST-1
      DO 400 J = 1,NJSTP
      READ 110,JSTT,(JOINT(II),II=1,14)
      NJNZ=0
      DO 250 II = 1,14
      IF (JOINT(II).GT.NJT) JNTL=1
      IF (JOINT(II).NE.0) NJNZ = NJNZ + 1
250 CONTINUE
COMMENT - PRINT JOINTS WITH THE SAME STIFFNESS TYPE NUMBER
PRINT 113,JSTT,(JOINT(II) II=1,NJNZ)
      IF (JNTL.EQ.1) GO TO 8500
      IF (JSTT.EQ.0) NJST = NJST + 1
COMMENT - ASSIGN JOINT STIFFNESS TYPE NUMBER
COMMENT - ON ONE CARD
      DO 300 J = 1,NJNZ
      KTEMP = JOINT(K)
      JST(KTEMP) = JSTT
300 CONTINUE
400 CONTINUE
COMMENT - CHECK WHETHER ALL THE JOINT STIFFNESS TYPES ARE DEFINED
      DO 410 J = 1,NJT
      IF (JST(J).EQ.-1) GO TO 8950
410 CONTINUE
PRINT 115
      DO 400 J = 1,NJST
      READ 114,JSTT,HLJT,BRJT,VLJT,VUJT,TRKJT,GJT,NC
PRINT 116,JSTT,HLJT,BRJT,VLJT,VUJT,TRKJT,GJT,NC
      IF (JSTT.EQ.0) GO TO 500
      HLJ(JSTT) = HLJT
      BRJ(JSTT) = BRJT
      VLJ(JSTT) = VLJT
      VUJ(JSTT) = VUJT
      TRKJ(JSTT) = TRKJT
      GJ(JSTT) = GJT
      NJSS(JSTT) = NC
COMMENT - COMPUTE THE JOINT CONSTANT THAT IS USED TO CALCULATE JOINT
COMMENT - SHEAR MOMENT AND JOINT STIFFNESS.
      SUC(JSTT) = TRKJT*(HLJT+BRJT)*(VLJT+VUJT)
      IF (GJT.EQ.0.AND.NC.EQ.0) GO TO 9150
      IF (GJT.NE.0.AND.NC.NE.0) GO TO 9151
      IF (NC.LT.0.OR.NC.GT.NJSS) GO TO 9152
500 CONTINUE
COMMENT - INPUT TABLE 3B
510 PRINT 120
      IF (JTSHE.EQ.JSYES) GO TO 520
      IF (NCD3B.NE.0) GO TO 9153
PRINT 101
      GO TO 1090
520 CONTINUE
      WMEF = 0
      DO 521 J = 1,NJT
      JSTT = JST(J)
      WTEMP = WTEMP + NJSS(JSTT)
521 CONTINUE
      IF (WTEMP.NE.0) GO TO 522
      IF (NCD3B.NE.0) GO TO 9161
PRINT 101
      GO TO 1090
522 CONTINUE
      IF (KEEP3B.NE.1) GO TO 525
PRINT 17
      IF (NCD3B.NE.0) GO TO 525
PRINT 23
      GO TO 1090
525 CONTINUE
      IF (KEEP3B.NE.1.AND.NCD3B.EQ.0) GO TO 9154
      IF (KEEP3B.EQ.1) GO TO 535
      DO 530 J = 1,NJSS
      NPT(J) = 1
530 CONTINUE
535 IF (NCD3B2 = NCD3B/2)
      IF (NCD3B2.NE.NCD3B) GO TO 9155
COMMENT - INPUT SHEAR STRESS-STRAIN CURVE ON TWO CARDS
      DO 540 II = 1,NCD3B2
      PRINT 122
      READ 121
      TAUMT,NC,NPTT,ISJT,ALPH,BET,(NTAT(I),I=1,8)
      IF (NTAT.NE.MINO) GO TO 540

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02669*62
 02670*62
 02671*86
 02672*62
 02673*62
 02674*67
 02675*67
 02676*67
 02677*67
 02678*86
 02679*86
 02680*62
 02681*75
 02682*62
 02683*62
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 02687*75
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 02700*62
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 02706*62
 02707*62
 02708*75
 02709*66
 02710*65
 02711*62
 02712*62
 02713*79
 02714*75
 02715*75
 02716*75
 02717*75
 02718*75
 02719*75
 02720*72
 02721*79
 02722*179
 02723*90
 02724*80
 02725*79
 02726*79
 02727*79
 02728*62
 02729*79
 02730*86
 02731*79
 02732*79
 02733*79
 02734*79
 02735*79
 02736*80
 02737*80
 02738*80
 02739*80
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 02757*79
 02758*79
 02759*79
 02760*79
 02761*79
 02762*79
 02763*79
 02764*79


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PRINT 123, NC, NPTT, ISJT, TAUMT, GAMMT, (NTAT(I), I=1, NPTT)
GO TO 541
540 CONTINUE
PRINT 124, MTRL, NC, NPTT, ISJT, TAUMT, GAMMT, (NTAT(I), I=1, NPTT)
541 CONTINUE
PRINT 125, IT, .EQ. 1 .AND. NTAT(1) .NE. 0 (NGAT(I), I=1, NPTT)
IF (ISJT .EQ. 1 .AND. NGAT(1) .NE. 0) GO TO 9159
IF (ISJT .NE. 1 .AND. ISJT .NE. 0) GO TO 9157
IF (NC .LT. 0 .OR. NC .GT. 62. NJSS) GO TO 9158
DO 545 I = 1, NPTT
  TAUMT(NC, I) = NTAT(I)
  GAMMT(NC, I) = NGAT(I)
545 CONTINUE
  NPTT(NC) = NPTT
  ISJT(NC) = ISJT
  MTRL(NC) = MTRL
  ALPH(NC) = ALPH
  BET(NC) = BET
  TAUMT(NC) = TAUMT
  GAMMT(NC) = GAMMT
COMMENT - SUBROUTINE TGCUR (I) DEALS WITH SHEAR STRESS-STRAIN CURVE NO.
COMMENT - NC AND ITS SUBDIVISIONS ARE FOR PURPOSES OF INELASTIC TREATMENT
COMMENT - FOR THE PRESENT INELASTIC CASE IS RESTRICTED TO SYMMETRIC
COMMENT - CURVES WITH NUMBER OF INPUT POINTS (OF THE SYMMETRY PART)
COMMENT - GREATER THAN OR EQUAL TO NSSINL ( = 4 AT PRESENT ) INCLUDING
COMMENT - ORIGIN (0, 0)
COMMENT - SUBROUTINE TGCUR ALSO DETERMINES THE IMPORTANT INFORMATIONS
COMMENT - FROM THE SPITAL INPUT CURVE FOR MILD STEEL ( WITH VIRGIN
COMMENT - STRAIN HARDENING )
  IF (ISJT .EQ. 1 .AND. NPTT .LE. NSSINL) GO TO 550
GO TO 560
550 CALL TGCUR ( NC, IABAN )
560 CONTINUE
COMMENT - CHECK FOR UNDEFINED SHEAR STRESS-STRAIN CURVE NUMBER
DO 570 I = 1, NPTT
  JSIT = JSIT(I)
  IF (NJSS(JSIT, 0) .GO TO 570
  IF (NC = NJSS(JSIT, 0) .GO TO 570
  IF (NPTT(NC) .EQ. -1) GO TO 9160
570 CONTINUE
COMMENT - INPUT TABLE 3C
1090 PRINT 9
  IF (NCD3C .EQ. 1) GO TO 8100
  IF (TTOL = 2.0 * TOL
COMMENT - SET OFFSETS FOR STIFF TYPES
DO 1100 I = 1, NPTT
  DYS(I) = 1.01E20
1100 COMMENT - SET OFFSETS FOR LOAD TYPES
DO 1110 I = 1, NPTT
  DXL(I) = 1.01E20
  DYL(I) = 1.01E20
1110 IF (KEEP3C .NE. 1) GO TO 1150
PRINT 11
  GO TO 1160
1150 NM = 0
1160 CONTINUE
  IF (NCD3C .NE. 0) GO TO 1180
PRINT 12
  GO TO 6000
1180 JNTL = 0
1250 CONTINUE
COMMENT - READ FIRST CARD IN TABLE 3C
READ 10, NST, NLT
PRINT 11, NST, NLT
  IF (NLT .GT. NNT) GO TC 8610
  IF (NLT .GT. NNT) GO TC 8620
PRINT 14
  N3C51 = NCD3C - 1
  DO 4900 JJ = 1, N3C51
COMMENT - READ 2ND AND SUCCEEDING CARDS IN TABLE 3C
READ 12, J1, ISJT, LTT, J2(I), I = 1, 10)
  IF (J1 .NE. 0) JNTL = 1
  IF (J1 .NE. 0)
    DO 1270 II = 1, 10
      IF (J2(II) .NE. 0) NJNZ = NJNZ + 1
    CONTINUE
1270 COMMENT - PRINT 2ND AND SUCCEEDING CARDS IN TABLE 3C
PRINT 13, J1, ISJT, LTT, (J2(II), II = 1, NJNZ)
  IF (J1 .LT. 0 .OR. LTT .LT. 0) GO TO 8200
  IF (ISJT .GT. 0 .OR. LTT .GT. 0) GO TO 8710
  IF (ISJT .GT. 0 .AND. LTT .NE. 0) GO TO 8720
  IF (ISJT .NE. 0 .AND. LTT .NE. 0) GO TO 8730
COMMENT - NUMBER MEMBERS AND ASSIGN STIFFNESS AND LOAD TYPES
COMMENT - DO FOR NUMBER OF MEMBERS SPECIFIED ON ONE CARD
DO 4500 II = 1, NJNZ
  IF (J2(II) .LE. 0) GO TO 8200
  IF (KEEP3C .NE. 1) GO TO 4425
COMMENT - DO FOR EACH MEMBER

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      IDJ = 0
COMMENT - COMPUTE HALF BAND WIDTH OF FRAME
      DO 7700 I = 1, NM
      IF (IDJT - IABSE (JT1(I) - JT2(I)))
      7700   CONTINUE
      IF (IDJT - GT. IDJ) IDJ = IDJT
      IF (IDJ - GI. MDJT) GO TO 8740
      3100 PRINT 31
      GO TO 9700
      8240 PRINT 20
      GO TO 9700
      8250 PRINT 25, ISTT, J2II, J1
      GO TO 9700
      8300 PRINT 30
      GO TO 9700
      8500 PRINT 50
      GO TO 9700
      8610 PRINT 61
      GO TO 9700
      8620 PRINT 62
      GO TO 9700
      8710 PRINT 71
      GO TO 9700
      8720 PRINT 72
      GO TO 9700
      8730 PRINT 73
      GO TO 9700
      8740 PRINT 74
      GO TO 9700
      8910 PRINT 91, ISTT, J1, J2I
      GO TO 9700
      8920 PRINT 92, LTT, J1, J2I
      GO TO 9700
      8930 PRINT 93
      GO TO 9700
      8940 PRINT 94
      GO TO 9700
      8950 PRINT 95
      GO TO 9700
      8960 PRINT 96
      PRINT 99, ISTT, LTT, J1, J2I
      GO TO 9700
      8970 PRINT 97
      PRINT 99, ISTT, LTT, J1, J2I
      GO TO 9700
      8980 PRINT 98
      PRINT 99, ISTT, LTT, J1, J2I
      GO TO 9700
      9150 PRINT 150
      GO TO 9700
      9151 PRINT 151
      GO TO 9700
      9152 PRINT 152
      GO TO 9700
      9153 PRINT 153
      GO TO 9700
      9154 PRINT 154
      GO TO 9700
      9155 PRINT 155
      GO TO 9700
      9156 PRINT 156
      GO TO 9700
      9157 PRINT 157
      GO TO 9700
      9158 PRINT 158
      GO TO 9700
      9159 PRINT 159
      GO TO 9700
      9160 PRINT 160, NC
      GO TO 9700
      9161 PRINT 161
      9700 IABAN = 1
      GO TO 9900
      9800   CONTINUE
      PRINT 8
COMMENT - PRINT MEMBER NUMBERS, FROM AND TO JOINTS, LENGTHS AND OFFSETS
      DO 9875 STT = 1, NM
      IF (ISTT - EQ. 0) GO TO 9860
      PRINT 1, STT, JT1(I), JT2(I), IST(I), LT(I), ZLS(ISTT), DXS(ISTT),
      2   DYS(ISTT)
      GO TO 9875
      9860 PRINT 1, STT, JT1(I), JT2(I), IST(I), LT(I)
      9875   CONTINUE
      IF (KEEP3C - EQ. 1) GO TO 9880
      PRINT 18
      GO TO 9900
      9880 PRINT 19
      9900   CONTINUE
      RETURN
      END

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02991*62
02992*62
02993*62
02994*62
02995*62
02996*77
02997*77
02998*77
02999*77
03000*77
03001*77
03002*77
03003*77
03004*77
03005*79
03006*79
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03008*79
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03042*79
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[illegible]

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76 FORMAT ( 50H IF SYMMETRY OPTION = 1, FIRST POINT ON CURVE , 03144
77 FORMAT (5X,4H MUST BE 0 - 0 ) 03145
78 FORMAT (12X,4H RESULT CURVE CURVE CURVE CURVE, 03146*83
79 FORMAT (72X,2H NUMB (X) NUMB (Y) NUMB (Z) NUMB (V), 03147*83
80 POEMAT (5X,15H (2X,15), 4(2X,15), 03148*83
81 FORMAT (5X,11H CURVE NUMB, 03149*83
82 FORMAT (6X,9H NUMB PTS, 03150*83
85 FORMAT (///) 03151
COMMENT - CHECK FOR LCAD REDUCTION 03152
IF ( WCD4A .EQ. 0 ) GO TO 1100 03153
DO 1050 I = 1, NJT 03154
  ERXX(I) = CXX(I) - DXX(I) 03155
  ERY(I) = CY(I) - DRY(I) 03156
  ERZ(I) = CZ(I) - DZ(I) 03157
  ERV(I) = CV(I) - DV(I) 03158
  CXX(I) = FAC * CXX(I) 03159
  CZ(I) = FAC * CZ(I) 03160
  CV(I) = FAC * CV(I) 03161
  QZZ(I) = FAC * QZZ(I) 03162*68
1050 CONTINUE 03163
PRINT 19, PCRJL, NLR 03164
GO TO 1100 03165
1100 CONTINUE 03166
COMMENT - INPUT TABLE 4A 03167
PRINT 9 03168
DO 1110 I = 1, NJT 03169
  ERXX(I) = CXX(I) 03170
  ERY(I) = CY(I) 03171
  ERZ(I) = CZ(I) 03172
  ERV(I) = CV(I) 03173
1110 CONTINUE 03174
1120 CONTINUE 03175
IF (KEEP4A .EQ. 1) GO TO 1230 03176
COMMENT - ZERO JOINT DATA 03177
DO 1200 I = 1, NJT 03178
  QXX(I) = 0.0 03179
  QYY(I) = 0.0 03180
  QZZ(I) = 0.0 03181
  SVX(I) = 0.0 03182
  SVY(I) = 0.0 03183
  SVZ(I) = 0.0 03184
  SVV(I) = 0.0 03185
  ZMASS(I) = 0.0 03186*68
1200 IF (WCD4A .NE. 0) GO TO 1240 03187
PRINT 30 03188
GO TO 3000 03189
COMMENT - HOLDING DATA 03190
1230 PRINT 17 03191
IF (WCD4A .NE. 0) GO TO 1240 03192
PRINT 23 03193
GO TO 3000 03194
1240 CONTINUE 03195
PRINT 14 03196
PRINT 15 03197
DO 2900 II = 1, WCD4A 03198
  READ 12, 1, QXXT, QYTT, QZZT, QVTT, SXXT, SYTT, SZTT, SVTT, ZMASST 03199
  IF (I .GT. NJT) GO TO 8200 03200
  IF (I .LE. 0) GO TO 8200 03201
COMMENT - ACCUMULATE DATA 03202
  QXX(I) = QXX(I) + QXXT 03203
  QYY(I) = QYY(I) + QYTT 03204
  QZZ(I) = QZZ(I) + QZZT 03205
  SVX(I) = SVX(I) + SXXT 03206*68
  SVY(I) = SVY(I) + SYTT 03207
  SVZ(I) = SVZ(I) + SZTT 03208
  SVV(I) = SVV(I) + SVTT 03209
  ZMASS(I) = ZMASS(I) + ZMASST 03210
2900 CONTINUE 03211
3000 CONTINUE 03212
IF ( ITYPE .EQ. 1 .CR. ITYPE .EQ. 9 ) GO TO 3800 03213
CONTINUE 03214
DO 3600 I = 1, NJT 03215
  ERXX(I) = QXX(I) - ERXX(I) 03216
  ERY(I) = QYY(I) - ERY(I) 03217
  ERZ(I) = QZZ(I) - ERZ(I) 03218
  ERV(I) = QVV(I) - ERV(I) 03219*68
3600 CONTINUE 03220
IF ( NLR .GT. 0 ) GO TO 4820 03221
GO TO 4000 03222
3800 CONTINUE 03223
DO 3900 I = 1, NJT 03224
  ERXX(I) = QXX(I) 03225
  ERY(I) = QYY(I) 03226
  ERZ(I) = QZZ(I) 03227
  ERV(I) = QVV(I) 03228*68
3900 CONTINUE 03229
4000 CONTINUE 03230

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COMMENT - PRINT ACCUMULATED JOINT DATA UNLESS IT IS THE SAME AS INPUT
COMMENT - FOR THIS SECTION
      IF (KEEP4A.EQ.1) GO TO 4820
      IF (NCD4B.EQ.0) GO TO 4865
PRINT 16
PRINT 7
GO TO 4865
4820 CONTINUE
PRINT 16
PRINT 16
DO 4860 I = 1,NJT
  IF (CXX(I).NE.0) GO TO 4850
  IF (CYY(I).NE.0) GO TO 4850
  IF (CZZ(I).NE.0) GO TO 4850
  IF (CVV(I).NE.0) GO TO 4850
  IF (SXX(I).NE.0) GO TO 4850
  IF (SYY(I).NE.0) GO TO 4850
  IF (SZZ(I).NE.0) GO TO 4850
  IF (NSXX(I).NE.0) GO TO 4850
  IF (NSYY(I).NE.0) GO TO 4850
  IF (NSZZ(I).NE.0) GO TO 4850
  IF (NSVV(I).NE.0) GO TO 4850
  IF (NSXP(I).NE.0) GO TO 4850
  IF (NSIP(I).NE.0) GO TO 4850
  IF (NCD4B.EQ.1) GO TO 4850
GO TO 4860
4850 PRINT 13, I, CXX(I), CYY(I), CZZ(I), CVV(I), SXX(I), SYY(I), SZZ(I),
2      NSXX(I), NSYY(I), NSZZ(I), NSVV(I), NSXP(I), NSIP(I)
4860 CONTINUE
4865 DO 4900 I = 1,NJT
  DOXX(I) = ERXX(I)
  DOYY(I) = ERYX(I)
  DOZZ(I) = ERZZ(I)
  DOVV(I) = ERVV(I)
4900 CONTINUE
  IF (NLR.NE.0) GO TO 9900
COMMENT - INPUT TABLE 4B
PRINT 10
IF (KEEP4B.EQ.1) GO TO 5230
COMMENT - ZERO CURVE NUMBERS
DO 5200 I = 1,NJUT
  NSXX(I) = 0.0
  NSYY(I) = 0.0
  NSZZ(I) = 0.0
  NSVV(I) = 0.0
  NSXP(I) = 0.0
  NSIP(I) = 0.0
5200 IF (NCD4B.NE.0) GO TO 5240
PRINT 30
GO TO 6000
COMMENT - HOLDING DATA
5230 PRINT 17
  IF (NCD4B.NE.0) GO TO 5240
PRINT 23
GO TO 6000
5240 CONTINUE
PRINT 14
PRINT 35
DO 5900 II = 1,NCD4B
  COMMENT - READ AND PRINT ONE DATA CARD
  READ 32, I, NJ(I), NJ(I), NSXX(I), NSYY(I), NSZZ(I), NSVV(I),
2      NSXP(I), NSIP(I), ISTR(I)
  IF (I.EQ.8) GO TO 5800
  IF (I.EQ.8) GO TO 8200
  IF (NSXX(I).GT. MNJS .OR. NSXX(I).LT. 0) GO TO 8700
  IF (NSYY(I).GT. MNJS .OR. NSYY(I).LT. 0) GO TO 8700
  IF (NSZZ(I).GT. MNJS .OR. NSZZ(I).LT. 0) GO TO 8700
  IF (NSVV(I).GT. MNJS .OR. NSVV(I).LT. 0) GO TO 8700
  IF (NSXP(I).GT. MNJS .OR. NSXP(I).LT. 0) GO TO 8700
  IF (NSIP(I).GT. MNJS .OR. NSIP(I).LT. 0) GO TO 8700
  IF (NSXP(I) + NSYP(I) .EQ. 0) GO TO 5800
  IF (ISTR(I).LE.0 .OR. ISTR(I).GT. NST) GO TO 8710
5800 CONTINUE
5900 CONTINUE
6000 CONTINUE
COMMENT - PRINT ACCUMULATED JOINT DATA UNLESS IT IS THE SAME AS INPUT
COMMENT - FOR THIS SECTION
      IF (KEEP4B.EQ.1) GO TO 6820
      IF (NCD4B.EQ.0) GO TO 6865
PRINT 16
PRINT 7
GO TO 6865
6820 CONTINUE
PRINT 16
PRINT 35
DO 6860 I = 1,NJT
  IF (SXX(I).NE.0) GO TO 6850
  IF (SYY(I).NE.0) GO TO 6850
  IF (SZZ(I).NE.0) GO TO 6850
  IF (SVV(I).NE.0) GO TO 6850
  IF (SXP(I).NE.0) GO TO 6850
  IF (SIP(I).NE.0) GO TO 6850
  IF (NCD4B.EQ.1) GO TO 6850
GO TO 6860
6850 PRINT 33, I, SXX(I), SYY(I), SZZ(I), SVV(I),
2      SXP(I), SIP(I), ISTR(I)
6860 CONTINUE
6865 CONTINUE
COMMENT - INPUT TABLE 4C

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PRINT 11
COMMENT - INITIALIZE NUMBER OF POINTS ON CURVE
DO 7200 J = 1, ENJJS
7200 IF (NCD4C.NE. 0) GO TO 7240
PRINT 30
GO TO 7500
COMMENT - HOLDING DATA
7230 PRINT 17
IF (NCD4C.NE. 0) GO TO 7240
PRINT 23
GO TO 7500
7240 CONTINUE
PRINT 1
PRINT 45
IF (NCD4C2 = NCD4C/2)
DO 7350 II = 1, NCD4C
READ 42, NC, NPT, ISJT, (NWJ(I), I = 1, 11), (NWJ(I), I = 1, 11)
DO 7310 I = 1, NPT
  NWJ(II, I) = NWJ(I)
  NWJ(II, I) = NWJ(I)
7310 CONTINUE
  NPT(NC) = NPTT
  NPTT(NC) = ISJT
PRINT 43, NC, NPT(NC), ISJ(NC), (NWJ(NC, I), I = 1, NPTT)
PRINT 44, I, (NWJ(NC, I), I = 1, NPTT)
IF (I.NE. 1.AND. NWJ(1).NE. 0) GO TO 8760
IF (ISJT.EQ. 1.AND. NWJ(1).NE. 0) GO TO 8760
IF (NC.LI. 1.OR. NC.GT. NWSJ) GO TO 8700
IF (NPTT.EQ. 2.OR. NPTT.GT. 1) GO TO 8730
IF (ISJT.EQ. 0.AND. ISJT.NE. 1) GO TO 8740
COMMENT - SUBROUTINE JNLCUE(NC) DECOMPOSES NON-LINEAR JOINT-SUPPORT
C (BASIC) CURVE NUMBER NC INTO THE COMPONENTS
CALL JNLCUE(NC)
7350 CONTINUE
7500 CONTINUE
COMMENT - AND FOR DISPLACEMENT VALUES NOT IN ASCENDING ALGEBRAIC ORDER
DO 7700 I = 1, NPT
  IF (NSZ(I).EQ. 0) GO TO 7510
  IF (NPT(NC).EQ. -1) GO TO 8720
  IF (NPT(NC).EQ. -1) GO TO 8720
DO 7505 II = 1, NPT
  IF (NWJ(I)*(NWJ(NC, II) - NWJ(NC, II - 1)).LE. 0.0) GO TO 8750
7505 CONTINUE
7510 IF (NSV(I).EQ. 0) GO TO 7520
  IF (NPT(NC).EQ. -1) GO TO 8720
  IF (NPT(NC).EQ. -1) GO TO 8720
DO 7515 II = 1, NPT
  IF (NWJ(I)*(NWJ(NC, II) - NWJ(NC, II - 1)).LE. 0.0) GO TO 8750
7515 CONTINUE
7520 IF (NSZ(I).EQ. 0) GO TO 7526
  IF (NPT(NC).EQ. -1) GO TO 8720
  IF (NPT(NC).EQ. -1) GO TO 8720
DO 7525 II = 1, NPT
  IF (NWJ(I)*(NWJ(NC, II) - NWJ(NC, II - 1)).LE. 0.0) GO TO 8750
7525 CONTINUE
7526 IF (NSV(I).EQ. 0) GO TO 7530
  IF (NPT(NC).EQ. -1) GO TO 8720
  IF (NPT(NC).EQ. -1) GO TO 8720
DO 7528 II = 1, NPT
  IF (NWJ(I)*(NWJ(NC, II) - NWJ(NC, II - 1)).LE. 0.0) GO TO 8750
7528 CONTINUE
7530 IF (NSX(I).EQ. 0) GO TO 7540
  IF (NPT(NC).EQ. -1) GO TO 8720
  IF (NPT(NC).EQ. -1) GO TO 8720
DO 7535 II = 1, NPT
  IF (NWJ(I)*(NWJ(NC, II) - NWJ(NC, II - 1)).LE. 0.0) GO TO 8750
7535 CONTINUE
7540 IF (NSVP(I).EQ. 0) GO TO 7700
  IF (NPT(NC).EQ. -1) GO TO 8720
  IF (NPT(NC).EQ. -1) GO TO 8720
DO 7545 II = 1, NPT
  IF (NWJ(I)*(NWJ(NC, II) - NWJ(NC, II - 1)).LE. 0.0) GO TO 8750
7545 CONTINUE
7700 IF (NCD4C.LE. 0) GO TO 7720
  DO 7715 I = 1, NPT
    CORDET(I) PRINTS DETAILS OF NON-LINEAR
    CALL JNLCUE(CURDET(I))
7715 CONTINUE
7720 CONTINUE
COMMENT - INITIALIZE THE RESIDUAL & TEMPORARY RESIDUAL DISPLACEMENTS
C FOR ALL THE JOINT-SUPPORT SPRINGS
DO 7800 I = 1, ENJJS

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      IF (NCD4E2*2, NE, NCD4E) GO TO 8650
DO 11300 I = 1, NCD4E
  READ 52, NC, NPTV, (NVL(I), I = 1, NPTV)
  READ 11250 I = 1, NPTV
    NVL(NC, I) = NVL(I)
    NTJ(NC, I) = NTJ(I)
11250 CONTINUE
    NPTV(NC) = NPTV
11200 CONTINUE
  PRINT 15
  PRINT 81
  PRINT 54, NC, NPTV(NC), (NVL(NC, I), I = 1, NPTV)
  PRINT 85
  PRINT 86, (NTJ(NC, I), I = 1, NPTV)
  IF (NC.LT.0.05.NC.GT.MNIVJL) GO TO 8700
  IF (NPTV.LT.2.0R. NPTV.GT. MNPTF) GO TO 8735
11300 CONTINUE
11400 CONTINUE
  GO TO 9900
8200 PRINT 20
  GO TO 9700
8500 PRINT 50
  GO TO 9700
8600 PRINT 60
  GO TO 9700
8650 PRINT 61
  GO TO 9700
8700 PRINT 70
  GO TO 9700
8735 PRINT 63
  GO TO 9700
8710 PRINT 71
  GO TO 9700
8720 PRINT 72
  GO TO 9700
8730 PRINT 73
  GO TO 9700
8740 PRINT 74
  GO TO 9700
8750 PRINT 75
  GO TO 9700
8760 PRINT 76
  LABAN = 1
8770 CONTINUE
9900 RETURN
END

***** SUBROUTINE *****
SUBROUTINE JATCUR ( NC )
COMMENT - SUBROUTINE JATCUR(NC) DECOMPOSES THE NON-LINEAR
  JOINT-SUPPORT (BASIC) CURVE NUMBER NC INTO THE COMPONENTS
  NOTE THAT ONLY THE UNSCALED VINGIN INTEGER INPUT CURVE
  IS BEING USED HERE. THE PROPER SCALE-FACTORS ARE TAKEN
  CARE OF IN THE PROPER PLACES IN THE RELEVANT
  SUBROUTINES ( CURDET AND TBLST )
COMMENT - AT PRESENT THE SUBROUTINE CAN HANDLE ONLY CURVES PASSING
  THROUGH ORIGIN
COMMENT - DESCENDING BRANCHES ARE NOT CONSIDERED AND HENCE SHOULD NOT
  BE INPUT
COMMENT - THE PROGRAM AUTOMATICALLY CONSIDERS SYMMETRY (THAT IS NEGATIVE
  DEFORMATION IS A POSITIVE IMAGE OF POSITIVE QUADRANT)
COMMENT - NC LIMIT IS FIXED ON MAXIMUM DEFORMATION
COMMENT - A HORIZONTAL LINE (THAT IS PARALLEL TO DEFORMATION AXIS)
  FORMED FROM THE TOPMOST INPUT POINT OF THE CURVE
  IMPLICIT REAL * 8 (A-Z)
  DIMENSION QU(11), NW(11), RMAX(10)
  COMMON /SNT1/ NPT(20), ISJ(20), NQJ(20,11), NWJ(20,11),
    2 NQJ(11,11), NWJ(11,11)
  COMMON /SNT1/ NPT(20,10), RMAX(20,10)
  NPT1 = NPT(NC)
  NPT2 = NPT - 1
  DO 110 I = 1, NPT
    QU(I) = NWJ(NC, I)
    NW(I) = NWJ(NC, I)
110 CONTINUE
  IF ( NPT2.EQ.0 ) GO TO 205
  DO 200 I = 1, NPT2
    SLOK = ( QU(I+1) - QU(I) ) / ( NW(I+1) - NW(I) )
    STF = SLOK - SLOK1
    RMAX(I) = NW(I+1) * STF
200 CONTINUE
205 CONTINUE
    STF = ( QU(NPTT) - QU(NPT1) ) / ( NW(NPTT) - NW(NPT1) )
    DO 220 I = 1, NPT1
      NWJT(NC, I) = NW(I+1)
      RMAXJ(NC, I) = RMAX(I+1)
220 CONTINUE
  COMMENT - NWJT & RMAXJT DENOTE THAT THEY ARE DERIVED FROM
  THE (BASIC) INTEGER INPUT CURVES
  RETURN
  END

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[illegible]


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1150      CONTINUE
COMMENT - IF (KEEP5A.EQ.1) GO TC 1240
DO 1200 I=1,NNST
1200      NCDS(I)=-1
          NC5 = 0
          GO TO 1250
1240 PRINT 17
1250      CONTINUE
          PRINT 14
          NC5 = 0
COMMENT - DO FOR EACH STIFF TYPE
DO 5900 JJ = 1,NST
COMMENT - SKIP FOR STIFF TYPE PREVIOUSLY DEFINED
IF (NCDS(JJ).NE.-1) GO TC 5900
IF (JJ.EQ.1) GO TO 1300
IF (JJ.EQ.NST+1) GO TO 1300
COMMENT - PRINT NEW HEADING FOR FIRST STIFF TYPE OF PROBLEM AND AFTER
COMMENT - EVERY NON PRISMATIC STIFF TYPE
IF (NCDS(JJ.-1).GT.0) PRINT 14
1300      CONTINUE
          IF (NC5.EQ.NCD5A) GO TO 8560
COMMENT - READ AND PRINT 1ST CARD FOR STIFF TYPE
2 READ 12,ISTT,STTT,E,ELEMT,PRIT,PRAT,INLOPT,NCDDST,IAIOPT,IOPOPT,
          IPIRLT,IPIRNT
          IF (NSTT.EQ.0) NSTT = NNE
          IF (NSTT.LT.4) GO TC 9120
          IF (NSTT.GT.4) GO TC 9120
          IF (IAIOPT.GT.0) OR (IAIOPT.GT.2) GO TO 8580
          IF (NCDDST.LT.0) GO TO 8310
          IF (IOPOPT.LT.0) OR (IOPOPT.GT.1) GO TO 8320
          IF (IPIRNT.GT.1) GO TO 8330
          IF (INLOPT.LT.0) OR (INLOPT.GT.1) GO TO 8340
          NCR5 = NC5 + 1
          IF (JJ.NE.ISTT) GO TC 8650
          IF (ISTT.GT.NST) GO TC 8720
          IF (IPIRNT.LT.0) GO TC 8710
COMMENT - MULTIPLY A AND I BY E
          PRAT = E*PRAT
          IF (ISTT.EQ.0) M = NNE
          IF (IPIRNT.LT.0) GO TC 1350
          NSTIF(ISTT) = NSTT
          M = NSTT
1350      CONTINUE
          NPI = M + 1
          NP2 = M + 2
          IF (ELEMT.EQ.0) SHEAR ) GO TO 5200
          IF (NCDDST.GT.0) GO TO 2400
          IF (INLOPT.EQ.1) GO TO 8740
COMMENT - PRISMATIC MEMBER - NC CARDS FOLLOW
          IF (PRAT.LE.0.0) OR (PRAT.LE.0.0) GO TC 8660
COMMENT - STORE TEMPORARY READ IN VALUES
          PRAT(ISTT) = PRAT
          NCDS(ISTT) = 0
          IAXOPS(ISTT) = IAXOPT
          IOPOS(ISTT) = IOPOPT
          IPIRL(ISTT) = IPIRLT
          IPIRNT(ISTT) = IPIRNT
          INLOPT(ISTT) = INLOPT
          GO TO 5900
2400      CONTINUE
          IF (PRAT.GT.0.0) OR (PRAT.GT.0.0) GO TO 8670
          NCDS(ISTT) = NCDDST
          IAXOPS(ISTT) = IAXOPT
          IOPOS(ISTT) = IOPOPT
          IPIRL(ISTT) = IPIRLT
          IPIRNT(ISTT) = IPIRNT
          INLOPT(ISTT) = INLOPT
          IF (INLOPT.GT.1) GO TC 5100
COMMENT - NON PRISMATIC MEMBER - NCDDST CARDS FOLLOW
COMMENT - STORE TEMPORARY READ IN VALUES
          PRINT 15
COMMENT - DO FOR EACH ADDITIONAL DATA CARD FOR THIS STIFF TYPE
DO 4500 II = 1,NCDDST
          NC5 = NC5 + 1
          IF (II.EQ.1) NC51(ISTT) = NC5
          IF (NC5.EQ.NCD5A) GO TO 8560
COMMENT - READ 15, XLS(NC5),XRS(NC5),FL(NC5),AEL(NC5),SYL(NC5),SYL(NC5),
          SZL(NC5)
          PRINT 16
          NC52(NC5) = XRS(NC5),FL(NC5),AEL(NC5),SYL(NC5),SYL(NC5),
          SZL(NC5)
          NCR5 = NC5 + 1
          IF (AEL(NC5) AND I BY E AND I BY E) CR. FL(NC5) .LE. 0.0) GO TO 8660
          FL(NC5) = E*FL(NC5)
          AEL(NC5) = E*AEL(NC5)
COMMENT - CHECK FOR UAD DATA
          TH = 2IS(ISTT)/M
          IF (II.EQ.1) GO TO 3200

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IF (XLS(NC5) .NE. XRS(NC5 - 1)) GO TO 8540
IF (XLS(NC5) .LE. 0.0) GO TO 3300
GO TO 4000
3200 IF (XLS(NC5) .NE. 0.0) GO TO 8510
3300 IF (XRS(NC5) .EQ. 0.0) GO TO 4000
4000 CONTINUE
4500 CONTINUE
COMMENT - CHECK FOR STIFF NOT STOPING AT END OF MEMBER
      EERLN = (ZLS(ISTT) - XRS(NC5))
IF (EERLN .LT. 0.0) EERLN = -EERLN
IF (EERLN .GT. 0.1) *H GO TO 8520
      XRS(NC5) = ZLS(ISTT)
GO TO 5900
5100 CONTINUE
COMMENT - INPUT NONLINEAR SUPPORT CURVE AND CROSS-SECTION NUMBERS
      READ 19, NAL(ISTT), NSXL(ISTT), NSYL(ISTT), NSZL(ISTT), NAR(ISTT),
      2 NSXR(ISTT), NSIR(ISTT), NSZR(ISTT), QH(ISTT), *H(ISTT)
      PRINT 20, ISTD, NAL(ISTT), NSXL(ISTT), NSYL(ISTT), NSZL(ISTT),
      2 NAR(ISTT), NSXR(ISTT), NSIR(ISTT), NSZR(ISTT), QH(ISTT), *H(ISTT)
      IF (NAL(ISTT) .LE. 0 .OR. NAR(ISTT) .LE. 0) GO TO 8350
      IF (NSXL(ISTT) .LT. 0 .OR. NSXL(ISTT) .GT. MNQW) GO TO 8750
      IF (NSYL(ISTT) .LT. 0 .OR. NSYL(ISTT) .GT. MNQW) GO TO 8750
      IF (NSZL(ISTT) .LT. 0 .OR. NSZL(ISTT) .GT. MNQW) GO TO 8750
      IF (NSXR(ISTT) .LT. 0 .OR. NSXR(ISTT) .GT. MNQW) GO TO 8750
      IF (NSIR(ISTT) .LT. 0 .OR. NSIR(ISTT) .GT. MNQW) GO TO 8750
      IF (NSZR(ISTT) .LT. 0 .OR. NSZR(ISTT) .GT. MNQW) GO TO 8750
      GO TO 5900
5200 CONTINUE
      INLOPI .EQ. 1 ) GO TO 5240
      PRINT 200
      READ 201, NCDS = NC5 + 1
      PRINT 201, G, PRSHA
      IF ((PRAGI .LE. 0.0 .OR. PRAET .LE. 0.0) .OR. PRAGT .LE. 0.0)
COMMENT - STORE TEMPORARY READ IN VALUES
      PRPI(ISTT) = PRPT
      PRAI(ISTT) = PRAET
      PRAGI(ISTT) = PRAGT
      NCDS(ISTT) = 1
      IAXOES(ISTT) = IAXOPI
      IOPOI(ISTT) = IOPOPT
      IPINI(ISTT) = IPINIT
      IPIKE(ISTT) = IPIKET
      IYLOI(ISTT) = IYLOET
      ELEMT(ISTT) = ELEMET
      GO TO 5900
5240 CONTINUE
      IF (PRAET .GT. 0.0 .OR. PRAEI .GT. 0.0) GO TO 9230
      NCDS(ISTT) = NCDS1
      IAXOES(ISTT) = IAXOPI
      IOPOI(ISTT) = IOPOPT
      IPINI(ISTT) = IPINIT
      IPIKE(ISTT) = IPIKET
      IYLOI(ISTT) = IYLOET
      ELEMT(ISTT) = ELEMET
COMMENT - INPUT NONLINEAR SUPPORT CURVE AND CROSS-SECTION NUMBERS
      READ 19, NAL(ISTT), NSXL(ISTT), NSYL(ISTT), NSZL(ISTT), NAR(ISTT),
      2 NSXR(ISTT), NSIR(ISTT), NSZR(ISTT), QH(ISTT), *H(ISTT)
      NCDS = NC5 + 1
      PRINT 20, ISTD, NAL(ISTT), NSXL(ISTT), NSYL(ISTT), NSZL(ISTT),
      2 NAR(ISTT), NSXR(ISTT), NSIR(ISTT), NSZR(ISTT), QH(ISTT), *H(ISTT)
      IF (NAL(ISTT) .LE. 0 .OR. NAR(ISTT) .LE. 0) GO TO 8350
      IF (NSXL(ISTT) .LT. 0 .OR. NSXL(ISTT) .GT. MNQW) GO TO 8750
      IF (NSYL(ISTT) .LT. 0 .OR. NSYL(ISTT) .GT. MNQW) GO TO 8750
      IF (NSZL(ISTT) .LT. 0 .OR. NSZL(ISTT) .GT. MNQW) GO TO 8750
      IF (NSXR(ISTT) .LT. 0 .OR. NSXR(ISTT) .GT. MNQW) GO TO 8750
      IF (NSIR(ISTT) .LT. 0 .OR. NSIR(ISTT) .GT. MNQW) GO TO 8750
      IF (NSZR(ISTT) .LT. 0 .OR. NSZR(ISTT) .GT. MNQW) GO TO 8750
      GO TO 5900
5900 CONTINUE
      IF (NCDS .LT. NCDS5A) GC TO 8570
COMMENT - THE FOLLOWING STATEMENTS (UP TO STATEMENT 6000) SET THE VALUES
COMMENT - FUS SUM OF ELEMENTS BY LOAD TYPE EQUAL TO THAT INPUT BY STIFF
COMMENT - TYPE AND ALSO CHECKS FOR CONFLICT (SEE FORMAT 130 ABOVE)
      DO 5950 K = 1, NLT
      5950 NOTE(K) = 0
      DO 6000 JJ = 1, NLT
      6000 ISTD = ISTD(JJ)
      IF (LTT = LTT(JJ)) GO TO 6000
      IF (LTT .EQ. 0) GO TO 6000
      IF (NOTE(LTT) .NE. 0) GO TO 5990
      NOTE(LTT) = NMTIF(ISTT)
      MLOAD(LTT) = MLOAD(LTT)
5990 CONTINUE
      IF (LLOAD(LTT) .EQ. MSTIF(ISTT)) GO TO 6000
      GO TO 9130
6000 CONTINUE
6100 CONTINUE
COMMENT - INPUT TABLE 58

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PRINT 8      (NCD5B .GT. 0 .OR. KEEPSB .GT. 0) GO TO 6170
IF (ILLOST .EQ. 1) GO TO 8610
PRINT 30
GO TO 6900
CONTINUE
6170 IF (NCD5B .NE. 0) GO TO 6200
PRINT 17
PRINT 23
GO TO 6900
6200 IF (KEEPSB .EQ. 1) GO TO 6250
DO 6220 I = 1, MNCS
6220 NC = (NCD5B) = -1
GO TO 6275
6250 PRINT 17
6275 PRINT 41
PRINT 43
6300 CONTINUE
COMMENT - READ FIRST CARD OF TABLE 5B
READ 42, NAT, NCDAT
      NCDAT(NAT) = NCDAT
      NPCTCT(NAT) = 0
      NC55 = NC55 + 1
PRINT 44, NAT, NCDAT(NAT)
IF (NAT .LE. 0 .OR. NAT .GT. MNCS) GO TO 8350
COMMENT - DO FOR REMAINDER OF CARDS
DO 6400 II = 1, NCDAT
READ 45, NDIV(NAT,II), BI(NAT,II), DI(NAT,II), YI(NAT,II),
3      SHC(NAT,II), NCS = NC55 + 1
IF (NDIV(NAT,II) .NE. 0) GO TO 6320
PRINT 47, IBLN, BI(NAT,II), DI(NAT,II), YI(NAT,II),
2      NSS(NAT,II), SM(NAT,II), SH(NAT,II), EN(NAT,II),
      NPCTCT(NAT) = NPCTCT(NAT) + 1
6320 GO TO 6340
IF (IRECT(NAT,II) .EQ. 1) NDIV(NAT,II) = 10
PRINT 46, IBLN, BI(NAT,II), DI(NAT,II), YI(NAT,II),
2      IRECT(NAT,II), NSS(NAT,II), SM(NAT,II), SH(NAT,II),
3      SHC(NAT,II),
      NPCTCT(NAT) = NPCTCT(NAT) + NDIV(NAT,II)
6340 CONTINUE
IF (IRECT(NAT,II) .NE. 1 .AND. IRECT(NAT,II) .NE. 0)
2      GO TO 8760
CONTINUE
6400 IF (NPCTCT(NAT) .GT. MNPCS) GO TO 9101
IF (NC55 .LT. (NCD5A + NCD5B)) GO TO 6300
COMMENT - INPUT TABLE 5C
PRINT 7
PRINT 30
NCD5C .GT. 0 .OR. KEEPSC .GT. 0) GO TO 7200
GO TO 7500
7200 IF (NCD5C .NE. 0) GO TO 7250
PRINT 17
PRINT 23
GO TO 7500
7250 IF (KEEPSC .EQ. 1) GO TO 7280
DO 7270 I = 1, MNSS
7270 NPTS(I) = -1
GO TO 7300
7280 PRINT 17
7300 CONTINUE
IF (ELMNT .EQ. SHEAR) GO TO 7400
IF (NCD5C2 = NCD5C2) GO TO 7400
IF (NCD5C2 = 2 .NE. NCD5C) GO TO 8730
COMMENT - INPUT STRESS-STRAIN CURVE ON TWO CARDS
DO 7350 II = 1, NCD5C2
PRINT 81
READ 82, MTBL, NC, NPTT, ISJT, ALPH, BET, (NSIT(I), I=1,8), (NEPT(I), I=1,8)
DC 7310 I = 1, NPTT
      NSIG(II) = NSIT(I)
      NEPS(II) = NEPT(I)
7310 CONTINUE
      NPTS(NC) = NPTT
      ISS(NC) = ISJT
      NATBL(NC) = MTBL
      ALPHA(NC) = ALPH
      BETTA(NC) = BET
IF (MTBL .NE. HING) GO TO 7315
PRINT 86, MTBL, NC, NPTS(NC), ISS(NC), (NSIG(NC,I), I = 1, NPTT)
GO TO 7317
7315 CONTINUE
7317 PRINT 86, MTBL, NC, NPTS(NC), ISS(NC), (NSIG(NC,I), I = 1, NPTT)
PRINT 84
IF (ISJT .EQ. 1 .AND. NSIT(1) .NE. 0) GO TO 8996
IF (ISJT .EQ. 1 .AND. NEPT(1) .NE. 0) GO TO 8996
IF (ISJT .NE. 1 .AND. ISJT .NE. 0) GO TO 8800
IF (NEPT .LT. 2 .OR. NPTT .GT. 8) GO TO 8790
IF (NC .LT. 0) GO TO 8770
COMMENT - SUBROUTINE SECUR(NC) DEALS WITH STRESS-STRAIN CURVE NUMBER NC
COMMENT - AND ITS SUBDIVISIONING FOR PURPOSES OF INELASTIC TREATMENT
COMMENT - FOR THE PRESENT INELASTIC CASE IS RESTRICTED TO SYMMETRIC

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COMMENT - CURVES WITH NUMBER OF INPUT POINTS (OF THE SYMMETRY PART)
COMMENT - LESS THAN OR EQUAL TO MSSINL (= 4 AT PRESENT) INCLUDING
COMMENT - ORIGIN (0,0)
COMMENT - SUBROUTINE SECUR ALSO DETERMINES THE IMPORTANT INFORMATIONS
COMMENT - FROM THE SPECIAL INPUT CURVE FOR MILD STEEL (WITH VIRGIN
COMMENT - STRAIN HARDENING)
      IF (ISJT.EQ. 1.AND. NPTT.LE. MSSINL) GO TO 7320
      GO TO 7350
      CONTINUE
      COMMENT - SKIP CALLING SUBROUTINE SECUP FOR THE NONLINEAR ELASTIC
      COMMENT - STRESS-STRAIN MODEL
      DO 7330 I = 1, NCS
        NAT = I
        IF (NCDAT = NCDAT(NAT))
          DO 7325 ITEMP = 1, NCDAT
            IF (NSS(NAT,ITEMP).NE. NC) GO TO 7325
            IF (NDIV(NAT,ITEMP).EQ. 0) GO TO 7325
          CALL SUBSECUR (NC,IABAN)
          GO TO 7350
        CONTINUE
      7325 CONTINUE
      7330 CONTINUE
      7350 GO TO 7500
      7400 CONTINUE
      NCD5C3 = NCD5C/3
      IF (NCD5C/3.NE. NCD5C) GO TO 9240
      COMMENT - INPUT FLEXURAL STRESS-STRAIN CURVE AND SHEAR DATA IN 3 CARDS
      DO 7450 II = 1, NCD5C3
        PRINT 81
        READ 82, MTRL, NC, NPTT, ISJT, ALPH, BET, (NSIT(I), I=1,8), (NEPT(I), I=1,8)
        DO 7410 I = 1, NPTT
          NSIG(NC, I) = NSIT(I)
          NEPS(NC, I) = NEPT(I)
        CONTINUE
        NPTS(NC) = NPTT
        ISS(NC) = ISJT
        MATRL(NC) = MTRL
        ALPHA(NC) = ALPH
        BETA(NC) = BET
        IF (MTRL.NE. MTRNO) GO TO 7415
        GO TO 7417
        PRINT 83, MTRL, NC, NPTS(NC), ISS(NC), (NSIG(NC, I), I = 1, NPTT)
      7415 CONTINUE
      PRINT 84, MTRL, NC, NPTS(NC), ISS(NC), (NSIG(NC, I), I = 1, NPTT)
      7417 CONTINUE
      PRINT 84, GS(NC)
      READ 201, GS(NC)
      PRINT 201, GS(NC)
      IF (ISJT.EQ. 1.AND. NSIT(1).NE. 0) GO TO 8996
      IF (ISJT.EQ. 1.AND. NEPT(1).NE. 0) GO TO 8996
      IF (ISJT.EQ. 1.AND. ISJT.NE. 0) GO TO 8900
      IF (NPTT.LE. 2.OR. NPTT.GT. 8) GO TO 8790
      IF (NC.LT. 0.OR. NC.GT. NCS) GO TO 8770
      COMMENT - SUBROUTINE SECUR(NC) DEALS WITH STRESS-STRAIN CURVE NUMBER NC
      COMMENT - AND ITS SUBDIVIDING FOR PURPOSES OF INELASTIC TREATMENT
      COMMENT - FOR THE PRESENT INELASTIC CASE IS RESTRICTED TO SYMMETRIC
      COMMENT - CURVES WITH NUMBER OF INPUT POINTS (OF THE SYMMETRY PART)
      COMMENT - LESS THAN OR EQUAL TO MSSINL (= 4 AT PRESENT) INCLUDING
      COMMENT - ORIGIN (0,0)
      COMMENT - SUBROUTINE SECUR ALSO DETERMINES THE IMPORTANT INFORMATIONS
      COMMENT - FROM THE SPECIAL INPUT CURVE FOR MILD STEEL (WITH VIRGIN
      COMMENT - STRAIN HARDENING)
      IF (ISJT.EQ. 1.AND. NPTT.LE. MSSINL) GO TO 7420
      GO TO 7450
      CONTINUE
      COMMENT - SKIP CALLING SUBROUTINE SECUP FOR THE NONLINEAR ELASTIC
      COMMENT - STRESS-STRAIN MODEL
      DO 7430 I = 1, NCS
        NAT = I
        IF (NCDAT = NCDAT(NAT))
          DO 7425 ITEMP = 1, NCDAT
            IF (NSS(NAT,ITEMP).NE. NC) GO TO 7425
            IF (NDIV(NAT,ITEMP).EQ. 0) GO TO 7425
          CALL SUBSECUR (NC,IABAN)
          GO TO 7450
        CONTINUE
      7425 CONTINUE
      7430 CONTINUE
      7450 CONTINUE
      7500 CONTINUE
      COMMENT - INPUT TABLE 5D
      PRINT 6
      IF (NCD5D.GT. 0.OR. KZEP5D.GI. 0) GO TO 7700
      PRINT 30
      GO TO 8000
      IF (NCD5D.NE. 0) GO TO 7750
      PRINT 1
      PRINT 23
      GO TO 8000
      7750 IF (KZEP5D.EQ. 1) GO TO 7780
      DO 7770 I = 1, NPTM
        NPTM(I) = -1
      7770

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041190
041191
041192
041193
041194
041195
041196
041197
041198
041199
042000*86
042001*86
042002*86
042003*86
042004*86
042005*86
042006*86
042007*86
042008*86
042009*86
042100*86
042101*86
042102*86
042103*86
042104*86
042105*86
042106*86
042107*86
042108*86
042109*86
042110*86
042111*86
042112*86
042113*86
042114*86
042115*86
042116*86
042117*86
042118*86
042119*86
042120*86
042121*86
042122*86
042123*86
042124*86
042125*86
042126*86
042127*86
042128*86
042129*86
042130*86
042131*86
042132*86
042133*86
042134*86
042135*86
042136*86
042137*86
042138*86
042139*86
042140*86
042141*86
042142*86
042143*86
042144*86
042145*86
042146*86
042147*86
042148*86
042149*86
042150*86
042151*86
042152*86
042153*86
042154*86
042155*86
042156*86
042157*86
042158*86
042159*86
042160*86
042161*86
042162*86
042163*86
042164*86
042165*86
042166*86
042167*86
042168*86
042169*86
042170*86
042171*86
042172*86
042173*86
042174*86
042175*86
042176*86
042177*86
042178*86
042179*86
042180*86
042181*86
042182*86
042183*86
042184*86
042185*86

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7780 GO TO 7800
7800 PRINT 17
      PRINT 88
      NCDSD2 = NCDSD/2
      IF (NCDSD22 = NCDSD ) GO TO 8730
COMMENT - INPUT MEMBER Q-W CURVE CN TFC CARDS
DO 890 I = 1, NCDSD2
READ 89 NC = I, NCDSD2
      I = 1, NCDSD2
      NQMT(NC,I) = NQMT(I, I = 1, 11), (NWMT(I, I = 1, 11))
      NQMT(NC,I) = NQMT(I)
      NWMT(NC,I) = NWMT(I)
7810 CONTINUE
      NPTM(NC) = NPTT
      ISM(NC) = ISJT
      PRINT 85, NWMT(NC), ISM(NC), (NQMT(NC,I), I = 1, NPTT)
      PRINT 86, (NWMT(NC,I), I = 1, NPTT)
      IF (ISJT.EQ. 1.AND. NQMT(1) .NE. 0) GO TO 8996
      IF (ISJT.NE. 1.AND. NQMT(1) .NE. 0) GO TO 8996
      IF (NPTT.NE. 2.OR. NPTT.GT. 11) GO TO 8790
      IF (NPTT.LT. 2.OR. NC.GT. NQWB) GO TO 8750
7950 CONTINUE
8000 CONTINUE
COMMENT - CHECK FOR INCOMPATIBLE DATA CN CROSS-SECTION AND STRESS-STRAIN CURVES ON SAME MEMBER
      DO 8100 I = 1, NST
      ISST = I
      IF (I.NE. ISST) .EQ. 0) GO TO 8100
      NALT = NALT(ISST)
      NART = NART(ISST)
      IF (NCDA(NALT) .EQ. -1) GO TO 8900
      IF (NCDA(NART) .EQ. -1) GO TO 8910
      IF (NCDA(NALT) .NE. NCDA(NART)) GO TO 8920
      NCDA = NCDA(NALT)
      DO 8050 K = 1, NCDA
      KJ = K
      NSSLT = NSS(NALT,K)
      NSSRT = NSS(NART,K)
      IF (NPTS(NSSLT) .EQ. -1) GO TO 8930
      IF (NPTS(NSSRT) .EQ. -1) GO TO 8940
      IF (NPTS(NSSLT) .NE. NPTS(NSSRT)) GO TO 8950
      IF (NPTS(NSSLT) .NE. NPTS(NSSRT)) GO TO 8960
      NPTT = NPTS(NSSLT)
      DO 8030 KK = 1, NPTT
      IF (EM(NALT,K) * (NPTS(NSSLT, KK) - NPTS(NSSRT, KK - 1)) .LE. 0.0)
8030 2 GO TO 8994
      CONTINUE
      DO 8040 KK = 1, NPTS(NSSRT)
      IF (EM(NART,K) * (NPTS(NSSRT, KK) - NPTS(NSSLT, KK - 1)) .LE. 0.0)
8040 2 GO TO 8995
      CONTINUE
      IF (NDIV(NALT,K) .EQ. 0.AND. SDIV(NART,K) .EQ. 0) GO TO 8050
COMMENT - THE FOLLOWING FOUR CHECKS APPLY ONLY FOR THE INELASTIC
COMMENT - STRESS-STRAIN CASE
      IF (NDIV(NALT,K) .NE. NDIV(NART,K)) GO TO 9103
      IF (NSSLT .NE. NSSRT) GO TO 9104
      IF (SM(NALT,K) .NE. SM(NART,K)) GO TO 9105
      IF (EM(NALT,K) .NE. EM(NART,K)) GO TO 9106
8050 CONTINUE
8100 CONTINUE
      NCD5B.EQ. 0.OR. NCD5C.EQ. 0) GO TO 88104
COMMENT - CHECK FOR COMPLIANCE WITH THE SPECIAL (TEMPORARY) RESTRICTIONS
COMMENT - PLACED ON SIGMA-EPSILON CURVES FOR THE INELASTIC CASE
      DO 8104 I = 1, NMC5
      NAT = I
      NCDA = NCDA(NAT)
      IF (NCDA.EQ. -1) GO TO 8104
      DO 8104 I = 1, NCDA
      IF (NDIV(NAT,I) .EQ. 0) GO TO 8102
      NC = NSS(NAT,I)
      ISJT = ISS(NC,I)
      NPTT = NPTS(NC)
      IF (ISJT.NE. 1) GO TO 9107
      IF (NPTT.GT. NSSINL) GO TO 9109
8102 CONTINUE
8104 CONTINUE
8104 CONTINUE
COMMENT - CHECK FOR INCOMPATIBLE DATA ON MEMBER Q-W CURVES
      DO 8200 I = 1, NST
      ISST = I
      IF (I.NE. ISST) .EQ. 0) GO TO 8200
      K = 1
      NSSLT = NSSLT(ISST)
      NSSRT = NSSRT(ISST)
      GO TO 8120
      K = 2
      NSSLT = NSSLT(ISST)
      NSSRT = NSSRT(ISST)
      GO TO 8120
      K = 3
      NSSLT = NSSLT(ISST)
      NSSRT = NSSRT(ISST)
      GO TO 8120
8120 CONTINUE
      IF (NSSLT.EQ. 0.AND. NSSRT.NE. 0) GO TO 8993

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IF (NSLT, 20, 0) GO TO 8175
IF (NPTM, NSLT, .EQ., -1) GO TO 8991
IF (NPTM, NSLT, .NE., NPTM(NSSET)) GO TO 8993
NPTT = NPTM(NSLT)
DO 8160 II = 2, NPTT
IF (NPTM(ISTT)) * (NPTM(NSLT, II) - NPTM(NSLT, II - 1)) .LE. 0.0)
8160 2 CONTINUE
NPTT = NPTM(NSSET)
DO 8170 II = 2, NPTT
IF (NPTM(ISTT)) * (NPTM(NSSET, II) - NPTM(NSSET, II - 1)) .LE. 0.0)
8170 2 CONTINUE
8175 GO TO (8175, 8180, 8200), K
8200 CONTINUE
8300 PRINT 30 GO TO 9700
8310 PRINT 31 GO TO 9700
8320 PRINT 32 GO TO 9700
8330 PRINT 33 GO TO 9700
8340 PRINT 34 GO TO 9700
8350 PRINT 35 GO TO 9700
8510 PRINT 51 GO TO 9700
8520 PRINT 52 GO TO 9700
8530 PRINT 53 GO TO 9700
8540 PRINT 54 GO TO 9700
8550 PRINT 55 GO TO 9700
8560 PRINT 56 GO TO 9700
8570 PRINT 57 GO TO 9700
8580 PRINT 58 GO TO 9700
8610 PRINT 61 GO TO 9700
8650 PRINT 65 GO TO 9700
8660 PRINT 60 GO TO 9700
8670 PRINT 67 GO TO 9700
8710 PRINT 71 GO TO 9700
8720 PRINT 72 GO TO 9700
8730 PRINT 73 GO TO 9700
8740 PRINT 74 GO TO 9700
8750 PRINT 75 GO TO 9700
8760 PRINT 76 GO TO 9700
8770 PRINT 77 GO TO 9700
8780 PRINT 78 GO TO 9700
8790 PRINT 79 GO TO 9700
8800 PRINT 80 GO TO 9700
8900 PRINT 90 NALT GO TO 9700
8910 PRINT 90 NALT GO TO 9700
8920 PRINT 92 NALT, NALT, ISTT GO TO 9700
8930 PRINT 93 NSSIT GO TO 9700
8940 PRINT 93 NSSIT GO TO 9700
8950 PRINT 93 NSSIT, NSSRT, KJ, NALT, NALT, ISTT GO TO 9700
8960 PRINT 96 KJ, NALT, NALT, ISTT GO TO 9700
8991 PRINT 991, NSLT GO TO 9700
8992 PRINT 991, NSSET GO TO 9700
8993 PRINT 993, NSLT, NSSET, ISTT GO TO 9700
8994 PRINT 994, NSSLT, KJ, NALT, ISTT GO TO 9700

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8995 PRINT 994, NSSRT,KJ, NART, ISTT
      GO TO 9700
8996 PRINT 996
      GO TO 9700
8997 PRINT 957, NSIT,ISTT
      GO TO 9700
8998 PRINT 957, NSET,ISTT
      GO TO 9700
9101 PRINT 101, NAT, MNPCS
      GO TO 9700
9103 PRINT 103, ISTT, K
      GO TO 9700
9104 PRINT 104, ISTT, K
      GO TO 9700
9105 PRINT 105, ISTT, K
      GO TO 9700
9106 PRINT 105, ISTT, K
      GO TO 9700
9107 PRINT 107, NAT, II, KC
      GO TO 9700
9109 PRINT 109, NAT, II, NC, MSSINL
      GO TO 9700
9120 PRINT 120, HEE
      GO TO 9700
9130 PRINT 130, LTT
      GO TO 9700
9220 PRINT 220
      GO TO 9700
9230 PRINT 230
      GO TO 9700
9240 PRINT 240, 9700
9700 CONTINUE
      IABAN = 1
      NSL = NST
      IF ( IABAN.EQ.1 ) GO TO 13000
      COMMENT - IDENTIFY THE VARIOUS CATEGORIES OF STIFFNESS TYPES AS FOLLO
      --> 2 LINEAR
      MODEL { --> 0 NONLINEAR ELASTIC
            { --> 1 MASING
              { --> 1 MASING + DEGRADATION
                IN A HYBRID CROSS SECTION, STIFFNESS TYPE WILL BE
                DETERMINED AS THE HIGHEST AMONG THE POSSIBLE TYPES FOR THAT
                CASE
              }
            }
          }
      DO 12000 I = 1, NST
        ISTT = I
        MODEL(ISTT) = -2
        IF ( I.EQ.1 ) GO TO 12000
        NAT = NAT(ISTT)
        NCDA = NCDA(NAT)
        MODEL(ISTT) = -1
        NTEMP = 0.0
        TEMPA = 0.0
        TEMPB = 0.0
        DO 11000 K = 1, NCDA(NAT,K)
          NC = NC(NAT,K)
          NTEMP = NTEMP + K*DIV(NAT,K)
          TEMPA = TEMPA + ALPHA(NC)
          TEMPB = TEMPB + BETA(NC)
        CONTINUE
        IF ( NTEMP.NE.0 ) GO TO 12000
        IF ( TEMPA+TEMPB.EQ.0.10D-15 ) GO TO 11200
        GO TO 12000
      CONTINUE
      IF ( TEMPB.GT.1.0D-10 ) GO TO 11400
      IF ( MODEL(ISTT) = 1
      GO TO 12000
    11200 CONTINUE
      IF ( TEMPB.GT.1.0D-10 ) GO TO 11400
      GO TO 12000
    11400 CONTINUE
      IF ( TEMPA.GT.1.0D-10 ) GO TO 11600
      PRINT 140, ISTT
      GO TO 12000
    11600 CONTINUE
      MODEL(ISTT) = 2
    12000 CONTINUE
    13000 CONTINUE
      RETURN
      END

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***** SUBROUTINE *****
SUBROUTINE SECUR(IABAN)
  COMMENT - SUBROUTINE SECUR DEALS WITH THE DECOMPOSITION OF THE
  COMMENT - BASIC INPUT INTEGER CURVE NUMBER NC.
  COMMENT - UNDER THE SPECIAL CASE OF MILD STEEL, ONLY ONE COMPONENT IS
  COMMENT - USED TO REPRESENT THE FEATURES OF VIRGIN STRAIN HARDENING
  COMMENT - DEGRADATION, AND YIELD GROWTH
  COMMENT - PROPER SCALE FACTORS ARE TAKEN CARE OF IN SUBROUTINE FAEEV
  COMMENT - THE CASE OF INELASTIC STRESS-STRAIN CURVES ARE POSSIBLE
  COMMENT - MASING MODEL { ALPHA = 0, BETA = 0 }
  COMMENT - MASING WITH DEGRADATION { ALPHA # 0, BETA = 0 }
  COMMENT - SPECIAL MILD STEEL { ALPHA = 0, BETA # 0 }
  COMMENT - FOR THE PRESENT, INELASTIC CASE IS RESTRICTED TO SYMMETRIC

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C CURVES WITH THE NUMBER OF INPUT POINTS LESS THAN OR EQUAL TO 04569
C 4 = MSSILL) INCLUDING ORIGIN (0,0) 04570
COMMENT - 4 = MISSING BRANCHES ARE NOT CONSIDERED AND HENCE MUST NOT 04571
C BE INPUT 04572
COMMENT - NO LIMIT IS PUT ON MAXIMUM STRAIN 04573
DEFINITION OF 1) 8 (A=1, C=2) 04574
COMMON /BLOC13, NPIS(08), RMAX(10) 04575
2 NSIG(11), NEPS(11), ISS(08), NSIG(08,11), NEPS(08,11), 04576
COMMON /SRT37, ALPHA(8), BETA(8), SIGMA(08,03) 04577
COMMON /SLOPH(8), SIGULT(8), SHALP(8), EPSTHD(8), 04578
2 FORMAT (10X, 4 (F10.4, 4X)) 04579
3 FORMAT 04580
90 FORMAT (10X, 37HDETAILS OF BASIC STRESS-STRAIN CURVES,,10X, 04581
100 FORMAT (10X, 14HSCALING FACTORS EXCLUDED,) 04582
2 ID) 04583
102 FORMAT (10X, 5H STRAINS,6X,9H STRESSES,6X,12HSTIFFNESS OF,3X, 04584
2 13HMAX STRESS OF 04585
3 10X,5HINPUT,10X,5HINPUT,10X,10HCOMPONENTS,8X,10HCOMPONENTS,, 04586
4 10X,10H(INTEGER),4X,10H(INTEGER),5X,10H(UNSCALED),6X, 04587
103 FORMAT (10X, 5H DEGRADATION YIELD GROWTH, 04588
2 8X, 5HALPHA,8X,4HBETA,,5I,2(F10.4, 3X),/ 04589
104 FORMAT (10X, 3HDEGRADATION DEGRADATION YIELD GROWTH YIELD, 04590
2 7H GROWTH,6H 9H SLOPE EPSTCN SLOPE ULTIMATE, 04591
3 3X,5HALPHA,6X,5HALPHA,8X,4HBETA,8X,4HBETA,6X,11HFROM YLD PT, 04592
4 36H STRAIN AND STRESS,, 04593
5 8X, 4H EPSTCN (COMPUTED) 04594
105 FORMAT (10X, 5H (F10.4, 9X, 1H 6X) 4 (F10.4, 3X),/ 04595
106 FORMAT (10X, 5H (F10.4, 9X, 1H 12X, 1H 6X, 5 (F10.4, 3X),/ 04596
107 FORMAT (10X, 11H, 1H 6X, 2 (F10.4, 3X), 6X, 1H 6X, 4 (F10.4, 3X),/ 04597
108 FORMAT (10X, 11H, 1H 6X, 2 (F10.4, 3X), 6X, 1H 6X, 4 (F10.4, 3X),/ 04598
109 FORMAT (10X, 33H ERROR IN INPUT OF SIG-EP CURVE #,13, 04599
120 FORMAT (10X, 47H BETA FACTOR MUST = 0 UNLESS MATERIAL IS "MILD", 04600
122 FORMAT (10X, 5H DEGRADATION ALGORITHM INPUT OF SIG-EP CURVE #,13, 04601
2 20H CONTINUOUSLY CONVEX,,20H (EXCEPT FOR "MILD") 04602
124 FORMAT (10X, 61H WARNING FOR CURVE #,13 SH ****, 04603
2 61H MASTING MODEL WITH CURVE NOT CONTINUOUSLY CONVEX IS PERMITTED, 04604
14H AT USEAS RISK) 04605
126 FORMAT (10X, 33H ERROR IN INPUT OF SIG-EP CURVE #,13,, 04606
2 40H 4H 6X 04607
130 FORMAT (10X, 5X, 25H ALPHA MUST BE BETWEEN 0 & 1) 04608
132 FORMAT (10X, 5X, 23H ****WARNING: ALPHA SEEMS HIGH****, 04609
134 FORMAT (10X, 5X, 23H ****WARNING: BETA SEEMS HIGH****, 04610
138 FORMAT (10X, 5X, 23H ****WARNING: BETA SEEMS VERY HIGH****, 04611
138 FORMAT (10X, 5X, 47HSLOPE FOLLOWING YIELD POINT MUST BE EITHER ZERO, 04612
2 47H 02 04613
NAGAIN = 0 04614
180 CONTINUE 04615
DO 190 J = NPIS(NC) 04616
QJ(J) = NSIG(NC,J) 04617
J) = NEPS(NC,J) 04618
190 CONTINUE 04619
NPTM2 = NPT - 2 04620
NPTM1 = NPT - 1 04621
IF (NPTM2 = 0) GO TO 205 04622
DO 200 J = 1, NPTM2 04623
SLOK = (CO(J+1) - CO(J)) / (W(J+1) - W(J)) 04624
SIF = SLOK * (W(J+2) - W(J+1)) / (W(J+2) - W(J+1)) 04625
RMAX(J) = W(J+1) * SIF 04626
200 CONTINUE 04627
205 CONTINUE 04628
SIF = (CO(NPT) - CO(NPTM1)) / (W(NPT) - W(NPTM1)) 04629
RMAX(NPTM1) = W(NPT) * SIF 04630
IF (BETA(NC) .LT. 1.0D-10) GO TO 400 04631
LABAN = 1 04632
PRINT 120, NC 04633
GO TO 1000 04634
300 CONTINUE 04635
DO 350 J = 1, NPTM1 04636
IF (RMAX(J) .GE. 0.0) GO TO 350 04637
GO TO 370 04638
350 CONTINUE 04639
GO TO 300 04640
370 CONTINUE 04641
IF (ALPHA(NC) .LT. 1.0D-10) GO TO 380 04642
PRINT 122, NC 04643
GO TO 1000 04644
380 CONTINUE 04645
PRINT 124, NC 04646
390 CONTINUE 04647
SLOSLP(NC) = 0.0 04648
SLOPH(NC) = 10000.0 * W(2) 04649
SLOPH(NC) = 0.0 04650
SIGULT(NC) = CO(NPT) 04651
GO TO 500 04652
400 CONTINUE 04653
IF (NPT .EQ. 4) GO TO 410 04654

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      IF ( NAGIAN = .EQ. 1 ) GO TO 500
      PRINT 126, NC
      GO TO 1000
410  CONTINUE
      NTEMEA = 1
      IF ( ALPHA (NC) .GT. 1.0D-10 ) GO TO 420
      COMMENT - IF ALPHA IS NOT INPUT FOR MILD(STEEL), USE A REASONABLE VALUE
      ALPHA (NC) = 0.1
      NTEMEA = 0
420  CONTINUE
      IF ( BETA (NC) .GT. 1.0D-10 ) GO TO 440
      COMMENT - AS ZERO, HOWEVER, IT IS OUTPUT UNDER THE 'COMPUTED' TITLE.
      BETA (NC) = 0.0
      NTEMEA = 0
440  CONTINUE
      SMLSIP(NC) = ( QQ(3)-QQ(2) ) / ( WW(3)-WW(2) )
      EPSTHD(NC) = WW(3)
      SLOPHD(NC) = ( QQ(4)-QQ(3) ) / ( WW(4)-WW(3) )
      SIGULI(NC) = QQ(4)
      NPTS (NC) = 4
      NAGIAN = 1
      GO TO 180
500  CONTINUE
      PRINT 9
      PRINT 90
      PRINT 100, NC, NPTM1
      PRINT 9
      PRINT 102
      PRINT 2, WW(1), QQ(1)
      DO 800 J = 2, NPT
      PRINT 2, WW(J) = EMAX(J-1) / WW(J)
      CONTINUE
      DO 900 J = 1, NPTM1
      PRINT 2, WW(J), QQ(J), STF, EMAX(J-1)
      COMMENT - EPSI IS BASIC INTEGER INPUT CURVE NUMBER NC
      EPSI (NC, J) = WW(J+1)
      EMAX (NC, J) = EMAX(J)
900  CONTINUE
      IF ( MATL (NC) .EQ. MILD ) GO TO 950
      PRINT 103, ALPHA(NC), BETA(NC)
      GO TO 982
950  CONTINUE
      PRINT 104
      IF ( NTEMEA + NTEMEB .EQ. 0 ) GO TO 980
      IF ( NTEMEA .NE. 0 .AND. NTEMEB .NE. 0 ) GO TO 970
      PRINT 105, ALPHA(NC), BETA(NC), SMLSIP(NC), EPSTHD(NC), SLOPHD(NC),
      GO TO 982
960  PRINT 106, ALPHA(NC), BETA(NC), SMLSIP(NC), EPSTHD(NC), SLOPHD(NC),
      GO TO 982
970  PRINT 107, ALPHA(NC), BETA(NC), SMLSIP(NC), EPSTHD(NC), SLOPHD(NC),
      GO TO 982
980  PRINT 108, ALPHA(NC), BETA(NC), SMLSIP(NC), EPSTHD(NC), SLOPHD(NC),
      SIGULI(NC)
982  CONTINUE
      IF ( ALPHA(NC) .GE. 0.0 .AND. ALPHA(NC) .LE. 1.0 ) GO TO 984
      PRINT 130
      GO TO 1000
      CONTINUE
984  IF ( MATL(NC) .NE. MILD ) GO TO 985
      IF ( ALPHA(NC) .LE. 0.35 ) GO TO 985
      PRINT 132
      CONTINUE
985  IF ( BETA(NC) .GE. 0.0 ) GO TO 986
      LABAN = 1
      PRINT 134
      GO TO 1000
      CONTINUE
986  IF ( MATL(NC) .NE. MILD ) GO TO 987
      IF ( BETA(NC) .LE. 0.8 ) GO TO 987
      PRINT 136
      CONTINUE
987  IF ( SMLSIP(NC) .GE. 0.0 ) GO TO 1000
      LABAN = 1
      PRINT 138
      RETURN
      END

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***** SUBROUTINE *****
SUBROUTINE RMILD
COMMENT - SUBROUTINE RMILD INPUTS MEMBER LOAD DATA (TABLE 6) CHECKS
COMMENT - FOR BAD DATA CONVERTS LOADS AND DISTANCES TO MEMBER
COMMENT - FOR REAL AND ECHS PRINTS DATA
      IMPLICIT REAL*8 (A-H,O-Z)

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1  COMMON /BLOC/, DYL (25), DIL (25), ZEDL (25), QYL (25), 04759
2  DCZL (25), UOYL (25), LOVER (25), XILOP (25), 04760
3  COMMON /BLOC/, QZL (25), XL (75), XQL (75), QYL (75), 04761
4  COMMON /BLK1/, TOL, ELMSNT, NJST, KZEEPC3C, NCD3C, 04762*79
5  KZEEPC4C, KZEEPC5C, KZEEPC6C, KZEEPC7C, KZEEPC8C, KZEEPC9C, 04763*79
6  KZEEPC10C, KZEEPC11C, KZEEPC12C, KZEEPC13C, KZEEPC14C, KZEEPC15C, 04764*79
7  KZEEPC16C, KZEEPC17C, KZEEPC18C, KZEEPC19C, KZEEPC20C, KZEEPC21C, 04765*79
8  KZEEPC22C, KZEEPC23C, KZEEPC24C, KZEEPC25C, KZEEPC26C, KZEEPC27C, 04766*79
9  KZEEPC28C, KZEEPC29C, KZEEPC30C, KZEEPC31C, KZEEPC32C, KZEEPC33C, 04767*79
10 KZEEPC34C, KZEEPC35C, KZEEPC36C, KZEEPC37C, KZEEPC38C, KZEEPC39C, 04768*79
11 KZEEPC40C, KZEEPC41C, KZEEPC42C, KZEEPC43C, KZEEPC44C, KZEEPC45C, 04769*79
12 KZEEPC46C, KZEEPC47C, KZEEPC48C, KZEEPC49C, KZEEPC50C, KZEEPC51C, 04770*79
13 KZEEPC52C, KZEEPC53C, KZEEPC54C, KZEEPC55C, KZEEPC56C, KZEEPC57C, 04771*79
14 KZEEPC58C, KZEEPC59C, KZEEPC60C, KZEEPC61C, KZEEPC62C, KZEEPC63C, 04772*79
15 KZEEPC64C, KZEEPC65C, KZEEPC66C, KZEEPC67C, KZEEPC68C, KZEEPC69C, 04773*79
16 KZEEPC70C, KZEEPC71C, KZEEPC72C, KZEEPC73C, KZEEPC74C, KZEEPC75C, 04774*79
17 KZEEPC76C, KZEEPC77C, KZEEPC78C, KZEEPC79C, KZEEPC80C, KZEEPC81C, 04775*79
18 KZEEPC82C, KZEEPC83C, KZEEPC84C, KZEEPC85C, KZEEPC86C, KZEEPC87C, 04776*79
19 KZEEPC88C, KZEEPC89C, KZEEPC90C, KZEEPC91C, KZEEPC92C, KZEEPC93C, 04777*79
20 KZEEPC94C, KZEEPC95C, KZEEPC96C, KZEEPC97C, KZEEPC98C, KZEEPC99C, 04778*79
21 KZEEPC100C, KZEEPC101C, KZEEPC102C, KZEEPC103C, KZEEPC104C, KZEEPC105C, 04779*79
22 KZEEPC106C, KZEEPC107C, KZEEPC108C, KZEEPC109C, KZEEPC110C, KZEEPC111C, 04780*79
23 KZEEPC112C, KZEEPC113C, KZEEPC114C, KZEEPC115C, KZEEPC116C, KZEEPC117C, 04781*79
24 KZEEPC118C, KZEEPC119C, KZEEPC120C, KZEEPC121C, KZEEPC122C, KZEEPC123C, 04782*79
25 KZEEPC124C, KZEEPC125C, KZEEPC126C, KZEEPC127C, KZEEPC128C, KZEEPC129C, 04783*79
26 KZEEPC130C, KZEEPC131C, KZEEPC132C, KZEEPC133C, KZEEPC134C, KZEEPC135C, 04784*79
27 KZEEPC136C, KZEEPC137C, KZEEPC138C, KZEEPC139C, KZEEPC140C, KZEEPC141C, 04785*79
28 KZEEPC142C, KZEEPC143C, KZEEPC144C, KZEEPC145C, KZEEPC146C, KZEEPC147C, 04786*79
29 KZEEPC148C, KZEEPC149C, KZEEPC150C, KZEEPC151C, KZEEPC152C, KZEEPC153C, 04787*79
30 KZEEPC154C, KZEEPC155C, KZEEPC156C, KZEEPC157C, KZEEPC158C, KZEEPC159C, 04788*79
31 KZEEPC160C, KZEEPC161C, KZEEPC162C, KZEEPC163C, KZEEPC164C, KZEEPC165C, 04789*79
32 KZEEPC166C, KZEEPC167C, KZEEPC168C, KZEEPC169C, KZEEPC170C, KZEEPC171C, 04790*79
33 KZEEPC172C, KZEEPC173C, KZEEPC174C, KZEEPC175C, KZEEPC176C, KZEEPC177C, 04791*79
34 KZEEPC178C, KZEEPC179C, KZEEPC180C, KZEEPC181C, KZEEPC182C, KZEEPC183C, 04792*79
35 KZEEPC184C, KZEEPC185C, KZEEPC186C, KZEEPC187C, KZEEPC188C, KZEEPC189C, 04793*79
36 KZEEPC190C, KZEEPC191C, KZEEPC192C, KZEEPC193C, KZEEPC194C, KZEEPC195C, 04794*79
37 KZEEPC196C, KZEEPC197C, KZEEPC198C, KZEEPC199C, KZEEPC200C, KZEEPC201C, 04795*79
38 KZEEPC202C, KZEEPC203C, KZEEPC204C, KZEEPC205C, KZEEPC206C, KZEEPC207C, 04796*79
39 KZEEPC208C, KZEEPC209C, KZEEPC210C, KZEEPC211C, KZEEPC212C, KZEEPC213C, 04797*79
40 KZEEPC214C, KZEEPC215C, KZEEPC216C, KZEEPC217C, KZEEPC218C, KZEEPC219C, 04798*79
41 KZEEPC220C, KZEEPC221C, KZEEPC222C, KZEEPC223C, KZEEPC224C, KZEEPC225C, 04799*79
42 KZEEPC226C, KZEEPC227C, KZEEPC228C, KZEEPC229C, KZEEPC230C, KZEEPC231C, 04800*79
43 KZEEPC232C, KZEEPC233C, KZEEPC234C, KZEEPC235C, KZEEPC236C, KZEEPC237C, 04801*79
44 KZEEPC238C, KZEEPC239C, KZEEPC240C, KZEEPC241C, KZEEPC242C, KZEEPC243C, 04802*79
45 KZEEPC244C, KZEEPC245C, KZEEPC246C, KZEEPC247C, KZEEPC248C, KZEEPC249C, 04803*79
46 KZEEPC250C, KZEEPC251C, KZEEPC252C, KZEEPC253C, KZEEPC254C, KZEEPC255C, 04804*79
47 KZEEPC256C, KZEEPC257C, KZEEPC258C, KZEEPC259C, KZEEPC260C, KZEEPC261C, 04805*79
48 KZEEPC262C, KZEEPC263C, KZEEPC264C, KZEEPC265C, KZEEPC266C, KZEEPC267C, 04806*79
49 KZEEPC268C, KZEEPC269C, KZEEPC270C, KZEEPC271C, KZEEPC272C, KZEEPC273C, 04807*79
50 KZEEPC274C, KZEEPC275C, KZEEPC276C, KZEEPC277C, KZEEPC278C, KZEEPC279C, 04808*79
51 KZEEPC280C, KZEEPC281C, KZEEPC282C, KZEEPC283C, KZEEPC284C, KZEEPC285C, 04809*79
52 KZEEPC286C, KZEEPC287C, KZEEPC288C, KZEEPC289C, KZEEPC290C, KZEEPC291C, 04810*79
53 KZEEPC292C, KZEEPC293C, KZEEPC294C, KZEEPC295C, KZEEPC296C, KZEEPC297C, 04811*79
54 KZEEPC298C, KZEEPC299C, KZEEPC300C, KZEEPC301C, KZEEPC302C, KZEEPC303C, 04812*79
55 KZEEPC304C, KZEEPC305C, KZEEPC306C, KZEEPC307C, KZEEPC308C, KZEEPC309C, 04813*79
56 KZEEPC310C, KZEEPC311C, KZEEPC312C, KZEEPC313C, KZEEPC314C, KZEEPC315C, 04814*79
57 KZEEPC316C, KZEEPC317C, KZEEPC318C, KZEEPC319C, KZEEPC320C, KZEEPC321C, 04815*79
58 KZEEPC322C, KZEEPC323C, KZEEPC324C, KZEEPC325C, KZEEPC326C, KZEEPC327C, 04816*79
59 KZEEPC328C, KZEEPC329C, KZEEPC330C, KZEEPC331C, KZEEPC332C, KZEEPC333C, 04817*79
60 KZEEPC334C, KZEEPC335C, KZEEPC336C, KZEEPC337C, KZEEPC338C, KZEEPC339C, 04818*79
61 KZEEPC340C, KZEEPC341C, KZEEPC342C, KZEEPC343C, KZEEPC344C, KZEEPC345C, 04819*79
62 KZEEPC346C, KZEEPC347C, KZEEPC348C, KZEEPC349C, KZEEPC350C, KZEEPC351C, 04820*79
63 KZEEPC352C, KZEEPC353C, KZEEPC354C, KZEEPC355C, KZEEPC356C, KZEEPC357C, 04821*79
64 KZEEPC358C, KZEEPC359C, KZEEPC360C, KZEEPC361C, KZEEPC362C, KZEEPC363C, 04822*79
65 KZEEPC364C, KZEEPC365C, KZEEPC366C, KZEEPC367C, KZEEPC368C, KZEEPC369C, 04823*79
66 KZEEPC370C, KZEEPC3
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      NC6 = 0
      NCR6 = 0
COMMENT - DO FOR EACH OLD LOAD TYPE
      DO 1080 JJ = 1, NLTL
      IF (JJ.EQ.1) GO TO 1025
      IF (DITTO(1).EQ.DITT) GO TC 1027
      1025 CONTINUE
      IF (NCR6.EQ.NCD6) GO TO 8560
      PRINT 10
COMMENT - READ LOAD TYPE AND PERCENT INCREASE
      READ 21, LTT, PER, DITTO
      PRINT 22, LTT, PER, DITTO
      IF (DITTO(1).EQ.DITT) PRINT 73
      NCR6 = NCR6 + 1
      1027 IF (JJ.NE.NLTL) GO TO 8650
      PI = JJ
      FAC = 1.0 + PER/100.0
      NCDLT = NCDL(LTT)
      IF (NCDLT.EQ.0) GO TO 1040
COMMENT - INCREASE GENERAL LOADS
      DO 1030 I = 1, NCDLT
      IF (NCR6 = NCR6 + 1
      IF (IOVER(LNCR6) = EQ.IIOVER) GO TO 1030
      QXL(NCR6) = QXL(NCR6)*FAC
      QYL(NCR6) = QYL(NCR6)*FAC
      QZL(NCR6) = QZL(NCR6)*FAC
      1030 CONTINUE
      GO TO 1080
      1040 CONTINUE
COMMENT - INCREASE UNIFORM LOADS
      IF (IOVER(LTT) = EQ.IIOVER) GO TO 1080
      UQX(LTT) = UQX(LTT)*FAC
      UQY(LTT) = UQY(LTT)*FAC
      1080 CONTINUE
      IF (NLTL.NE.NLTL) GO TO 1260
      IF (NCR6.LT.NCD6) GO TO 8580
      GO TO 9900
      1101 IF (KEEP6.EQ.0) NLTL = 0
      IF (NCD6.EQ.0.AND.KEEP6.EQ.0) GO TO 1110
      GO TO 1120
      1110 PRINT 24
      IF (NLTL.NE.0) GO TO 8570
      IF (NCD6.EQ.0) GO TO 1150
      IF (NLTL.NE.NLTL) GO TC 8570
      PRINT 17
      PRINT 17
      GO TO 9900
      1150 CONTINUE
      IF (KEEP6.EQ.1) GO TO 1240
COMMENT - INITIALIZE CONTROL CONSTANTS
      1160 DO 1200 I = 1, NLTL
      NCR6(I) = -1
      NCDL(I) = -1
      NCR6 = 0
      GO TO 1250
      1240 PRINT 17
      IF (NLTL.EQ.0) GO TO 1160
      1250 CONTINUE
      NCR6 = 0
      1260 CONTINUE
      PRINT 14
COMMENT - DO FOR EACH LOAD TYPE
      DO 1300 JJ = 1, NLTL
COMMENT - SKIP FOR LOAD TYPES HELD FROM PREVIOUS PROBLEM
      IF (NCDL(JJ).NE.-1) GO TO 4900
      IF (JJ.EQ.1) GO TO 1300
      IF (JJ.EQ.NLTL + 1) GO TO 1300
      IF (NCDL(JJ - 1).GT.0) PRINT 14
      1300 CONTINUE
      IF (NCR6.EQ.NCD6) GO TO 8560
COMMENT - READ AND PRINT FIRST CARD FOR LOAD TYPE
      READ 13, LTT, UQXT, UQYT, NCDLT, IAXOPT, IOVERT
      PRINT 15, LTT, UQXT, UQYT, NCDLT, IAXOPT, IOVERT
      IF (IAXOPT.LT.1 .OR. IAXOPT.GT.4) GO TO 8590
      IF (NCR6 = NCR6 + 1) GO TO 8720
      IF (LTT.GT.0) GO TO 8710
      IF (LTT.LT.0) GO TO 8710
      IF (JJ.NE.NLTL) GO TO 8650
      IF (NCDLT.NE.0) GO TC 8650
      IF (LTT.EQ.0) GO TO 1350
      S = SLOAD(LTT)
      EP1 = H+1
      EP2 = H+2
      1350 CONTINUE
      IF (NCDLT.GT.0) GO TO 2400
COMMENT - UNIFORM LOADS ONLY
      IF (IAXOPT.EQ.1) GO TC 1500
      IF (IAXOPT.EQ.2) GO TC 1500
COMMENT - AXIS OPTICALLY INVERTED UNIFORM LOADS TO DIRECTIONS
      IF (IAXOPT.EQ.3) GO TC 1500
COMMENT - AND INTENSITY OF MEMBER AXES
      TEMP1 = DCLL(LTT)
      TEMP2 = DC2L(LTT)
      IF (TEMP1.LT.0.0) TEMP1 = -TEMP1
      IF (TEMP2.LT.0.0) TEMP2 = -TEMP2
      UQX(LTT) = UQXT*DC1L(LTT)*TEMP2 +

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2          UQY(LTT) = UQYT*DC2L(LTT)*TEMP1 + 049348
2          UQY(LTT) = -UQYT*DC2L(LTT)*TEMP2 + 049351
                UQYT*DC1L(LTT)*TEMP1 049352
COMMENT - GO TO 1600 049353
COMMENT - AXIS OPTION 2 - CONVERT UNIFORM LOADS TO DIRECTIONS OF 049354
1400 MEMBER AXIS 049355
                UQY(LTT) = UQYT*DC1L(LTT) + UQYT*DC2L(LTT) 049356
                UQY(LTT) = UQYT*DC2L(LTT) + UQYT*DC1L(LTT) 049357
COMMENT - GO TO 1600 049358
1500 AXIS OPTION 1 - LOADS ALLREADY IN MEMBER AXES 049359
                UQY(LTT) = UQYT 049360
                NCDL(LTT) = 0 049361
                IAXOPT(LTT) = IAXOPT 049362
                IOVRN(LTT) = IOVRN 049363
1600 049364
COMMENT - GO TO 4500 049365
2400 CONTINUE LOADING 049366
                CONTINUE 049367
                IF (UQYT.NE. 0 .OR. UQYT.NE. 0) GO TO 8670 049368
                IAXOPT(LTT) = NCDL 049369
                IAXOPT(LTT) = IAXOPT 049370
PRINT 18, LTT 049371
COMMENT - DO FOR EACH ADDITIONAL CARD OF LOAD TYPE 049372
DO 4500 II = 1, NCDL 049373
                IF NC6 = NC6 + 1 049374
                IF (II.EQ. 1) NC61(LTT) = NC6 049375
                IF (NC6.EQ. NCD6) GO TO 8560 049376
COMMENT - READ AND PRINT NONUNIFORM LOAD DATA 049377
READ 15, XLL(NC6), XRL(NC6), QXLT, QYLT, QZL(NC6), IOVRL(NC6) 049378
PRINT 16, NC6, XLL(NC6), XRL(NC6), QXLT, QYLT, QZL(NC6), IOVRL(NC6) 049379
                NC6 = NC6 + 1 049380
                TH = ZLL(LTT)/M 049381
COMMENT - CONVERT DISTANCES TO MEMBER COORDINATES 049382
GO TO 2800 2900 2700 2600 IAXOPT 049383
2600 XLL(NC6) = XLL(NC6)/DC2L(LTT) 049384
                XRL(NC6) = XRL(NC6)/DC2L(LTT) 049385
2700 GO TO 2800 049386
                XLL(NC6) = XLL(NC6)/DC1L(LTT) 049387
                XRL(NC6) = XRL(NC6)/DC1L(LTT) 049388
2800 CONTINUE 049389
COMMENT - CHECK FOR ILLEGAL DATA 049390
                IF (XLL(NC6).LT. 0.0) GO TO 8540 049391
                IF (XRL(NC6).GT. ZLL(LTT) + 0.1*TH) GO TO 8520 049392
                IF (XLL(NC6).EQ. 0.0) GO TO 2838 049393
                IF (II.EQ. 1) GO TO 2820 049394
                IF (XLL(NC6) - 1).NE. 0.0) GO TO 2820 049395
                IF (XRL(NC6).NE. 0.0) GO TO 8550 049396
                DEL = XRL(NC6) - XLL(NC6 - 1) 049397
2820 GO TO DEL 049398
                IF (DEL.EQ. 0.0) GO TO 2840 049399
2830 IF (DEL.LT. TH) GO TO 8530 049400
                GO TO 2840 049401
2838 DEL = 1.0 050000
                IF (II.EQ. 1) GO TO 2840 050001
                IF (XLL(NC6).EQ. 0.0.AND. XRL(NC6 - 1).EQ. 0.0) GO TO 8610 050002
2840 CONTINUE 050003
                IF (IAXOPT.EQ. 1) GO TO 2900 050004
                IF (IAXOPT.EQ. 2 .OR. DEL.EQ. 0.0) GO TO 2850 050005
COMMENT - AXIS OPTION 2 OR 4 - CONVERT DISTRIBUTED LOADS TO DIRECTIONS 050006
COMMENT - AND INTENSITY OF MEMBER AXES 050007
                TEMP1 = DC1L(LTT) 050008
                IF (TEMP1.LT. 0.0) TEMP1 = -TEMP1 050009
                IF (TEMP2.LT. 0.0) TEMP2 = -TEMP2 050010
                QXL(NC6) = QXLT*DC1L(LTT)*TEMP2 + 050011
                QYL(NC6) = -QXLT*DC2L(LTT)*TEMP2 + 050012
                QYLT*DC1L(LTT)*TEMP1 + 050013
                QYLT*DC1L(LTT)*TEMP1 050014
2          GO TO 2950 050015
2          CONTINUE 050016
2850 CONTINUE 050017
COMMENT - AXIS OPTION 2 OR CONCENTRATED LOADS - CONVERT DISTRIBUTED 050018
COMMENT - AND CONCENTRATED LOADS TO DIRECTIONS OF MEMBER AXES 050019
                QXL(NC6) = QXLT*DC1L(LTT) + QYLT*DC2L(LTT) 050020
                QYL(NC6) = -QXLT*DC2L(LTT) + QYLT*DC1L(LTT) 050021
                GO TO 2900 050022
2900 CONTINUE 050023
COMMENT - AXIS OPTION 1 - LOADS ALLREADY IN MEMBER AXES 050024
                QXL(NC6) = QXLT 050025
                QYL(NC6) = QYLT 050026
2950 CONTINUE 050027
3000 CONTINUE 050028
4500 CONTINUE 050029
                IF (NC6.EQ. LT. NCD6) GO TO 8580 050030
520 PRINT 52 050031
                GO TO 9700 050032
530 PRINT 53 050033
                GO TO 9700 050034
540 PRINT 54 050035
                GO TO 9700 050036
550 PRINT 55 050037
                GO TO 9700 050038
560 PRINT 56 050039
                GO TO 9700 050040
570 PRINT 57 050041
                GO TO 9700 050042
                GO TO 9700 050043

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IF (MHITF = GT. 20) GO TO 8710
DO 2200 I = 1, 20
  IF (HJ(I) .GT. NJT .OR. MJ(I) .LT. 0) GO TO 8720
  CONTINUE
PRINT 26, NJO
26 FORMAT (/, 30H MCNITOR JOINT OUTPUT OPTION =, I5, /)
PRINT 25, CM, NJC, MNITM, FR1, FR2, PCNML, NSNM, (MH(I) I=1, 20)
  IF (NSNM.GT.20 .OR. NSNM.GT.NM .OR. NSNM.LT.0) GO TO 8750
  DO 2300 J = 1, 20
    IF (MH(I) .GT. NM .OR. MH(I) .LT. 0) GO TO 8730
    CONTINUE
    IF (KEEP7 .EQ. 1) GO TO 9900
    IF (NSM(I, J) .LT. 2) GO TO 3510
    DO 3500 I = 2, NSM
      IF (IM1 = I - 1)
        CONTINUE
      IF (MH(I) .LT. NM(IM1)) GO TO 8760
      CONTINUE
      COMMENT - SET JOINT SWITCH EQUAL TO 1 FOR MONITOR JOINTS
      COMMENT - CHECK WHETHER SPECIFIED NUMBER OF MCNITOR JOINTS ARE INPUT
      KOUNT = 0
      DO 3600 I = 1, NJT
        MJ(I) = 1, 20
      DO 3600 J = 1, 20
        IF (I .NE. MJ(J)) GO TO 3600
        IMJ(I) = 1
        KOUNT = KOUNT + 1
      CONTINUE
      IF (KOUNT .NE. NSMJ) GO TO 8770
      COMMENT - SET MEMBER SWITCH EQUAL TO 1 FOR MCNITOR MEMBERS
      COMMENT - CHECK WHETHER SPECIFIED NUMBER OF MCNITOR MEMBERS ARE INPUT
      KOUNT = 0
      DO 3800 I = 1, NM
        NM(I, J) = 1, 20
      DO 3800 J = 1, 20
        IF (I .EQ. NM(J)) IMN(I) = 1
        IF (I .NE. NM(J)) GO TO 3800
        IMN(I) = 1
        KOUNT = KOUNT + 1
      CONTINUE
      IF (KOUNT .NE. NSMM) GO TO 8780
      GO TO 9900
8700 PRINT 87
      GO TO 9700
8710 PRINT 71
      GO TO 9700
8720 PRINT 72
      GO TO 9700
8730 PRINT 73
      GO TO 9700
8740 PRINT 74
      GO TO 9700
8750 PRINT 75
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8760 PRINT 76
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8770 PRINT 77
      GO TO 9700
8780 PRINT 78
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8790 PRINT 79
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8800 PRINT 80
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8810 PRINT 81
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8820 PRINT 82
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8830 PRINT 83
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8840 PRINT 84
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8850 PRINT 85
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8860 PRINT 86
      GO TO 9700
8870 PRINT 87
      GO TO 9700
8880 PRINT 88
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8890 PRINT 89
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8900 PRINT 90
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8910 PRINT 91
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8920 PRINT 92
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8930 PRINT 93
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8940 PRINT 94
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8950 PRINT 95
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8960 PRINT 96
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8970 PRINT 97
      GO TO 9700
8980 PRINT 98
      GO TO 9700
8990 PRINT 99
      GO TO 9700
9000 PRINT 100
      GO TO 9700
9010 PRINT 101
      GO TO 9700
9020 PRINT 102
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9030 PRINT 103
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9040 PRINT 104
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9060 PRINT 106
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9070 PRINT 107
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9100 PRINT 110
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9120 PRINT 112
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9130 PRINT 113
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9140 PRINT 114
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9150 PRINT 115
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9160 PRINT 116
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9170 PRINT 117
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9180 PRINT 118
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9190 PRINT 119
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9200 PRINT 120
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9210 PRINT 121
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9230 PRINT 123
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9240 PRINT 124
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9250 PRINT 125
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9260 PRINT 126
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9270 PRINT 127
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9280 PRINT 128
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9290 PRINT 129
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9300 PRINT 130
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9360 PRINT 136
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9370 PRINT 137
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9380 PRINT 138
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9390 PRINT 139
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9400 PRINT 140
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9410 PRINT 141
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9420 PRINT 142
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1024 PRINT 224
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1049 PRINT 249
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1050 PRINT 250
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1051 PRINT 251
      GO TO 9700
1052 PRINT 252
      GO TO 9700

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[illegible]

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4      SOX(22),      SOY(22),      SQZ(22),      U1(22),      V1(33,22),      052229
5      B15(22),      B16(22),      B17(22),      U2(22),      V2(33,22),      052230
6      COMMON /BLOC2/,      B18(22),      B19(22),      TTS(22),      AG(22),      052231
7      Y(20,10),      WSS(20,10),      N1(20,10),      BI(20,10),      DI(20,10),      052232
8      COMMON /BLOC3/,      NPTS(08),      ISS(08),      NSIG(08,11),      NEFS(08,11),      052233
9      NSI(11,14),      NEPT(11),      ISM(20),      NQM(20,11),      NNM(20,11),      052234
10     NCM(11),      NMT(11),      052235
11     COMMON /BLK1/,      TCI(13),      ELEMNT(13),      JST(13),      KEEPC3C,      NCD3C,      052236
12     KEEPC4C,      KEEPC5A,      052237
13     KEEPC6C,      KEEPC7C,      NCD3A,      052238
14     NCD3B,      NCD4A,      NCD4B,      NCD4C,      NCD4D,      NCD4E,      NCD4F,      052239
15     NCD5A,      NCD6A,      NCD7,      IPB,      IPB,      IPB,      IPB,      IPB,      052240
16     ICBAB,      ICB,      PST,      DJ,      NST,      NST,      NST,      NST,      052241
17     ICB,      ICB,      PST,      DJ,      NST,      NST,      NST,      NST,      052242
18     COMMON /BLK2/,      XL(1,X1,X2),      H,      H,      H,      H,      H,      H,      H,      052243
19     COMMON /BLK3/,      N1(13),      N2(13),      N3(13),      N4(13),      N5(13),      N6(13),      N7(13),      052244
20     COMMON /BLK4/,      ST1(13),      ST2(13),      ST3(13),      ST4(13),      ST5(13),      ST6(13),      052245
21     COMMON /BLK5/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052246
22     COMMON /BLK6/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052247
23     COMMON /BLK7/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052248
24     COMMON /BLK8/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052249
25     COMMON /BLK9/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052250
26     COMMON /BLK10/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052251
27     COMMON /BLK11/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052252
28     COMMON /BLK12/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052253
29     COMMON /BLK13/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052254
30     COMMON /BLK14/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052255
31     COMMON /BLK15/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052256
32     COMMON /BLK16/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052257
33     COMMON /BLK17/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052258
34     COMMON /BLK18/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052259
35     COMMON /BLK19/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052260
36     COMMON /BLK20/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052261
37     COMMON /BLK21/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052262
38     COMMON /BLK22/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052263
39     COMMON /BLK23/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052264
40     COMMON /BLK24/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052265
41     COMMON /BLK25/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052266
42     COMMON /BLK26/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052267
43     COMMON /BLK27/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052268
44     COMMON /BLK28/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052269
45     COMMON /BLK29/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052270
46     COMMON /BLK30/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052271
47     COMMON /BLK31/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052272
48     COMMON /BLK32/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052273
49     COMMON /BLK33/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052274
50     COMMON /BLK34/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052275
51     COMMON /BLK35/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052276
52     COMMON /BLK36/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052277
53     COMMON /BLK37/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052278
54     COMMON /BLK38/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052279
55     COMMON /BLK39/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052280
56     COMMON /BLK40/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052281
57     COMMON /BLK41/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052282
58     COMMON /BLK42/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052283
59     COMMON /BLK43/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052284
60     COMMON /BLK44/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052285
61     COMMON /BLK45/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052286
62     COMMON /BLK46/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052287
63     COMMON /BLK47/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052288
64     COMMON /BLK48/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052289
65     COMMON /BLK49/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052290
66     COMMON /BLK50/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052291
67     COMMON /BLK51/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052292
68     COMMON /BLK52/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052293
69     COMMON /BLK53/,      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      WPSOB(13),      052294
70     COMMON /BLK54/,      WPSOB(13),      WPSOB(1
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1260 CONTINUE
COMMENT - READ REVERSAL INDICATORS FOR STRAINS
READ (N1) ((I, L, J), J=1, MNPCS, L=1, 2, I=2, MP1)
1300 CONTINUE
COMMENT - ZERO MEMBER INCREMENTAL LOADS
DO 1800 I = 1, MP2
    ERZ(I) = 0.0
    ERZ(I) = 0.0
    ERZ(I) = 0.0
    IF (IMCST.EQ.-1) GO TO 2400
    IF (IMCST.EQ.0) GO TO 2100
    COMMENT - SUBROUTINE DISCRET DISCRETIZES MEMBER LINEAR STIFFNESS DATA
    CALL SF, AE, SY, SX, SZ, SCST ( NC5IT, NCDST, ZL, L1 )
    GO TO 2500
2100 CONTINUE
COMMENT - PRISLATIC MEMBER WITH CONSTANT F AND AE
    PRST = PRF(ISTT)
    PRST = PRF(ISTT)
    DO 2200 I = 1, MP2
        SY(I) = 0.0
        ST(I) = 0.0
        SZ(I) = 0.0
        SQX(I) = 0.0
        SQY(I) = 0.0
        SQZ(I) = 0.0
        PRST(I) = PRST
    2200 CONTINUE
        AE(NF2) = 0.0
        AE(NF2) = 0.0
        F(NF2) = 0.0
        GO TO 2400
2400 CONTINUE
        IF (IMCST.EQ.-1) GO TO 2405
        IF (IMCST.EQ.3) GO TO 2600
2405 CONTINUE
        IF (NREAD.NE.0) GO TO 2420
        DO 2410 I = 1, MP2
            SY(I) = 0.0
            ST(I) = 0.0
            SZ(I) = 0.0
            SQX(I) = 0.0
            SQY(I) = 0.0
            SQZ(I) = 0.0
2410 CONTINUE
        GO TO 2500
2420 CONTINUE
COMMENT - SUBROUTINE NLSS DISCRETIZES DISTRIBUTED MEMBER Q - F CURVES
COMMENT - AND SPRING STIFFNESS SY, SX, SZ
CALL NLSS ( L1, JJ )
GO TO 2500
5000 CONTINUE
        IF (IMCST.EQ.-1) GO TO 5200
        IF (IMCST.EQ.3) GO TO 5300
        IF (IMCST.EQ.0) GO TO 5200
COMMENT - ZERO MEMBER DISPLACEMENTS
DO 5150 I = 1, MP2
    DX(I) = 0.0
    DY(I) = 0.0
    DZ(I) = 0.0
    IF (IMCST.EQ.-1) GO TO 5300
    IF (IMCST.EQ.0) GO TO 5158
COMMENT - INITIALIZE MEMBER AND URT VALUES FOR EACH ELEMENT, AND
COMMENT - INITIALIZE MEMBER AND URT VALUES FOR EACH SUB-COMPONENT
DO 5155 J = 1, MP1
    URTX(I, J) = 0.0
    URTY(I, J) = 0.0
    URTZ(I, J) = 0.0
    URTX(I, J) = 0.0
    URTY(I, J) = 0.0
    URTZ(I, J) = 0.0
5155 CONTINUE
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6200      CONTINUE
        RE(1) = 0.0
        RE(MP2) = 0.0
        F(1) = 0.0
        F(MP2) = 0.0
        AG(1) = 0.0
        AG(MP2) = 0.0
GO TO 2500
6400      CONTINUE
        IF (TESTP.EQ. ANEW) GO TO 6405
        IF (TESTP.EQ. 3) GO TO 2600
6405      CONTINUE
        IF (INREAD.NE. 0) GO TO 6420
        DO 6410 I = 1, MP2
            SX(I) = 0.0
            SY(I) = 0.0
            SZ(I) = 0.0
            SXX(I) = 0.0
            SXY(I) = 0.0
            SZX(I) = 0.0
            SYY(I) = 0.0
            SYY(I) = 0.0
            SZZ(I) = 0.0
6410      CONTINUE
        GO TO 2500
        6420      CONTINUE
        COMMENT - SUBROUTINE NLSS DISCRETIZES DISTRIBUTED MEMBER Q - W CURVES
        COMMENT - TO STATICAL VALUES OF RESISTIVE SPRING FORCES SX, SQY, SQZ
        COMMENT - AND SPRING STIFFNESS SX, SY, SZ
        CALL NLSS (I1, J3)
2500      CONTINUE
        COMMENT - STORE MEMBER END RESTRAINTS ST1 - ST6
        ST1 = SX(I)
        ST2 = SY(I)
        ST3 = SZ(I)
        ST4 = SXX(MP1)
        ST5 = SXX(MP1)
        ST6 = SZ(MP1)
2600      CONTINUE
        COMMENT - ZERO MEMBER-END-LOADS
        WT1 = 0.0
        WT2 = 0.0
        WT3 = 0.0
        WT4 = 0.0
        WT5 = 0.0
        WT6 = 0.0
        COMMENT SET MEMBER END RESTRAINTS TO 1.0E20 FOR 6 MEMBER SOLUTIONS
        SX(1) = 1.0E20
        SY(1) = 1.0E20
        SZ(1) = 1.0E20
        SX(MP1) = 1.0E20
        SY(MP1) = 1.0E20
        SZ(MP1) = 1.0E20
        COMMENT - ZERO PINNED END ROTATION RESTRAINTS
        IF (PRINT.EQ. 1) SZ(1) = 0.0
        IF (PRINT.EQ. 1) SZ(MP1) = 0.0
        COMMENT - UNIT INCREMENT OF DISP FOR FIRST COLUMN OF STIFF MATRIX
        ERX(1) = 1.0E20
        COMMENT - CALL GRIP2A TO SOLVE MEMBER FOR UNIT INCREMENT OF DISPLACEMENT
        CALL GRIP2A (RM,RO,W,SI,L3,L4,L6,M5)
        IF (TESTP.EQ. 3) GO TO 3300
        DO 3290 I = 1, 21
            SFMM(I) = -1.0D+10
            NL = -1
GO TO 990
3300      ERX(1) = 0.0D+00
        COMMENT - FORMST HAS ALREADY BEEN CALLED TO FORM STIFFNESS MATRICES.
        COMMENT - WHEN RETURNING TO A NEW TIME STEP, FORMST IS AGAIN CALLED
        COMMENT - BUT ONLY TO FORM INCREMENTAL FIXED END FORCES THROUGH
        COMMENT - FURTHER CALL TO FORSLD. HENCE SKIP THE REST OF THE
        COMMENT - COMPUTATIONS DEALING WITH STIFFNESS FORMATION
        IF (TESTP.EQ. ANEW) GO TO 990
        IF (TESTP.EQ. ANEW) GO TO 990
        COMMENT - CALL MEMENT TO FIND INCREMENTAL END-FORCES WHICH ARE STIFFNESS
        COMMENT - TERMS IN THE COLUMN OF STIFFNESS MATRIX
        CALL MEMENT (W,FMM,I6)
        DO 3350 KK = 1, 6
            SFMM(KK) = FMM(KK)
3350      CONTINUE
        COMMENT - SET MULTIPLEX LOAD OPTION FOR REMAINING SOLUTIONS
        NL = -1
        COMMENT - UNIT INCREMENT OF DISP FOR SECOND COLUMN OF STIFF MATRIX
        CALL GRIP2A (RM,RO,W,SI,L3,L4,L6,5)
        CALL ERX(I) = 0.0
        CALL MEMENT (W,FMM,I6)
        DO 3450 KK = 1, 6
            SFMM(KK) = FMM(KK)
3450      CONTINUE
        IF (TESTP.EQ. 3) GO TO 3500
        COMMENT - ZERO STIFFNESS FOR PINNED CONNECTIONS
        SFMM(3) = 0.0
        SFMM(4) = 0.0
        SFMM(5) = 0.0
        SFMM(6) = 0.0
        SFMM(13) = 0.0
        SFMM(14) = 0.0
        SFMM(15) = 0.0
        GO TO 3575
        COMMENT - UNIT INCREMENT OF DISP FOR THIRD COLUMN OF STIFF MATRIX
        3500      ERX(1) = 1.0E20

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      CALL GRIP2A ( RM,RO,W,SL,L3,L4,L6,5) 05706=*71
      CALL MEMENT ( W,FMMI,L6 ) 05708
      DO 3550 KK = 1,6 05709
3550 SMST(KK + 12) = FMMI(KK) 05710
COMMENT - UNIT INCREMENT OF DISP FOR FOURTH COLUMN OF STIFF MATRIX 05711
3575 BRZ(HP1) = 1.0E20 05712
      CALL GRIP2A ( RM,RO,W,SL,L3,L4,L6,5) 05713
      CALL MEMENT ( W,FMMI,L6 ) 05714
      DO 3650 KK = 1,6 05715
3650 SMST(KK + 12) = FMMI(KK) 05716
COMMENT - UNIT INCREMENT OF DISP FOR FIFTH COLUMN OF STIFF MATRIX 05717
      BRZ(HP1) = 1.0E20 05718
      CALL GRIP2A ( RM,RO,W,SL,L3,L4,L6,5) 05719
      CALL MEMENT ( W,FMMI,L6 ) 05720
      DO 3750 KK = 1,6 05721
3750 SMST(KK + 14) = FMMI(KK) 05722
COMMENT - ZERO IF PINNED LE GO TO 3900 05723
      STIFFNESS FOR PINNED CONNECTIONS 05724
      SMST(15) = 0.0 05725
      SMST(16) = 0.0 05726
      SMST(17) = 0.0 05727
      SMST(18) = 0.0 05728
      SMST(19) = 0.0 05729
      SMST(20) = 0.0 05730
      SMST(21) = 0.0 05731
      GO TO 3900 05732
COMMENT - UNIT INCREMENT OF DISP FOR SIXTH COLUMN OF STIFF MATRIX 05733
3800 BRZ(HP1) = 1.0E20 05734
      CALL GRIP2A ( RM,RO,W,SL,L3,L4,L6,5) 05735
      CALL MEMENT ( W,FMMI,L6 ) 05736=*71
      SMST(21) = FMMI(6) 05737
9900 CONTINUE 05738
      RETURN 05739
      END 05740
05741
05742

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***** SUBROUTINE DISCST ( NCSIT, NCDST, ZL, I1 ) *****
COMMENT - SUBROUTINE DISCST DISCRETIZES MEMBER LINEAR STIFFNESS DATA
COMMON /A2/ A(2), SX, SY, SQZ
IMPLICIT REAL*8 (A-H,O-Z)
COMMON /BLOCKS/ XLS( 50), XRS( 50), PL( 50), AZL( 50).
2 SYL( 50), SZL( 50), SXZ( 22), SYZ( 22),
COMMON /ZL/ ZL( 22), ZR( 22), VZ( 22), VY( 22),
3 SZ( 22), SZR( 22), VZL( 22), VYL( 22),
4 SY( 22), SYR( 22), VYZ( 22), VYR( 22),
5 BMS( 22), BMSZ( 22), TTZ( 22), AG( 22),
6 COMMON /BLT/ BLT( 22), BLTZ( 22), NUST( 22), KNCDCB( 22),
7 KNCDB( 22), KNCDBA( 22), KNCDB5( 22), KNCDB5A( 22),
8 KNCDB5B( 22), KNCDB5C( 22), KNCDB5D( 22),
9 KNCDB5E( 22), KNCDB5F( 22), KNCDB5G( 22),
10 KNCDB5H( 22), KNCDB5I( 22), KNCDB5J( 22),
11 KNCDB5K( 22), KNCDB5L( 22), KNCDB5M( 22),
12 KNCDB5N( 22), KNCDB5O( 22), KNCDB5P( 22),
13 KNCDB5Q( 22), KNCDB5R( 22), KNCDB5S( 22),
14 KNCDB5T( 22), KNCDB5U( 22), KNCDB5V( 22),
15 KNCDB5W( 22), KNCDB5X( 22), KNCDB5Y( 22),
16 KNCDB5Z( 22), KNCDB5AA( 22), KNCDB5AB( 22),
17 KNCDB5AC( 22), KNCDB5AD( 22), KNCDB5AE( 22),
18 KNCDB5AF( 22), KNCDB5AG( 22), KNCDB5AH( 22),
19 KNCDB5AI( 22), KNCDB5AJ( 22), KNCDB5AK( 22),
20 KNCDB5AL( 22), KNCDB5AM( 22), KNCDB5AN( 22),
21 KNCDB5AO( 22), KNCDB5AP( 22), KNCDB5AQ( 22),
22 KNCDB5AR( 22), KNCDB5AS( 22), KNCDB5AT( 22),
23 KNCDB5AU( 22), KNCDB5AV( 22), KNCDB5AW( 22),
24 KNCDB5AX( 22), KNCDB5AY( 22), KNCDB5AZ( 22),
25 KNCDB5BA( 22), KNCDB5BB( 22), KNCDB5BC( 22),
26 KNCDB5BD( 22), KNCDB5BE( 22), KNCDB5BF( 22),
27 KNCDB5BG( 22), KNCDB5BH( 22), KNCDB5BI( 22),
28 KNCDB5BJ( 22), KNCDB5BK( 22), KNCDB5BL( 22),
29 KNCDB5BM( 22), KNCDB5BN( 22), KNCDB5BO( 22),
30 KNCDB5BP( 22), KNCDB5BQ( 22), KNCDB5BR( 22),
31 KNCDB5BS( 22), KNCDB5BT( 22), KNCDB5BU( 22),
32 KNCDB5BV( 22), KNCDB5BW( 22), KNCDB5BX( 22),
33 KNCDB5BY( 22), KNCDB5BZ( 22), KNCDB5CA( 22),
34 KNCDB5CB( 22), KNCDB5CC( 22), KNCDB5CD( 22),
35 KNCDB5CE( 22), KNCDB5CF( 22), KNCDB5CG( 22),
36 KNCDB5CH( 22), KNCDB5CI( 22), KNCDB5CJ( 22),
37 KNCDB5CK( 22), KNCDB5CL( 22), KNCDB5CM( 22),
38 KNCDB5CN( 22), KNCDB5CO( 22), KNCDB5CP( 22),
39 KNCDB5CQ( 22), KNCDB5CR( 22), KNCDB5CS( 22),
40 KNCDB5CT( 22), KNCDB5CU( 22), KNCDB5CV( 22),
41 KNCDB5CW( 22), KNCDB5CX( 22), KNCDB5CY( 22),
42 KNCDB5CZ( 22), KNCDB5DA( 22), KNCDB5DB( 22),
43 KNCDB5DC( 22), KNCDB5DD( 22), KNCDB5DE( 22),
44 KNCDB5DF( 22), KNCDB5DG( 22), KNCDB5DH( 22),
45 KNCDB5DI( 22), KNCDB5DJ( 22), KNCDB5DK( 22),
46 KNCDB5DL( 22), KNCDB5DM( 22), KNCDB5DN( 22),
47 KNCDB5DO( 22), KNCDB5DP( 22), KNCDB5DQ( 22),
48 KNCDB5DR( 22), KNCDB5DS( 22), KNCDB5DT( 22),
49 KNCDB5DU( 22), KNCDB5DV( 22), KNCDB5DW( 22),
50 KNCDB5DX( 22), KNCDB5DY( 22), KNCDB5DZ( 22),
51 KNCDB5EA( 22), KNCDB5EB( 22), KNCDB5EC( 22),
52 KNCDB5ED( 22), KNCDB5EE( 22), KNCDB5EF( 22),
53 KNCDB5EG( 22), KNCDB5EH( 22), KNCDB5EI( 22),
54 KNCDB5EJ( 22), KNCDB5EK( 22), KNCDB5EL( 22),
55 KNCDB5EM( 22), KNCDB5EN( 22), KNCDB5EO( 22),
56 KNCDB5EP( 22), KNCDB5EQ( 22), KNCDB5ER( 22),
57 KNCDB5ES( 22), KNCDB5ET( 22), KNCDB5EU( 22),
58 KNCDB5EV( 22), KNCDB5EW( 22), KNCDB5EX( 22),
59 KNCDB5EY( 22), KNCDB5EZ( 22), KNCDB5FA( 22),
60 KNCDB5FB( 22), KNCDB5FC( 22), KNCDB5FD( 22),
61 KNCDB5FE( 22), KNCDB5FF( 22), KNCDB5FG( 22),
62 KNCDB5FH( 22), KNCDB5FI( 22), KNCDB5FJ( 22),
63 KNCDB5FK( 22), KNCDB5FL( 22), KNCDB5FM( 22),
64 KNCDB5FN( 22), KNCDB5FO( 22), KNCDB5FP( 22),
65 KNCDB5FQ( 22), KNCDB5FR( 22), KNCDB5FS( 22),
66 KNCDB5FT( 22), KNCDB5FU( 22), KNCDB5FV( 22),
67 KNCDB5FW( 22), KNCDB5FX( 22), KNCDB5FY( 22),
68 KNCDB5FZ( 22), KNCDB5GA( 22), KNCDB5GB( 22),
69 KNCDB5GC( 22), KNCDB5GD( 22), KNCDB5GE( 22),
70 KNCDB5GF( 22), KNCDB5GG( 22), KNCDB5GH( 22),
71 KNCDB5GI( 22), KNCDB5GJ( 22), KNCDB5GK( 22),
72 KNCDB5GL( 22), KNCDB5GM( 22), KNCDB5GN( 22),
73 KNCDB5GO( 22), KNCDB5GP( 22), KNCDB5GQ( 22),
74 KNCDB5GR( 22), KNCDB5GS( 22), KNCDB5GT( 22),
75 KNCDB5GU( 22), KNCDB5GV( 22), KNCDB5GW( 22),
76 KNCDB5GX( 22), KNCDB5GY( 22), KNCDB5GZ( 22),
77 KNCDB5HA( 22), KNCDB5HB( 22), KNCDB5HC( 22),
78 KNCDB5HD( 22), KNCDB5HE( 22), KNCDB5HF( 22),
79 KNCDB5HG( 22), KNCDB5HH( 22), KNCDB5HI( 22),
80 KNCDB5HJ( 22), KNCDB5HK( 22), KNCDB5HL( 22),
81 KNCDB5HM( 22), KNCDB5HN( 22), KNCDB5HO( 22),
82 KNCDB5HP( 22), KNCDB5HQ( 22), KNCDB5HR( 22),
83 KNCDB5HS( 22), KNCDB5HT( 22), KNCDB5HU( 22),
84 KNCDB5HV( 22), KNCDB5HW( 22), KNCDB5HX( 22),
85 KNCDB5HY( 22), KNCDB5HZ( 22), KNCDB5IA( 22),
86 KNCDB5IB( 22), KNCDB5IC( 22), KNCDB5ID( 22),
87 KNCDB5IE( 22), KNCDB5IF( 22), KNCDB5IG( 22),
88 KNCDB5IH( 22), KNCDB5II( 22), KNCDB5IJ( 22),
89 KNCDB5IK( 22), KNCDB5IL( 22), KNCDB5IM( 22),
90 KNCDB5IN( 22), KNCDB5IO( 22), KNCDB5IP( 22),
91 KNCDB5IQ( 22), KNCDB5IR( 22), KNCDB5IS( 22),
92 KNCDB5IT( 22), KNCDB5IU( 22), KNCDB5IV( 22),
93 KNCDB5IW( 22), KNCDB5IX( 22), KNCDB5IY( 22),
94 KNCDB5IZ( 22), KNCDB5JA( 22), KNCDB5JB( 22),
95 KNCDB5JC( 22), KNCDB5JD( 22), KNCDB5JE( 22),
96 KNCDB5JF( 22), KNCDB5JG( 22), KNCDB5JH( 22),
97 KNCDB5JI( 22), KNCDB5JJ( 22), KNCDB5JK( 22),
98 KNCDB5JL( 22), KNCDB5JM( 22), KNCDB5JN( 22),
99 KNCDB5JO( 22), KNCDB5JP( 22), KNCDB5JQ( 22),
100 KNCDB5JR( 22), KNCDB5JS( 22), KNCDB5JT( 22),
101 KNCDB5JU( 22), KNCDB5JV( 22), KNCDB5JW( 22),
102 KNCDB5JX( 22), KNCDB5JY( 22), KNCDB5JZ( 22),
103 KNCDB5KA( 22), KNCDB5KB( 22), KNCDB5KC( 22),
104 KNCDB5KD( 22), KNCDB5KE( 22), KNCDB5KF( 22),
105 KNCDB5KG( 22), KNCDB5KH( 22), KNCDB5KI( 22),
106 KNCDB5KJ( 22), KNCDB5KK( 22), KNCDB5KL( 22),
107 KNCDB5KM( 22), KNCDB5KN( 22), KNCDB5KO( 22),
108 KNCDB5KP( 22), KNCDB5KQ( 22), KNCDB5KR( 22),
109 KNCDB5KS( 22), KNCDB5KT( 22), KNCDB5KU( 22),
110 KNCDB5KV( 22), KNCDB5KW( 22), KNCDB5KX( 22),
111 KNCDB5KY( 22), KNCDB5KZ( 22), KNCDB5LA( 22),
112 KNCDB5LB( 22), KNCDB5LC( 22), KNCDB5LD( 22),
113 KNCDB5LE( 22), KNCDB5LF( 22), KNCDB5LG( 22),
114 KNCDB5LH( 22), KNCDB5LI( 22), KNCDB5LJ( 22),
115 KNCDB5LK( 22), KNCDB5LL( 22), KNCDB5LM( 22),
116 KNCDB5LN( 22), KNCDB5LO( 22), KNCDB5LP( 22),
117 KNCDB5LQ( 22), KNCDB5LR( 22), KNCDB5LS( 22),
118 KNCDB5LT( 22), KNCDB5LU( 22), KNCDB5LV( 22),
119 KNCDB5LW( 22), KNCDB5LX( 22), KNCDB5LY( 22),
120 KNCDB5L
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      GO TO 1110
      ST1 = SZL(II)
      COMMENT - UNIFORM STIFFNESS SECTION SET STIFFNESS ON RIGHT EQUAL TO
      COMMENT - STIFFNESS ON LEFT
      1100   AE = FL
      AE = ST
      SXRT = SXLT
      SYRT = SYLT
      SZRT = SZLT
      1110   CONTINUE
      IF (ICOUNT.NE. 0) GO TO 1210
      COMMENT - FIRST SECTION OF MEMBERS STIFFNESS DATA
      ICOUNT = 1
      I1 = 2
      I2 = TH
      GO TO 1250
      1210   CONTINUE
      I1 = I2 + 1
      I2 = TH + X2
      1250   CONTINUE
      IF (XR.NE. ZL) GO TO 1260
      COMMENT - LAST SECTION OF MEMBERS STIFFNESS DATA
      I2 = HP1
      X2 = 0.0
      GO TO 1270
      1260   Z12 = XR/TH + 1.0
      I2 = Z12
      I2 = I2 - I2*TH + TH
      1270   W = 1.0
      COMMENT - SUBROUTINE LINSTF DISTRIBUTES F AND AE
      CALL LINSTF (FLT, FRT, AE, PTT2, L1)
      CALL LINSTF (AE1T, AE2T, AE, PTT2, L1)
      COMMENT - SUBROUTINE LINLD DISTRIBUTES SX, SY, SZ, CX, CY, AND CZ
      IF (SZLT.EQ. 0.0 .AND. SXRT.EQ. 0.0) GO TO 1280
      1280   CALL IF (SYLT.EQ. 0.0 .AND. SXRT.EQ. 0.0) GO TO 1290
      1290   CALL IF (SYLT.EQ. 0.0 .AND. SXRT.EQ. 0.0) GO TO 1330
      1330   CALL LINLD (SZLT, SYLT, SX, L1)
      1330   CONTINUE
      X2 = X2
      COMMENT - RETURN FOR X2
      IF (II.LT. NC52T) GO TO 1050
      9000   CONTINUE
      9900   RETURN
      END

```

***** SUBROUTINE *****

```

      SUBROUTINE LINSTF (STL, STB, ST, ST1, ST2, L1)
      COMMENT - SUBROUTINE LINSTF DISTRIBUTES LINEAR VARIATIONS IN LINEAR
      COMMENT - STIFFNESS PROPERTIES (A-H, G-Z) ( ) AND AE ( )
      DIMENSION ST(11)
      COMMON /BLK2/ XL, XR, X1, X2, H, TH, HSQ, HCU, X2L, I1, I2, NQ
      COMMENT - FIRST SECTION OF MEMBER
      IF (XL.NE. 0.0) GO TO 1150
      X2L = 0.0
      1150   CONTINUE
      IF (SXRT.EQ. STL) GO TO 1310
      COMMENT - ELEMENT STIFFNESS SECTION
      COMMENT - CALCULATE EFFECTIVE STIFFNESS VARIATION
      DS = (STB - STL)/(XR-XL)
      COMMENT - FIRST ELEMENT (TH LONG) OF SECTION
      COMMENT - COMPUTE EFFECTIVE STIFFNESS OF ELEMENT CONSIDERING JUMP AT
      COMMENT - START OF SECTION
      STA = STL
      STB = ST
      STT1 = 0.5*(STA + STB)
      STT2 = 0.5*(STA + STB)
      IF (NQ.LT. 1) GO TO 1250
      I1 = 1
      I2 = 1
      I1 = I1 + NQ
      COMMENT - REMAINING NQ ELEMENTS
      COMMENT - COMPUTE STIFFNESS AT MID POINT OF ELEMENT
      DO 1210 I = I1, I2
      STA = STB
      STB = ST
      ST(I) = 0.5*(STA + STB)
      1210   CONTINUE
      STA = STB
      STB = ST
      STT2 = 0.5*(STA + STB)
      1290   GO TO 1300
      COMMENT - UNIFORM STIFFNESS SECTION
      COMMENT - FIRST ELEMENT (TH LONG) OF SECTION
      COMMENT - COMPUTE EFFECTIVE STIFFNESS OF ELEMENT CONSIDERING JUMP AT
      COMMENT - START OF SECTION
      STT1 = STL
      ST(I1) = (TH*STT1*STT2)/(X2L*STT1 + X1*STT2)
      IF (NQ.LT. 1) GO TO 1360
      I1 = 1
      I2 = 1
      I1 = I1 + NQ
      COMMENT - REMAINING NQ ELEMENTS HAVE CONSTANT STIFFNESS
      DO 1350 I = I1, I2

```



```

1350          ST(1) = STL
1360          ST(2) = STL
1380          CONTINUE
          RETURN
          END
05890
05891
05892
05893
05894
***** SUBROUTINE *****
COMMENT - SUBROUTINE LINLD DISTRIBUTES SX, SY, SZ, QX, QY, AND QZ
DIMENSION REAL*8 (A-H,0-Z)
COMMON /BLK2/ I1, X1, X2, H, TH, HSQ, HCU, X2L, I1, I2, NQ
COMMENT - COMPUTE SLOPE OF LINEAR VARIATION
DO 1 Q = 1, (I2 - I1) / (X2 - X1)
  Q1 = Q
  Q2 = Q1 + 1
  Q3 = Q2 + 1
  Q4 = Q3 + 1
  Q5 = Q4 + 1
  Q6 = Q5 + 1
  Q7 = Q6 + 1
  Q8 = Q7 + 1
  Q9 = Q8 + 1
  Q10 = Q9 + 1
  Q11 = Q10 + 1
  Q12 = Q11 + 1
  Q13 = Q12 + 1
  Q14 = Q13 + 1
  Q15 = Q14 + 1
  Q16 = Q15 + 1
  Q17 = Q16 + 1
  Q18 = Q17 + 1
  Q19 = Q18 + 1
  Q20 = Q19 + 1
  Q21 = Q20 + 1
  Q22 = Q21 + 1
  Q23 = Q22 + 1
  Q24 = Q23 + 1
  Q25 = Q24 + 1
  Q26 = Q25 + 1
  Q27 = Q26 + 1
  Q28 = Q27 + 1
  Q29 = Q28 + 1
  Q30 = Q29 + 1
  Q31 = Q30 + 1
  Q32 = Q31 + 1
  Q33 = Q32 + 1
  Q34 = Q33 + 1
  Q35 = Q34 + 1
  Q36 = Q35 + 1
  Q37 = Q36 + 1
  Q38 = Q37 + 1
  Q39 = Q38 + 1
  Q40 = Q39 + 1
  Q41 = Q40 + 1
  Q42 = Q41 + 1
  Q43 = Q42 + 1
  Q44 = Q43 + 1
  Q45 = Q44 + 1
  Q46 = Q45 + 1
  Q47 = Q46 + 1
  Q48 = Q47 + 1
  Q49 = Q48 + 1
  Q50 = Q49 + 1
  Q51 = Q50 + 1
  Q52 = Q51 + 1
  Q53 = Q52 + 1
  Q54 = Q53 + 1
  Q55 = Q54 + 1
  Q56 = Q55 + 1
  Q57 = Q56 + 1
  Q58 = Q57 + 1
  Q59 = Q58 + 1
  Q60 = Q59 + 1
  Q61 = Q60 + 1
  Q62 = Q61 + 1
  Q63 = Q62 + 1
  Q64 = Q63 + 1
  Q65 = Q64 + 1
  Q66 = Q65 + 1
  Q67 = Q66 + 1
  Q68 = Q67 + 1
  Q69 = Q68 + 1
  Q70 = Q69 + 1
  Q71 = Q70 + 1
  Q72 = Q71 + 1
  Q73 = Q72 + 1
  Q74 = Q73 + 1
  Q75 = Q74 + 1
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  Q77 = Q76 + 1
  Q78 = Q77 + 1
  Q79 = Q78 + 1
  Q80 = Q79 + 1
  Q81 = Q80 + 1
  Q82 = Q81 + 1
  Q83 = Q82 + 1
  Q84 = Q83 + 1
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  Q86 = Q85 + 1
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  Q90 = Q89 + 1
  Q91 = Q90 + 1
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  Q94 = Q93 + 1
  Q95 = Q94 + 1
  Q96 = Q95 + 1
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  Q154 = Q153 + 1
  Q155 = Q154 + 1
  Q156 = Q155 + 1
  Q157 = Q156 + 1
  Q158 = Q157 + 1
  Q159 = Q158 + 1
  Q160 = Q159 + 1
  Q161 = Q160 + 1
  Q162 = Q161 + 1
  Q163 = Q162 + 1
  Q164 = Q163 + 1
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  Q166 = Q165 + 1
  Q167 = Q166 + 1
  Q168 = Q167 + 1
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  Q170 = Q169 + 1
  Q171 = Q170 + 1
  Q172 = Q171 + 1
  Q173 = Q172 + 1
  Q174 = Q173 + 1
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  Q196 = Q195 + 1
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  Q202 = Q201 + 1
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  Q204 = Q203 + 1
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  Q206 = Q205 + 1
  Q207 = Q206 + 1
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  Q209 = Q208 + 1
  Q210 = Q209 + 1
  Q211 = Q210 + 1
  Q212 = Q211 + 1
  Q213 = Q212 + 1
  Q214 = Q213 + 1
  Q215 = Q214 + 1
  Q216 = Q215 + 1
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  Q218 = Q217 + 1
  Q219 = Q218 + 1
  Q220 = Q219 + 1
  Q221 = Q220 + 1
  Q222 = Q221 + 1
  Q223 = Q222 + 1
  Q224 = Q223 + 1
  Q225 = Q224 + 1
  Q226 = Q225 + 1
  Q227 = Q226 + 1
  Q228 = Q227 + 1
  Q229 = Q228 + 1
  Q230 = Q229 + 1
  Q231 = Q230 + 1
  Q232 = Q231 + 1
  Q233 = Q232 + 1
  Q234 = Q233 + 1
  Q235 = Q234 + 1
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  Q237 = Q236 + 1
  Q238 = Q237 + 1
  Q239 = Q238 + 1
  Q240 = Q239 + 1
  Q241 = Q240 + 1
  Q242 = Q241 + 1
  Q243 = Q242 + 1
  Q244 = Q243 + 1
  Q245 = Q244 + 1
  Q246 = Q245 + 1
  Q247 = Q246 + 1
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  Q249 = Q248 + 1
  Q250 = Q249 + 1
  Q251 = Q250 + 1
  Q252 = Q251 + 1
  Q253 = Q252 + 1
  Q254 = Q253 + 1
  Q255 = Q254 + 1
  Q256 = Q255 + 1
  Q257 = Q256 + 1
  Q258 = Q257 + 1
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  Q260 = Q259 + 1
  Q261 = Q260 + 1
  Q262 = Q261 + 1
  Q263 = Q262 + 1
  Q264 = Q263 + 1
  Q265 = Q264 + 1
  Q266 = Q265 + 1
  Q267 = Q266 + 1
  Q268 = Q267 + 1
  Q269 = Q268 + 1
  Q270 = Q269 + 1
  Q271 = Q270 + 1
  Q272 = Q271 + 1
  Q273 = Q272 + 1
  Q274 = Q273 + 1
  Q275 = Q274 + 1
  Q276 = Q275 + 1
  Q277 = Q276 + 1
  Q278 = Q277 + 1
  Q279 = Q278 + 1
  Q280 = Q279 + 1
  Q281 = Q280 + 1
  Q282 = Q281 + 1
  Q283 = Q282 + 1
  Q284 = Q283 + 1
  Q285 = Q284 + 1
  Q286 = Q285 + 1
  Q287 = Q286 + 1
  Q288 = Q287 + 1
  Q289 = Q288 + 1
  Q290 = Q289 + 1
  Q291 = Q290 + 1
  Q292 = Q291 + 1
  Q293 = Q292 + 1
  Q294 = Q293 + 1
  Q295 = Q
```

```

      6  NSXB( 25), NSYC( 25), NSZ( 25), NCDS( 25), IAXORS( 25)
COMMON /BLOCK7/  NSX( 22), NSY( 22), NSZ( 22), S1( 22), S2( 22),
      2  S3( 22), S4( 22), S5( 22), S6( 22), S7( 22), S8( 22),
      3  S9( 22), S10( 22), S11( 22), S12( 22), S13( 22), S14( 22),
      4  S15( 22), S16( 22), S17( 22), S18( 22), S19( 22), S20( 22),
      5  S21( 22), S22( 22), S23( 22), S24( 22), S25( 22), S26( 22),
      6  S27( 22), S28( 22), S29( 22), S30( 22), S31( 22), S32( 22),
      7  S33( 22), S34( 22), S35( 22), S36( 22), S37( 22), S38( 22),
      8  S39( 22), S40( 22), S41( 22), S42( 22), S43( 22), S44( 22),
      9  S45( 22), S46( 22), S47( 22), S48( 22), S49( 22), S50( 22),
      0  S51( 22), S52( 22), S53( 22), S54( 22), S55( 22), S56( 22),
      1  S57( 22), S58( 22), S59( 22), S60( 22), S61( 22), S62( 22),
      2  S63( 22), S64( 22), S65( 22), S66( 22), S67( 22), S68( 22),
      3  S69( 22), S70( 22), S71( 22), S72( 22), S73( 22), S74( 22),
      4  S75( 22), S76( 22), S77( 22), S78( 22), S79( 22), S80( 22),
      5  S81( 22), S82( 22), S83( 22), S84( 22), S85( 22), S86( 22),
      6  S87( 22), S88( 22), S89( 22), S90( 22), S91( 22), S92( 22),
      7  S93( 22), S94( 22), S95( 22), S96( 22), S97( 22), S98( 22),
      8  S99( 22), S100( 22), S101( 22), S102( 22), S103( 22),
      9  S104( 22), S105( 22), S106( 22), S107( 22), S108( 22),
      0  S109( 22), S110( 22), S111( 22), S112( 22), S113( 22),
      1  S114( 22), S115( 22), S116( 22), S117( 22), S118( 22),
      2  S119( 22), S120( 22), S121( 22), S122( 22), S123( 22),
      3  S124( 22), S125( 22), S126( 22), S127( 22), S128( 22),
      4  S129( 22), S130( 22), S131( 22), S132( 22), S133( 22),
      5  S134( 22), S135( 22), S136( 22), S137( 22), S138( 22),
      6  S139( 22), S140( 22), S141( 22), S142( 22), S143( 22),
      7  S144( 22), S145( 22), S146( 22), S147( 22), S148( 22),
      8  S149( 22), S150( 22), S151( 22), S152( 22), S153( 22),
      9  S154( 22), S155( 22), S156( 22), S157( 22), S158( 22),
      0  S159( 22), S160( 22), S161( 22), S162( 22), S163( 22),
      1  S164( 22), S165( 22), S166( 22), S167( 22), S168( 22),
      2  S169( 22), S170( 22), S171( 22), S172( 22), S173( 22),
      3  S174( 22), S175( 22), S176( 22), S177( 22), S178( 22),
      4  S179( 22), S180( 22), S181( 22), S182( 22), S183( 22),
      5  S184( 22), S185( 22), S186( 22), S187( 22), S188( 22),
      6  S189( 22), S190( 22), S191( 22), S192( 22), S193( 22),
      7  S194( 22), S195( 22), S196( 22), S197( 22), S198( 22),
      8  S199( 22), S200( 22), S201( 22), S202( 22), S203( 22),
      9  S204( 22), S205( 22), S206( 22), S207( 22), S208( 22),
      0  S209( 22), S210( 22), S211( 22), S212( 22), S213( 22),
      1  S214( 22), S215( 22), S216( 22), S217( 22), S218( 22),
      2  S219( 22), S220( 22), S221( 22), S222( 22), S223( 22),
      3  S224( 22), S225( 22), S226( 22), S227( 22), S228( 22),
      4  S229( 22), S230( 22), S231( 22), S232( 22), S233( 22),
      5  S234( 22), S235( 22), S236( 22), S237( 22), S238( 22),
      6  S239( 22), S240( 22), S241( 22), S242( 22), S243( 22),
      7  S244( 22), S245( 22), S246( 22), S247( 22), S248( 22),
      8  S249( 22), S250( 22), S251( 22), S252( 22), S253( 22),
      9  S254( 22), S255( 22), S256( 22), S257( 22), S258( 22),
      0  S259( 22), S260( 22), S261( 22), S262( 22), S263( 22),
      1  S264( 22), S265( 22), S266( 22), S267( 22), S268( 22),
      2  S269( 22), S270( 22), S271( 22), S272( 22), S273( 22),
      3  S274( 22), S275( 22), S276( 22), S277( 22), S278( 22),
      4  S279( 22), S280( 22), S281( 22), S282( 22), S283( 22),
      5  S284( 22), S285( 22), S286( 22), S287( 22), S288( 22),
      6  S289( 22), S290( 22), S291( 22), S292( 22), S293( 22),
      7  S294( 22), S295( 22), S296( 22), S297( 22), S298( 22),
      8  S299( 22), S300( 22), S301( 22), S302( 22), S303( 22),
      9  S304( 22), S305( 22), S306( 22), S307( 22), S308( 22),
      0  S309( 22), S310( 22), S311( 22), S312( 22), S313( 22),
      1  S314( 22), S315( 22), S316( 22), S317( 22), S318( 22),
      2  S319( 22), S320( 22), S321( 22), S322( 22), S323( 22),
      3  S324( 22), S325( 22), S326( 22), S327( 22), S328( 22),
      4  S329( 22), S330( 22), S331( 22), S332( 22), S333( 22),
      5  S334( 22), S335( 22), S336( 22), S337( 22), S338( 22),
      6  S339( 22), S340( 22), S341( 22), S342( 22), S343( 22),
      7  S344( 22), S345( 22), S346( 22), S347( 22), S348( 22),
      8  S349( 22), S350( 22), S351( 22), S352( 22), S353( 22),
      9  S354( 22), S355( 22), S356( 22), S357( 22), S358( 22),
      0  S359( 22), S360( 22), S361( 22), S362( 22), S363( 22),
      1  S364( 22), S365( 22), S366( 22), S367( 22), S368( 22),
      2  S369( 22), S370( 22), S371( 22), S372( 22), S373( 22),
      3  S374( 22), S375( 22), S376( 22), S377( 22), S378( 22),
      4  S379( 22), S380( 22), S381( 22), S382( 22), S383( 22),
      5  S384( 22), S385( 22), S386( 22), S387( 22), S388( 22),
      6  S389( 22), S390( 22), S391( 22), S392( 22), S393( 22),
      7  S394( 22), S395( 22), S396( 22), S397( 22), S398( 22),
      8  S399( 22), S400( 22), S401( 22), S402( 22), S403( 22),
      9  S404( 22), S405( 22), S406( 22), S407( 22), S408( 22),
      0  S409( 22), S410( 22), S411( 22), S412( 22), S413( 22),
      1  S414( 22), S415( 2
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[illegible]

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      STP = SLOK - SLOKP1 * STF
      RMAX(J) = W*(J+1) * STF
205 CONTINUE
      STP = ( UO(NPT) - OQ(NPTM1) ) / ( WW(NPT) - WW(NPTM1) )
      DO 220 J=1,NPTM1
        WM(I,J) = NPTM1
        RMXI(I,J) = RMX(J)
220 CONTINUE
1000 CONTINUE
      RETURN
      END

***** SUBROUTINE CURNEW ( NPT , W , RMX , U , E , BK , UB , UR , UT , SLPMAX *****
2 SUBROUTINE CURNEW ( NPT , W , RMX , U , E , BK , UB , UR , UT , SLPMAX *****
COMMENT - SUBROUTINE CURNEW USES HAVING MODEL TO OBTAIN RESISTIVE FORCE
COMMENT - AND TANGENT STIFFNESS FOR INELASTIC MEMBER SUPPORT CURVES.
DIMENSION REAL*8 ( A-H*O-2 )
COMMON /BLK1/ AC, BLK, ELMENT, NUT, KEEPC3C, NCDC3A, NCDC3B, NCDC3D, NCDC3E, NCDC3F, NCDC3G, NCDC3H, NCDC3I, NCDC3J, NCDC3K, NCDC3L, NCDC3M, NCDC3N, NCDC3O, NCDC3P, NCDC3Q, NCDC3R, NCDC3S, NCDC3T, NCDC3U, NCDC3V, NCDC3W, NCDC3X, NCDC3Y, NCDC3Z, NCDC3AA, NCDC3AB, NCDC3AC, NCDC3AD, NCDC3AE, NCDC3AF, NCDC3AG, NCDC3AH, NCDC3AI, NCDC3AJ, NCDC3AK, NCDC3AL, NCDC3AM, NCDC3AN, NCDC3AO, NCDC3AP, NCDC3AQ, NCDC3AR, NCDC3AS, NCDC3AT, NCDC3AU, NCDC3AV, NCDC3AW, NCDC3AX, NCDC3AY, NCDC3AZ, NCDC3BA, NCDC3BB, NCDC3BC, NCDC3BD, NCDC3BE, NCDC3BF, NCDC3BG, NCDC3BH, NCDC3BI, NCDC3BJ, NCDC3BK, NCDC3BL, NCDC3BM, NCDC3BN, NCDC3BO, NCDC3BP, NCDC3BQ, NCDC3BR, NCDC3BS, NCDC3BT, NCDC3BU, NCDC3BV, NCDC3BW, NCDC3BX, NCDC3BY, NCDC3BZ, NCDC3CA, NCDC3CB, NCDC3CC, NCDC3CD, NCDC3CE, NCDC3CF, NCDC3CG, NCDC3CH, NCDC3CI, NCDC3CJ, NCDC3CK, NCDC3CL, NCDC3CM, NCDC3CN, NCDC3CO, NCDC3CP, NCDC3CQ, NCDC3CR, NCDC3CS, NCDC3CT, NCDC3CU, NCDC3CV, NCDC3CW, NCDC3CX, NCDC3CY, NCDC3CZ, NCDC3DA, NCDC3DB, NCDC3DC, NCDC3DD, NCDC3DE, NCDC3DF, NCDC3DG, NCDC3DH, NCDC3DI, NCDC3DJ, NCDC3DK, NCDC3DL, NCDC3DM, NCDC3DN, NCDC3DO, NCDC3DP, NCDC3DQ, NCDC3DR, NCDC3DS, NCDC3DT, NCDC3DU, NCDC3DV, NCDC3DW, NCDC3DX, NCDC3DY, NCDC3DZ, NCDC3EA, NCDC3EB, NCDC3EC, NCDC3ED, NCDC3EE, NCDC3EF, NCDC3EG, NCDC3EH, NCDC3EI, NCDC3EJ, NCDC3EK, NCDC3EL, NCDC3EM, NCDC3EN, NCDC3EO, NCDC3EP, NCDC3EQ, NCDC3ER, NCDC3ES, NCDC3ET, NCDC3EU, NCDC3EV, NCDC3EW, NCDC3EX, NCDC3EY, NCDC3EZ, NCDC3FA, NCDC3FB, NCDC3FC, NCDC3FD, NCDC3FE, NCDC3FF, NCDC3FG, NCDC3FH, NCDC3FI, NCDC3FJ, NCDC3FK, NCDC3FL, NCDC3FM, NCDC3FN, NCDC3FO, NCDC3FP, NCDC3FQ, NCDC3FR, NCDC3FS, NCDC3FT, NCDC3FU, NCDC3FV, NCDC3FW, NCDC3FX, NCDC3FY, NCDC3FZ, NCDC3GA, NCDC3GB, NCDC3GC, NCDC3GD, NCDC3GE, NCDC3GF, NCDC3GG, NCDC3GH, NCDC3GI, NCDC3GJ, NCDC3GK, NCDC3GL, NCDC3GM, NCDC3GN, NCDC3GO, NCDC3GP, NCDC3GQ, NCDC3GR, NCDC3GS, NCDC3GT, NCDC3GU, NCDC3GV, NCDC3GW, NCDC3GX, NCDC3GY, NCDC3GZ, NCDC3HA, NCDC3HB, NCDC3HC, NCDC3HD, NCDC3HE, NCDC3HF, NCDC3HG, NCDC3HH, NCDC3HI, NCDC3HJ, NCDC3HK, NCDC3HL, NCDC3HM, NCDC3HN, NCDC3HO, NCDC3HP, NCDC3HQ, NCDC3HR, NCDC3HS, NCDC3HT, NCDC3HU, NCDC3HV, NCDC3HW, NCDC3HX, NCDC3HY, NCDC3HZ, NCDC3IA, NCDC3IB, NCDC3IC, NCDC3ID, NCDC3IE, NCDC3IF, NCDC3IG, NCDC3IH, NCDC3II, NCDC3IJ, NCDC3IK, NCDC3IL, NCDC3IM, NCDC3IN, NCDC3IO, NCDC3IP, NCDC3IQ, NCDC3IR, NCDC3IS, NCDC3IT, NCDC3IU, NCDC3IV, NCDC3IW, NCDC3IX, NCDC3IY, NCDC3IZ, NCDC3JA, NCDC3JB, NCDC3JC, NCDC3JD, NCDC3JE, NCDC3JF, NCDC3JG, NCDC3JH, NCDC3JI, NCDC3JJ, NCDC3JK, NCDC3JL, NCDC3JM, NCDC3JN, NCDC3JO, NCDC3JP, NCDC3JQ, NCDC3JR, NCDC3JS, NCDC3JT, NCDC3JU, NCDC3JV, NCDC3JW, NCDC3JX, NCDC3JY, NCDC3JZ, NCDC3KA, NCDC3KB, NCDC3KC, NCDC3KD, NCDC3KE, NCDC3KF, NCDC3KG, NCDC3KH, NCDC3KI, NCDC3KJ, NCDC3KK, NCDC3KL, NCDC3KM, NCDC3KN, NCDC3KO, NCDC3KP, NCDC3KQ, NCDC3KR, NCDC3KS, NCDC3KT, NCDC3KU, NCDC3KV, NCDC3KW, NCDC3KX, NCDC3KY, NCDC3KZ, NCDC3LA, NCDC3LB, NCDC3LC, NCDC3LD, NCDC3LE, NCDC3LF, NCDC3LG, NCDC3LH, NCDC3LI, NCDC3LJ, NCDC3LK, NCDC3LL, NCDC3LM, NCDC3LN, NCDC3LO, NCDC3LP, NCDC3LQ, NCDC3LR, NCDC3LS, NCDC3LT, NCDC3LU, NCDC3LV, NCDC3LW, NCDC3LX, NCDC3LY, NCDC3LZ, NCDC3MA, NCDC3MB, NCDC3MC, NCDC3MD, NCDC3ME, NCDC3MF, NCDC3MG, NCDC3MH, NCDC3MI, NCDC3MJ, NCDC3MK, NCDC3ML, NCDC3MM, NCDC3MN, NCDC3MO, NCDC3MP, NCDC3MQ, NCDC3MR, NCDC3MS, NCDC3MT, NCDC3MU, NCDC3MV, NCDC3MW, NCDC3MX, NCDC3MY, NCDC3MZ, NCDC3NA, NCDC3NB, NCDC3NC, NCDC3ND, NCDC3NE, NCDC3NF, NCDC3NG, NCDC3NH, NCDC3NI, NCDC3NJ, NCDC3NK, NCDC3NL, NCDC3NM, NCDC3NN, NCDC3NO, NCDC3NP, NCDC3NQ, NCDC3NR, NCDC3NS, NCDC3NT, NCDC3NU, NCDC3NV, NCDC3NW, NCDC3NX, NCDC3NY, NCDC3NZ, NCDC3OA, NCDC3OB, NCDC3OC, NCDC3OD, NCDC3OE, NCDC3OF, NCDC3OG, NCDC3OH, NCDC3OI, NCDC3OJ, NCDC3OK, NCDC3OL, NCDC3OM, NCDC3ON, NCDC3OO, NCDC3OP, NCDC3OQ, NCDC3OR, NCDC3OS, NCDC3OT, NCDC3OU, NCDC3OV, NCDC3OW, NCDC3OX, NCDC3OY, NCDC3OZ, NCDC3PA, NCDC3PB, NCDC3PC, NCDC3PD, NCDC3PE, NCDC3PF, NCDC3PG, NCDC3PH, NCDC3PI, NCDC3PJ, NCDC3PK, NCDC3PL, NCDC3PM, NCDC3PN, NCDC3PO, NCDC3PP, NCDC3PQ, NCDC3PR, NCDC3PS, NCDC3PT, NCDC3PU, NCDC3PV, NCDC3PW, NCDC3PX, NCDC3PY, NCDC3PZ, NCDC3QA, NCDC3QB, NCDC3QC, NCDC3QD, NCDC3QE, NCDC3QF, NCDC3QG, NCDC3QH, NCDC3QI, NCDC3QJ, NCDC3QK, NCDC3QL, NCDC3QM, NCDC3QN, NCDC3QO, NCDC3QP, NCDC3QQ, NCDC3QR, NCDC3QS, NCDC3QT, NCDC3QU, NCDC3QV, NCDC3QW, NCDC3QX, NCDC3QY, NCDC3QZ, NCDC3RA, NCDC3RB, NCDC3RC, NCDC3RD, NCDC3RE, NCDC3RF, NCDC3RG, NCDC3RH, NCDC3RI, NCDC3RJ, NCDC3RK, NCDC3RL, NCDC3RM, NCDC3RN, NCDC3RO, NCDC3RP, NCDC3RQ, NCDC3RR, NCDC3RS, NCDC3RT, NCDC3RU, NCDC3RV, NCDC3RW, NCDC3RX, NCDC3RY, NCDC3RZ, NCDC3SA, NCDC3SB, NCDC3SC, NCDC3SD, NCDC3SE, NCDC3SF, NCDC3SG, NCDC3SH, NCDC3SI, NCDC3SJ, NCDC3SK, NCDC3SL, NCDC3SM, NCDC3SN, NCDC3SO, NCDC3SP, NCDC3SQ, NCDC3SR, NCDC3SS, NCDC3ST, NCDC3SU, NCDC3SV, NCDC3SW, NCDC3SX, NCDC3SY, NCDC3SZ, NCDC3TA, NCDC3TB, NCDC3TC, NCDC3TD, NCDC3TE, NCDC3TF, NCDC3TG, NCDC3TH, NCDC3TI, NCDC3TJ, NCDC3TK, NCDC3TL, NCDC3TM, NCDC3TN, NCDC3TO, NCDC3TP, NCDC3TQ, NCDC3TR, NCDC3TS, NCDC3TT, NCDC3TU, NCDC3TV, NCDC3TW, NCDC3TX, NCDC3TY, NCDC3TZ, NCDC3UA, NCDC3UB, NCDC3UC, NCDC3UD, NCDC3UE, NCDC3UF, NCDC3UG, NCDC3UH, NCDC3UI, NCDC3UJ, NCDC3UK, NCDC3UL, NCDC3UM, NCDC3UN, NCDC3UO, NCDC3UP, NCDC3UQ, NCDC3UR, NCDC3US, NCDC3UT, NCDC3UU, NCDC3UV, NCDC3UW, NCDC3UX, NCDC3UY, NCDC3UZ, NCDC3VA, NCDC3VB, NCDC3VC, NCDC3VD, NCDC3VE, NCDC3VF, NCDC3VG, NCDC3VH, NCDC3VI, NCDC3VJ, NCDC3VK, NCDC3VL, NCDC3VM, NCDC3VN, NCDC3VO, NCDC3VP, NCDC3VQ, NCDC3VR, NCDC3VS, NCDC3VT, NCDC3VU, NCDC3VV, NCDC3VW, NCDC3VX, NCDC3VY, NCDC3VZ, NCDC3WA, NCDC3WB, NCDC3WC, NCDC3WD, NCDC3WE, NCDC3WF, NCDC3WG, NCDC3WH, NCDC3WI, NCDC3WJ, NCDC3WK, NCDC3WL, NCDC3WM, NCDC3WN, NCDC3WO, NCDC3WP, NCDC3WQ, NCDC3WR, NCDC3WS, NCDC3WT, NCDC3WU, NCDC3WV, NCDC3WW, NCDC3WX, NCDC3WY, NCDC3WZ, NCDC3XA, NCDC3XB, NCDC3XC, NCDC3XD, NCDC3XE, NCDC3XF, NCDC3XG, NCDC3XH, NCDC3XI, NCDC3XJ, NCDC3XK, NCDC3XL, NCDC3XM, NCDC3XN, NCDC3XO, NCDC3XP, NCDC3XQ, NCDC3XR, NCDC3XS, NCDC3XT, NCDC3XU, NCDC3XV, NCDC3XW, NCDC3XX, NCDC3XY, NCDC3XZ, NCDC3YA, NCDC3YB, NCDC3YC, NCDC3YD, NCDC3YE, NCDC3YF, NCDC3YG, NCDC3YH, NCDC3YI, NCDC3YJ, NCDC3YK, NCDC3YL, NCDC3YM, NCDC3YN, NCDC3YO, NCDC3YP, NCDC3YQ, NCDC3YR, NCDC3YS, NCDC3YT, NCDC3YU, NCDC3YV, NCDC3YW, NCDC3YX, NCDC3YY, NCDC3YZ, NCDC3ZA, NCDC3ZB, NCDC3ZC, NCDC3ZD, NCDC3ZE, NCDC3ZF, NCDC3ZG, NCDC3ZH, NCDC3ZI, NCDC3ZJ, NCDC3ZK, NCDC3ZL, NCDC3ZM, NCDC3ZN, NCDC3ZO, NCDC3ZP, NCDC3ZQ, NCDC3ZR, NCDC3ZS, NCDC3ZT, NCDC3ZU, NCDC3ZV, NCDC3ZW, NCDC3ZX, NCDC3ZY, NCDC3ZZ, NCDC3AA, NCDC3AB, NCDC3AC, NCDC3AD, NCDC3AE, NCDC3AF, NCDC3AG, NCDC3AH, NCDC3AI, NCDC3AJ, NCDC3AK, NCDC3AL, NCDC3AM, NCDC3AN, NCDC3AO, NCDC3AP, NCDC3AQ, NCDC3AR, NCDC3AS, NCDC3AT, NCDC3AU, NCDC3AV, NCDC3AW, NCDC3AX, NCDC3AY, NCDC3AZ, NCDC3BA, NCDC3BB, NCDC3BC, NCDC3BD, NCDC3BE, NCDC3BF, NCDC3BG, NCDC3BH, NCDC3BI, NCDC3BJ, NCDC3BK, NCDC3BL, NCDC3BM, NCDC3BN, NCDC3BO
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      IF ( IFAE .EQ. 1 ) GO TO 2220
      GO TO 2250
      CONTINUE
2210 IF ( IRDYN .EQ. 1 ) GO TO 2220
      IF ( IRSTEP(JT) .EQ. 1 .AND. NITF .EQ. 1 .AND. NITERM(JJ) .EQ. 1 ) GO TO 2220
      CONTINUE
2220 IF ( NCUREV(I,MCXYZ) .EQ. 0 ) GO TO 2250
      IF ( TYPE .EQ. 1 ) GO TO 2240
      IF ( IRDYN .EQ. 1 ) GO TO 2250
      IF ( IRSTEP(JT) .EQ. 1 .AND. NITF .EQ. 1 .AND. NITERM(JJ) .EQ. 1 )
2      GO TO 2250
      GO TO 2250
2240 CONTINUE
      IF ( IFAE .EQ. 0 ) NCUREV(I,MCXYZ) = 0
2250 CONTINUE
      IF ( NCHECK .NE. 1 ) GO TO 2800
      IFAE = INVERSE + NCUREV(I,MCXYZ)
2800 CONTINUE
      RETURN
      END
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06252

***** SUBROUTINE *****
SUBROUTINE GRIP2A (C,B,X,SL,L3,L4,L6,M)
COMMENT - SUBROUTINE GRIP2A UTILIZES GAUSS ELIMINATION METHOD TO SOLVE
COMMENT - FOR MEMBER AND JOINT SOLUTIONS.
      IMPLICIT REAL*8 (A-H,O-Z)
      DIMENSION C(16,16),B(16),X(16)
      COMMON /BL5/ N1,N2,NITF,N1,N2
      COMMON /BL7/ NL,NL,J1
      COMMON /SR15/ J1,J2
888 FORNAT (//,2,H FAILURE IN SOLUTION OF MEMBER,I4,/,
2 6H DCF =,15,/,8H COEFF =,1PE13.6,/,
999 FORNAT (//,2,H FAILURE IN JOINT SOLUTION,/,
2 6H DCF =,15,/,8H COEFF =,1PE13.6,/)
      KEY=NL
      N=NL
      CALL PSUB (C,B,X,L3,L6,M)
COMMENT - FORWARD ELIMINATION
      N1 = N - 1
      DO 98 J = 1,NH1
        JM = J + N
        IF (JM .GT. N) JM = N
        JP1 = J + 1
        MM = M + 1
        IF (X(J) .GT. N) MM = N - J + 1
        DO 97 K = JP1,J2
          KK = K - JP1 + 2
          IF (C(J,1) .GT. 0.0 ) GO TO 50
          IF (NPSUB .EQ. 22 ) GO TO 30
          PRINT 999,J,C(J,1)
          GO TO 40
          CONTINUE
30 PRINT 888,J,J,C(J,1)
40 CONTINUE
      N=19001
      GO TO 195
50 COEFF = -C(J,KK)/C(J,1)
      E(K) = B(K) + COEFF*B(J)
      MM = MM + 1
      IF (KEY .EQ. -1) GO TO 97
      DO 96 I = 1,K
        C(K,I) = C(K,I) + COEFF*C(J,II)
96 CONTINUE
97 CONTINUE
98 CONTINUE
COMMENT - BACK SUBSTITUTION
      IF (N1 .EQ. 0) GO TO 110
      PRINT 1999,N,C(N,1)
      GO TO 105
      CONTINUE
100 PRINT 888,J,N,C(N,1)
105 CONTINUE
      N=10001
      GO TO 195
110 X(N) = B(N)/C(N,1)
      MM = 0
      DO 190 KK = 2,N
        K = N - KK + 1
        IF (K .GT. 2) GO TO 150
        MM = MM + 1
      GO TO 160
150 MM = B
160 X(K) = B(K)
      NN1 = 1
      NN5 = K
      DO 170 I1 = 1,MM
        NN1 = NN1 + 1
        NN2 = NN2 + 1
06253*71
06254*90
06255*90
06256
06257*72
06258
06259
06260
06261
06262
06263
06264
06265
06266
06267
06268
06269
06270
06271
06272
06273
06274
06275
06276
06277*72
06278
06279
06280
06281
06282
06283
06284
06285
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06288
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06291
06292
06293
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COMMENT - DO FOR EACH MEMBER - ADD ITS STIFFNESS MATRIX AND LOAD MATRIX 06417
COMMENT - INTO STRUCTURE STIFFNESS MATRIX SSL AND LOAD MATRIX FSS 06418
DO 3500 JJ = 1, NMEM 06419
IF (JT1(JJ) .NE. JTN .AND. JT2(JJ) .NE. JTN ) GO TO 3500 06420
COMMENT - SKIP FOR NULL MEMBER 06421
IF (IST = 0) GO TO 3500 06422
COMMENT - FORM TRANSPONED STIFFNESS MATRIX AND ITS TRANSPOSE 06423
DO 1, 2 06424
DO 1, 2 06425
DO 1, 2 06426
DO 1, 2 06427
DO 1, 2 06428
DO 1, 2 06429
DO 1, 2 06430
DO 1, 2 06431
DO 1, 2 06432
DO 1, 2 06433
DO 1, 2 06434
DO 1, 2 06435
DO 1, 2 06436
DO 1, 2 06437
DO 1, 2 06438
DO 1, 2 06439
DO 1, 2 06440
DO 1, 2 06441
DO 1, 2 06442
DO 1, 2 06443
DO 1, 2 06444
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DO 1, 2 06447
DO 1, 2 06448
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DO 1, 2 06467
DO 1, 2 06468
DO 1, 2 06469
DO 1, 2 06470
DO 1, 2 06471
DO 1, 2 06472
DO 1, 2 06473
DO 1, 2 06474
DO 1, 2 06475
DO 1, 2 06476
DO 1, 2 06477
DO 1, 2 06478
DO 1, 2 06479
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DO 1, 2 06481
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DO 1, 2 06483
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DO 1, 2 06492
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DO 1, 2 06494
DO 1, 2 06495
DO 1, 2 06496
DO 1, 2 06497
DO 1, 2 06498
DO 1, 2 06499
DO 1, 2 06500
DO 1, 2 06501
DO 1, 2 06502
DO 1, 2 06503
DO 1, 2 06504
DO 1, 2 06505
DO 1, 2 06506
DO 1, 2 06507
DO 1, 2 06508
DO 1, 2 06509
DO 1, 2 06510
DO 1, 2 06511
DO 1, 2 06512

```

[illegible]


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DO 3410 I = 1, NPTTN1
  WRTY(JTN,I) = UR(I)
3410 CONTINUE
GO TO 3521
3520 CONTINUE
  QJY = 0.0
  SJZ = 0.0
3521 IF ( SJZ(JTN) .EQ. 0 ) GO TO 3530
  NC = NSZ2(JTN)
  NPTT = NPT(NC)
  NPTTN1 = NPTT-1
DO 3529 I = 1, NPTTN1
  UR(I) = WRZ(JTN,I)
  URT(I) = WRTZ(JTN,I)
  W(I) = WMJ(JTN) * WMJT(NC,I)
  RMAX(I) = QMJ(JTN) * RMAXJT(NC,I)
3529 CONTINUE
  TEMP1 = NOJ(NC,2)
  TEMP2 = NMJ(NC,2)
  SLPHAX = TEMP1*QMJ(JTN) / TEMP2 / WMJ(JTN)
CALL CURVIN ( NPTT(JTN), RMAX, WJ, QJ2, SJZ, UR, URT, JTN, 3, SLPHAX )
DO 3420 I = 1, NPTTN1
  WRTZ(JTN,I) = UR(I)
  WRTZ(JTN,I) = URT(I)
3420 CONTINUE
GO TO 3531
3530 CONTINUE
  QJZ = 0.0
  SJZ = 0.0
3531 IF ( SJZ(JTN) .EQ. 0 ) GO TO 3540
  NC = NSVJ(JTN)
  NPTT = NPT(NC)
  NPTTN1 = NPTT-1
DO 3539 I = 1, NPTTN1
  UR(I) = WSV(JTN,I)
  URT(I) = WRTV(JTN,I)
  W(I) = WMJ(JTN) * WMJT(NC,I)
  RMAX(I) = QMJ(JTN) * RMAXJT(NC,I)
3539 CONTINUE
  TEMP1 = NOJ(NC,2)
  TEMP2 = NMJ(NC,2)
  SLPHAX = TEMP1*QMJ(JTN) / TEMP2 / WMJ(JTN)
CALL CURVIN ( NPTT(JTN), RMAX, WJ, QJV, SJV, UR, URT, JTN, 4, SLPHAX )
DO 3430 I = 1, NPTTN1
  WRTV(JTN,I) = UR(I)
  WRTV(JTN,I) = URT(I)
3430 CONTINUE
GO TO 3541
3540 CONTINUE
  QJV = 0.0
  SJV = 0.0
3541 IF ( SJV(JTN) .EQ. 0 ) GO TO 3550
  NC = NSXP(JTN)
  NPTT = NPT(NC)
  NPTTN1 = NPTT-1
DO 3549 I = 1, NPTTN1
  UR(I) = WXP(JTN,I)
  URT(I) = WRTXP(JTN,I)
  W(I) = WMJ(JTN) * WMJT(NC,I)
  RMAX(I) = QMJ(JTN) * RMAXJT(NC,I)
3549 CONTINUE
  TEMP1 = NOJ(NC,2)
  TEMP2 = NMJ(NC,2)
  SLPHAX = TEMP1*QMJ(JTN) / TEMP2 / WMJ(JTN)
  ISITT = ISITT(JTN)
  WJ = DC1S(ISITT)*DX(JTN)+DC2S(ISITT)*DY(JTN)
CALL CURVIN ( NPTT(JTN), RMAX, WJ, QJT, SJT, UR, URT, JTN, 5, SLPHAX )
DO 3440 I = 1, NPTTN1
  WRTXP(JTN,I) = UR(I)
  WRTXP(JTN,I) = URT(I)
3440 CONTINUE
  QJX = QJX + QJT * DC1S(ISITT)
  QJY = QJY + QJT * DC2S(ISITT)
  QJZ = QJZ + SJT * DC1S(ISITT)
  QJZ = QJZ + SJT * DC2S(ISITT)
  QJZ = QJZ + SJT * DC1S(ISITT)
  QJZ = QJZ + SJT * DC2S(ISITT)
GO TO 3550
3550 CONTINUE
  SJXY = 0.0
3551 IF ( SJXY(JTN) .EQ. 0 ) GO TO 3560
  NC = NSYP(JTN)
  NPTT = NPT(NC)
  NPTTN1 = NPTT-1
DO 3559 I = 1, NPTTN1
  UR(I) = WYP(JTN,I)
  URT(I) = WRTYP(JTN,I)
  W(I) = WMJ(JTN) * WMJT(NC,I)
  RMAX(I) = QMJ(JTN) * RMAXJT(NC,I)
3559 CONTINUE
  TEMP1 = NOJ(NC,2)
  TEMP2 = NMJ(NC,2)
  SLPHAX = TEMP1*QMJ(JTN) / TEMP2 / WMJ(JTN)
  ISIT = ISIT(JTN)

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      WJ = - DC2S(ISTT)*DXI(JTN)*DC1S(ISTT)*DYI(JTN)
      CALL CURVIN(1,NPIT,NREMAX,WJ,GJT,SJT,UE,URT,JTN,SLPHAX)
      DC J450 WRTYP(JTN,ISTT) = UR(I)
      WRTYP(JTN,ISTT) = UR(I)
3450 CONTINUE
      QJX = QJX - QJT * DC2S(ISTT)
      QJY = QJY - QJT * DC1S(ISTT)
      SJX = SJX + SJT * DC2S(ISTT) ** 2
      SJY = SJY + SJT * DC1S(ISTT) ** 2
3560 CONTINUE
      RETURN
      END
      06786
      06787
      06788
      06789
      06790
      06791
      06792
      06793
      06794
      06795
      06796
      06797
      06798
      06799

*****
SUBROUTINE COMIN***** SUBROUTINE *****
SUBROUTINE COMIN***** SUBROUTINE *****
COMMENT - ALL THE COMMENTS UNDER SUBROUTINE INELST APPLY HERE
DEINSTRON (10) INELST(10)
COMMON /BLK1/ ELEMNT, N1, N2, N3, N4, N5, N6, N7, N8, N9, N10, N11, N12, N13, N14, N15, N16, N17, N18, N19, N20, N21, N22, N23, N24, N25, N26, N27, N28, N29, N30, N31, N32, N33, N34, N35, N36, N37, N38, N39, N40, N41, N42, N43, N44, N45, N46, N47, N48, N49, N50, N51, N52, N53, N54, N55, N56, N57, N58, N59, N60, N61, N62, N63, N64, N65, N66, N67, N68, N69, N70, N71, N72, N73, N74, N75, N76, N77, N78, N79, N80, N81, N82, N83, N84, N85, N86, N87, N88, N89, N90, N91, N92, N93, N94, N95, N96, N97, N98, N99, N100, N101, N102, N103, N104, N105, N106, N107, N108, N109, N110, N111, N112, N113, N114, N115, N116, N117, N118, N119, N120, N121, N122, N123, N124, N125, N126, N127, N128, N129, N130, N131, N132, N133, N134, N135, N136, N137, N138, N139, N140, N141, N142, N143, N144, N145, N146, N147, N148, N149, N150, N151, N152, N153, N154, N155, N156, N157, N158, N159, N160, N161, N162, N163, N164, N165, N166, N167, N168, N169, N170, N171, N172, N173, N174, N175, N176, N177, N178, N179, N180, N181, N182, N183, N184, N185, N186, N187, N188, N189, N190, N191, N192, N193, N194, N195, N196, N197, N198, N199, N200, N201, N202, N203, N204, N205, N206, N207, N208, N209, N210, N211, N212, N213, N214, N215, N216, N217, N218, N219, N220, N221, N222, N223, N224, N225, N226, N227, N228, N229, N230, N231, N232, N233, N234, N235, N236, N237, N238, N239, N240, N241, N242, N243, N244, N245, N246, N247, N248, N249, N250, N251, N252, N253, N254, N255, N256, N257, N258, N259, N260, N261, N262, N263, N264, N265, N266, N267, N268, N269, N270, N271, N272, N273, N274, N275, N276, N277, N278, N279, N280, N281, N282, N283, N284, N285, N286, N287, N288, N289, N290, N291, N292, N293, N294, N295, N296, N297, N298, N299, N300, N301, N302, N303, N304, N305, N306, N307, N308, N309, N310, N311, N312, N313, N314, N315, N316, N317, N318, N319, N320, N321, N322, N323, N324, N325, N326, N327, N328, N329, N330, N331, N332, N333, N334, N335, N336, N337, N338, N339, N340, N341, N342, N343, N344, N345, N346, N347, N348, N349, N350, N351, N352, N353, N354, N355, N356, N357, N358, N359, N360, N361, N362, N363, N364, N365, N366, N367, N368, N369, N370, N371, N372, N373, N374, N375, N376, N377, N378, N379, N380, N381, N382, N383, N384, N385, N386, N387, N388, N389, N390, N391, N392, N393, N394, N395, N396, N397, N398, N399, N400, N401, N402, N403, N404, N405, N406, N407, N408, N409, N410, N411, N412, N413, N414, N415, N416, N417, N418, N419, N420, N421, N422, N423, N424, N425, N426, N427, N428, N429, N430, N431, N432, N433, N434, N435, N436, N437, N438, N439, N440, N441, N442, N443, N444, N445, N446, N447, N448, N449, N450, N451, N452, N453, N454, N455, N456, N457, N458, N459, N460, N461, N462, N463, N464, N465, N466, N467, N468, N469, N470, N471, N472, N473, N474, N475, N476, N477, N478, N479, N480, N481, N482, N483, N484, N485, N486, N487, N488, N489, N490, N491, N492, N493, N494, N495, N496, N497, N498, N499, N500, N501, N502, N503, N504, N505, N506, N507, N508, N509, N510, N511, N512, N513, N514, N515, N516, N517, N518, N519, N520, N521, N522, N523, N524, N525, N526, N527, N528, N529, N530, N531, N532, N533, N534, N535, N536, N537, N538, N539, N540, N541, N542, N543, N544, N545, N546, N547, N548, N549, N550, N551, N552, N553, N554, N555, N556, N557, N558, N559, N560, N561, N562, N563, N564, N565, N566, N567, N568, N569, N570, N571, N572, N573, N574, N575, N576, N577, N578, N579, N580, N581, N582, N583, N584, N585, N586, N587, N588, N589, N590, N591, N592, N593, N594, N595, N596, N597, N598, N599, N600, N601, N602, N603, N604, N605, N606, N607, N608, N609, N610, N611, N612, N613, N614, N615, N616, N617, N618, N619, N620, N621, N622, N623, N624, N625, N626, N627, N628, N629, N630, N631, N632, N633, N634, N635, N636, N637, N638, N639, N640, N641, N642, N643, N644, N645, N646, N647, N648, N649, N650, N651, N652, N653, N654, N655, N656, N657, N658, N659, N660, N661, N662, N663, N664, N665, N666, N667, N668, N669, N670, N671, N672, N673, N674, N675, N676, N677, N678, N679, N680, N681, N682, N683, N684, N685, N686, N687, N688, N689, N690, N691, N692, N693, N694, N695, N696, N697, N698, N699, N700, N701, N702, N703, N704, N705, N706, N707, N708, N709, N710, N711, N712, N713, N714, N715, N716, N717, N718, N719, N720, N721, N722, N723, N724, N725, N726, N727, N728, N729, N730, N731, N732, N733, N734, N735, N736, N737, N738, N739, N740, N741, N742, N743, N744, N745, N746, N747, N748, N749, N750, N751, N752, N753, N754, N755, N756, N757, N758, N759, N760, N761, N762, N763, N764, N765, N7
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[illegible]

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      J(1,P1) = J(1,P2) * 1
      IF DO 5100 J(P1,P2) = -1 GO TO 5200
      J(P1,P2) = 16
      CONTINUE
      J(P1,J2) = SUM(J(P1,J2))
      J(P2,J2) = SUM(J(P2,J2))
      J(P1,P2) = J(P1,J2) + J(P2,J2)
      J(P1,P2) = J(P1,P2) / 2
      J(P1,P2) = J(P1,P2) * 2
      RETURN
END
```

[illegible]

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      SINI1 = DSIN(DZ1)
      SINI = DSIN(DZ2)
      COSCOS = COSI + COSIM1
      SINI1 = SINI + SINI1
      R = DDI +  $\frac{1}{2} \cdot 0.5 \cdot \text{COSCOS}$ 
      S = DDY -  $0.5 \cdot H \cdot \text{SINSIN}$ 
      HPR = B + R
      HPRD = DSQRT(HPR*HPR + S*S)
      DELTA = HPRD - H
      THETA = DATAN(S/DELT)
      TAU1 = THETA - DZ1
      TAU2 = DZ2 - THETA
COMMENT - COMPUTE FOR CONVEINIENCE
      HPR1 = HPR*STN1
      HPR2 = HPR*STN1
      HPRC1 = HPR*COSIM1
      HPRC2 = HPR*COSIM1
      SSC1 = S*STN1
      SSC2 = S*STN1
      SSC1 = S*STN1
      SSC2 = S*STN1
      HPDE11 = 1.0/HPRD
      HPDE21 = HPDE11*HPDE11
      HPR2 = 0.5*H
COMMENT - FORM THE TRANSPOSE OF THE ELEMENT DEFORMATION-DISPLACEMENT
COMMENT - MATRIX
      BT(1,1) = -HPR*HPDE11
      BT(2,1) = -S*HPDE11
      BT(3,1) = HC2*HPDE11*(HPR1 - SC1)
      BT(4,1) = -BT(1,1)
      BT(5,1) = -BT(2,1)
      BT(6,1) = HPR2*HPDE11*(HPR2 - SC2)
      BT(1,2) = S*HPDE21
      BT(2,2) = -HPR*HPDE21
      BT(3,2) = -HPRC2*HPDE21*(HPRC1 + SS1)
      BT(4,2) = -BT(1,2)
      BT(5,2) = -BT(2,2)
      BT(6,2) = -HPRC2*HPDE21*(HPRC2 + SS2)
      BT(1,3) = BT(4,2)
      BT(2,3) = BT(5,2)
      BT(3,3) = HPDE21*(HPRC1 + SS1)
      BT(4,3) = BT(1,3)
      BT(5,3) = BT(2,3)
      BT(6,3) = BT(3,3)
      BT(1,4) = 1.0 - BT(6,2)
400   CONTINUE
      IF (J.EQ. 1) GO TO 700
      DO 500 K = 1,3
500   D(J,K) = DS(J,K,I)
      T1 = TIS(I)
      BM1 = BMIS(I)
      BM2 = BMIS(I)
      GO TO 800
COMMENT - CALL FARRBY TO FIND INTERNAL FORCES IN ELEMENT TT,BM1,BM2 AND
COMMENT - ELEMENT FORCE-DEFORMATION MATRIX D
700   CALL FARRBY(DELTA, TAU1, TAU2, I, D, TT, BM1, BM2)
      IF (THESIP.EQ. ANE) GO TO 710
      IF (TYPE.EQ. 3 OR TYPE.EQ. 4) GO TO 800
      IF (NITP.GT. 1) GO TO 800
710   CONTINUE
      IF (LOCAL.NE. 0) GO TO 750
      VITT(I) = (BM2 - BM1) / H
      U2TT(I) = TT
      V2TT(I) = -VITT(I)
      U1TT(I) = -U2TT(I)
      M1TT(I) = -BM1 + 0.5 * VITT(I) * H
      M2TT(I) = -BM2 + 0.5 * VITT(I) * H
      GO TO 800
750   CONTINUE
      SNT = S / (H + DELTA)
      SCNT = SNT / (H + DELTA)
      V1 = BM2 - BM1 / (H + DELTA)
      V2 = BM1 - BM2 / (H + DELTA)
COMMENT - STORE FOR USE BY FCRMLD
      U2TT(I) = TT * SCNT + V1 * SINT
      V2TT(I) = -U2TT(I)
      U1TT(I) = -V2TT(I)
      M1TT(I) = -BM1 + 0.5 * { -U1TT(I)*SINI1 + VITT(I)*COSIM1 } * HPR1
      M2TT(I) = -BM2 + 0.5 * { -U1TT(I)*SINI1 + VITT(I)*COSIM1 } * HPR2
800   CONTINUE
COMMENT - FORM FIRST PART OF TRIPLE PRODUCT
      CALL MATMPLY(BT,6,3,D,3,TT)
COMMENT - FORM THE ELEMENT DEFORMATION-DISPLACEMENT MATRIX
      DO 850 J = 1,3
      DO 850 K = 1,6
850   B(K,J) = BT(J,K)
COMMENT - COMPLETE THE TRIPLE PRODUCT
      CALL MATMPLY(TT,6,3,B,6,SEET)
COMMENT - INITIAL STRESS MATRIX IS NULL IF P-DELTA EFFECTS IGNORED
COMMENT - COMPUTE FOR CONVEINIENCE
      HPDE31 = HPDE21*HPDE11
      SE2 = HPR*HPR
      HPDE2 = HPR*HPR
      TTM = TT*HPDE31

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      TT=THC2 = THM*HO2
      HP=HP2 = HPM*HP2
      COMMENT - COMPUTE THE POSITION OF THE INITIAL STRESS MATRIX DUE TO THROST
      TH(1,1) = -THM*HO2
      TH(1,2) = -THM*HO2
      TH(1,3) = -THM*HO2*S*(SS1 + HPRC1)
      TH(1,4) = -THM(1,1)
      TH(1,5) = -THM(1,2)
      TH(1,6) = -THM*HO2*S*(SS2 + HPRC2)
      TH(2,1) = -THM*HP2
      TH(2,2) = -THM*HP2
      TH(2,3) = -THM*HP2*(SS1 + HPRC1)
      TH(2,4) = -THM(2,1)
      TH(2,5) = -THM(2,2)
      TH(2,6) = -THM*HP2*(SS2 + HPRC2)**2 +
      2 TH(3,1) = -THM(1,3)
      TH(3,2) = -THM(1,4)
      TH(3,3) = -THM*HO2*(SS1 + HPRC1)*(SS2 + HPRC2)
      TH(3,4) = -THM(1,1)
      TH(3,5) = -THM(1,2)
      TH(3,6) = -THM(1,6)
      TH(4,1) = -THM(2,1)
      TH(4,2) = -THM(2,2)
      TH(4,3) = -THM*HO2*(SS2 + HPRC2)**2 +
      2 TH(4,4) = -THM(2,1)
      TH(4,5) = -THM(2,2)
      TH(4,6) = -THM*HO2*(SS2 + HPRC2)**2 +
      COMMENT - ADD ON TO ELEMENT STIFFNESS MATRIX
      DO 998 K = 1, 6
      N1 = N1 + 1
      DO 998 J = N1 + 1
      998 SEET(K,J) = SEET(K,J) + TH(K,J)
      CONTINUE
      VT = (BM2 - BM1)/HED
      VTM = VT*HED
      VTM*HO2 = VTM*HO2
      HPRS = HPM*HO2
      COMMENT - COMPUTE THE POSITION OF THE INITIAL STRESS MATRIX DUE TO SHEAR
      TH(1,1) = -VTM*HPRS*S*2.0
      TH(1,2) = -VTM*HPRS
      TH(1,3) = -VTM*HPRS*(HPRS*COSI1 + S*HPRS*SINI1*2.0)
      TH(1,4) = -TH(1,1)
      TH(1,5) = -TH(1,2)
      TH(1,6) = -VTM*HPRS*(HPRS*COSI + S*HPRS*SINI *2.0)
      TH(2,1) = -TH(1,1)
      TH(2,2) = -VTM*HO2*(-HPRS*SINI1 + S*HPRS*COI1*2.0)
      TH(2,3) = -VTM*HO2*(HPRS*SINI1*HPRS*S*(SINI1**2 - COSI1**2))
      2 H*HPRS*COI1 = COSI1 + H*HPRS*S*(SINI1**2 - COSI1**2)
      TH(2,4) = -TH(2,3)
      2 + S*HPRS*COI1 = H*HPRS*HO2*(HPRS*(SINI1*COI1 + COSI1*SINI)
      TH(2,5) = -TH(2,4)
      TH(2,6) = -TH(2,5)
      TH(3,1) = -TH(1,1)
      TH(3,2) = -TH(1,2)
      TH(3,3) = -TH(1,3)
      TH(3,4) = -TH(1,4)
      TH(3,5) = -TH(1,5)
      TH(3,6) = -TH(1,6)
      2 H*HPRS*COI1 = COSI1 + H*HPRS*S*(SINI **2 - COSI **2)
      COMMENT - ADD ON TO ELEMENT STIFFNESS MATRIX
      DO 999 K = 1, 6
      N1 = N1 + 1
      DO 999 J = N1 + 1
      999 SEET(K,J) = SEET(K,J) + TH(K,J)
      CONTINUE
      GO TO 2000
      2000 COMMENT - COMPUTE ELEMENT DEFORMATIONS
      DD1 = DX(I) - DX(IM1)
      DD2 = DE(I) - DE(IM1)
      DD3 = DE(I) - DE(IM1)
      IF (LOCAL) GO TO 2300
      COMMENT - COMPUTE DEFORMATIONS BASED ON SMALL DISPLACEMENTS
      THETA = DD1/TH
      DELTA = DD2/TH
      PSI1 = DD3/TH
      THETA = DD1(IM1) - THETA
      PSI1 = DD2(IM1) - THETA
      PSI2 = DD3(IM1) - THETA
      COMMENT - FORM THE ELEMENT DEFORMATION - DISPLACEMENT MATRIX BASED
      COMMENT - ON SMALL DISPLACEMENT THEORY
      DO 1000 K = 1, 6
      1000 DD(K,J) = 1.0
      DD(1,1) = 1.0
      DD(1,2) = 1.0
      DD(1,3) = 1.0
      DD(1,4) = 1.0
      DD(1,5) = 1.0
      DD(1,6) = 1.0
      DD(2,1) = 1.0
      DD(2,2) = 1.0
      DD(2,3) = 1.0
      DD(2,4) = 1.0
      DD(2,5) = 1.0
      DD(2,6) = 1.0
      DD(3,1) = 1.0
      DD(3,2) = 1.0
      DD(3,3) = 1.0
      DD(3,4) = 1.0
      DD(3,5) = 1.0
      DD(3,6) = 1.0
      DD(4,1) = 1.0
      DD(4,2) = 1.0
      DD(4,3) = 1.0
      DD(4,4) = 1.0
      DD(4,5) = 1.0
      DD(4,6) = 1.0
      DD(5,1) = 1.0
      DD(5,2) = 1.0
      DD(5,3) = 1.0
      DD(5,4) = 1.0
      DD(5,5) = 1.0
      DD(5,6) = 1.0
      DD(6,1) = 1.0
      DD(6,2) = 1.0
      DD(6,3) = 1.0
      DD(6,4) = 1.0
      DD(6,5) = 1.0
      DD(6,6) = 1.0

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      GO TO B(3,6) = H
      CONTINUE
2300 COMMENT - COMPUTE PCA CONVENIENCE
      THDX = TH + DDH
      THDX1 = 1.0/THDX
      THETA = DATA(DDY*THDXI)
      PSI1 = DZ(IM1) - THETA
      COS1 = DZ(I2) - THETA
      COS2 = DCOS(PSI1)
      SIN1 = DSIN(PSI1)
      SIN2 = DSIN(PSI2)
      COSCOS = COS1 * COS2
      SINSIN = SIN1 * SIN2
      COST = DSIN(THETA)
      COST2 = DCOS(THETA)
      SIN21 = 2.0 * SIN1 * COST
      COST2 = COST * COST1
      DELA = THDX/COST - H * COSCOS
      DELS = H * SIN1
      DELM = DDZ
      COMMENT - FORM ELEMENT DEFORMATION DISPLACEMENT MATRIX
      B(1,1) = -COST - DELS * SIN21 * THDXI/2.0
      B(1,2) = -SIN1 + DELS * COST2 * THDXI
      B(1,3) = H * SIN1
      B(1,4) = -BT * COST1
      B(1,5) = -B(1,1)
      B(1,6) = H * SIN2
      B(2,1) = 0.0
      B(2,2) = 0.0
      B(2,3) = -1.0
      B(2,4) = 0.0
      B(2,5) = 0.0
      B(2,6) = -B(2,3)
      B(3,1) = -H * SIN21 * COSCOS * THDXI/2.0
      B(3,2) = H * COST2 * COSCOS * THDXI
      B(3,3) = H * COST1
      B(3,4) = -B(3,1)
      B(3,5) = -B(3,3)
      B(3,6) = H * COS2
2400 CONTINUE
      IF (J.EQ. 1) GO TO 2700
      DO 2500 K=1,3
2500 D(J,K) = DS(J,K,I)
      BM = BMS(I)
      SH = SHS(I)
      GO TO 2800
      COMMENT - CALL DELTAS TO FIND INTERNAL FORCES TM, BM, SH AND ELEMENT
      COMMENT - FORCE DEFORMATION MATRIX D IN SHEAR TYPE ELEMENT
2700 CALL (TM, SH, EQ, ANSD) GC TO 2710
      IF (TYPE.EQ. 3) OR (TYPE.EQ. 4) GO TO 2800
      IF (LVRSE.NE. 0) GO TO 2710
      IF (VIF.GT. 1) GO TO 2800
2710 CONTINUE
      IF (LOCAL.NE. 0) GO TO 2750
      U1TT(I) = -TT
      V1TT(I) = SH
      U2TT(I) = -BM + H * SH
      V2TT(I) = TT
      M2TT(I) = -SH
      W2TT(I) = BM + H * SH
      GO TO 2800
2750 CONTINUE
      DELA2 = DELA/2.0
      DELS2 = DELS/2.0
      COMMENT - STORE FOR USE BY FCRMLD
      V1TT(I) = -TT * COST1 - SH * SYNT
      U1TT(I) = -BM + SH * (H * COS1 + DELA2) +
2      U2TT(I) = -U1TT(I)
      V2TT(I) = -V1TT(I)
      W2TT(I) = BM + SH * (H * COS2 + DELA2) +
2      TT * (H * SIN2 - DELS2)
2800 CONTINUE
      COMMENT - FORM FIRST PART OF TRIPLE PRODUCT
      DO 2850 K=1,6
      DO 2850 J=1,6
2850 BT(J,K) = B(K,J)
      COMMENT - COMPLETE THE TRIPLE PRODUCT
      CALL HATPBT(TM, ANSD, B, 6, SEET)
      COMMENT - INITIAL STRESS ANALYSIS WILL IF 2-DELTA EFFECTS ARE IGNORED
      IF (LOCAL.EQ. 0) GO TO 9999
      COMMENT - COMPUTE PCA CONVENIENCE
      THDX12 = THDXI * THDXI/1.0
      COST3 = COST * COST2
      COST4 = COST2 * COST2
      SIN212 = SIN21 * SIN21
      HT = H * TT
      HTI = HT * THDXI

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COMMENT - COMPUTE THE PORTION OF THE STIFFNESS MATRIX IN THE SHEAR
COMMENT - MODEL DUE TO INITIAL THUST
      TM(1,1) = TT*(SIN2T*SIN2T+THDX1/2.0) + THDXI2*(-DELS*
      SIN2T+COST2 + H*SIN2T*COSCOS/4.0)
      TM(1,2) = TT*(-SIN2T*THDXI + THDXI2*(DELS*COST2T
      +SIN2T*COSCOS/2.0))
      TM(1,3) = -HTI*SIN2T*COS1/2.0
      TM(1,4) = -TM(1,1)
      TM(1,5) = -TM(1,2)
      TM(1,6) = -HTI*SIN2T*COS2/2.0
      TM(2,1) = HTI*(COSTI3*THDXI + THDXI2*(DELS*SIN2T+COST2 +
      COST2T+COSCOS/2.0))
      TM(2,2) = HTI*COSTI2*COS1
      TM(2,3) = -TM(1,2)
      TM(2,4) = -TM(1,3)
      TM(2,5) = HTI*COSTI2*COS2
      TM(2,6) = -TM(1,4)
      TM(3,1) = HTI*COS1
      TM(3,2) = -TM(1,3)
      TM(3,3) = -TM(2,3)
      TM(3,4) = 0.6
      TM(3,5) = TM(1,1)
      TM(3,6) = TM(1,2)
      TM(4,1) = TM(1,1)
      TM(4,2) = TM(1,2)
      TM(4,3) = TM(1,3)
      TM(4,4) = TM(1,4)
      TM(4,5) = TM(1,5)
      TM(4,6) = HTI*(COSTI3*THDXI + THDXI2*(DELS*SIN2T+COST2 +
      COST2T+COSCOS/2.0))
      TM(5,1) = TM(1,1)
      TM(5,2) = TM(1,2)
      TM(5,3) = TM(1,3)
      TM(5,4) = TM(1,4)
      TM(5,5) = TM(1,5)
      TM(5,6) = HTI*(COSTI3*THDXI + THDXI2*(DELS*SIN2T+COST2 +
      COST2T+COSCOS/2.0))
      TM(6,1) = TM(1,1)
      TM(6,2) = TM(1,2)
      TM(6,3) = TM(1,3)
      TM(6,4) = TM(1,4)
      TM(6,5) = TM(1,5)
      TM(6,6) = HTI*(COSTI3*THDXI + THDXI2*(DELS*SIN2T+COST2 +
      COST2T+COSCOS/2.0))
      N1 = 0
      N2 = 0
      N3 = 0
      N4 = 0
      N5 = 0
      N6 = 0
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      N373 = 0
      N374 = 0
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      N377 = 0
      N3
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COMMENT - COMPUTE SECTION PROPERTIES AT MEMBERS                                07530
COMMENT - STRESS-STRAIN AND DIFFERENCE IN THESE PROPERTIES BETWEEN FROM AND TO JOINTS 07531
COMMENT - TO JOINTS
      NALF = NAL(IST)
      NARF = NAR(IST)
      NCDF = NCA(NALF)
      DO 2200 J = 1, NCDF
        BCL(J) = B(NALF,J)
        DCL(J) = D(NALF,J) - BCL(J)/M
        DDCL(J) = DD(NALF,J) - DCL(J)/M
        YCL(J) = Y(NALF,J)
        DYCL(J) = Y(NALF,J) - YCL(J)/M
        NSSL(J) = NSS(NALF,J)
        NSSLT(J) = NSSL(J)
      COMMENT - IF SIG-EP CURVE IS NON-LINEAR BUT ELASTIC, THEN COMPUTE
      COMMENT - STRESS-STRAIN CURVE AT MEMBERS FROM JOINT AND DIFFERENCE
      COMMENT - IN THESE PROPERTIES BETWEEN FROM AND TO JOINTS
      COMMENT - IF SIG-EP CURVE IS NON-LINEAR AND INELASTIC, THEN THESE
      COMMENT - STEPS NEED NOT BE DONE SINCE THE PROPS INCLUDING THE
      COMMENT - TWO MULTIPLIERS MUST BE SAME AT THE FROM AND TO JOINTS
      IF ( NNSR(NALF,J) .NE. 0 ) GO TO 2200
      NNSR(J) = NNSR(NALF,J)
      NNSRT = NNSR(J)
      NPTST = NPTS(NNSLT)
      NIST(J) = IIS(NSSLT)
      DO 2180 K = 1, NPTST
        SIGL(J,K) = NSIG(NSSLT,K)*SM(NALF,J)
        EIGL(J,K) = NSIG(NNSRT,K)*SM(NALF,J)
        EPSL(J,K) = NEPS(NSSLT,K)*EM(NALF,J)
        EPSR(J,K) = NEPS(NNSRT,K)*EM(NALF,J)
        DSIGL(J,K) = (SIGL(J,K) - SIGR(J,K))/M
        DEPSL(J,K) = (EPSL(J,K) - EPSR(J,K))/M
      CONTINUE
      2180 CONTINUE
      2200 CONTINUE
      2500 CONTINUE
      COMMENT - (IE = 1) FOR RIGID ELEMENT
      COMMENT - (IE = 1) FOR LINEAR ELEMENT
      IE = 0
      IF (I.LE.NLB) IER = 1
      IF (I.LE.NEB) IER = 1
      IF (I.GE.NRB) IER = 1
      ZMUL = 1
      ZMUL = ZMUL + 0.5
      COMMENT - COMPUTE DEFORMATIONS IN ELEMENT
      CUR1 = AAU/H
      EP = DELTA/TH
      BM1 = 0.0
      BT1 = 0.0
      AT1 = 0.0
      ET1 = 0.0
      AE1 = 0.0
      AE2 = 0.0
      AEY1 = 0.0
      AEY2 = 0.0
      D(2,3) = 0.0
      COMMENT - INITIALISE THE PARAMETER THAT IS USED TO KEEP TRACK
      COMMENT - OF THE (PRESERVED) SUBDIVIDED PIECES AND THEIR CUMULATIVE
      COMMENT - POSITIVE STRAIN APPLICABLE FOR INELASTIC CASE ONLY )
      ZCUMU = 0
      DO 4000 J = 1, NCDF
        COMMENT - COMPUTE SECTION PROPERTIES AT MID-ELEMENT
        B = BCL(J) + ZMUL*BCL(J)
        D = DCL(J) + ZMUL*DDCL(J)
        Y = YCL(J) + ZMUL*DYCL(J)
        NSSL = NSSL(J)
        NPTST = NPTS(NSSLT)
        COMMENT - COMPUTE STRESS-STRAIN CURVE AT MID-ELEMENT ONLY FOR THE
        COMMENT - NON-LINEAR ELASTIC CASE
        COMMENT - IF IT IS THE INELASTIC CASE, THEN THE SIG-EP CURVE AT
        COMMENT - MID-ELEMENT IS THE SAME AS THAT AT THE FROM OR TO JOINT.
        IF ( NNSR(NALF,J) .EQ. 0 ) GO TO 2590
        DO 2560 K = 1, NPTST
          SIGCCR(K) = SIGMAX(NSSLT,K) * SM(NALF,J)
          EPSCCR(K) = EPSILN(NSSLT,K) * EM(NALF,J)
        2560 CONTINUE
      COMMENT - THE ABOVE DO-LOOP CCNTAINS COMPUTATIONS FOR THE INDIVIDUAL
      COMMENT - COMPONENT STRESS CURVES
      COMMENT - NOW ALSO COMPUTE THE MAXIMUM SLOPE AT THE ORIGIN OF THE
      COMMENT - VIRGIN SIG-EP CURVE FOR USE IN STRAIN REVERSAL CHECK CASE
      SIGCR = SM(NALF,J)
      SIGRA = NSIG(NSSLT,2) * SMSC1
      SIGLN = NEPS(NSSLT,2) * EMSCL
      SIGRAA = SIGRA / FSLON
      C
      COMMENT - COMPUTE THE SMALL SLOPE FROM YLD PT, EPSILCN STRAIN HARDENING,
      COMMENT - SLOPE STRAIN HARDENING, ULTIMATE STRESS, ALPHA AND BETA FACTORS

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COMMENT - (FOR MILD STEEL )
COMMENT - IF IT IS NOT MILD STEEL THEN THESE VALUES HAVE BEEN
COMMENT - PROPERLY ASSIGNED IN SUBROUTINE SECUR.
      SMALL = SMLSLF(NSSLT) * SMSCL / EMSCL
      EPSHD = EPSHD(NSSLT) * EMSCL
      SLHD = SLOPHD(NSSLT) * SMSCL
      SULT = SIGULT(NSSLT) * SMSCL / EMSCL
      ALP = ALP(NSSLT)
      BET = BETA(NSSLT)
2590 GO TO 3910
      CONTINUE
      DO 2600 K = 1,NPTST
        EPSTS(K) = EPSL(J,K) + ZMUL*DEPSL(J,K)
        SIGTS(K) = SIGL(J,K) + ZMUL*DSIGL(J,K)
        IF (IPTS(J) - 1) GO TO 2650
      DO 2610 K = 1,NPTST
        EPST(K) = EPSTS(K)
        SIGT(K) = SIGTS(K)
      CONTINUE
      ISSTT = 0
      NPT = NPTST
2650 GO TO 2700
      EPST(NPTST) = EPSTS(1)
      SIGT(NPTST) = SIGTS(1)
      DO 2675 K = 2,NPTST
        KR = K + NPTST - 1
        KL = KR - 2*(K - 1)
        EPST(KR) = EPST(KL)
        EPST(KL) = -EPST(KR)
        SIGT(KR) = SIGT(KL)
        SIGT(KL) = -SIGT(KR)
      NPT = (NPTST) - 1
      ISSTT = 1
2700 CONTINUE
COMMENT - SUBDIVIDE PIPE PIECE INTO TEN EQUIVALENT RECTANGLES. (TWENTY
COMMENT - EQUAL RADIAL SEGMENTS WITH SEGMENTS IN OPPOSITE SIDES OF Y
COMMENT - AXIS COMBINED)
      NPP = 10
COMMENT - IF (IRECT(NALT,J).EQ.1) NPP = 10
      DO FOR EACH RECTANGLE IN PIECE
        IF (NPP.EQ.1) CALL PIPE (B,DP,Y,IP,NPP)
COMMENT - CALL PABEJR TO COMPUTE AXIAL THRUST, BENDING MOMENT AND
COMMENT - STIFFNESS TERMS FOR ONE RECTANGLE AT LOCATION OF FIRST
COMMENT - DISCRETE SPRING IN ELEMENT
      CALL PABEJR (T,BM,EA,ET,AEY,ISSTT,NPT,Y,B,DP,EP,CUR1,IR,IE,
      2 SH,GA,EPS,ELEMT,SHCOEF,G)
COMMENT - ACCUMULATE VALUES FOR ALL RECTANGLES
      BM1 = BM1 + BM
      EI1 = EI1 + EI
      AEY1 = AEY1 + AEY
      AE1 = AE1 + EA
      ET1 = ET1 + T
COMMENT - CALL PABEJR TO COMPUTE AXIAL THRUST, BENDING MOMENT AND
COMMENT - STIFFNESS TERMS FOR ONE RECTANGLE AT LOCATION OF SECOND
COMMENT - DISCRETE SPRING IN ELEMENT
      2 CALL PABEJR (T,BM,EA,ET,AEY,ISSTT,NPT,Y,B,DP,EP,CUR2,IR,IE,
      2 SH,GA,EPS,ELEMT,SHCOEF,G)
COMMENT - ACCUMULATE VALUES FOR ALL RECTANGLES
      BM2 = BM2 + BM
      EI2 = EI2 + EI
      AEY2 = AEY2 + AEY
      AE2 = AE2 + EA
      ET2 = ET2 + T
3900 CONTINUE
      GO TO 4000
3910 CONTINUE
COMMENT - INITIALISE THE FOLLOWING ADDITIONAL TERMS USED IN THE
COMMENT - INELASTIC CASE
      DO 3915 I = 1,2
        ITHEM = 0.0
        BTHEM(I) = 0.0
        AETHEM(I) = 0.0
        ETHEM(I) = 0.0
        STHEM(I) = 0.0
        BMTHEM(I) = 0.0
        AETHEM(I) = 0.0
        ESTHEM(I) = 0.0
3915 CONTINUE
COMMENT - DO FOR EACH OF THE EQUALLY SUBDIVIDED RECTANGULAR PIECES
COMMENT - OF THE SINGLE INPUT J IN RECTANGLE (OR PIPE IF APPLICABLE)
      NJ = NDI(NALT,J)
      DO 3950 IJ = 1,NJ
        ICDHU = ICDHU + 1
        IF (IRECT(NALT,J).EQ.1) GO TO 3920
COMMENT - SUBDIVIDE THE JTH PIECE AND SUPPLY B,DP,Y FOR EACH SUB-PIECE
      ALJ = IJ.NE.1) GO TO 3918
      NJ = NJ
      DDG = DP / ANJ
      YC1 = Y / ANJ
      DP = DDG + DP * 0.5 - DDG * 0.5

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3918 Y = YC1 - (AIJ - 1.0) * DF
GO TO 3930
3920 CALL PIPE (B, DP, Y, IJ, NJ)
3930 CONTINUE
COMMENT - IF ALPHA=BETA=0, GO TO HAVING SUBROUTINE
      IF (ALPHA(NSSLT)+BETA(NSSLT) .LT. 1.0D-10) GO TO 3935
C
COMMENT - IF ALPHA=0, BETA=0 OR ALPHA*BETA#0, GO TO DEGRADATION CUM
COMMENT - YIELD GROWTH MODEL.
C
      CALL DEGRW (SIGHIS,STPHIS,Y,EP,CUR1,CUR2,TR,IF,
      2          SIGCOM,EPSCOM,NPTSA1,ICUMU,1,SLPHAI,
      3          SHALL,SPHD,SLHD,SULT,ALP,BET)
3935 CONTINUE
      GO TO 3938
C
COMMENT - SUBROUTINE HAVING EVALUATES THE HISTORY DEPENDENT
COMMENT - STRESS AND STIFFNESS FOR THE SUB-PIECE AT THE LOCATION
COMMENT - OF BOTH THE RINGES 1&2, ACCORDING TO HAVING PATH
C
      CALL HAVING (SIGHIS,STPHIS,Y,EP,CUR1,CUR2,TR,IF,
      2          SIGCOM,EPSCOM,NPTSA1,ICUMU,1,SLPHAI)
3938 CONTINUE
DO 3940 L = 1,2
      BTMP (L) = BTMP (L) + SIGHIS (L)
      BHTMP (L) = BHTMP (L) + SIGHIS (L) * Y
      AETMP (L) = AETMP (L) + STPHIS (L)
      EITMP (L) = EITMP (L) + STPHIS (L) * Y * Y
3940 CONTINUE
3950 CONTINUE
      BDP = B * DP
DO 3960 L = 1,2
      TTEM (L) = TTEM (L) + BTMP (L) * BDP
      BHTEM (L) = BHTMP (L) + BHTMP (L) * (-BDP)
      AETEM (L) = AETEM (L) + AETMP (L) * BDP
      EITEM (L) = EITEM (L) + EITMP (L) * BDP
3960 CONTINUE
      T1 = T1 + TTEM (1)
      SM1 = SM1 + BHTEM (1)
      AE1 = AE1 + AETEM (1)
      AEY1 = AEY1 + AETEM (1)
      T2 = T2 + TTEM (2)
      SM2 = SM2 + BHTEM (2)
      AE2 = AE2 + AETEM (2)
      AEY2 = AEY2 + AETEM (2)
      EI2 = EI2 + EITEM (2)
4000 CONTINUE
COMMENT - COMPUTE AVERAGE THRUST AND AXIAL STIFFNESS FOR ELEMENT
      T = 0.5*(T1 + T2)
      AE (1) = 0.5*(AE1 + AE2)
COMMENT - COMPUTE INCREMENTAL FORCE DEFORMATION MATRIX FOR ELEMENT
      D(1,1) = AE(1)/TH
      D(1,3) = EI2/TH
      D(3,1) = D(1,3)
      D(3,3) = D(1,1)/TH
      D(1,3) = -AEY1/TH
      D(3,1) = -AEY2/TH
      D(3,3) = D(1,3)
4100 CONTINUE
COMMENT - STORE T1 CF THE FIRST NONLINEAR ELEMENT AND T2 OF THE LAST
COMMENT - NONLINEAR ELEMENT, FOR USE LATER IN SUBROUTINE PRINT9,
COMMENT - WHERE THE HISTORIS OF MONITOR MEMBERS ARE RECORDED
COMMENT - (HOWEVER FOR LINEAR MEMBERS AND MEMBERS WITH FIN END(S),
COMMENT - STORE ONLY T1 CF BOTH THE FIRST AND LAST ELEMENTS, OR AS,
COMMENT - APPLICABLE, FOR THE FIN END(S))
COMMENT - DO THIS ONLY FOR THE FINAL SOLUTION OF THE MEMBER
      IF (NTR(JJ).NE.NMTH * 2) GO TO 4300
      IF (INLGET.EG.1) GO TO 4150
      IF (.NE.NMTH * 2) GO TO 4120
      TTSLP = TT GO TO 4120
      GO TO 4300
4120 CONTINUE
      IF (I.NE.NP1) GO TO 4300
      GO TO TTSLP = IT
4150 CONTINUE
      IF (IPNL(ISTT).NE.1) GO TO 4160
      IF (TTSLP.EG.1) GO TO 4200
      TTSLP = 1
4160 CONTINUE
      IF (I.NE.NLE * 1) GO TO 4200
      GO TO TTSLP = T1
4200 CONTINUE
      IF (IPNL(ISTT).NE.1) GO TO 4300
      IF (I.NE.NP1) GO TO 4300
      GO TO TTSLP = IT
4260 CONTINUE
      IF (I.NE.NRE - 1) GO TO 4300
      GO TO TTSLP = T2
4300 CONTINUE

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RETURN
END

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***** SUBROUTINE *****
SUBROUTINE PIPE (B,DP,Y,IP,NPP)
COMMENT - SUBROUTINE PIPE IS CALLED NPP TIMES BY SUBROUTINE FABREV FOR
COMMENT - THIN WALLED PIPE PIECES- EACH TIME SUBROUTINE PIPE FURNISHES
COMMENT - THE DEPTH AND THE WIDTH OF A RECTANGLE WHICH IS EQUIVALENT TO
COMMENT - TWO RADIAL SEGMENTS OF THE PIPE PIECE
IMPLICIT REAL*8 (A-H,O-Z)
DOUBLE PRECISION DARCOS,DSIN,DCOS
IF (NPP .EQ. 1) GO TO 10
  SA = U.5*(B - DP)
  TC = Y
  YC = Y
  DTE = DARCOS (-1.0D+00)/NPP
  ZIP = IP
  ZLP = ZIP - 0.5
  TE = DPEZZIP
  DP = SA*DSIN(TE)*DTE
  B = ZLP*DSIN(TE)
  Y = YC + SA*DCOS(TE)
RETURN
END

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***** SUBROUTINE *****
SUBROUTINE PAEJR (T,BM,EA,EI,AEV,ISSTT,NPT,Y,B,DP,EP,CUR,IR,IE,
  SH,GA,EPS,ELEMT,SXCCEP,G,T,DP,EP,CUR,IR,IE,
  COMMENT - SUBROUTINE PAEJR SUBDIVIDES THE INPUT RECTANGLES INTO
  COMMENT - SUB-RECTANGLES OF WHICH A LINEAR STRESS-STRAIN
  COMMENT - CURVE OVER IT, FOR THE NUMERICAL INTEGRATION OF THE
  COMMENT - STRESS-STRAIN CURVE TO FIND AXIAL THRUST T, BENDING MOMENT M,
  COMMENT - AXIAL STIFFNESS EA, BENDING STIFFNESS EI, AND AXIAL BENDING
  COMMENT - STIFFNESS AEV
IMPLICIT REAL*8 (A-H,O-Z)
DIMENSION DA(12),DT(12),SIGT(11),SIGB(11),EPSTS(11),SIGTS(11)
COMMON /BLOC/EPST(12),EPSA(12),YY(22),EPC(22)
COMMON /BLK7/INLOPI,IRAE,KOFFJ,KOFFQ,KOFFSE
DATASEAR/SHSEAR/
COMMENT - COMPUTE STRAIN AND Y DISTANCES FOR TOP AND BOTTOM OF INPUT
COMMENT - RECTANGLE
  YB = Y - 0.5*DP
  YT = YB + DP
  EPT = EP - YB*CUR
  EBT = EP - YT*CUR
  B = 1.0
  COMMENT - IF (EPT .LE. EBT) GO TO 100
  REVERSE FOR POSITIVE CURVATURE
  EI = EBTB
  EBT = EPT
  YTT = YT
  YB = YB
  R = -1.0
  100 CONTINUE
  COMMENT - FIND FIRST POINT ON STRESS-STRAIN CURVE ON OR BELOW RECTANGLE
  DO 200 K = 1,NPT
    IF (EPB - GE. EPST(K)) GO TO 200
    NN1 = K - 1
    GO TO 300
  200 CONTINUE
  NN1 = NPT
  300 CONTINUE
  NN2 = NN1 + 1
  COMMENT - IF (NN2 .GT. NPT) GO TO 410
  FIND FIRST POINT ABOVE RECTANGLE
  DO 400 K = NN2,NPT
    IF (EPT - GE. EPST(K)) GO TO 400
    NN2 = K
    GO TO 500
  400 CONTINUE
  500 CONTINUE
  NN2 = NPT + 1
  COMMENT - COMPUTE NUMBER OF SUBRECTANGLES
  NN3 = NN2 - NN1
  COMMENT - NETT POINTS USED TO ENTER STRESS STRAIN CURVE
  NPTT = NN2
  COMMENT - SYMMETRICAL CURVE USE ONLY POSITIVE BRANCH
  IF (ISSTT .EQ. 1) NPTT = (NPT + 1)/2
  COMMENT - ZERO THRUST, BENDING MOMENT AND STIFFNESS TERMS
  T = 0.0
  BM = 0.0
  EA = 0.0
  AEV = 0.0
  DT = 0.0
  IF (NN3 .NE. 1) GO TO 1200
  COMMENT - CALCULATE PROPERTIES FOR WHOLE RECTANGLE
  DA(1) = B*DP
  DI(1) = B*DP**3/12.

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      YY(1) = Y
      GO TO 4000
COMMENT - CALCULATE PROPERTIES FOR FIRST RECTANGLE
1200 DD = -R*(EPST(NNP) - EPB)/CURE
      DA(1) = B*DD
      DI(1) = B*DD**3/12.
      YI(1) = YB + 0.5*DD*E
      EPC(1) = (EPB + EPST(NNP))*0.5
      YTT = YE + DD*E
      COMMENT - CALCULATE PROPERTIES FOR LAST SUBRECTANGLE
      DD = -R*(EPT - EPST(NN2 - 1))/CURE
      DA(NN3) = B*DD
      DI(NN3) = B*DD**3/12.
      YI(NN3) = YT + 0.5*DD*E
      EPC(NN3) = (EPT + EPST(NN2 - 1))*0.5
      IF (NN3 - EQ, 2) GO TO 4000
      NN4 = NN3 - 1
      K = NN1
      DO 3000 N = 2, NN4
      COMMENT - CALCULATE PROPERTIES FOR REMAINING SUBRECTANGLES
      DD = -R*(EPST(K + 1) - EPST(K))/CURE
      DI(N) = B*DD
      YI(N) = YT + 0.5*DD*E
      EPC(N) = 0.5*(EPST(K + 1) + EPST(K))
      YTT = YTT + DD*E
      CONTINUE
      CURE = YTT
COMMENT - DO FOR EACH SUBRECTANGLE
      DO 5000 N = 1, NN3
      EPT = EPC(N)
      COMMENT - ZERO STRAIN USED TO ENTER CURVE WITH FOR RIGID OR LINEAR
      COMMENT - ELEMENT
      IF (IN, EQ, 1) OR (IE, EQ, 1) EPT = 0.0
      COMMENT - CALCULATE AND ACCUMULATE SLOPE OF STRESS-STRAIN CURVE
      COMMENT - AND STRESS AT CENTER OF SUBRECTANGLE SIGMA
      CALL CURVE (SIGTS, EPSTS, EPT, NPTT, ISSTT, SIG, S2, KOFFSEC)
      COMMENT - E = 10 FOR RIGID ELEMENT
      IF (IE, EQ, 1) E = 10.*E
      IF (IN, EQ, 1) E = 10.*E
      DT = SIG*DA(N)
      DAE = E*DA(N)
      ET = ET + DAE
      DT = DT + E*(DI(N) + DA(N)*YI(N)**2)
      AEY = AEY + DAE*YI(N)
      T = T + DT
      BN = BN + DI(N)*E*CUR - DT*YI(N)
5000 CONTINUE
      IF (ELEMENT, NE, SHEAR) GO TO 9000
COMMENT - LINEAR STRESS-STRAIN CURVE IS ASSUMED FOR SHEAR
      GA = GA*EPS
      SH = GA*EPS
9000 CONTINUE
      RETURN
      END
***** SUBROUTINE *****
SUBROUTINE CURVE, WJ, EJC, NPT, EISE, QJ, S2, KOFFC)
      COMMENT - TO FIND THE STRESS CORRESPONDING TO THE STRAIN WJ AND
      COMMENT - LINE NEGATIVE OF THE SLOPE OF THE CURVE S2 BETWEEN ADJACENT
      COMMENT - POINTS. IF WJ IS 1.0, THE CURVE KOFFC IS SET
      COMMENT - EQUAL TO 1. IF WJ IS EXACTLY CN A POINT, THE SLOPE OF THE
      COMMENT - SEGMENT TO SUPPORT EPT (DECREASING DEFORMATION) IS USED
      COMMENT - FOR POINT TO POINT CURVE. REPORT CURVE IS SEPARATE
      COMMENT - SUBROUTINE HAVE BEEN WRITTEN TO ACCOUNT FOR THE ELASTIC
      COMMENT - (HISTORY DEPENDENT) BEHAVIOR.
      COMMENT - A SPECIAL ANALYSIS IS SETTLED TO PERFORM A SIMILAR
      COMMENT - HISTORY DEPENDENT ANALYSIS OF STRESS-STRAIN CURVE,
      COMMENT - BUT WITH SOME LIMITATIONS FOR THE PRESENT
      DIMENSION O(11), A(-4, 0)
      NEG = 0.
      IF (CURE, EQ, 1) AND (WJ, LT, 0.0) GO TO 2100
      IF (CURE, EQ, 2)
      WJ = -WJ
      CONTINUE
      DO 3040 NE = 2, NPT
      IF (WJ, LE, WJ(NP)) GO 3045, 3055, 3040
      CONTINUE
      NP = NPT
      GO TO 3050
      IF (WJ, EQ, 1) 3050, 3055, 3055
      NP = NP - 1
      S2 = -WJ(NP + 1) - WJ(NP) / (WJ(NP + 1) - WJ(NP))
      IF (NEG, EQ, 0) GO TO 4300
      IF (NEG, LT, 0) GO TO 4300

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[illegible]

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      SO = SLOPE * STRAIN
      SLBFR = SLOPE
      IF ( STRAIN - LT. 0.0 ) GO TO 315
      EPBFR = EPSCOM(K)
      GO TO 317
315  CONTINUE
317  CONTINUE
      EPEFR = -EPSCOM(K)
      IF ( IFAE - EQ. 1 ) GO TO 484
      IF ( K - NE. 1 ) GO TO 484
      NRGICN(I,L,ICURU) = 0
      GO TO 484
320  CONTINUE
      STRAIN = EPBFR * LT. 1.0D-15 ) GO TO 405
      REGIONS OF POSITIVE VELOCITY
      IF ( NCHECK - NE. 1 ) GO TO 331
      IF ( K - NE. 1 ) GO TO 331
      IF ( NRGICN(I,L,ICURU) - NE. -1 ) GO TO 331
      IRV(I,L,ICURU) = 1
      GO TO 1400
331  CONTINUE
      IF ( STRAIN - LT. ER ) GC TO 396
      REGIONS 8, 9, 2 AND THEIR PRIMED EQUIVALENTS
      IF ( EPEFR - LT. ER ) GC TO 350
      REGION 8 FOLLOWS FROM REGION 7, SO ESTABLISH REGION 8
      IF ( BET - LT. 1.0D-15 ) GC TO 346
      GROWTH IN THE YIELD STRESS LEVEL IS EFFECTIVE NOW (NEXT 10 ST)
      IF ( TEMP9 - EPSCOM(K) ) GC TO 340
      IF ( TEMP9 - LT. EPSCOM(K) ) GC TO 340
      YGR = SIGCOM(K)
      GO TO 348
340  IF ( TEMP9 + TEMP9.GT.0.0 ) GC TO 343
      YGR = SIGCOM(K) + BET * SLOPE * TEMP9 * TEMP9
      GO TO 344
343  YGR = SIGCOM(K) + BET * SLOPE * TEMP9 * TEMP9
344  IF ( YGR - LE. SULT ) GC TO 346
      E = SIGCOM(K) / ( EPSCOM(K) + ALP * (TEMP9 - EPSCOM(K)) )
      SO = EO * ( STRAIN - ER )
      GO TO 356
      REGION 9 OR 2 FOLLOWS 3' (OR 2 FOLLOWS 3). USE STORED VALUE
350  EO = SLBFR
      SO = SLOPE * (EPEFR - ER) + SLBFR * ( STRAIN - EPBFR )
      YTC = YGR
      IF ( DABS (SLBFR - SMALL) - LT. 1.0D-15 ) GO TO 380
      CONTINUE
356  CHECK IF OVERFLOW INTO REGION 9 ?
      IF ( SO - LE. SIGCOM(K) ) GC TO 380
      ESTABLISH REGION 9
      IF ( ZO - LT. 1.0D-15 ) GC TO 364
      Z = STRAIN - ( SO - SIGCOM(K) ) / EO
      IF ( DABS(TEMP9 - Z) - LE. 1.0D-15 ) GO TO 364
      EO = ( YGR - SIGCOM(K) ) * (TEMP9 - Z)
      SO = SIGCOM(K) + EO * ( STRAIN - Z )
364  CONTINUE
      CHECK IF OVERFLOW INTO REGION 2 ?
      IF ( SO - LT. YTC ) GC TO 380
      ESTABLISH REGION 2
      SO = YTC + SMALL * ( STRAIN - TEMP9 )
      EO = SMALL
      CHECK IF MONOTONIC EXCURSION INTO +VE STRAIN HARDENING ?
      IF ( YTC - GT. SIGCOM(K) ) GC TO 387
      IF ( STRAIN - LT. EPBFR ) GC TO 387
      FOLLOW +VE BRANCH OF VIRGIN STRAIN HARDENING
      EO = SIGCOM(K) + SMALL * ( EPBFR - EPSCOM(K) )
      IF ( SO - LT. SULT ) GC TO 390
      SO = SULT
      EO = 0.0
390  EPEFR = STRAIN
      SLBFR = EO
      IF ( IFAE - EQ. 1 ) GO TO 484
      IF ( K - NE. 1 ) GO TO 484
      NRGICN(I,L,ICURU) = +1
      GO TO 484
396  ELASTIC REGION 7 ( OR 7' )
      EO = SLOPE
      SO = SLOPE * ( STRAIN - ER )
      EPEFR = EPEFR
      SLBFR = SLBFR
      YTC = YGR
      IF ( IFAE - EQ. 1 ) GO TO 484
      IF ( K - NE. 1 ) GO TO 484
      NRGICN(I,L,ICURU) = 0
      GO TO 484
405  CONTINUE
      REGIONS OF NEGATIVE VELOCITY
      IF ( NCHECK - NE. 1 ) GC TO 411
      IF ( K - NE. 1 ) GC TO 411
      IF ( NRGICN(I,L,ICURU) - NE. +1 ) GC TO 411
      IRV(I,L,ICURU) = 1
      GO TO 1400
411  CONTINUE
      IF ( ER - LT. STRAIN ) GC TO 476

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C      REGIONS 4, 5, 6 AND THEIR PRIMED EQUIVALENTS                                08369
C      EPRFR = EPRFR FROM 3 - GO TO 430                                         08370
C      REGION 4 FOLLOWS FROM 3 - GO TO 430                                     08371
C      IF ( BET .LT. 1.0D-15 ) GO TO 426                                         08372
C      GROWTH IN THE YIELD STRESS LEVEL IS EFFECTIVE NOW (NEXT 10 ST) 08373*90
C      IF ( TEMPO .LT. EPSCOM(K) ) GO TO 420                                     08374
C      IF ( YGR = SIGCOM(K) ) GO TO 420                                           08375
C      GO TO 426                                                                   08376
C      IF ( TEMPO+TEMPO .GT. 0.0 ) GO TO 423                                     08377
C      YGR = SIGCOM(K) + BET * SLOPE * TEMPO * TEMPO                             08378
C      GO TO 424                                                                   08379
C      YGR = SIGCOM(K) + BET * SLOPE * TEMPO * TEMPO                             08380
C      IF ( YGR .LE. SULT ) GO TO 426                                             08381
C      YGR = SULT                                                                  08382
C      SO = SIGCOM(K) / ( EPSCOM(K) + ALP * ( ER - EPSCOM(K) - TEMPO ) )          08383
C      SO = EO * ( STRAIN - ER )                                                  08384
C      GO TO 436                                                                   08385
C      REGION 4, 5 OR 6 FOLLOWS 7* (OR 6 FOLLOWS 7). USE STORED VALUES 08386*90
C      SO = -(SLOPE*(ER-EPRFR) + SLBFR*(EPRFR-STRAIN))                          08387
C      YGR = YGR - SLOPE * ( STRAIN - ER )                                       08388
C      IF ( DABS(SLBFR-SMALL) .LT. 1.0D-15 ) GO TO 460                         08389
C      IF ( SLBFR .LT. 1.0D-15 ) GO TO 460                                       08390
C      CONTINUE                                                                    08391
C      CHECK IF OVERFLOW INTO REGION 5 ?                                         08392
C      IF ( SO .GE. -SIGCOM(K) ) GO TO 460                                       08393
C      ESTABLISH REGION 5                                                         08394
C      IF ( EO .LE. 1.0D-15 ) GO TO 444                                         08395
C      Z = STRAIN - SO + SIGCOM(K) / EO                                           08396
C      IF ( DABS(TEMPO-Z) .LE. 1.0D-15 ) GO TO 444                             08397
C      SO = ( YGR - SIGCOM(K) ) / ( Z - TEMPO )                                08398
C      SO = -SIGCOM(K) + EO * ( STRAIN - Z )                                     08399
C      CONTINUE                                                                    08400
C      CHECK IF OVERFLOW INTO REGION 6 ?                                         08401
C      IF ( SO .GT. -YGR ) GO TO 460                                             08402
C      ESTABLISH REGION 6                                                         08403
C      SO = -YGR + SMALL * ( STRAIN - TEMPO )                                    08404
C      CHECK IF MONOTONIC EXCURSION INTO -VE STRAIN HARDENING ?                08405
C      IF ( YGR .GT. SIGCOM(K) ) GO TO 467                                       08406
C      FOLLOW -VE BRANCH OF VIRGIN STRAIN HARDENING                             08407
C      EO = SLHD                                                                    08408
C      SO = -SIGCOM(K) - SMALL * ( EPHD - EPSCOM(K) )                          08409
C      IF ( SO .GT. -SULT ) GO TO 470                                           08410
C      SO = -SULT                                                                  08411
C      EO = 0.0                                                                    08412
C      SLBFR = STRAIN                                                             08413
C      SLBFR = EO                                                                  08414
C      IF ( IFAR .EQ. 1 ) GO TO 484                                              08415
C      IF ( NRGICN(I,L,ICUHU) = 0 ) GO TO 484                                  08416
C      GO TO 484                                                                    08417
C      ELASTIC REGION 3 ( OR 3* )                                                 08418
C      EO = SLOPE                                                                  08419
C      SO = SLOPE * ( STRAIN - ER )                                               08420
C      EPRFR = EPRFR                                                              08421
C      YGR = YGR                                                                  08422
C      IF ( IFAR .EQ. 1 ) GO TO 484                                              08423
C      IF ( NRGICN(I,L,ICUHU) = 0 ) GO TO 484                                  08424
C      SET THE VALUE OF THE TEMPORARY RESIDUAL STRAIN .                         08425
C      IF ( IFAR = STRAIN ) GO TO SLOPE                                         08426
C      IF ( K .NE. 1 ) GO TO 500                                                 08427
C      IF ( DABS(EU-SLOPE) .GT. 1.0D-05 ) GO TO 500                             08428
C      CONTINUE                                                                    08429
C      STRESS = STRESS + SO                                                       08430
C      STIFF = STIFF + EO                                                         08431
C      CONTINUE                                                                    08432
C      IF ( K .NE. 1 ) GO TO 1100                                                08433
C      IF ( MODEL(IST) .NE. 2 ) GO TO 650                                       08434
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08435
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08436
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08437
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08438
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08439
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08440
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08441
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08442
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08443
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08444
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08445
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08446
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08447
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08448
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08449
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08450
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08451
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08452
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08453
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08454
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08455
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08456
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08457
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08458
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08459
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08460
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08461
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08462
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08463
C      YGR = YGR + SLOPE * ( STRAIN - ER )                                       08464

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1210 IF ( ITYPE .GE. 3 ) GO TO 1210 0844
    IF ( IFAE .EQ. 1 ) GO TO 1220 0845
    IF ( IFAE .EQ. 2 ) AND. NITERH(JJ) .EQ. 1 ) GO TO 1220 0846
    GO TO 1250 0847
    CONTINUE 0848
    IF ( IRDYN .EQ. 1 ) GO TO 1220 0849
    IF ( IESTEST .EQ. 1 .AND. HIFF .EQ. 1 .AND. NITERH(JJ) .EQ. 1 ) GO TO 1220 0850
    GO TO 1230 0851
1220 CONTINUE 0852
    IF ( IRV(I,L,ICUMU) .EQ. 0 ) GO TO 1250 0853
    IF ( STIFF = SLFHAI ) 0854
    IF ( ITYPE .LE. 2 ) GO TO 1240 0855
    IF ( IRDYN .EQ. 1 ) GO TO 1230 0856
    IF ( IESTEST .EQ. 1 .AND. HIFF .EQ. 1 .AND. NITERH(JJ) .EQ. 1 ) 0857
    IF ( IRV(I,L,ICUMU) = 0 ) 0858
    GO TO 1250 0859
    CONTINUE 0860
1240 IF ( IFAE .EQ. 0 ) IRV(I,L,ICUMU) = 0 0861
    CONTINUE 0862
1250 CONTINUE 0863
COMMENT - STIFF = 10 * STIFF FOR RIGID ELEMENT 0864
    IF ( IR .EQ. 1 ) STIFF = 10.0 * STIFF 0865
    IF ( IOR .EQ. 1 .OR. IE .EQ. 1 ) GO TO 1300 0866
    GO TO 1400 0867
1300 CONTINUE 0868
1400 STRESS = STIFF * STRAIN 0869
    CONTINUE 0870
    SIGHS(L) = STRESS 0871
    STPHIS(L) = STIFF 0872
    IF ( IESTEST .EQ. 1 ) FINAL MESSAGE SOLUTION ONLY IF THE 0873
    COMMENT - STRAIN EXCEEDS THE LAST STRAIN ORIGINATE OF VIRGIN CURVE. 0874
    IF ( WITH(JJ) .NE. NNIM+2 ) GO TO 1500 0875
    IF ( IESTEST .EQ. 1 ) GO TO 1500 0876
    IF ( SLHD .EQ. 0 ) GO TO 1500 0877
    STEP = SIGCOM(1) + ( EPHD-ZPSCOM(1) ) * SMALL 0878
    EPUT = ERED 0879
    IF ( DABS(STRAIN) .LT. EPUT - STEP ) GO TO 1500 0880
    PRINT 25 J,I,L,ICUMU,STRAIN,SIGHS(L),STPHIS(L) 0881
    GO TO 1500 0882
1420 CONTINUE 0883
    IF ( DABS(STRAIN) .LT. ZPSCOM(NPTSH) ) GO TO 1500 0884
    PRINT 25 J,I,L,ICUMU,STRAIN,SIGHS(L),STPHIS(L) 0885
1500 CONTINUE 0886
    IF ( IOR .EQ. 1 .OR. IE .EQ. 1 ) GO TO 2000 0887
    IF ( NCHRSZ = N2 ) INVERSE = IRV(I,L,ICUMU) 0888
1600 CONTINUE 0889
    ZPSPE(I,L,ICUMU) = STRAIN 0890
2000 CONTINUE 0891
    RETURN 0892
END 0893

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***** SUBROUTINE *****
C      SUBROUTINE MATPHY(A,M1,N1,B,M2,C)
C      SUBROUTINE MATPHY MULTPLIES A M1XN1 MATRIX A TIMES A N1XN2
C      MATRIX B TO YIELD THE M1XN2 MATRIX C
C      IMPLICIT REAL*8 (A-H,O-Z)
C      DIMENSION A(6,6), B(6,6), C(6,6)
C      DO 25 J = 1, N2
C      C(I,J) = 0
C      DO 25 K = 1, N1
C      C(I,J) = A(I,K)*B(K,J) + C(I,J)
C      END
25 CONTINUE
11
END

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***** SUBROUTINE *****
SUBROUTINE SANGLE (SA,SXT,SYT)
COMMENT - SANGLE COMPUTES THE STIFFNESS MATRIX FOR MEMBER SPRINGS IN
COMMON STRUCTURE DIRECT
IMPLICIT REAL*8 (A-B,D-Z)
DIMENSION SA(3,3)
COMMON /BLK1/ DKS(25), DYS(25), ZLS(25), DC1S(25),
2 DC2S(25), DXP(25), FRAE(25), Q8(25), WM(25),
3 PRAP(25), ELEN(25), IPINR(25), INPLP(25),
4 ILOP(25), IPIRL(25), NSTL(25), USGL(25), NAB(25)
5 WLL(25), NSYR(25), ELENM,NSTL,KEEP3,NCDC3,
6 NSX(25), NSY(25), ELENM,NSTL,KEEP3,NCDC3,
COMMON /BLK1/ TOL, ELENM,NSTL,KEEP3,NCDC3,
7 KEEP3,KEEP3A,KEEP3A,KEEP3A,KEEP3A,
8 NCDC3,NCDC4,NCDC4,NCDC4,NCDC4,NCDC4,
9 NCDC5,NCDC6,NCDC7,IPB,IPB,IPB,IPB,
10 IELAN,IEOR,NB,NUI,NSTL,NSTL,
11 M2,LTT,ITTEL,IJB,NSTL
12 ALS=DC1S(ISTT)*.42
13 BES=DC2S(ISTT)*.42
14 ALBE=DC1S(ISTT)*.42*DC2S(ISTT)
15 SA(1,1)=ALS+SXT
16 SA(1,2)=ALBE*(-SXT+SYT)

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DO 700 J=1,3
      JP3 = J+3
      SERE (I,J,3) = SERE (I,JP3,3)
700 CONTINUE
COMMENT - MULTIPLY ELEMENT STIFFNESS MATRIX TIMES INCREMENTS OF MEMBER
      DISPLACEMENTS AT FIRST STATION INSIDE MEMBERS END
      CALL MAT33 (SERE, MT, FMT)
DO 750 I=1,3
      IP3 = I+3
      FMNI (IP3) = FMNI (IE3) + FMNT (I)
750 CONTINUE
COMMENT - ADD ON INCREMENTAL END-LOADS AND INCREMENTAL SPRING FORCES AT
      END STATIONS
      FMNI (6) = FMNI (6) + ST3*W(3) - QT3
      IF (IAXOPT.EQ.2) GO TO 800
      FMNI (1) = FMNI (1) + ST1*W(1) - QT1
      FMNI (2) = FMNI (2) + ST2*W(2) - QT2
      FMNI (4) = FMNI (4) + ST4*W(4) - QT4
      FMNI (5) = FMNI (5) + ST5*W(5) - QT5
      GO TO 900
COMMENT - MEMBER SPRINGS IN STRUCTURE DIRECTIONS
800 CALL SAMPLE (SA,ST1,ST2)
      SAMPLE (SA,ST1,ST2)
      MAT33 (I,SA,ST1,ST2)
      FMNI (5) = FMNI (5) + FMNT (2) - QT5
      W(1) = W(2)
      W(2) = W(3)
      W(3) = 0.0
      CALL SAMPLE (SA,ST1,ST2)
      CALL SAMPLE (SA,ST1,ST2)
      FMNI (1) = FMNI (1) + FMNT (1) - QT1
      FMNI (2) = FMNI (2) + FMNT (2) - QT2
900 CONTINUE
      RETURN
      END
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      QXLT = QXL(I1)
      QXLT = QXL(I1)
      QXLT = QXL(I1)
1100  GO TO 2110
      QXRT = QXLT
      QXRT = QXLT
      QXRT = QXLT
1110  CONTINUE
      IF (XL.NE. XE) GO TO 2100
COMMENT - CONCENTRATED LOADS CALL CONLD TO DISTRIBUTE CONCENTRATED
COMMENT - LOADS TO ADJACENT STATIONS
      CALL CONLD ( QXLT, XL, QX, L1 )
      CALL CONLD ( QXLT, XL, QX, L1 )
      CALL CONLD ( QXLT, XL, QZ, L1 )
2100  GO TO 2200
      CONTINUE
      I1 = XL/TH + 2.0
      I1 = I1
      I1 = I1*TH - XL - TH
      I2 = XL/TH + 1.0
      I2 = I2
      I2 = I2*TH + TH
      I3 = I2 - I1
      I3 = I3
COMMENT - DISTRIBUTE LOADS CALL LINLD TO DISTRIBUTE LOADS STATIONS
COMMENT - I1 TO I2
      IF (QXLT.EQ. 0.0 .AND. QXRT.EQ. 0.0) GO TO 2150
2150  CALL IF (QXLT.EQ. 0.0 .AND. QXRT.EQ. 0.0) GO TO 2160
      CALL IF (QXLT.EQ. 0.0 .AND. QXRT.EQ. 0.0) GO TO 2160
2160  CALL IF (QXLT.EQ. 0.0 .AND. QXRT.EQ. 0.0) GO TO 2200
      CALL IF (QXLT.EQ. 0.0 .AND. QXRT.EQ. 0.0) GO TO 2200
2200  CONTINUE
9000  IF (I1.LT. NC62T) GO TO 1050
9900  CONTINUE
      RETURN
      END

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***** SUBROUTINE *****
SUBROUTINE MEMSOL RM BC,4 SL(1),L4,L6) 08956774
COMMENT - SUBROUTINE MEMSOL DOES THE ITERATIVE NONLINEAR MEMBER SOLUTION 08956774
COMMON DIMENSION DMS(3),DMS4(3) 08956774
COMMENT - THE JOINT EQUILIBRIUM CHECK TO FIND THE MEMBER-END FORCES FOR 08956774
IMPLICIT REAL*8 (A-H,O-Z) 08960
REAL*8 MEMSDE 08960
REAL*8 JESYS 08960
REAL*8 MEMSDE 08962

REAL*4 DISJT
DIMENSION XH(16,L4), DMX(16) 08963
DIMENSION DC(3,3), DMS(3), DMS4(3) 08963
DIMENSION ALPHA(4) 08966775
COMMON /BLOCK7/ X(25), Y(25), QXX(25), QYY(25), 08968
DXX(25), DYY(25), QXX(25), QYY(25), 08969
QXX(25), QYY(25), QXX(25), QYY(25), 08970
QXX(25), QYY(25), QXX(25), QYY(25), 08971
NSXP(25), NSYP(25), NSXP(25), NSYP(25), 08972
COMMON /BLOCK1/ QVY(25), SVY(25), DVS(25), ERVY(25), 08974770
COMMON /BLOCK2/ DYS(25), DVS(25), DCIS(25), 08975775
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CALL DISCT (NC51T,NCDS1,Z1,1)
2100 GO TO 2400
COMMENT - PRISMATIC MEMBER DISCRETIZE MEMBER STIFFNESS DATA
PRST = PRST(ISTT)
DO 2300 I = 1, NP2
  SX(I) = 0.0
  SY(I) = 0.0
  SZ(I) = 0.0
  SXX(I) = 0.0
  SYY(I) = 0.0
  SZZ(I) = 0.0
  SXY(I) = 0.0
  SYZ(I) = 0.0
  SZX(I) = 0.0
  PRST(I) = PRST(ISTT)
  AG(I) = PRAGT
  AG(I) = 0.0
  PRST(NP2) = 0.0
  AG(NP2) = 0.0
GO TO 2400
COMMENT - PRISMATIC MEMBER DISCRETIZE MEMBER STIFFNESS DATA FOR A
COMMENT - SHEAR MODEL
2300 CONTINUE
IF (ILOPT.EQ.1) GO TO 2500
PRST = PRST(ISTT)
PRST = PRST(ISTT)
PRST = PRST(ISTT)
DO 2300 I = 1, NP2
  SX(I) = 0.0
  SY(I) = 0.0
  SZ(I) = 0.0
  SXX(I) = 0.0
  SYY(I) = 0.0
  SZZ(I) = 0.0
  SXY(I) = 0.0
  SYZ(I) = 0.0
  SZX(I) = 0.0
  PRST(I) = PRST(ISTT)
  AG(I) = PRAGT
  AG(I) = 0.0
  PRST(NP2) = 0.0
  AG(NP2) = 0.0
2300 CONTINUE
2400 CONTINUE
COMMENT - STORE MEMBER - END - RESTRAINTS (LINEAR SPRINGS)
ST1 = SX(I)
ST2 = SY(I)
ST3 = SZ(I)
ST4 = SX(NP1)
ST5 = SY(NP1)
ST6 = SZ(NP1)
CONTINUE
2500 IF (ILOPT.EQ.1) GO TO 2700
IF (NCDLT.EQ.0) GO TO 2700
COMMENT - SET UP MEMBER STIFFNESS MATRIX
COMMENT - SET UP MEMBER STIFFNESS MATRIX
DO 2600 I = 1, NP2
  DC(1,1) = 0.0
  DC(1,2) = 0.0
  DC(1,3) = 0.0
  DC(2,1) = 0.0
  DC(2,2) = 0.0
  DC(2,3) = 0.0
  DC(3,1) = 0.0
  DC(3,2) = 0.0
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  DC(63,3) = 0.0
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  DC(64,3) = 0.0
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  DC(65,3) = 0.0
  DC(66,1) = 0.0
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  DC(70,3) = 0.0
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  DC(73,3) = 0.0
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  DC(75,3) = 0.0
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  DC(76,3) = 0.0
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  DC(77,3) = 0.0
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  DC(78,3) = 0.0
  DC(79,1) = 0.0
  DC(79,2) = 0.0
  DC(79,3) = 0.0
  DC(80,1) = 0.0
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  DC(80,3) = 0.0
  DC(81,1) = 0.0
  DC(81,2) = 0.0
  DC(81,3) = 0.0
  DC(82,1) = 0.0
  DC(82,2) = 0.0
  DC(82,3) = 0.0
  DC(83,1) = 0.0
  DC(83,2) = 0.0
  DC(83,3) = 0.0
  DC(84
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[illegible]

[illegible]


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COMMENT - 2 NO ITERATION OF THE MEMBER ONLY, SO STRAIN REVERSAL CHECK 09491
COMMENT - IS TO BE DONE CORRESPONDING TO THIS CASE, HENCE THE NEXT STATEMENT 09492
GO TO 3504 09493
CONTINUE 09494
3503 09495
CONTINUE 09496
3504 09497
CONTINUE 09498
IF ( KOPFCH = 0 09499
DO 33400 I = 1, MP2 09500
IF ( INDEX = NE, 0 ) GO TO 33500 09501
SX (I) = 1.0 09502
SY (I) = 0.0 09503
SZ (I) = 0.0 09504
SXX (I) = 0.0 09505
SYY (I) = 0.0 09506
SZZ (I) = 0.0 09507
SXY (I) = 0.0 09508
SXZ (I) = 0.0 09509
SYZ (I) = 0.0 09510
33400 CONTINUE 09511
GO TO 33800 09512
33500 CONTINUE 09513
IF ( INDEX = NE, 1 ) GO TO 33700 09514
DO 33600 I = 2, MP1 09515
DO 33600 J = 1, 10 09516
IF ( I = 1 ) THEN 09517
WRITE (I, J) = WRITE (I, J) 09518
ELSE 09519
WRITE (I, J) = WRITE (I, J) 09520
33600 CONTINUE 09521
33700 CONTINUE 09522
CALL NLSS ( L1, JJ ) 09523
33800 CONTINUE 09524
COMMENT - STORE MEMBER - END - RESTRAINTS (NONLINEAR SPRINGS) 09525
STORE 09526
ST1 = SX (I) 09527
ST2 = SY (I) 09528
ST3 = SZ (I) 09529
ST4 = SXX (I) 09530
ST5 = SYY (I) 09531
ST6 = SZZ (I) 09532
ST7 = SXY (I) 09533
ST8 = SXZ (I) 09534
ST9 = SYZ (I) 09535
3505 CONTINUE 09536
IF ( IRDYN = EQ, 1 ) GO TO 3515 09537
COMMENT - SET MEMBER END RESTRAINTS EQUAL TO 1.0E20 FOR MEMBER SOLUTION 09538
SET 09539
SXX (I) = 1.0E20 09540
SYY (I) = 1.0E20 09541
SZZ (I) = 1.0E20 09542
SXY (I) = 1.0E20 09543
SXZ (I) = 1.0E20 09544
SYZ (I) = 1.0E20 09545
COMMENT - ZERO MEMBER END ROTATIONAL RESTRAINTS 09546
IF ( IPINRT = EQ, 1 ) S11 = 0.0 09547
IF ( IPINRT = EQ, 1 ) SZ (I) = 0.0 09548
COMMENT - ZERO INTERIOR STATION EQUILIBRIUM ERRORS 09549
DO 3510 I = 2, MP1 09550
DO 3510 J = 1, 10 09551
ERR1 (I) = 0.0 09552
ERR2 (I) = 0.0 09553
ERR3 (I) = 0.0 09554
3510 CONTINUE 09555
3515 09556
NITH (JJ) = NITH (JJ) + 1 09557
NITH = NITH (JJ) - 1 09558
IF ( KOPFCH = 0 09559
IF ( INDEX = NE, -1 ) GO TO 3519 09560
IF ( INDEX = NE, 1 ) GO TO 3519 09561
IF ( INDEX = EQ, SHEAR ) GO TO 3515 09562
DO 3515 I = 1, MP2 09563
DO 3515 J = 1, MNPCS 09564
DO 3515 K = 1, NSSIM1 09565
ERR15 (I, J, K) = EPRT15 (I, J, K) 09566
ERR25 (I, J, K) = EPRT25 (I, J, K) 09567
3516 CONTINUE 09568
IF ( MODEL = EQ, 0 ) GO TO 3519 09569
DO 3516 I = 2, MP1 09570
DO 3517 J = 1, MNPCS 09571
DO 3517 K = 1, NSSIM1 09572
ERR1 (I, J, K) = EPRT1 (I, J, K) 09573
ERR2 (I, J, K) = EPRT2 (I, J, K) 09574
ERR3 (I, J, K) = EPRT3 (I, J, K) 09575
ERR4 (I, J, K) = EPRT4 (I, J, K) 09576
ERR5 (I, J, K) = EPRT5 (I, J, K) 09577
3517 CONTINUE 09578
GO TO 35172 09579
35151 CONTINUE 09580
DO 35151 I = 2, MP1 09581
DO 35151 J = 1, MNPCS 09582
DO 35151 K = 1, NSSIM1 09583
ERR15 (I, J, K) = EPRT15 (I, J, K) 09584
35151 CONTINUE 09585
IF ( MODEL = EQ, 0 ) GO TO 3519 09586
DO 35171 I = 2, MP1 09587
DO 35171 J = 1, MNPCS 09588
DO 35171 K = 1, NSSIM1 09589
ERR1 (I, J, K) = EPRT1 (I, J, K) 09590
ERR2 (I, J, K) = EPRT2 (I, J, K) 09591
35171 CONTINUE 09592
35172 CONTINUE 09593
DO 3518 I = 2, ME1 09594
DO 3518 J = 1, NNRINGE 09595
DO 3518 K = 1, MNPCS 09596
IF ( RESSPR (I, L, J) = RESSPR (I, L, J) ) .GT. EPSMAX (I, L, J) ) 09597
IF ( RESSPR (I, L, J) = RESSPR (I, L, J) ) .LT. EPSMIN (I, L, J) ) 09598
2 09599

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2      EPSMIN(I,L,J) = EPSPRE(I,L,J)
      IF ( MODEL(I,NE,2) ) GO TO 3518
      YGROW(I,L,J) = YIGROW(I,L,J)
3518  CONTINUE
3519  CONTINUE
COMMENT - DO FOR EACH ELEMENT
      DO 3600 I = 2, MP1
      IM1 = I - 1
      COMMENT - COMPUTE FORCES ON ENDS OF DISCRETE ELEMENT
      COMMENT - IF IT IS NECESSARY TO REVERSE THE END ONLY DURING THE 2ND ITERATION
      COMMENT - OF THE MEMBER NITM(JJ) = NITERM(JJ) = 2, THE ELEMENTS FEEL
      COMMENT - THE EFFECT OF UPDATED JOINT DISPLACEMENTS OF THE MEMBER ENDS
      CALL 1 VIT, VIT, DZ(I,1), DZ(I,2), DZ(I,3), DZ(I,4), DZ(I,5), DZ(I,6),
      COMMENT - STORE END FORCES OF END ELEMENTS ONLY, FOR USE LATER IN MEMEND
      IF ( NE, 2 ) GO TO 3520
      ENDFOR(JJ,1) = 0
      ENDFOR(JJ,2) = 0
      ENDFOR(JJ,3) = 0
      ENDFOR(JJ,4) = 0
      ENDFOR(JJ,5) = 0
      ENDFOR(JJ,6) = 0
3520  IF ( NE, MP1 ) GO TO 3525
      ENDFOR(JJ,4) = 0
      ENDFOR(JJ,5) = 0
      ENDFOR(JJ,6) = 0
3525  CONTINUE
      IF ( IRDYN.EQ.1 ) GO TO 3600
      IF ( NITM(JJ) .NE. NITERM(JJ) ) GO TO 3530
      V1(I) = VIT
      V2(I) = VIT
      V3(I) = VIT
      V4(I) = VIT
      V5(I) = VIT
      V6(I) = VIT
      GO TO 3600
3530  CONTINUE
COMMENT - IF REVERSAL HAS NOT BEEN SENSED SO FAR ANYWHERE, THEN GO AHEAD
COMMENT - WITH EQUILIBRIUM COMPUTATIONS
      IF ( REVERSED.EQ.0 ) GO TO 3600
      COMMENT - IF REVERSAL HAS BEEN SENSED SOMEWHERE, AT THIS STAGE, THEN
      COMMENT - SKIP EQUILIBRIUM COMPUTATIONS. **** HOWEVER, THE MEMBER
      COMMENT - MUST GO THROUGH THE 2ND ITERATION ON NITM(JJ)=NITERM(JJ)=2
      COMMENT - SO THAT SCANNING AND IDENTIFICATION IS DONE OF THOSE
      COMMENT - SUBRECTANGLES OF THOSE ELEMENTS WHICH HAVE REVERSED. THIS
      COMMENT - ENSURES THE PROPER STIFFNESS MATRIX IS FORMED IN FORNST
      COMMENT - IN THE NEXT FRAME ITERATION
      COMMENT - THE FOLLOWING STATEMENT SERVES THIS PURPOSE
      GO TO 3540
      IF ( NITM(JJ).EQ.1 ) GO TO 3540
      CONTINUE
3540  COMMENT - COMPUTE PARTIAL EQUILIBRIUM ERRORS BY SUMMING FORCES ON
      COMMENT - ADJACENT ELEMENTS
      IF ( I.EQ.1 ) AND ( IPINLT.EQ.1 ) ERZ(1) = W1T
      IF ( I.EQ.2 ) GO TO 3550
      ERX(IM1) = ERX(IM1) + V1T
      ERX(IM1) = ERX(IM1) + V1T
      ERZ(IM1) = ERZ(IM1) + W1T
      IF ( I.EQ.MP1 ) AND ( IPINRT.EQ.1 ) ERZ(MP1) = W2T
      IF ( I.EQ.MP1 ) GO TO 3600
      ERX(I) = ERX(I) + D2T
      ERX(I) = ERX(I) + V2T
      ERX(I) = ERX(I) + W2T
      ERX(I) = ERX(I) + W2T
3550  CONTINUE
      IF ( IRDYN.EQ.1 ) GO TO 4300
      COMMENT - SKIP FOR FINAL MEMBER SOLUTION
      IF ( NITM(JJ).NE. NITERM(JJ) ) GO TO 4300
      COMMENT - THE COMMENTS REGARDING EQUILIBRIUM CALCULATIONS THAT ARE
      COMMENT - PRESENT INSIDE THE DO 3600 LOOP ABOVE APPLY HERE ALSO.
      IF ( REVERSED.EQ.0 ) GO TO 3700
      IF ( NITERM(JJ).EQ.1 ) GO TO 3700
      GO TO 4475
3700  COMMENT - DO FOR EACH INTERIOR STATION
      DO 3800 I = 2,M
      COMMENT - ADD STATICS HEADS AND STATION RESISTIVE SPRING FORCES TO
      COMMENT - COMPLETE COMPUTATION OF EQUILIBRIUM ERRORS
      IF ( INLOPT.EQ.0 ) SQZ(I) = -SX(I)*DX(I)
      IF ( ERX(I) = QX(I) ) ERX(I) = SQZ(I)
      IF ( INLOPT.EQ.0 ) SQY(I) = -SY(I)*DY(I)
      IF ( ERY(I) = QY(I) ) ERY(I) = SQY(I)
      IF ( INLOPT.EQ.0 ) SQZ(I) = -SZ(I)*DZ(I)
      IF ( ERZ(I) = QZ(I) ) ERZ(I) = SQZ(I)
3800  CONTINUE
      IF ( INLOPT.EQ.0 ) SQZ(1) = -SZ(1)*DZ(1)
      IF ( IPINLT.EQ.0 ) ERZ(1) = QZ(1) + SQZ(1)
      IF ( INLOPT.EQ.0 ) SQZ(MP1) = -SZ(MP1)*DZ(MP1)
      IF ( IPINRT.EQ.0 ) ERZ(MP1) = QZ(MP1) + SQZ(MP1)
      IF ( NITM(JJ).EQ.0 ) GO TO 3815
      IF ( APROB.EQ.1 ) PRINT,OR, APROB.EQ. MEMBER ) GO TO 3801
      GO TO 3802
3801  CONTINUE
      IF ( NITM(JJ).EQ.0 ) GO TO 3815
      COMMENT - PRINT DISPLACEMENTS AND EQUILIBRIUM ERRORS AT FIRST INTERIOR
      COMMENT - STATIONS AND CENTER STATION FOR MONITOR MEMBERS
      PRINT 2, ERZ(1), ERX(2), ERY(2), ERZ(2), ERX(2), ERY(2),
      2 ERZ(2), ERX(2), ERY(2), ERZ(2), ERX(2), ERY(2), ERZ(2),
      3 ERZ(2), ERX(2), ERY(2), ERZ(2), ERX(2), ERY(2), ERZ(2)
3802  CONTINUE

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IF (KOPFEW.EQ. 1) PRINT 58
IF (KOPFSE.EQ. 1) PRINT 55
IF (APROB.EQ. MEMBER) GO TO 38022
IF (APROB.NE. PRINT) GC TO 3815
38022 CONTINUE
COMMENT - DUMP OF ALL STATION DISPLACEMENTS AND EQUILIBRIUM ERRORS TO
COMMENT - PRINT SET THE LAST FIVE COLUMNS IN PROBLEM NUMBER CARD EQUAL
COMMENT - TO PHASE OR THE LAST 6 COLUMNS TO MEMBER
COMMENT - (ALONG WITH THE PRINTED VALUES, THE LATREAL DISPLACEMENTS
COMMENT - ARE ALSO ELCTED FOR QUICK VISUAL ANALYSIS)
PRINT 40
DO 3803 I = 1, NPT1
SCALE = 0.0
TEMP = 1.0
IF (TEMP.GT. SCALE) SCALE = TEMP
3803 CONTINUE
SCALE = SCALE / 2.0
DO 3805 II = 1, N1
DO 3804 I1 = 1, N1
ALPHA(I1) = A
ALPHA(II) = C
IF (SCALE.GT. 1.0D-15) GO TO 33804
NTEMP = 21
GO TO 33808
33804 CONTINUE
NTEMP = 10.0 * DY(I) / SCALE + 21.5
33808 CONTINUE
J = 1
PRINT 45, DX(I), DY(I), DZ(I), EX(I), ERY(I), ERZ(I),
2 ALPHA(II), II=1,4)
3805 CONTINUE
3815 CONTINUE
COMMENT - IF (INVERSE.NE. 0) GO TO 3880
DO 3825 EQUILIBRIUM ERRORS WITH SPECIFIED TOLERANCES
IF (DABS(ERX(I)).GT. ER1) GO TO 3850
IF (DABS(ERY(I)).GT. ER1) GO TO 3850
IF (DABS(ERZ(I)).GT. ER2) GO TO 3850
3825 CONTINUE
GO TO 4200
3850 CONTINUE
IF (NITH(JJ).LE. NITH) GO TO 3880
COMMENT - IF MAXIMUM NUMBER OF MEMBER ITERATIONS SET INC = 1 AND STOP
COMMENT - ITERATION PROCESS
GO TO 4250
3880 CONTINUE
SOLVE MEMBER FOR LINEAR INCREMENTS OF DISPLACEMENT
CALL GRIP2A (RM,RO,H,SL,L3,L4,L6,M5)
IF (H5.L4.10000) GO TO 3890
GO TO 4475
3890 CONTINUE
COMMENT - INCREMENT MEMBER DISPLACEMENTS
DO 3900 I = 1, NPT1
DX(I) = DX(I) + W(J)
J = J + 1
DY(I) = DY(I) + W(J)
J = J + 1
DZ(I) = DZ(I) + W(J)
J = J + 1
3900 CONTINUE
COMMENT - ZERO EQUILIBRIUM ERRORS AT END STATIONS
ERX(1) = 0.0
ERY(1) = 0.0
ERZ(1) = 0.0
ERX(NPT1) = 0.0
ERY(NPT1) = 0.0
ERZ(NPT1) = 0.0
NITERM(JJ) = NITERM(JJ) + 1
GO TO 3900
4200 CONTINUE
IF (APROB.EQ. PRINT.OR. APROB.EQ. MEMBER) GO TO 4210
GO TO 4300
4210 PRINT 52, JJ, NITH1
GO TO 4300
4250 PRINT 53, JJ, NITH1
COMMENT - CALCULATE MEMBER - END - FORCES
4300 CALL MEMBERD (FMM,16,JJ)
IF (NITH(JJ).NE. NITH + 2) GO TO 4350
D1(2) = FMM(2)
D1(3) = FMM(3)
D1(4) = FMM(4)
D1(5) = FMM(5)
D1(6) = FMM(6)
GO TO 4475
4350 CONTINUE
COMMENT - SUBTRACT MEMBER - END - FORCES FROM JOINT EQUILIBRIUM ERRORS
COMMENT - TO COMPUTE CONTRIBUTION OF JOINT EQUILIBRIUM ERRORS
CALL ADJTER (FMC(1),FMC(4),J1(JJ),J12(JJ),DCTS(ISTT),
2 DC2S(ISTT))
COMMENT - END - FORCES - END - FORCES AS MEMBER INCREMENTAL FIXED -
COMMENT - END - FORCES TO CALCULATE INCREMENTAL FIXED - END - FORCES
COMMENT - IS NEXT PROBLEM

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4400 DO 4400 PGM(JJ,J)=FMM(I) 09778
4475 CONTINUE 09780
      IF (TYPE .GE. 3 .AND. IABAN.EQ. 1) GO TO 9900 09781
COMMENT - STORE MEMBER DISPLACEMENTS 09782
      WRITE (N2) ((DI(I),DII(I),D2(I), 09783
      SHIP FOR LINEAR STIFFNESS TYPE I=1,MP2) 09784
      IF (INLOFT.EQ. 0) GO TO 9900 09785
COMMENT - SKIP IF MEMBER-SUPPORT SPRINGS DO NOT EXIST 09786
      IF (MEMBER-SPRNGS .EQ. 0) GO TO 4500 09787
COMMENT - STORE RESIDUALS TO TEMPORARY RESIDUAL DISPLACEMENTS OF 09788
COMMENT - MEMBER SUPPORT CUEVES (THEIR COEFFICIENTS) 09789
      WRITE (N2) ((WRM(I,J),WTM(I,J),WYM(I,J), 09790
      WZM(I,J),J=1,NHNGZ),I=1,NHNGZ) 09791
      IF (WITH(JJ).EQ. NHNT+2) GO TO 4500 09792
COMMENT - WRITE REVERSAL INDICATORS FOR MEMBER-SUPPORT SPRINGS 09793
      WRITE (N4) (ECUREV(I,N),N=1,3),I=2,MP1) 09794
4500 CONTINUE 09795
COMMENT - IF MODEL.LE.-1 GO TO 9900 09796
      IF (MODEL.LE.-1) GO TO 9900 09797
      IF (ELBNT.NE.0) TEMPORARY RESIDUAL STRAINS 09798
      WRITE (N2) ((EPRIS(I,J,K),EPTIS(I,J,K), 09799
      EPR2S(I,J,K),EPT2S(I,J,K),J=1,NHPCS), 09800
      I=2,MP1) 09801
      IF (MODEL.LE.-1) GO TO 4550 09802
      IF (EPRB1(I,J,K),EPTB1(I,J,K),SLB1(I,J,K), 09803
      SLB2(I,J,K),EPRB2(I,J,K),EPTB2(I,J,K), 09804
      SLB2(I,J,K),SLB2(I,J,K),K=1,MSSIN), 09805
      I=2,MP1) 09806
      GO TO 4560 09807
4550 CONTINUE 09808
      WRITE (N2) ((EPRIS(I,J,K),EPTIS(I,J,K), 09809
      EPR2S(I,J,K),EPT2S(I,J,K),J=1,NHPCS), 09810
      I=2,MP1) 09811
      IF (MODEL.EQ. 0) GO TO 4600 09812
      IF (EPRB1(I,J,K),EPTB1(I,J,K),SLB1(I,J,K), 09813
      SLB2(I,J,K),EPRB2(I,J,K),EPTB2(I,J,K), 09814
      SLB2(I,J,K),SLB2(I,J,K),K=1,MSSIN),J=1,NHPCS,I=2,MP1) 09815
      GO TO 4600 09816
4560 CONTINUE 09817
      WRITE (N2) ((EPRIS(I,J,K),EPTIS(I,J,K), 09818
      EPR2S(I,J,K),EPT2S(I,J,K),J=1,NHPCS), 09819
      I=2,MP1) 09820
      IF (MODEL.NE.2) GO TO 4600 09821
      IF (EPRB1(I,J,K),EPTB1(I,J,K),SLB1(I,J,K), 09822
      SLB2(I,J,K),EPRB2(I,J,K),EPTB2(I,J,K), 09823
      SLB2(I,J,K),SLB2(I,J,K),K=1,MSSIN),J=1,NHPCS,I=2,MP1) 09824
      GO TO 4600 09825
4600 CONTINUE 09826
      IF (WITH(JJ).EQ. NHNT+2) GO TO 9900 09827
COMMENT - WRITE REVERSAL INDICATORS FOR STRAINS 09828
      WRITE (N4) ((IRV(I,L,J),J=1,NHPCS),L=1,NHNGZ),I=2,MP1) 09829
9900 CONTINUE 09830
      RETURN 09831
      END 09832
09833
***** SUBROUTINE ELEMPO *****
2 SUBROUTINE ELEMPO (DX1,DY1,EZ1,DX2,DY2,EZ2,I,UNIT,WT,U2Z,V2T, 09834
      WT,U2Z,V2T) 09835
COMMENT - SUBROUTINE ELEMPO EVALUATES THE END-FORCES ON A DISCRETE 09836
COMMENT - ELEMENT GIVEN THE ELEMENT-END-DISPLACEMENTS 09837
      IMPLICIT REAL*8 (A-H,O-Z) 09838
      DOUBLE PRECISION DCGS,DSIN,DATAN 09839
      DIMENSION CURVA(22), GAMMA(22), BMS(22), SHS(22) 09840
      COMMON BLOCKT / (XZ1,XZ2,AE,22), SX(22), SY(22), 09841
      SX(22), SY(22), OX(22), OY(22), EX(22), EY(22), 09842
      SOX(22), SOY(22), OT(22), OT(22), V1(22), 09843
      W1(22), W2(22), T1(22), T2(22), AG(22), DS(3,3,22), 09844
      BMS(22), XZ1,XZ2,AE,22), SX(22), SY(22), 09845
      SX(22), SY(22), OX(22), OY(22), EX(22), EY(22), 09846
      SOX(22), SOY(22), OT(22), OT(22), V1(22), 09847
      W1(22), W2(22), T1(22), T2(22), AG(22), DS(3,3,22), 09848
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      SX(22), SY(22), OX(22), OY(22), EX(22), EY(22), 09850
      SOX(22), SOY(22), OT(22), OT(22), V1(22), 09851
      W1(22), W2(22), T1(22), T2(22), AG(22), DS(3,3,22), 09852
      BMS(22), XZ1,XZ2,AE,22), SX(22), SY(22), 09853
      SX(22), SY(22), OX(22), OY(22), EX(22), EY(22), 09854
      SOX(22), SOY(22), OT(22), OT(22), V1(22), 09855
      W1(22), W2(22), T1(22), T2(22), AG(22), DS(3,3,22), 09856
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      SX(22), SY(22), OX(22), OY(22), EX(22), EY(22), 09858
      SOX(22), SOY(22), OT(22), OT(22), V1(22), 09859
      W1(22), W2(22), T1(22), T2(22), AG(22), DS(3,3,22), 09860
      BMS(22), XZ1,XZ2,AE,22), SX(22), SY(22), 09861
      SX(22), SY(22), OX(22), OY(22), EX(22), EY(22), 09862
      SOX(22), SOY(22), OT(22), OT(22), V1(22), 09863
      W1(22), W2(22), T1(22), T2(22), AG(22), DS(3,3,22), 09864
      BMS(22), XZ1,XZ2,AE,22), SX(22), SY(22), 09865
      SX(22), SY(22), OX(22), OY(22), EX(22), EY(22), 09866
      SOX(22), SOY(22), OT(22), OT(22), V1(22), 09867
      W1(22), W2(22), T1(22), T2(22), AG(22), DS(3,3,22), 09868
      BMS(22), XZ1,XZ2,AE,22), SX(22), SY(22), 09869
      SX(22), SY(22), OX(22), OY(22), EX(22), EY(22), 09870
      SOX(22), SOY(22), OT(22), OT(22), V1(22), 09871
      W1(22), W2(22), T1(22), T2(22), AG(22), DS(3,3,22), 09872
      BMS(22), XZ1,XZ2,AE,22), SX(22), SY(22), 09873
      SX(22), SY(22), OX(22), OY(22), EX(22), EY(22), 09874
      SOX(22), SOY(22), OT(22), OT(22), V1(22), 09875
      W1(22), W2(22), T1(22), T2(22), AG(22), DS(3,3,22), 09876
      BMS(22), XZ1,XZ2,AE,22), SX(22), SY(22), 09877
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      SOX(22), SOY(22), OT(22), OT(22), V1(22), 09879
      W1(22), W2(22), T1(22), T2(22), AG(22), DS(3,3,22), 09880
      BMS(22), XZ1,XZ2,AE,22), SX(22), SY(22), 09881
      SX(22), SY(22), OX(22), OY(22), EX(22), EY(22), 09882
      SOX(22), SOY(22), OT(22), OT(22), V1(22), 09883
      W1(22), W2(22), T1(22), T2(22), AG(22), DS(3,3,22), 09884
      BMS(22), XZ1,XZ2,AE,22), SX(22), SY(22), 09885
      SX(22), SY(22), OX(22), OY(22), EX(22), EY(22), 09886
      SOX(22), SOY(22), OT(22), OT(22), V1(22), 09887
      W1(22), W2(22), T1(22), T2(22), AG(22), DS(3,3,22), 09888
      BMS(22), XZ1,XZ2,AE,22), SX(22), SY(22), 09889
      SX(22), SY(22), OX(22), OY(22), EX(22), EY(22), 09890
      SOX(22), SOY(22), OT(22), OT(22), V1(22), 09891
      W1(22), W2(22), T1(22), T2(22), AG(22), DS(3,3,22), 09892
      BMS(22), XZ1,XZ2,AE,22), SX(22), SY(22), 09893
      SX(22), SY(22), OX(22), OY(22), EX(22), EY(22), 09894
      SOX(22), SOY(22), OT(22), OT(22), V1(22), 09895
      W1(22), W2(22), T1(22), T2(22), AG(22), DS(3,3,22), 09896
      BMS(22), XZ1,XZ2,AE,22), SX(22), SY(22), 09897
      SX(22), SY(22), OX(22), OY(22), EX(22), EY(22), 09898
      SOX(22), SOY(22), OT(22), OT(22), V1(22), 09899
      W1(22), W2(22), T1(22), T2(22), AG(22), DS(3,3,22), 09900
      BMS(22), XZ1,XZ2,AE,22), SX(22), SY(22), 09901
      SX(22), SY(22), OX(22), OY(22), EX(22), EY(22), 09902
      SOX(22), SOY(22), OT(22), OT(22), V1(22), 09903
      W1(22), W2(22), T1(22), T2(22), AG(22), DS(3,3,22), 09904
      BMS(22), XZ1,XZ2,AE,22), SX(22), SY(22), 09905
      SX(22), SY(22), OX(
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      S = DDY - 0.5*H*SINSIN
      DELTA = ((H + R)*(H + R) + S*S)**0.5 - R
      THETA = S/(H + R)
      THETA = DATAN(THETA)
      SINT = S/(H + DELTA)
      COST = (H + R)/(H + DELTA)
400  CONTINUE
      TAU1 = THETA - DZ1
      TAU2 = DZ2 - THETA
COMMENT - STORE STRAIN AND THE TWO CURVATURES OF EACH ELEMENT FOR OUTPUT
      EPSLCN(I) = DELTA/TH
      CURVA1(I) = TAU1/H
      CURVA2(I) = TAU2/H
COMMENT - CALL FAREEV TO FIND INTERNAL FORCES IN ELEMENT TT,BM1,BM2
      CALL FAREEV(DELTA, TAU1, TAU2, I, D, TT, BM1, BM2)
      IF (PDELTA.EQ.PDNC.OR.PDELTA.EQ.PDN) GO TO 500
500  GO TO 600
      CONTINUE
      V1T = (BM2 - BM1) / H
      U2T = T
      V2T = -V1T
      U1T = -U2T
      W1T = EC3(I)*H
      W2T = BM2 + 0.5 * V1T * H
      GO TO 1000
600  CONTINUE
      U2T = (BM2 - BM1) / (H + DELTA)
      V2T = TT*COST + VT*SINT
      U1T = TT*SINT - VT*COST
      V1T = -V2T
      W1T = BM1 + 0.5*(-U1T*SINIM1 + V1T*CCSINI)*H
      W2T = BM2 + 0.5*(-U1T*SINI + V1T*CCSI)*H
COMMENT - STORE FOR USE BY ELEMENT
COMMENT - INCIDENTALLY BM1 & BM2 ARE ALSO STORED FOR OUTPUT PURPOSES.
1000 CONTINUE
      DO 2100 J = 1,3
      DO 2100 K = 1,3
      DS(J,K,I) = D(J,K)
      TSS(I) = TT
      BM1S(I) = BM1
      BM2S(I) = BM2
      GO TO 3000
3000 CONTINUE
COMMENT - COMPUTE ELEMENT DEFORMATIONS
      DDY = DZ2 - DZ1
      DDZ = DZ2 - DZ1
      IF (PDELTA.EQ.PDNC.OR.PDELTA.EQ.PDN) GO TO 3200
3200 CONTINUE
COMMENT - COMPUTE DEFORMATIONS BASED ON SMALL DISPLACEMENTS
      THETA = DDY/TH
      DTA = DDY
      PSI1 = DZ1 - THETA
      PSI2 = DZ2 - THETA
      DELS = H*(PSI1 + PSI2)
      DELM = DDZ
      GO TO 3400
3300 CONTINUE
      THDX = TH + DDY
      THETA = DATAN(DDY/THDX)
      PSI1 = DZ1 - THETA
      PSI2 = DZ2 - THETA
      SINT = DSIN(THETA)
      COS1 = DCOS(THETA)
      COS2 = DCOS(PSI2)
      SIN1 = DSIN(PSI1)
      SIN2 = DSIN(PSI2)
      COSCS = COS1 + COS2
      SINSIN = SIN1 + SIN2
      DELA = THDX/COST - H*CCSCOS
      DELS = H*SINSIN
      DELM = DDZ
3400 CONTINUE
COMMENT - COMPUTE AXIAL & SHEAR STRAINS AND THE CURVATURE OF EACH ELEMENT
COMMENT - FOR OUTPUT
      EPSLCN(I) = DELA/TH
      CURVA1(I) = DELS/TH
      GAMMA1(I) = DELS
COMMENT - CALL DETANS TO FIND INTERNAL FORCES TT,BM,SH IN SHEAR ELEMENT
      CALL DETANS(DELTA,DELM,DELS,I,D,TT,BM,SH)
      IF (PDELTA.EQ.PDNC.OR.PDELTA.EQ.PDN) GO TO 3500
3500 CONTINUE
      U1T = -TT
      V1T = SH
      W1T = -BM + H*SH
      U2T = T
      V2T = -SH
      W2T = BM + H*SH
      GO TO 4000
3600 CONTINUE
      DELAD2 = DELA/2.0
      DELSD2 = DELS/2.0

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COMMON BALAO1/ SVV(25), DVV(25), ERVV(25),
COMMON RVV(25), NSVV(25),
COMMON BALAO2/ JST(25), NSSS(25), HLJ(25), HRJ(25), VLJ(25), VUJ(25),
COMMON BLOC22/ FJVT(25), FJVT(25), FJVT(25), FJVT(25),
COMMON DEJXT(25), DEJXT(25), DEJXT(25), DEJVT(25),
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COMMON /411/ KEPP601, KEPP602, KEPP603, KEPP604, KEPP605, KEPP6
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130 CONTINUE

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      ERXX(J2) = ERXX(J2) - P2S(1)
      ERYY(J2) = ERYY(J2) - P2S(2)
      ERZZ(J2) = ERZZ(J2) - P2S(3)
      IF ( (ERXX(J2) - P2S(1)) .NE. 0.0 ) GO TO 140
      ERXX(J2) = ERXX(J2) - P2S(1)
      ERYY(J2) = ERYY(J2) - P2S(2)
      ERZZ(J2) = ERZZ(J2) - P2S(3)
      CC=CC+1
  
```

140 RETURN
END

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10148*75
10149*75
10150*82
10151*82
10152*82
10153*82
10154*82
10155*82
10156*75
10157
10158

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***** SUBROUTINE *****
SUBROUTINE PRINT3 (AN2, SPROB, R, RO, W, SL, L1, L3, L4, L6)
COMMON - SUBROUTINE PRINT3 OUTPUTS MEMBER RESULTS
IMPLICIT REAL*8 (A-H,O-Z)
REAL*8 JTSHA, JSIDS
REAL*4 DTSJ
REAL*4 FORCEL, STRAN, BNOMNL, CURVAL, SHFOR, GAMMAL,
      FORCER, STRANR, BNOMNR, CURVAR, SHFOR, GAMMAR,
      FRAXF, FRMAXD, FRMCH, FRMCR, FRSHF, FRSHD,
      TOAX, TOAXD, TOROR, TOROI, TOSHF, TOLTE,
      SHHJ
DIMENSION RE(L6, L4), RO(L6), W(L6)
DIMENSION ALPHA(4), SPROB(2)
DIMENSION CURVAR(22), GAMMA(22), BMS(22), SHS(22)
COMMON /OCC1/
      DZZ(25), S(25), RXX(25), QYY(25),
      DYY(25), DZZ(25), RYY(25), DXX(25),
      NSX(25), ERXX(25), ERZZ(25), RZZ(25),
      NSTP(25), ISTJB(25), NSZ(25), INJ(25),
      COMMON /BALA01/ QVV(25), SVV(25), ERVV(25),
      COMMON /BLOCK2/ DXS(25), DYS(25), ZLS(25),
      DC2S(25), PHF(25), PRAA(25), QH(25),
      PSAG(25), ELEEN(25),
      TOROI(25),
      NAL(25), NSXL(25), INNR(25), NCS1(25), INLOP(25),
      NSR(25), NSYR(25), NSZR(25), NCDS(25),
      COMMON /BAL02/ SS(25), HLJ(25), HRJ(25), VLJ(25), VDJ(25),
      COMMON /BLOCK4/ FOH(50,6), SMC(50,21), IST(50),
      JTI(50), JTI2(50), NTH(50), INH(50), LT(50),
      COMMON /BLOCK7/ F(22), AF(22), SX(22), SY(22),
      DZ(22), DS(22), DZ(22), DZ(22),
      SOX(22), SOY(22), SOZ(22), U1(22),
      BMIS(22), DZ(22), DZ(22), AG(22),
      COMMON /BLOC21/ ACCUT(100), VELJA(100), ZMASS(100), DACCJT(100),
      2 DVELJT(100), FACCTJ(100), FPARJ(100), CDAMP(100), DISJT(80,71)
COMMON /BL1/
      KEEP1, KEEP2, KEEP3, KEEP4, KEEP5, KEEP6, KEEP7, KEEP8, KEEP9, KEEP10,
      KEEP11, KEEP12, KEEP13, KEEP14, KEEP15, KEEP16, KEEP17, KEEP18, KEEP19,
      NCD50, NCD6, NCD7, IPB, KP, IP10,
      IABAI, IPORH, NH, NJT, NST, NLT,
      COMMON /BL2/ L1, L2, L3, L4, L5, L6, L7, L8, L9, L10, L11, L12, L13, L14, L15, L16,
      COMMON /BL3/ ENJ, ENST, ENLT, NNN, ENCS, NNC6, ENDT, ENJ5, NNE, ENCS,
      COMMON /BL4/ ENJ, ENST, ENLT, NNN, ENCS, NNC6, ENDT, ENJ5, NNE, ENCS,
      COMMON /BL7/ INLOP, IPAF, KOFFJ, KOFFQ, KOFFSE
COMMON /ITC/ ERH1, ERH2, ERH3, ERH4, DII, CH, NTL, NH(20), NJ(20), MNITF,
      COMMON /HARN/ NJNC, BNC
COMMON /SKT10/ WRX(25,10), WEY(25,10), WRZ(25,10),
      2 WEY(25,10), WRX(25,10), WEY(25,10), WRZ(25,10),
      3 WEY(25,10), WRX(25,10), WEY(25,10), WRZ(25,10),
      4 WEY(25,10), WRX(25,10), WEY(25,10), WRZ(25,10),
COMMON /SKT5/
      2 WRX(21,10), WEY(21,10), WRZ(21,10),
      3 WRX(21,10), WEY(21,10), WRZ(21,10),
COMMON /SKT11/
      2 MSSIN(21,10,3), MSSIN(21,10,3),
      3 MSSIN(21,10,3), MSSIN(21,10,3),
      4 MSSIN(21,10,3), MSSIN(21,10,3),
COMMON /SKT15/ JJ
COMMON /SKT22/ TIME, JT, IRDYN, IRSTEE(71)
COMMON /SKT23/ L1, L2, L3, L4, L5, L6, L7, L8, L9, L10, L11, L12, L13, L14, L15, L16,
COMMON /SKT26/ LTYEEL
COMMON /SKT27/ IREAD, IWRITE
COMMON /SKT28/ CURVAL(20,71), FORCEL(20,71), STRAN(20,71), BNOMNL(20,71),
      CURVAR(20,71), FORCER(20,71), STRANR(20,71), BNOMNR(20,71),
      FRAXF(20,71), FRMAXD(20,71), FRMCH(20,71), FRMCR(20,71), FRSHF(20,71),
      TOAXD(20,71), TOROI(20,71), TOROI(20,71), TOSHF(20,71),
      TOLTE(20,71)
COMMON /SKT30/ EFSLCN(22), CURVAL(22)
COMMON /SKT31/ EFBF1(21,10,3), EFBF2(21,10,3), EFBF3(21,10,3), EFBF4(21,10,3),
      2 EFBF1(21,10,3), EFBF2(21,10,3), EFBF3(21,10,3), EFBF4(21,10,3),
      3 EFBF1(21,10,3), EFBF2(21,10,3), EFBF3(21,10,3), EFBF4(21,10,3),
      4 EFBF1(21,10,3), EFBF2(21,10,3), EFBF3(21,10,3), EFBF4(21,10,3),

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[illegible]


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WRITE (INWRITE) (NWX(I,J),WRTX(I,J),WRY(I,J),WRTI(I,J),WRTJ(I,J),WRTZ(I,J);
3      WRTZ(I,J),WRTI(I,J),WRTJ(I,J),WRTZ(I,J),WRTI(I,J);
940      CONTINUE
950      CONTINUE
      IF (ITYPE .LE. 2) GO TO 1000
      WRITE (INWRITE) (ACCJT(I), I=1,NJTT)
1000     CONTINUE
      REINT = 0
      IF (ITYPE .LE. 2 .AND. IP9 .EQ. 0) MPRINT = 1
      IF (ITYPE .LE. 2) GO TO 1100
      IF ((IP-1)/IP9*IP9 .EQ. JT-1) MPRINT = 1
1050     CONTINUE
      IF (JT .EQ. NT11) MPRINT = 1
1100     CONTINUE
      DO 8500 JJ = 1,NM
          ISTD = ISTD(JJ)
          MODELT = EDELST(ISTD)
          INLOFT = INLOP(ISTD)
          ELEMENT = ELENN(ISTD)
          IF (INLOFT .EQ. 0) GO TO 1200
          WRITE (EQU .NSXL(ISTD)+NSYL(ISTD)+NSZL(ISTD))
1200     CONTINUE
          NTH(JJ) = NTH + 1
          COMMENT - SKIP IF REMAINING OF TABLE 9 IS TO BE AVOIDED
          IF (MPRINT .NE. 1) GO TO 2100
          COMMENT - SKIP IF COMPLETE OUTPUT
          IF (IPOP(ISTD) .EQ. 0) GO TO 1600
          IF (JJ .EQ. 1) GO TO 1500
          COMMENT - PRINT PARTIAL RESULTS FOR 3 MEMBERS ON 1 SHEET
          IF (IPC .NE. 1) GO TO 1500
          IF (IPC .EQ. 4) GO TO 1500
          GO TO 2100
          IF (IPC = 1)
1500             CONTINUE
1600             COMMENT - PRINT HEADINGS
              PRINT 11
              PRINT 16, NPROB, (AN2(II), II=1,9)
              IF (JJ .EQ. 1) GO TO 1700
              PRINT 17
              GO TO 2100
1700     PRINT 51
2100     CONTINUE
          COMMENT - SUBROUTINE MEMSCL DOES THE ITERATIVE NONLINEAR MEMBER SOLUTION
          COMMENT - THIS SOLUTION IS REQUIRED TO FIND THE MEMBER-END-FORCES FOR
          COMMENT - THE JOINT EQUILIBRIUM CHECK AND FOR THE FINAL MEMBER SOLUTION
          CALL MEMSCL (GE, 3, RM, RO, NS, SL, L3, L4, L6)
          IF (ITYPE .GE. 3 .AND. LABAN .EQ. 1) GO TO 2150
          IF (NINC .GT. 0 .OR. NMNC .GT. 0) PRINT 777
2150     CONTINUE
          IF (MPRINT .NE. 1) GO TO 7100
          IF (ITYPE .GE. 3) GO TO 2200
          PRINT 210, 220
          GO TO 2250
2200     PRINT 220, JJ, JT, TIME
2250     PRINT 230, ZLS(ISTD), LTH, TH
2300     PRINT 71, ZLS(ISTD), LTH, TH
2400     PRINT 71, ZLS(ISTD), DC1S(ISTD), DC2S(ISTD)
          PRINT 81, JTI(JJ), JTI2(JJ)
          IF (IGCR(ISTD) .EQ. 1) GO TO 5100
2800     PRINT 91, JTI(JJ)
3100     PRINT 101
          COMMENT - PRINT COMPLETE MEMBER RESULTS
          SCALE = 0.0
          DO 3400 I = 1,MP1
              TEMP = DABS(DY(I))
          IF (TEMP .GT. SCALE) SCALE = TEMP
3400     CONTINUE
          SCALE = SCALE / 2.0
          DO 3500 I = 1,MP1
              ALPHA(II) = A
              ALPHA(2I) = C
          IF (SCALE .GT. 1.0D-15) GO TO 3600
          GO TO 3650
3600     CONTINUE
          MTEMP = 10.0 * DY(I) / SCALE + 21.5
3650     CONTINUE
          ALPHA(MTEMP) = B
          IF (I .NE. 1) GO TO 3660
          DIS = 0.0
          T = -U(1)
          V = V1(1)
          W = -W1(2)
          GO TO 3700
3660     CONTINUE
          IF (I .EQ. MP1) GO TO 3670
          DIS = DIS + TH
          T = 0.5*(U2(I) - U1(IP1))
          V = 0.5*(V2(I) - V1(IP1))
          W = 0.5*(W2(I) - W1(IP1))

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      GO TO 3700 = 0.5*(W2(I) - W1(IP1))
3670 CONTINUE
      DIS = DIS + TH
      T = U2(MP1)
      V = -U2(MP1)
      BM = W2(MP1)
3700 CONTINUE
3800 PRINT 11,DIS,DX(I),DY(I),DZ(I),I,V,BM,(ALPHA(II),II=1,41)
      CONTINUE
      IF (ELEMNT.EQ. SHEAR) GO TO 4100
      PRINT 2400 I = 2,MP1
      GO TO 4000 I = 2,MP1
4000 CONTINUE
      GO TO 4300
4100 PRINT 3000
      DO 4200 I = 2,MP1
      PRINT 2500 I,TTS(I),EPSLON(I),BMS1(I),CURVA1(I),BM2S(I),CURVA2(I)
      CONTINUE
4200 CONTINUE
4300 CONTINUE
      GO TO 7100
5100 CONTINUE
COMMENT - PRINT PARTIAL MEMBER RESULTS
      VL = -U1(2)
      BML = -W1(2)
      VR = U2(MP1)
      BMR = W2(MP1)
7100 PRINT 20,JT1(JJ),JT2(JJ),IL,TL,VL,VR,BML,BMR
      CONTINUE
      IOPL = IOPOR(ISTT)
      IF (IOPL.EQ. 3.AND. IABAN.EQ. 1) GO TO 7150
      IF (IOPPS.EQ. 1) PRINT 22
      IF (IOPPS.EQ. 2) PRINT 24
7150 CONTINUE
7200 CONTINUE
      IF (JUNC.NE. 0) GO TO 8000
      IF (ITYPE.LE. 2) GO TO 7250
      IF (JT.EQ. INTI) GO TO 7250
      GO TO 8000 /NSTORE*NSTORE.EQ. JT-1) GO TO 7250
7250 CONTINUE
      WRITE (IWRITE) (DX(I),DY(I),DZ(I),I=1,MP2)
      IF (INLOST.EQ. 0) GO TO 8000
      IF (NWRITE.EQ. 0) GO TO 7300
      WRITE (IWRITE) ((WRXN(I,J),WRTXN(I,J),WRYN(I,J),WRTYN(I,J),
2      WRZBZ(I,J),WRZBZ(I,J),J=1,10),I=2,MP1)
      CONTINUE
      IF (MODELT.LE. -1) GO TO 8000
      IF (ELEMNT.EQ. SHEAR) GO TO 7400
      WRITE (IWRITE) ((EPR1S(I,J,K),EPR1S(I,J,K),EPR2S(I,J,K),
2      EPR2S(I,J,K),J=1,MNPCS),I=2,MP1)
      IF (MODELT.EQ. 0) GO TO 8000
      WRITE (IWRITE) ((SLBPF1(I,J,K),EPRF1(I,J,K),SLBPF1(I,J,K),
4      SLBPF1(I,J,K),EPRF2(I,J,K),EPRF2(I,J,K),
      SLBPF2(I,J,K),SLBPF2(I,J,K),K=1,MNCS),I=2,MP1)
7400 GO TO 7500
      CONTINUE
      NHINGE = 1
      WRITE (IWRITE) ((EPR1S(I,J,K),EPR1S(I,J,K),EPR2S(I,J,K),
2      EPR2S(I,J,K),J=1,MNPCS),I=2,MP1)
      IF (MODELT.EQ. K = 1,MNCS),J=1,MNPCS,I=2,MP1)
      WRITE (IWRITE) ((EPRF1(I,J,K),EPRF1(I,J,K),SLBPF1(I,J,K),
2      SLBPF1(I,J,K),EPRF2(I,J,K),EPRF2(I,J,K),
      SLBPF2(I,J,K),SLBPF2(I,J,K),K=1,MNCS),I=2,MP1)
7500 CONTINUE
      WRITE (IWRITE) ((EPRMAX(I,L,J),EPRMIN(I,L,J),EPRSPR(I,L,J),
2      EPRSPR(I,L,J),L=1,NHINGE),I=2,MP1)
      IF (MODELT.NE. 2) GO TO 8000
      WRITE (IWRITE) ((IGROW(I,L,J),IGROW(I,L,J),J=1,NHINGE),
2      I=2,MP1)
8000 CONTINUE
      IF (ITYPE.LE. 2) GO TO 8500
COMMENT - IDENTIFY ALL SCINTOR MEMBERS AND STORE THEIR HYSTERESIS RECORD
      IF (JJ.NE. 1) GO TO 8100
8100 CONTINUE
      IF (IN(JJ).EQ. 0) GO TO 8200
      I = IN(JJ) + 1
      COMMENT - THE FOLLOWING STATEMENTS STORE INFORMATION ABOUT THE SECTION
      COMMENT - RESPONSE IN THE DIRECTION OF DEFORMED GEOMETRY
      IF (SHEAR.EQ. SHEAR) GO TO 8105
      FORCEL(I,UT) = TTSLEP
      IF (IPRIL(ISTT).EQ. NLE = 1
      STRAIN(I,UT) = EPSLON(NLE+1)
      BMOENL(I,UT) = BMS1(NLE+1)
      CURVAL(I,UT) = CURVA1(NLE+1)
      FORCEL(I,UT) = TTSLEP
      IF (IPRIS(ISTT).EQ. NRE = MP2
      STRAIN(I,UT) = EPSLON(NRE+1)
      BMOENL(I,UT) = BMS1(NRE+1)

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      GO TO CURVAR (II,JT) = CURVA2 (NRE-1)
      CONTINUE
8105 IF (IPIN (ISTT) .EQ. 1) NLE = 1
      FORCE1 (II,JT) = F1SLF
      STRAN1 (II,JT) = F1SLON (NLE+1)
      BMOHNE (II,JT) = BMS
      CURVAL (II,JT) = CURVAT (NLE+1)
      SHFOR1 (II,JT) = SRS
      GAMMA1 (II,JT) = GAMMA (NLE+1)
      IF (IPIN (ISTT) .EQ. 1) NRE = 1
      FORCE2 (II,JT) = F2SLF
      STRAN2 (II,JT) = F2SLON (NRE-1)
      BMOHNE (II,JT) = BMS
      CURVAL (II,JT) = CURVAT (NRE-1)
      SHFOR2 (II,JT) = SRS
      GAMMA2 (II,JT) = GAMMA (NRE-1)
8110 CONTINUE
      COMMENT - THE FOLLOWING STATEMENTS (UPTO #8200) STORE THE INFORMATION ABOUT
      COMMENT - THE MEMBER RESPONSE IN THE DIRECTION OF ORIGINAL GEOMETRY.
      FRMAXP (II,JT) = -U1(2)
      FRMAXT (II,JT) = DX(1)
      FRMLTD (II,JT) = DY(1)
      FRMHOT (II,JT) = -W1(2)
      TOAXP (II,JT) = U2(MP1)
      TOAXD (II,JT) = DX(MP1)
      TOXSF (II,JT) = -Y2(MP1)
      TOXLD (II,JT) = DY(MP1)
      TOXOM (II,JT) = W2(MP1)
      TOXOT (II,JT) = DZ(MP1)
8200 CONTINUE
8500 CONTINUE
      IF ( ITYPE .GE. 3 ) GO TO 9000
      IF ( ITYPE .LE. 0 ) GO TO 9500
      *RITE (I,RITE) (( FORM(J,I), I=1,NM), J=1,6 )
9000 CONTINUE
      IF ( ITYPE .NE. 0 ) GO TO 9900
      IF ( ITYPE .LE. 2 ) GO TO 9500
      IF ( JT .EQ. NTI1 ) GO TO 9500
      IF ( JT-1 ) NSTORE*STORE .EQ. JT-1 ) GO TO 9500
      GO TO 9900
9500 CONTINUE
      ENDFILE I=RITE
      REWIND 13
      *RITE(13) IWRITE
      ENDFILE 13
      IF ( IWRITE .EQ. 12 ) GC TO 9600
      GO TO 9900
9600 CONTINUE
      IWRITE = 11
9900 CONTINUE
      RETURN
      END

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***** SUBROUTINE *****

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      SUBROUTINE ADYN (JIN,FSS)
      COMMENT - SUBROUTINE ADYN CALLED BY SUBROUTINE DYNA. ADDS THE
      COMMENT - CONTRIBUTION DUE TO MASS AND DAMPING TO STIFFNESS MATRIX TO
      COMMENT - OBTAIN INCREMENTAL JOINT DISPLACEMENT USING CONSTANT AVERAGE
      COMMENT - ACCELERATION METHOD.
      DIMENSION FSS(3)
      REAL*4 DISJT
      DIMENSION REAL*4 (A-H,C-2)
      COMMON /BLOC2/ ACCJT(100),VELJT(100),ZMASSR(100),DACCJT(100),
      2 OVELJT(100),FACCJT(100),FDANJT(100),CDAMP(100),DISJT(80,1),
      COMMON /IC/ REAL*4 EEE1,EEE2,DTI,CM,NTI,NM(20),MJ(20),NNITP,
      2 NNITS,NSHJ,NSHM
      DSS1=4/DTI*2
      DSS2=4/DTI*1
      DO 100 I = 1,3
      100 2 STIMP=3*JIN-3*I
      2 STIMP=1+SSSL(I,I)+DSS2*ZMASSR(ITEMP)
      2 +DSS1*CDAMP(ITEMP)
      DO 200 J = 1,3
      200 FSS(J) = FSS(J) + DFPS(I,JTN)
      RETURN
      END

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***** SUBROUTINE *****

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      SUBROUTINE DYSTLD (FJX,FJY,FJZ,FJV,TIME,JTN)
      DIMENSION REAL*4 (A-H,C-2)
      DIMENSION FJX(300),FJY(300),FJZ(300),FJV(300)
      COMMON /BLOC1/ ZMASS(25),FTHJXX(25),FTHJYY(25),FTHJZZ(25),
      2 FTHJVV(25),FTHJXX(25),FTHJYY(25),FTHJZZ(25),FTHJVV(25)
      COMMON /BLK1/ INLOI,IFAE,ACFPJ,ACPPQ,ACPPSE

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COMMON/BLK9/ NVL(20,300), NTJ(20,300), NVLT(300),
2      NVTI(300), NPTV(20), HNPTF
10613*87
10614*87
10615
10616
10617
10618
10619
10620
10621
10622
10623
10624
10625
10626
10627
10628
10629
10630
10631
10632
10633
10634
10635
10636
10637
10638
10639
10640
10641
10642
10643
10644
10645
10646
10647
10648
10649
10650
10651
10652
10653
10654
10655
10656
10657
10658*82
10659*82
10660*82
10661*82
10662*82
10663*82
10664*82
10665*82
10666*82
10667*82
10668*82
10669*82
10670*82
10671*82
10672
10673

COMMENT - X - CURVE
IF (NCTX(JTN) .EQ. 0) GO TO 3510
DO 3505 I = 1, NPTT
  NPTT = NPTV(NC)
  Q01(I) = NVL(NC,I)
  W1(I) = NTJ(NC,I)
3505 CALL CURVE1 (Q01,W1,FJ,NPTT,ISYM,FJX,SJX,KOPFJ)
  FJX = FJX * FTEJXX (JTN)
GO TO 3511
3510 CONTINUE
  FJX = 0.0
3511 CONTINUE
IF (NPTTY(JTN) .EQ. 0) GO TO 3520
COMMENT - Y - CURVE
NC = NPTTY(JTN)
NPTT = NPTV(NC)
DO 3515 I = 1, NPTT
  Q01(I) = NVL(NC,I)
  W1(I) = NTJ(NC,I)
3515 CALL CURVE1 (Q01,W1,FJ,NPTT,ISYM,FJY,SJY,KOPFJ)
  FJY = FJY * FTEJYY (JTN)
GO TO 3521
3520 CONTINUE
  FJY = 0.0
3521 CONTINUE
IF (NPTZZ(JTN) .EQ. 0) GO TO 3530
COMMENT - Z - CURVE
NC = NPTZZ(JTN)
NPTT = NPTV(NC)
DO 3525 I = 1, NPTT
  Q01(I) = NVL(NC,I)
  W1(I) = NTJ(NC,I)
3525 CALL CURVE1 (Q01,W1,FJ,NPTT,ISYM,FJZ,SJZ,KOPFJ)
  FJZ = FJZ * FTEJZZ (JTN)
GO TO 3531
3530 CONTINUE
  FJZ = 0.0
3531 CONTINUE
IF (NPTVV(JTN) .EQ. 0) GO TO 3540
COMMENT - V - CURVE
NC = NPTVV(JTN)
NPTT = NPTV(NC)
DO 3535 I = 1, NPTT
  Q01(I) = NVL(NC,I)
  W1(I) = NTJ(NC,I)
3535 CALL CURVE1 (Q01,W1,FJ,NPTT,ISYM,FJV,SJV,KOPFJ)
  FJV = FJV * FTEJVV (JTN)
GO TO 3541
3540 CONTINUE
  FJV = 0.0
3541 CONTINUE
RETURN
END

***** SUBROUTINE *****
SUBROUTINE CURVE1 (Q01,W1,WJ,NPT,ISYM,CJ,S2,KOPFJ)
COMMENT - SUBROUTINE CURVE1 INTERPOLATES ALONG A DYNAMIC FORCE CURVE
IMPLICIT REAL*8 (A-H,O-Z)
10674
10675
10676
10677*87
10678
10679
10680
10681
10682
10683
10684
10685
10686
10687
10688
10689
10690
10691
10692
10693
10694
10695
10696
10697
10698
10699

DIMENSION WJ(300), W1(300)
NEG = -1
IF (ISYM .EQ. 1 .AND. WJ .LT. 0.0) GO TO 2100
GO TO 2200
WJ = -WJ
NEG = 1
2200 CONTINUE
DO 3040 NP = 2, NPT
IF (WJ - W1(NP)) 3045, 3055, 3040
CONTINUE
NP = NPT
GO TO 3050
IF (WJ - W1(1)) 3050, 3055, 3055
KOPFC = 0
NP = NP - 1
S2 = -(Q01(NP + 1) - Q01(NP)) / (W1(NP + 1) - W1(NP))
IF (NEG .EQ. 0) GO TO 4300
QJ = -QJ
WJ = -WJ
4300 CONTINUE
RETURN
END

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***** SUBROUTINE *****
SUBROUTINE CSELCT (TR,KEY,I,TIME,II) 10700
COMMENT 1, SUBROUTINE CSELCT PLOTS MONITOR JOINT RESPONSE AGAINST TIME. 10701*90
IMPLICIT REAL*8 (A-H,O-Z) 10702
COMMON/ST/ HJO 10703
COMMON/ITC/ ER1,ER2,ER3,ER2,DTI,CM,NTI,MH(20),MJ(20),MNTIF, 10704*88
2 1,TIME,MHSH,MSH 10705*88
1 DIMENSION TR(71) 10706*82
31 FORMAT(1H1) 10707
31 FORMAT(5X,7HJOINT,13,/) 10708
31 FORMAT(1X,23H RELATIVE DISF OF JOINT,15,2H /,15) 10709
100 FORMAT(2X,2HJT,2X,4HTIME,2X,12HDISPLACEMENT,1X,10(5HXXXX),1H1, 10710
2 //,2X,12H DIRECTION,/) 10711*88
101 POSHAT(2X,2HJT,2X,4HTIME,2X,12HDISPLACEMENT,1X,10(5HXXXX),1H1, 10712*82
2 //,12X,114H DIRECTION,/) 10713*88
102 FORMAT(2X,2HJT,2X,4HTIME,2X,12HROTATION,1X,10(5HXXXX),1H1, 10714*82
2 //,12X,114H ROTATION,/) 10715*88
103 POSHAT(2X,2HJT,2X,4HTIME,2X,12HROTATION,1X,10(5HXXXX),1H1, 10716*82
2 //,12X,114H ROTATION,/) 10717*86
104 FORMAT(2X,2HJT,2X,4HTIME,2X,12HSH.MOMENT(Z),1X,10(5HXXXX),1H1, 10718*88
2 ///) 10719*88
TIME3 = TIME - NTI * DTI 10720
NTI1 = NTI + 1 10721
PRINT 1 10722
IF (II.EQ. 1,OR. KEY.EQ. 5) GO TO 250 10723*88
IF (3JO.EQ. 0) GO TO 250 10724
IF (HJO.EQ. 1) GO TO 240 10725
HJB = MJ(II-1) 10726
GO TO 245 10727
240 PRINT 31, HJB = MJ(1) 10728
245 GO TO 251 10729
250 PRINT 30, I 10730
251 CONTINUE 10731
GO TO (300,400,500,600,700),KEY 10732
300 PRINT 100 10733*88
400 PRINT 101 10734*82
500 PRINT 102 10735*82
600 PRINT 103 10736*82
700 PRINT 104 10737*82
1000 CALL SPLOT (TR,NTI1,1,1,1,NTI1,TIME3,DTI) 10738*88
RETURN 10739*82
END 10740
10741

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***** SUBROUTINE *****
SUBROUTINE SPLOT (P,N,N1,N2,N3,N4,X1,B) 10746
SUB SPLOT WILL PLOT A FUNCTION F(X) -- ALL ARGUMENTS ARE INPUT 10747
Z() = SINGLE SUBSCRIPTED VARIABLE CONTAINING F(X) 10748
N = TOTAL NUMBER OF POINTS IN F() N1 = FIRST POINT TO BE 10749
N2 = INCREMENT BETWEEN PLOTTED POINTS N3 = INCREMENT BETWEEN 10750
N4 = LAST POINT TO BE PLOTTED N4 = X VALUE OF FIRST 10751
H = X DISTANCE BETWEEN PLOTTED POINTS IN F() 10752
IMPLICIT REAL*8 (A-H,O-Z) 10753*87
DIMENSION F(N),ALPHA(51) 10754
DATA A,B,C/H,1H*,H-/ 10755
3 FORMAT(1H) 10756
4 FORMAT(14,10X,15HALL VALUES ZERO) 10757
7 FORMAT(14,18.5,1X,1PE12.4,51A1) 10758
DO 10 I = N1,N4 10759
V = 0.0 10760
Z=DABS(F(I)) 10761
IF (Z.GT. 2.5) V = Z 10762
IF (VS.EQ. 0.0) GO TO 100 10763
M = 1 + (N4 - N1)/N2 10764
DO 90 J = 1,M 10765
I1 = N1 + (J-1)*N2 10766
NF = 10.0 * F(I1)/VS + 26.5 10767
DO 80 ALPHA(1:51) = A 10768
IF (I1.EQ. 26) ALPHA(II) = C 10769
IF (I1.EQ. NF) ALPHA(II) = B 10770
80 CONTINUE 10771
PRINT, I1, X, F(I), (ALPHA(II), II=1,51) 10772
ER2 = N2 10773
X = X + H*SN2 10774
IF (N3.EQ. 1) GO TO 90 10775
N31 = N3 - 1 10776
DO 85 LL = 1,N31 10777
85 PRINT 3 10778
90 CONTINUE 10779
GO TO 105 10780
100 PRINT 4 10781
105 CONTINUE 10782
RETURN 10783
END 10784
10785

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COMMENT - PROPERTY ASSIGNED IN SUBROUTINE SECUR
DEPL = DSLSLP(NSSLT) * SMSCL / EMSCL
EPD = EPSSTD(NSSLT) * SMSCL / EMSCL
SLHD = SLOPHD(NSSLT) * SMSCL / EMSCL
SULT = SIGULT(NSSLT) * SMSCL
ALPH = ALPHX(NSSLT)
BET = BETA(NSSLT)
10979*78
10980*78
10981*78
10982*78
10983*78
10984*78
10985*78
10986*78
10987*78
10988*78
10989*78
10990*78
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11069*78
11070*78
11071*78
11072*78
11073*78
11074*78

COMMENT - PROPERTY ASSIGNED IN SUBROUTINE SECUR
DEPL = DSLSLP(NSSLT) * SMSCL / EMSCL
EPD = EPSSTD(NSSLT) * SMSCL / EMSCL
SLHD = SLOPHD(NSSLT) * SMSCL / EMSCL
SULT = SIGULT(NSSLT) * SMSCL
ALPH = ALPHX(NSSLT)
BET = BETA(NSSLT)

2590 GO TO 3910
2590 CONTINUE
DO 2600 K = 1, NPTST
  EPSIS(K) = EPSIS(K) + ZMUL*DEPL(J,K)
  SIGIS(K) = SIGIS(K) + ZMUL*DSIGL(J,K)
  IF (ISST(J).EQ.1) GO TO 2650
DO 2610 K = 1, NPTST
  EPSIS(K) = EPSIS(K)
  SIGIS(K) = SIGIS(K)
2610 CONTINUE
  ISST = 0
  NPTST = NPTST
2650 GO TO 2700
  EPSIS(NPTST) = EPSIS(1)
  SIGIS(NPTST) = SIGIS(1)
DO 2675 K = 2, NPTST
  KR = K + NPTST - 1
  KL = KR - 2*(K - 1)
  EPSIS(KR) = EPSIS(KL)
  SIGIS(KR) = SIGIS(KL)
  EPSIS(KL) = -EPSIS(KR)
  SIGIS(KL) = -SIGIS(KR)
2675 SIGIS(KL) = SIGIS(K)
  SIGIS(KL) = -SIGIS(K)
  NPTST = NPTST - 1
  ISST = ISST + 1
2700 CONTINUE
COMMENT - SUBDIVIDE PIPE PIECE INTO TEN EQUIVALENT RECTANGLES. (TWENTY
COMMENT - EQUAL RADIAL SEGMENTS WITH SEGMENTS IN OPPOSITE SIDES OF Y
COMMENT - AXIS COMBINED)
  IF (IRECT(NALT,J).EQ.1) NPP = 10
COMMENT - DO FOR EACH RECTANGLE IN PIECE
DO 3900 IJ = 1, NPP
  DO 3920 IJ = 1, NPP
    CALL PIPE (B,DP,Y,IJ,NPP)
COMMENT - CALL FALRJR TO COMPUTE AXIAL THROUS, A BENDING MOMENT AND
COMMENT - STIFFNESS TERMS FOR ONE RECTANGLE AT LOCATION OF FIRST
COMMENT - DISCRETE SEGMENT IN SUBPIECE
    CALL FALRJR (TT,BN,EA,EL,AEV,ISST,NPT,Y,B,DP,EPA,CUR,IR,IE,
    SHS,GA,ERS,SLHNT,SHCCOF,G)
COMMENT - ACCUMULATE VALUES FOR ALL RECTANGLES
    TT = TT + TT
    BN1 = BN1 + BN
    SH1 = SH1 + SH
    EL1 = EL1 + EL
    AEV1 = AEV1 + AEV
    EA1 = EA1 + EA
    AG1 = AG1 + GA
3900 CONTINUE
3910 GO TO 4000
3910 CONTINUE
COMMENT - INITIALIZE THE FOLLOWING ADDITIONAL TERMS USED IN THE
COMMENT - INELASTIC CASE
  TT = 0.0
  BN = 0.0
  EA = 0.0
  EL = 0.0
  AEV = 0.0
  AG = 0.0
COMMENT - DO FOR EACH OF THE EQUALLY SUBDIVIDED RECTANGULAR PIECES
COMMENT - OF THE SINGLE INPUT J TH RECTANGLE ( OR PIPE IF APPLICABLE )
DO 3930 IJ = 1, N
  ICDHU = ICDHU + 1
  IF (IRECT(NALT,J).EQ.1) GO TO 3920
COMMENT - SUBDIVIDE THE J TH PIECE AND SUPPLY B,DP,Y FOR EACH SUB-PIECE
  ATJ = 1
  IF (IJ.EQ.1) GO TO 3918
  ANJ = NJ
  DDP = DP / ANJ
  YC1 = Y + DP * 0.5 - DDP * 0.5
  DP = DDP
3918 Y = YC1 - (ATJ - 1.0) * DP
  GO TO 3930
3920 CALL PIPE (B,DP,Y,IJ,NJ)
3930 CONTINUE
COMMENT - IF ALPHA=BETA=0, GO TO MASHING SUBROUTINE
  IF (ALPHA(NSSLT)*BETA(NSSLT).LT.1.0D-10) GO TO 3935
COMMENT - IF ALPHA=BETA=0 OR ALPHA*BETA=0, GO TO DEGRADATION CUM
  CALL DEGRAD (SIGHIS,STPHIS,Y,EPA,CUR,CUR2,IR,IE,
  SIGCOM,RESCOM,NPTST1,ICDHU1,SLPHAX,
  SMALL,EPHD,SLHD,SULT,ALF,BET)
3935 GO TO 3938
3935 CONTINUE
COMMENT - SUBROUTINE MASHING EVALUATES THE HISTORY DEPENDENT
COMMENT - STRESS AND STIFFNESS FOR THE SUB-PIECE AT THE LOCATION
COMMENT - OF BOTH THE HINGES 162, ACCORDING TO MASHING PATH
  CALL MASHING (SIGHIS,STPHIS,Y,EPA,CUR,CUR2,IR,IE,
  SIGCOM,RESCOM,NPTST1,ICDHU1,SLPHAX)
3930 CONTINUE
  TT = TT + SIGHIS

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      BM = BM + SIGHTS * Y
      EY = EY + STEPHIS * Y
      EI = EI + STEPHIS * Y * Y
3950 CONTINUE

      BDP = B * DP
      TT = TT * BDP
      BM = BM * (-BDP)
      EY = EY * BDP
      EI = EI * BDP
      GA = G * SHCOEF * BDP * NJ
      SH = GA * DP
      TT1 = TT1 + TT
      BM1 = BM1 + BM
      SH1 = SH1 + SH
      EI1 = EI1 + EI
      AEY1 = AEY1 + AEY
      AG1 = AG1 + GA
4000 CONTINUE
      AE1 AND AG1
      AG(I) = AG1
      TT = TT1
      BM = BM1
      SH = SH1
COMMENT - COMPUTE INCREMENTAL FORCE DEFORMATION MATRIX FOR ELEMENT
      D(1,1) = AE1/TH
      D(1,2) = EI1/TH
      D(3,3) = AG1/TH
      D(1,2) = -AEY1/TH
      D(1,2) = D(1,2)
4100 CONTINUE
COMMENT - STORE TT OF THE FIRST & LAST NONLINEAR ELEMENTS, FOR LATER
COMMENT - USE IN SUBROUTINE PRINT9, WHERE THE HYSTERESIS OF MONITOR
COMMENT - MEMBERS ARE RECORDED
      IF (NITE(JJ).NE. NITE + 2) GO TO 4300
      IF (INCLUDE.EQ. 1) GO TO 4150
      TTSLFP = TT
      GO TO 4300
4120 CONTINUE
      IF (I.NE. NP1) GO TO 4300
      GO TO 4300
4150 CONTINUE
      IF (IPINL(ISTT).NE. 1) GO TO 4160
      IF (I.NE. 2) GO TO 4200
      GO TO 4300
4160 CONTINUE
      IF (I.NE. NLE + 1) GO TO 4200
      TTSLFP = TT
      GO TO 4300
4200 CONTINUE
      IF (IPINR(ISTT).NE. 1) GO TO 4260
      IF (I.NE. NP1) GO TO 4300
      TTSLFGI = TT
      GO TO 4300
4260 CONTINUE
      IF (I.NE. NRE - 1) GO TO 4300
      TTSLFGI = TT
4300 CONTINUE
      RETURN
      END

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***** SUBROUTINE *****
SUBROUTINE FSUB23 (BM, RO, L6, L4, IRE)
COMMENT - SUBROUTINE FSUB23 FURNISHES RIGHT SIDE OF SYMMETRIC STIFFNESS
COMMENT - MATRIX B AND LOAD MATRIX RC FOR THE JOINT SHEAR OPTION CASE
      IMPLICIT REAL*8 (A-H,O-Z)
      DIMENSION BM(16,L4), RO(L6)
      DIMENSION B(3,3), FMS(3,3), FSS(4,3), SSS(4,4), T43(4,4), TED(4,4),
      3 TEDA(4,4), TRO(4,4), SSS3(4,4)
      COMMON /BLOC1/ QV(25), SVV(25), DVV(25), ERVV(25),
      2 COMMON /BLOC2/ DXS(25), DYS(25), ZLS(25), DC1S(25),
      3 DC2S(25), PRP(25), PRAR(25), QM(25), WH(25),
      4 ELA(25), TOPOS(25), IPINL(25), IPINR(25), KC51(25), INWOP(25),
      5 NAL(25), NSYL(25), NSZL(25), NAB1(25),
      6 NSZB(25), NSJB(25), NSZR(25), NCDS(25), IATOPS(25),
      7 COMMON /BLOC3/ GJ(25), SJC(25), VSS(25), HLO(25), HRU(25), VLJ(25), VOJ(25),
      2 THRU(25), DIL(25), DYL(25), ZLL(25), DC1L(25),
      COMMON /BLOC3/

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2      DC1( 25), UQY( 25), NCDL( 25), IAXOPL( 25), 1166*75
3      COMAOR /BLOCK4, PCHM(50,6), SMC(50,21), IST(50), 1167*75
2      J11(50), J12(50), NITH(50), IHH(50), LI(50) 1168*75
COMMON /BLK10/ J11(50), J12(50), NITH(50), IHH(50), 1169*75
COMMON /BLK1/ TOP, ELEMENT, NJST, KEEPP3C, NCD3C, 1170*75
KEEPP2, KEEPP3A, KEEPP3B, KEEPP4A, KEEPP4B, KEEPP4C, KEEPP5A, 1171*75
KEEPP5B, KEEPP5C, KEEPP5D, KEEPP5E, KEEPP5F, KEEPP5G, KEEPP5H, 1172*75
KEEPP5I, KEEPP5J, KEEPP5K, KEEPP5L, KEEPP5M, KEEPP5N, KEEPP5O, 1173*75
KEEPP5P, KEEPP5Q, KEEPP5R, KEEPP5S, KEEPP5T, KEEPP5U, KEEPP5V, 1174*75
KEEPP5W, KEEPP5X, KEEPP5Y, KEEPP5Z, KEEPP5AA, KEEPP5AB, KEEPP5AC, 1175*75
KEEPP5AD, KEEPP5AE, KEEPP5AF, KEEPP5AG, KEEPP5AH, KEEPP5AI, KEEPP5AJ, 1176*75
KEEPP5AK, KEEPP5AL, KEEPP5AM, KEEPP5AN, KEEPP5AO, KEEPP5AP, KEEPP5AQ, 1177*75
KEEPP5AR, KEEPP5AS, KEEPP5AT, KEEPP5AU, KEEPP5AV, KEEPP5AW, KEEPP5AX, 1178*75
KEEPP5AY, KEEPP5AZ, KEEPP5BA, KEEPP5BB, KEEPP5BC, KEEPP5BD, KEEPP5BE, 1179*75
KEEPP5BF, KEEPP5BG, KEEPP5BH, KEEPP5BI, KEEPP5BJ, KEEPP5BK, KEEPP5BL, 1180*75
KEEPP5BM, KEEPP5BN, KEEPP5BO, KEEPP5BP, KEEPP5BQ, KEEPP5BR, KEEPP5BS, 1181*75
KEEPP5BT, KEEPP5BU, KEEPP5BV, KEEPP5BW, KEEPP5BX, KEEPP5BY, KEEPP5BZ, 1182*75
KEEPP5CA, KEEPP5CB, KEEPP5CC, KEEPP5CD, KEEPP5CE, KEEPP5CF, KEEPP5CG, 1183*75
KEEPP5CH, KEEPP5CI, KEEPP5CJ, KEEPP5CK, KEEPP5CL, KEEPP5CM, KEEPP5CN, 1184*75
KEEPP5CO, KEEPP5CP, KEEPP5CQ, KEEPP5CR, KEEPP5CS, KEEPP5CT, KEEPP5CU, 1185*75
KEEPP5CV, KEEPP5CW, KEEPP5CX, KEEPP5CY, KEEPP5CZ, KEEPP5DA, KEEPP5DB, 1186*75
KEEPP5DC, KEEPP5DD, KEEPP5DE, KEEPP5DF, KEEPP5DG, KEEPP5DH, KEEPP5DI, 1187*75
KEEPP5DJ, KEEPP5DK, KEEPP5DL, KEEPP5DM, KEEPP5DN, KEEPP5DO, KEEPP5DP, 1188*75
KEEPP5DQ, KEEPP5DR, KEEPP5DS, KEEPP5DT, KEEPP5DU, KEEPP5DV, KEEPP5DW, 1189*75
KEEPP5DX, KEEPP5DY, KEEPP5DZ, KEEPP5EA, KEEPP5EB, KEEPP5EC, KEEPP5ED, 1190*75
KEEPP5EE, KEEPP5EF, KEEPP5EG, KEEPP5EH, KEEPP5EI, KEEPP5EJ, KEEPP5EK, 1191*75
KEEPP5EL, KEEPP5EM, KEEPP5EN, KEEPP5EO, KEEPP5EP, KEEPP5EQ, KEEPP5ER, 1192*75
KEEPP5ES, KEEPP5ET, KEEPP5EU, KEEPP5EV, KEEPP5EW, KEEPP5EX, KEEPP5EY, 1193*75
KEEPP5EZ, KEEPP5FA, KEEPP5FB, KEEPP5FC, KEEPP5FD, KEEPP5FE, KEEPP5FF, 1194*75
KEEPP5FG, KEEPP5FH, KEEPP5FI, KEEPP5FJ, KEEPP5FK, KEEPP5FL, KEEPP5FM, 1195*75
KEEPP5FN, KEEPP5FO, KEEPP5FP, KEEPP5FQ, KEEPP5FR, KEEPP5FS, KEEPP5FT, 1196*75
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KEEPP5GI, KEEPP5GJ, KEEPP5GK, KEEPP5GL, KEEPP5GM, KEEPP5GN, KEEPP5GO, 1199*75
KEEPP5GP, KEEPP5GQ, KEEPP5GR, KEEPP5GS, KEEPP5GT, KEEPP5GU, KEEPP5GV, 1200*75
KEEPP5GW, KEEPP5GX, KEEPP5GY, KEEPP5GZ, KEEPP5HA, KEEPP5HB, KEEPP5HC, 1201*75
KEEPP5HD, KEEPP5HE, KEEPP5HF, KEEPP5HG, KEEPP5HH, KEEPP5HI, KEEPP5HJ, 1202*75
KEEPP5HK, KEEPP5HL, KEEPP5HM, KEEPP5HN, KEEPP5HO, KEEPP5HP, KEEPP5HQ, 1203*75
KEEPP5HR, KEEPP5HS, KEEPP5HT, KEEPP5HU, KEEPP5HV, KEEPP5HW, KEEPP5HX, 1204*75
KEEPP5HY, KEEPP5HZ, KEEPP5IA, KEEPP5IB, KEEPP5IC, KEEPP5ID, KEEPP5IE, 1205*75
KEEPP5IF, KEEPP5IG, KEEPP5IH, KEEPP5II, KEEPP5IJ, KEEPP5IK, KEEPP5IL, 1206*75
KEEPP5IM, KEEPP5IN, KEEPP5IO, KEEPP5IP, KEEPP5IQ, KEEPP5IR, KEEPP5IS, 1207*75
KEEPP5IT, KEEPP5IU, KEEPP5IV, KEEPP5IW, KEEPP5IX, KEEPP5IY, KEEPP5IZ, 1208*75
KEEPP5JA, KEEPP5JB, KEEPP5JC, KEEPP5JD, KEEPP5JE, KEEPP5JF, KEEPP5JG, 1209*75
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KEEPP5JV, KEEPP5JW, KEEPP5JX, KEEPP5JY, KEEPP5JZ, KEEPP5KA, KEEPP5KB, 1212*75
KEEPP5KC, KEEPP5KD, KEEPP5KE, KEEPP5KF, KEEPP5KG, KEEPP5KH, KEEPP5KI, 1213*75
KEEPP5KJ, KEEPP5KK, KEEPP5KL, KEEPP5KM, KEEPP5KN, KEEPP5KO, KEEPP5KP, 1214*75
KEEPP5KQ, KEEPP5KR, KEEPP5KS, KEEPP5KT, KEEPP5KU, KEEPP5KV, KEEPP5KW, 1215*75
KEEPP5KX, KEEPP5KY, KEEPP5KZ, KEEPP5LA, KEEPP5LB, KEEPP5LC, KEEPP5LD, 1216*75
KEEPP5LE, KEEPP5LF, KEEPP5LG, KEEPP5LH, KEEPP5LI, KEEPP5LJ, KEEPP5LK, 1217*75
KEEPP5LL, KEEPP5LM, KEEPP5LN, KEEPP5LO, KEEPP5LP, KEEPP5LQ, KEEPP5LR, 1218*75
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KEEPP5NJ, KEEPP5NK, KEEPP5NL, KEEPP5NM, KEEPP5NO, KEEPP5NP, KEEPP5NQ, 1225*75
KEEPP5NR, KEEPP5NS, KEEPP5NT, KEEPP5NU, KEEPP5NV, KEEPP5NW, KEEPP5NX, 1226*75
KEEPP5NY, KEEPP5NZ, KEEPP5OA, KEEPP5OB, KEEPP5OC, KEEPP5OD, KEEPP5OE, 1227*75
KEEPP5OF, KEEPP5OG, KEEPP5OH, KEEPP5OI, KEEPP5OJ, KEEPP5OK, KEEPP5OL, 1228*75
KEEPP5OM, KEEPP5ON, KEEPP5OO, KEEPP5OP, KEEPP5OQ, KEEPP5OR, KEEPP5OS, 1229*75
KEEPP5OT, KEEPP5OU, KEEPP5OV, KEEPP5OW, KEEPP5OX, KEEPP5OY, KEEPP5OZ, 1230*75
KEEPP5PA, KEEPP5PB, KEEPP5PC, KEEPP5PD, KEEPP5PE, KEEPP5PF, KEEPP5PG, 1231*75
KEEPP5PH, KEEPP5PI, KEEPP5PJ, KEEPP5PK, KEEPP5PL, KEEPP5PM, KEEPP5PN, 1232*75
KEEPP5PO, KEEPP5PP, KEEPP5PQ, KEEPP5PR, KEEPP5PS, KEEPP5PT, KEEPP5PU, 1233*75
KEEPP5PV, KEEPP5PW, KEEPP5PX, KEEPP5PY, KEEPP5PZ, KEEPP5QA, KEEPP5QB, 1234*75
KEEPP5QC, KEEPP5QD, KEEPP5QE, KEEPP5QF, KEEPP5QG, KEEPP5QH, KEEPP5QI, 1235*75
KEEPP5QJ, KEEPP5QK, KEEPP5QL, KEEPP5QM, KEEPP5QN, KEEPP5QO, KEEPP5QP, 1236*75
KEEPP5QQ, KEEPP5QR, KEEPP5QS, KEEPP5QT, KEEPP5QU, KEEPP5QV, KEEPP5QW, 1237*75
KEEPP5QX, KEEPP5QY, KEEPP5QZ, KEEPP5RA, KEEPP5RB, KEEPP5RC, KEEPP5RD, 1238*75
KEEPP5RE, KEEPP5RF, KEEPP5RG, KEEPP5RH, KEEPP5RI, KEEPP5RJ, KEEPP5RK, 1239*75
KEEPP5RL, KEEPP5RM, KEEPP5RN, KEEPP5RO, KEEPP5RP, KEEPP5RQ, KEEPP5RR, 1240*75
KEEPP5RS, KEEPP5RT, KEEPP5RU, KEEPP5RV, KEEPP5RW, KEEPP5RX, KEEPP5RY, 1241*75
KEEPP5RZ, KEEPP5SA, KEEPP5SB, KEEPP5SC, KEEPP5SD, KEEPP5SE, KEEPP5SF, 1242*75
KEEPP5SG, KEEPP5SH, KEEPP5SI, KEEPP5SJ, KEEPP5SK, KEEPP5SL, KEEPP5SM, 1243*75
KEEPP5SN, KEEPP5SO, KEEPP5SP, KEEPP5SQ, KEEPP5SR, KEEPP5SS, KEEPP5ST, 1244*75
KEEPP5SU, KEEPP5SV, KEEPP5SW, KEEPP5SX, KEEPP5SY, KEEPP5SZ, KEEPP5TA, 1245*75
KEEPP5TB, KEEPP5TC, KEEPP5TD, KEEPP5TE, KEEPP5TF, KEEPP5TG, KEEPP5TH, 1246*75
KEEPP5TI, KEEPP5TJ, KEEPP5TK, KEEPP5TL, KEEPP5TM, KEEPP5TN, KEEPP5TO, 1247*75
KEEPP5TP, KEEPP5TQ, KEEPP5TR, KEEPP5TS, KEEPP5TT, KEEPP5TU, KEEPP5TV, 1248*75
KEEPP5TV, KEEPP5TW, KEEPP5TX, KEEPP5TY, KEEPP5TZ, KEEPP5UA, KEEPP5UB, 1249*75
KEEPP5UC, KEEPP5UD, KEEPP5UE, KEEPP5UF, KEEPP5UG, KEEPP5UH, KEEPP5UI, 1250*75
KEEPP5UJ, KEEPP5UK, KEEPP5UL, KEEPP5UM, KEEPP5UN, KEEPP5UO, KEEPP5UP, 1251*75
KEEPP5UQ, KEEPP5UR, KEEPP5US, KEEPP5UT, KEEPP5UU, KEEPP5UV, KEEPP5UW, 1252*75
KEEPP5UX, KEEPP5UY, KEEPP5UZ, KEEPP5VA, KEEPP5VB, KEEPP5VC, KEEPP5VD, 1253*75
KEEPP5VE, KEEPP5VF, KEEPP5VG, KEEPP5VH, KEEPP5VI, KEEPP5VJ, KEEPP5VK, 1254*75
KEEPP5VL, KEEPP5VM, KEEPP5VN, KEEPP5VO, KEEPP5VP, KEEPP5VQ, KEEPP5VR, 1255*75
KEEPP5VS, KEEPP5VT, KEEPP5VU, KEEPP5VV, KEEPP5VW, KEEPP5VX, KEEPP5VY, 1256*75
KEEPP5VZ, KEEPP5WA, KEEPP5WB, KEEPP5WC, KEEPP5WD, KEEPP5WE, KEEPP5WF, 1257*75
KEEPP5WG, KEEPP5WH, KEEPP5WI, KEEPP5WJ, KEEPP5WK, KEEPP5WL, KEEPP5WM, 1258*75
KEEPP5WN, KEEPP5WO, KEEPP5WP, KEEPP5WQ, KEEPP5WR, KEEPP5WS, KEEPP5WT, 1259*75
KEEPP5WU, KEEPP5WV, KEEPP5WW, KEEPP5WX, KEEPP5WY, KEEPP5WZ, KEEPP5XA, 1260*75
KEEPP5XB, KEEPP5XC, KEEPP5XD, KEEPP5XE, KEEPP5XF, KEEPP5XG, KEEPP5XH, 1261*75
KEEPP5XI, KEEPP5XJ, KEEPP5XK, KEEPP5XL, KEEPP5XM, KEEPP5XN, KEEPP5XO, 1262*75
KEEPP5XP, KEEPP5XQ, KEEPP5XR, KEEPP5XS, KEEPP5XT, KEEPP5XU, KEEPP5XV, 1263*75
KEEPP5XW, KEEPP5XX, KEEPP5XY, KEEPP5XZ, KEEPP5YA, KEEPP5YB, KEEPP5YC, 1264*75
KEEPP5YD, KEEPP5YE, KEEPP5YF, KEEPP5YG, KEEPP5YH, KEEPP5YI, KEEPP5YJ, 1265*75
KEEPP5YK, KEEPP5YL, KEEPP5YM, KEEPP5YN, KEEPP5YO, KEEPP5YP, KEEPP5YQ, 1266*75
KEEPP5YR, KEEPP5YS, KEEPP5YT, KEEPP5YU, KEEPP5YV, KEEPP5YW, KEEPP5YX, 1267*75
KEEPP5YY, KEEPP5YZ, KEEPP5ZA, KEEPP5ZB, KEEPP5ZC, KEEPP5ZD, KEEPP5ZE, 1268*75
KEEPP5ZF, KEEPP5ZG, KEEPP5ZH, KEEPP5ZI, KEEPP5ZJ, KEEPP5ZK, KEEPP5ZL, 1269*75
KEEPP5ZM, KEEPP5ZN, KEEPP5ZO, KEEPP5ZP, KEEPP5ZQ, KEEPP5ZR, KEEPP5ZS, 1270*75
KEEPP5ZT, KEEPP5ZU, KEEPP5ZV, KEEPP5ZW, KEEPP5ZX, KEEPP5ZY, KEEPP5ZZ, 1271*75

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COMMENT - FORM SMH FOR MEMBER WITH TO JOINT AT JOINT JTN
2350 FORM SMH(1) = FORM(JJ,4)
      FORM SMH(2) = FORM(JJ,5)
      FORM SMH(3) = FORM(JJ,6)
2500 CONTINUE
COMMENT - TRANSFORM SMH AND FMS TO STRUCTURE COORDINATES SMS AND FMS
      CALL TRANSF(1,3,DCR,SMS)
2550 CALL TRANSF(1,3,DCR,FMS)
COMMENT - TRANSFORM SMS4 DEGREE OF FREEDOM SMS AND FMS INTO 4-DEGREE
      DO 2560 I=1,3
      DO 2560 J=1,3
2560   SMS(I,J) = SMS(I,J)
      TRANSF(1,3,DCR,ID1,ID2)
      MULT(1,3,DCR,T33,ID1,ID2)
      CALL TRANSF(1,3,DCR,SMS4,ID1,ID2)
      CALL TRANSF(1,3,DCR,FMS4,ID1,ID2)
COMMENT - ADD (SUBTRACT) IN FMS4 TO STRUCTURE LOAD MATRIX FSS
COMMENT - ADD IN SMS4 TO DIAGONAL SUBMATRIX OF SSL - SYMMETRICAL TERMS
      DO 2600 I=1,ID2
      DO 2600 J=1,ID2
      FSS(I,J) = FSS(I,J) - FMS4(I,J)
      DO 2600 J=1,ID2
      SSL(I,J) = SSL(I,J) + SMS4(I,J)
2600 CONTINUE
COMMENT - SKIP FOR SMH WHICH ARE TO LEFT OF DIAGONAL
      IF (JT2(JJ) .EQ. JTN) GO TO 2700
      IF (JT2(JJ) .GT. JTN) GO TO 2700
COMMENT - FORM SMH FOR MEMBER WITH FROM JOINT AT JOINT JTN
      IF (KEYDET .EQ. 2) KEY=2
      IF (KEYDET .EQ. 3) KEY=3
      IF (KEYDET .EQ. 4) KEY=4
      JTN1 = JT2(JJ)
      CALL TRANSF(1,3,DCR,TRO,ID1,ID3)
      SMS(1,1) = SMC(JJ,4)
      SMS(1,2) = SMC(JJ,5)
      SMS(1,3) = SMC(JJ,6)
      SMS(2,1) = SMC(JJ,7)
      SMS(2,2) = SMC(JJ,8)
      SMS(2,3) = SMC(JJ,9)
      SMS(3,1) = SMC(JJ,10)
      SMS(3,2) = SMC(JJ,11)
      SMS(3,3) = SMC(JJ,12)
      SMS(4,1) = SMC(JJ,13)
      SMS(4,2) = SMC(JJ,14)
      SMS(4,3) = SMC(JJ,15)
      GO TO 3000
2700 CONTINUE
COMMENT - FORM SMH FOR MEMBER WITH TO JOINT AT JOINT JTN
      IF (KEYDET .EQ. 1) KEY=1
      IF (KEYDET .EQ. 2) KEY=2
      IF (KEYDET .EQ. 3) KEY=3
      JTN1 = JT1(JJ)
      CALL TRANSF(1,3,DCR,TRO,ID1,ID3)
      SMS(1,1) = SMC(JJ,4)
      SMS(1,2) = SMC(JJ,5)
      SMS(1,3) = SMC(JJ,6)
      SMS(2,1) = SMC(JJ,7)
      SMS(2,2) = SMC(JJ,8)
      SMS(2,3) = SMC(JJ,9)
      SMS(3,1) = SMC(JJ,10)
      SMS(3,2) = SMC(JJ,11)
      SMS(3,3) = SMC(JJ,12)
      SMS(4,1) = SMC(JJ,13)
      SMS(4,2) = SMC(JJ,14)
      SMS(4,3) = SMC(JJ,15)
3000 CONTINUE
COMMENT - TRANSFORM SMH TO STRUCTURE COORDINATES SMS
      CALL TRANSF(1,3,DCR,T33)
      CALL TRANSF(1,3,DCR,SMS)
      DO 3010 I=1,3
      DO 3010 J=1,3
3010   SMS3(I,J) = SMS(I,J)
      MULT(1,3,DCR,T33,ID2,ID1,ID3)
      CALL TRANSF(1,3,DCR,SMS3,TRO,SMS4,ID2,ID1,ID3)
COMMENT - PLACE SMS IN SSL
      JTN1 = JT2(JJ)
      JTN2 = JT1(JJ)
      IF (JTN1 .GT. JTN2) GO TO 3100
      JTN1 = JT1(JJ)
      JTN2 = JT2(JJ)
3100 CONTINUE
      JTN1 = JTN1 - JTN2
      JTN1 = JTN1 + 1
      DO 3150 I=1,ID2
      DO 3150 J=1,ID3
      IF (JTN1 .NE. 0) ISTP=ISTP + 1
3150 CONTINUE
      DO 3200 I=1,ID2
      DO 3200 J=1,ID3
      SSL(I,ISTP+J-1) = SMS4(I,J)
3200 CONTINUE
3500 CONTINUE
COMMENT - CALL INELST TO FIND SPRING RESISTIVE FORCES AND TANGENT STIFF
COMMENT - FIRST ITERATION FROM A ZERO DISPLACEMENT START
      CALL INELST(JTN,SJX,SJY,SJZ,SJ3V,SJ4V,SJ5V,SJ6V,SJ7V,SJ8V,SJ9V,SJ10V,SJ11V,SJ12V,SJ13V,SJ14V,SJ15V)
COMMENT - ADD IN JTN1 LOADS
      IF (JTN1 .NE. 0) GO TO 3500
      IF (ITYPE .EQ. 1) AND (ITYPE .EQ. 1) GO TO 3550
      QJX = 0.0
      QJY = 0.0
      QJZ = 0.0
3550 CONTINUE

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5600      DO 5000 I = 1, IHB
          SSL(2,I) = SSL(2,I+1)
          DO 5700 J = 1, IHB1
          5700      SSL(3,J) = SSL(3,I+2)
          DO 5800 I = 1, IHB2
          5800      SSL(4,I) = SSL(4,I+3)
          SSL(1,I) = 0.0
          SSL(1,IHBP1) = 0.0
          SSL(3,I) = 0.0
          SSL(3,IHBP1) = 0.0
          SSL(4,I) = 0.0
          SSL(4,IHBP1) = 0.0
          DO 6500 I = 1, 4
          IF (SSL(I,I) .NE. 0.0) GO TO 6500
          COMMENT - ZERO ON DIAGONAL MATRIX - DISPLACEMENT UNDEFINED - SET
          COMMENT - DISPLACEMENT EQUAL TO 1.0E40
          PSS(I,I) = 1.0E40
          6500      CONTINUE
          IF (I .EQ. NE) GO TO 7000
          COMMENT - DUMP OF STRUCTURE STIFFNESS AND LOAD MATRIX, TO ACTIVATE SET
          COMMENT - LAST FIVE COLUMNS IN PROBLEM NUMBER CARD EQUAL TO PRINT
          DO 6700 I = 1, 4
          PRINT 4750, (SSL(I,I), I=1, IHB1), PSS(I,I)
          6700      CONTINUE
          7000      CONTINUE
          J1P2 = J1 + 1
          J1P3 = J1 + 2
          J1P4 = J1 + 3
          IF (I .EQ. 1) GO TO 7200
          DO 7100 J = 1, IHB1
          RM(J1,J2) = SSL(1,J2)
          RM(J1P1,J2) = SSL(2,J2)
          RM(J1P2,J2) = SSL(3,J2)
          RM(J1P3,J2) = SSL(4,J2)
          7100      CONTINUE
          7200      RM(J1) = PSS(1)
          RM(J1P1) = PSS(2)
          RM(J1P2) = PSS(3)
          RM(J1P3) = PSS(4)
          J1 = J1 + 4
          GO TO 8000
          8000      CONTINUE
          RETURN
          END

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***** SUBROUTINE *****

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SUBROUTINE TRANSF (KEY, JTN, TRH, IEL, ID2)
COMMENT - TRANSFORMS MEMBER THE MATRIX THAT TRANSFORMS MEMBER
COMMENT - STIFFNESS AND LOAD MATRICES IN 3-DEGREE STRUCTURE COORDINATES
COMMENT - TO 4-DEGREE STRUCTURE COORDINATE SYSTEM
EXPLICIT REAL*8 (A-H,O-Z)
DIMENSION TRH(4,4), I(25), QXX(25), QYY(25),
          QZZ(25), SXX(25), SZZ(25), DXX(25),
          ERXX(25), ERYY(25), ERZZ(25),
          NSXX(25), NSYY(25), NSZZ(25),
          NSXP(25), NSYP(25), NSZP(25),
          SVV(25), DVV(25), ERVV(25),
          NSVV(25), JST(25), XJSS(25), HLJ(25), HRJ(25), VLJ(25), VUJ(25),
          IEL(25), JSC(25)
COMMON /BLOCK1/ I(25), QXX(25), QYY(25), QZZ(25),
          SXX(25), SZZ(25), DXX(25),
          ERXX(25), ERYY(25), ERZZ(25),
          NSXX(25), NSYY(25), NSZZ(25),
          NSXP(25), NSYP(25), NSZP(25),
          SVV(25), DVV(25), ERVV(25),
          NSVV(25), JST(25), XJSS(25), HLJ(25), HRJ(25), VLJ(25), VUJ(25),
          IEL(25), JSC(25)
COMMON /SAT21/ PDELTA
DATA PDELTA /4E-04/
DATA PDNO /4E-04/
JST = JST(JTN)
ID1 = 3
IF (JST = 0.0) GO TO 700
DO 200 I = 1, 3
DO 200 J = 1, 4
200      CONTINUE
          TRH(1,1) = 1.0
          TRH(2,2) = 1.0
          IF (PDNO .NE. PDNO .AND. PDELTA .NE. PDNO) GO TO 1000
          GO TO 300, 400, 500, 600, KEY
          300      CONTINUE
          COMMENT - HORIZONTAL MEMBER WITH JOINT ON THE LEFT
          TRH(2,3) = HRJ(JST)
          TRH(3,4) = 1.0
          GO TO 400
          400      CONTINUE
          COMMENT - HORIZONTAL MEMBER WITH JOINT ON THE RIGHT
          TRH(3,3) = HRJ(JST)
          TRH(3,4) = 1.0
          GO TO 500
          500      CONTINUE
          COMMENT - VERTICAL MEMBER WITH JOINT ON THE BOTTOM
          TRH(1,4) = -VUJ(JST)
          TRH(2,3) = 1.0
          GO TO 600
          600      CONTINUE
          COMMENT - VERTICAL MEMBER WITH JOINT ON THE TOP

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      TRM(1,3) = VLJ(JSTT)
      GO TO 2000
700  CONTINUE
      ID2 = 3
      DO 800 I = 1,3
      DO 800 J = 1,3
      TRM(I,J) = 0.0
800  CONTINUE
      DO 900 I = 1,3
      CONTINUE
      TRM(I,1) = 1.0
900  CONTINUE
      GO TO 2000
1000 CONTINUE
      GO TO 1300,1400,1500,1600,KEY
1300 CONTINUE
      COMMENT - HORIZONTAL MEMBER WITH JOINT ON THE LEFT
      TRM(1,3) = -HBJ(JSTT)*DSIN(DZZ(JTN))
      TRM(2,3) = -HBJ(JSTT)*DCOS(DZZ(JTN))
      TRM(3,4) = 1.0
      GO TO 2000
1400 CONTINUE
      COMMENT - HORIZONTAL MEMBER WITH JOINT ON THE RIGHT
      TRM(1,3) = HBJ(JSTT)*DSIN(DZZ(JTN))
      TRM(2,3) = HBJ(JSTT)*DCOS(DZZ(JTN))
      TRM(3,4) = 1.0
      GO TO 2000
1500 CONTINUE
      COMMENT - VERTICAL MEMBER WITH JOINT ON THE BOTTOM
      TRM(1,4) = -VBJ(JSTT)*ECOS(DVV(JTN))
      TRM(2,4) = -VBJ(JSTT)*DSIN(DVV(JTN))
      TRM(3,3) = 1.0
      GO TO 2000
1600 CONTINUE
      COMMENT - VERTICAL MEMBER WITH JOINT ON THE TOP
      TRM(1,4) = VBJ(JSTT)*ECOS(DVV(JTN))
      TRM(2,4) = VBJ(JSTT)*DSIN(DVV(JTN))
      TRM(3,3) = 1.0
2000 CONTINUE
      RETURN
      END

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***** SUBROUTINE ***** SUBROUTINE *****
SUBROUTINE DJSRSH (JTN,SIFJ,SHRCJ)
COMMENT - SUBROUTINE DJSRSH DETERMINES THE SHEAR MOMENT COUPLE AND ONE
COMMENT - STIFFNESS ELEMENT WHICH IS REQUIRED TO FORM STIFFNESS MATRIX
COMMENT - FOR EACH JOINT. IT CALLS SUBROUTINE JNTNCS TO KEEP TRACK OF
COMMENT - THE DEFORMATION HISTORY.
      IMPLICIT REAL*8 (A-H,O-Z)
      DIMENSION GAMCON(03),TAUCON(03)
      COMMON /BLOCK1/ X(25), Y(25), QXX(25), QYY(25),
1  DZZ(25), DXX(25), DYY(25), BXX(25), BYY(25), EZZ(25),
4  EXX(25), EYY(25), EZZ(25), QXJ(25), QYJ(25),
6  NSXJ(25), NSYJ(25), NSTJ(25), NSZJ(25),
      COMMON /BLOCK1/ VV(25), SVV(25), DVV(25), EREV(25),
2  RVV(25), RVV(25), NVSS(25), NLJ(25), HBJ(25), VLJ(25), VBJ(25),
2  THKJ(25), GJ(25), SJC(25)
      COMMON /CHIA13/ NPTJ(08), JSS(08), NTAU(08,08), NGAM(08,08),
2  STAT(08), NGAT(08), TAUMLT(08), GAMHLT(08)
      COMMON /CHIA13/ GAMHLT(08,03), TAUMAX(08,03)
      DATA PRNT /48817/
100 FORMAT (15X,6HJOINT,13,5X,13HSH-STIFFNESS=,1PE13.5,5X,
210HSH-MOMENT=,1PE13.5,/)
      IF (NJSS(JSTT) .EQ. 0) GO TO 1100
      NC = NJSS(JSTT)
      NPTM1 = NPTJ(NC) - 1
      DO 1000 K = 1, NPTM1
      TAUCON(K) = TAUMAX(NC,K)*TAUMLT(NC)
      GAMCON(K) = GAMHLT(NC,K)*GAMHLT(NC)
1000 CONTINUE
      SLPHAX = TAUMLT(NC)*NTAU(NC,2)/GAMHLT(NC)/NGAM(NC,2)
      CALL JNTNCS (TAUMLT,STPHIS,TAUCON,GAMCON,NPTM1,JTN,SLPHAX)
      GO TO 1200
1100 CONTINUE
      STPHIS = GJ(JSTT)
      STPHIS = STPHIS*(DZZ(JTN) - DVV(JTN))
      CONTINUE
      SAPHJ = STPHIS*SJC(JSTT)
      IF (APROB .NE. PRNT) GO TO 1300
      PRINT 100, JTN,SIFJ,SHRCJ
1300 CONTINUE
      RETURN
      END

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***** SUBROUTINE *****
SUBROUTINE MULT (AA,BB,CC, ID1, ID2, ID3)
COMMENT - SUBROUTINE MULT WILL MULTIPLY A ID1*ID2 MATRIX AA TIMES A
COMMENT - ID2*ID3 MATRIX BB TO OBTAIN A ID1*ID3 MATRIX CC
IMPLICIT REAL*8 (A-H,O-Z)
DIMENSION AA(4,4), BB(4,4), CC(4,4)
DO 10 J = 1, ID3
  DO 10 I = 1, ID2
    CC(I,J) = 0.0
  10 CONTINUE
  DO 10 J = 1, ID3
    DO 10 I = 1, ID2
      CC(I,J) = CC(I,J) + AA(I,K) * BB(K,J)
    10 CONTINUE
  10 CONTINUE
END

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***** SUBROUTINE *****
SUBROUTINE TRANSP (AA,BB, ID1, ID2)
COMMENT - SUBROUTINE TRANSP WILL TRANSPOSE AN ID1*ID2 MATRIX A INTO A
COMMENT - ID2*ID1 MATRIX BB
IMPLICIT REAL*8 (A-H,O-Z)
DIMENSION AA(4,4), BB(4,4)
DO 10 J = 1, ID2
  DO 10 I = 1, ID1
    BB(J,I) = AA(I,J)
  10 CONTINUE
END

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***** SUBROUTINE *****
SUBROUTINE TGCRU ( NC, IABAN )
COMMENT - SUBROUTINE TGCRU DEALS WITH THE DECOMPOSITION OF THE
COMMENT - BASIC INPUT INTEGER CURVE NUMBER NC . ONLY ONE COMPONENT IS
COMMENT - USED, TOGETHER WITH THE FEATURES OF VIRGIN STRAIN HARDENING
COMMENT - DEGRADATION (AND YIELD GROWTH)
COMMENT - PROPER SCALE FACTORS ARE TAKEN
COMMENT - THREE TYPES OF INELASTIC STRESS-STRAIN CURVES ARE POSSIBLE
COMMENT - HASTING MODEL { ALPHA = 0, BETJ = 0 }
COMMENT - HASTING DEGRADATION { ALPHA = 0, BETJ = 0 }
COMMENT - SPECIAL FOR MILD STEEL { ALPHA = 0, BETJ = 0 }
COMMENT - FOR THE PRESENT, INELASTIC CASE IS RESTRICTED TO SYMMETRIC
COMMENT - CURVES (THE NUMBER OF INPUT POINTS LESS THAN OR EQUAL TO
COMMENT - C) INCLUDING ORIGIN (0,0)
COMMENT - DESCENDING BRANCHES ARE NOT CONSIDERED AND HENCE MUST NOT
C COMMENT - BE INPUT
IMPLICIT REAL*8 (A-H,O-Z)
DIMENSION OG(08), WH(08), RMAX(07)
COMMON /CHAI3/ SPTJ(08), FAUHT(08), NTAN(08,08), NGAN(08,08),
COMMON /CHAI3/ GAMJ(08), GAMSL(08,08), GAMSLT(08,08),
COMMON /CHAI3/ ALPHJ(8), BETJ(8), SLSLJ(8), GASTHD(8),
COMMON /CHAI3/ SLPDJD(8), TAULI(8), MATRJ(8)
2 FORMAT (10X, 4 F11.4, 4X)
9 FORMAT (10X, 37HDETAILS OF BASIC STRESS-STRAIN CURVES,/, 10X,
/ CHUDED IN FACTORS EXCEPTED,/, 10X, 14H CURVE NUMBER =, 14, 5X, 25B.4, /) OF COMPONENT SPRINGS =,
2 I4, /
100 FORMAT (10X, 9H STRAINS, 6X, 9H STRESSES, 6X, 12HSTIFFNESS OF, 3X,
13HMAX STRESS OF,
3 10X, 5H INPUT, 10X, 5H INPUT, 10X, 10H COMPONENTS, 8X, 10H COMPONENTS,/,
3 10X, 10H (INTEGERS), 4X, 10H (INTEGERS), 5X, 10H (UNSCALED), 6X,
103 FORMAT (/, 5X, 25HDEGRADATION YIELD GROWTH
5X, 5HALPHJ, 8X, 4HBETJ, /, 5X, 2(P10.4 3X) /)
104 FORMAT (/, 5X, 43HDEGRADATION DEGRADATION YIELD GROWTH YIELD,
2 7H GROWTH, 49H SHALJ SLOPE GAMMA
J, 9X, 5HALPHJ, 8X, 5HALPHJ, 8X, 4HBETJ, 9X, 4HBETJ, 6X, 11HFROM YLD PT.,
4 56H DEGRADATION STRESS (COMPUTED), STRESS (COMPUTED), /)
5 8X, 47H INPUT (COMPUTED), STRESS (COMPUTED), /)
105 FORMAT (/, 5X, 2(P10.4 3X) 1H - 6X, 4(P10.4 3X) /)
106 FORMAT (/, 5X, 2(P10.4 3X) 1H - 6X, 4(P10.4 3X) /)
107 FORMAT (/, 5X, 2(P10.4 3X) 1H - 6X, 4(P10.4 3X) /)
108 FORMAT (/, 11X, 1H - 6X, 4(P10.4 3X) 1H - 6X, 5(P10.4 3X) /)
120 FORMAT (/, 11X, 1H - 6X, 4(P10.4 3X) 1H - 6X, 5(P10.4 3X) /)
121 FORMAT (/, 11X, 1H - 6X, 4(P10.4 3X) 1H - 6X, 5(P10.4 3X) /)
122 FORMAT (/, 36H ERROR IN INPUT OF TAU-GAMMA CURVE #, 13, /
4 39H DEGRADATION ALGORITHM (ALPHJ # 0) DEFINED ONLY IF CURVE IS,
3 20H CONTINUOUS CONVEX, 10H (EXCEPT FOR MILD)
124 FORMAT (/, 25B.4 *** WARNING FOR CURVE #, 13, 5H ***
4 61H HASTING MODEL WITH CURVE NOT CONTINUOUSLY CONVEX IS PERMITTED,
3 14H AT
126 FORMAT (/, 30H ERROR IN INPUT OF TAU-GAMMA CURVE #, 13, /
4 40H 4 POINTS MUST BE USED FOR "MILD" CURVE )
130 FORMAT (/, 2X, 40H A MUST BE BETWEEN 0 & 1 )
132 FORMAT (/, 2X, 40H A MUST BE BETWEEN 0 & 1 )
134 FORMAT (/, 2X, 19H BETJ MUST BE > 0 )
136 FORMAT (/, 2X, 40H *** WARNING : BETJ SEEMS VERY HIGH *** /)
138 FORMAT (/, 2X, 40H *** WARNING : BETJ SEEMS VERY HIGH *** /)
2 47H OR A KINEMATICALLY SMALL SENSITIVE VALUE FOR "MILD", /)
DATA MILD /4H MILD/

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```

180      NAGAIN = 0
      CONTINUE
      NPT = NPTJ(NC)
      DO 190 J = 1, NPT
        Q(J) = NTAU(NC, J)
        W(J) = NGAM(NC, J)
190      CONTINUE
        NPTM2 = NPT - 2
        NPTM1 = NPT - 1
        IF (NPTM2.EQ.0) GO TO 205
        DO 200 J = 1, NPTM2
          SLOK = (Q(J+1) - Q(J)) / (W(J+1) - W(J))
          SLOKPI = (Q(J+2) - Q(J+1)) / (W(J+2) - W(J+1))
          STP = SLOK - SLOKPI
          RMAX(J) = W(J+1) * STP
200      CONTINUE
205      CONTINUE
          STP = (Q(NPT) - Q(NPTM1)) / (W(NPT) - W(NPTM1))
          RMAX(NPTM1) = W(NPTM1) * STP
          IF (RMAXJ(NC).EQ.MILD) GO TO 400
          IF (IABAS = 1 .LT. 1.0D-10) GO TO 300
          PRINT 120, NC
          GO TO 1000
300      CONTINUE
          DO 350 J = 1, NPTM1
            GO TO RMAX(J).GE.0.0) GO TO 350
350      CONTINUE
          GO TO 390
370      CONTINUE
          IF (ALPHJ(NC).LT.1.0D-10) GO TO 380
          PRINT 122, IABAS = 1
          GO TO 1000
380      CONTINUE
          PRINT 124, NC
390      CONTINUE
          SLSLJ(NC) = 0.0
          GASTHD(NC) = 10000.0 * W(2)
          SLPBDJ(NC) = 0.0
          TAULT(NC) = Q(NPT)
          GO TO 500
400      CONTINUE
          IF (NPT.EQ.4) GO TO 410
          IF (NAGAIN.EQ.1) GO TO 500
          IABAS = 1
          PRINT 126, NC
          GO TO 1000
410      CONTINUE
          NTEMEA = 1
          IF (ALPHJ(NC).GT.1.0D-10) GO TO 420
          COMMENT - IF ALPHJ IS NOT INPUT FOR MILD(STEEL), USE A REASONABLE VALUE
          IF (ALPHJ(NC) = 0.1)
            NTEMEA = 0
420      CONTINUE
          BETJ(NC).GT.1.0D-10) GO TO 440
          COMMENT - IF BETJ IS NOT INPUT FOR MILD(STEEL), THEN IT IS TAKEN
          COMMENT - AS ZERO. HOWEVER IT IS OUTPUT UNDER THE 'COMPUTED' TITLE.
          BETJ(NC) = 0.0
          NTEMF2 = 0
440      CONTINUE
          SLSLJ(NC) = (Q(3) - Q(2)) / (W(3) - W(2))
          GASTHD(NC) = W(3)
          SLPBDJ(NC) = (Q(4) - Q(3)) / (W(4) - W(3))
          TAULT(NC) = Q(4)
          NPTJ(NC) = 4
          NAGAIN = 1
          GO TO 180
500      CONTINUE
          PRINT 9
          PRINT 90
          PRINT 100, NC, NPTM1
          PRINT 9
          PRINT 102
          PRINT 2
          DO 500 J = 1, NPT
            W(J) = Q(J)
            STP = RMAX(J-1) / W(J)
            W(J) = Q(J) + STP * RMAX(J-1)
          CONTINUE
          DO 950 J = 1, NPTM1
            COMMENT - GAMISL(NC, J) AND TAUMAX(NC, J) PERTAIN TO THE JTH COMPONENT
            COMMENT - OF THE BASIC INTEGER INPUT CURVE NUMBER NC
            GAMISL(NC, J) = W(J+1)
            TAUMAX(NC, J) = RMAX(J)
          CONTINUE
          IF (RMAXJ(NC).EQ.MILD) GO TO 950
          PRINT 103, ALPHJ(NC), BETJ(NC)
          GO TO 982
950      CONTINUE
          PRINT 104
          IF (NTEMPA + NTEMPb.EQ.0)
            IF (NTEMPa.EQ.0 .AND. NTEMPb.EQ.0) GO TO 980
            IF (NTEMPa.EQ.0 .AND. NTEMPb.EQ.0) GO TO 970
          PRINT 105, ALPHJ(NC), BETJ(NC), SLSLJ(NC), GASTHD(NC), SLPBDJ(NC),

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2          GO TO 982
960 PRINT 106, ALPHJ(NC), BETJ(NC), SMLSJ(NC), GASTHD(NC), SLPHDJ(NC),
2          GO TO 982
970 PRINT 107, ALPHJ(NC), BETJ(NC), SMLSJ(NC), GASTHD(NC), SLPHDJ(NC),
2          GO TO 982
980 PRINT 108, ALPHJ(NC), BETJ(NC), SMLSJ(NC), GASTHD(NC), SLPHDJ(NC),
982      CONTINUE
          IF ( ALPHJ(NC) .GE. 0.0 .AND. ALPHJ(NC) .LE. 1.0 ) GO TO 984
          PRINT 130
          GO TO 1000
984      CONTINUE
          IF ( MATRJ(NC) .NE. MILD ) GO TO 985
          PRINT 132
          IF ( ALPHJ(NC) .LT. 0.35 ) GO TO 985
985      CONTINUE
          IF ( BETJ(NC) .GE. 0.0 ) GO TO 986
          PRINT 134
          GO TO 1000
986      CONTINUE
          IF ( MATRJ(NC) .NE. MILD ) GO TO 987
          PRINT 136
          IF ( BETJ(NC) .LE. 0.5 ) GO TO 987
987      CONTINUE
          IF ( SMLSJ(NC) .GE. 0.0 ) GO TO 1000
1000     PRINT 138
          CONTINUE
          RETURN
          END

```

***** SUBROUTINE *****

COMMENT - SUBROUTINE JNTAS DETERMINES THE HISTORY DEPENDENT SHEAR STRESS TAUIS, AND SHEAR STIFFNESS STPHIS, AT THE JOINT JTN

C INPUT - REAL * 8 JTN, A-H, O-Z

COMMON /BLK1/ X(25), Y(25), QXX(25), QYY(25),

2 QZZ(25), SXX(25), SYY(25), SZZ(25), DXX(25),

3 DYY(25), DZZ(25), RXX(25), RYY(25), RZZ(25),

4 ERXX(25), ERYY(25), ERZZ(25), QXJ(25), QYJ(25),

5 NSXP(25), NSYP(25), NSZP(25), NSTJH(25), NSXP(25),

6 NSYP(25), NSZP(25), SVV(25), DVV(25), ERVV(25),

7 RVV(25), NSVV(25)

2 COMMON /BLK1/ TOL, ELEMENT, NJST, KEEP3C, NCD3C,

3 KEEP26, KEEP3A, KEEP3B, KEEP4A, KEEP4B, KEEP4C, KEEP5A,

4 KEEP5B, KEEP5C, KEEP5D, KEEP6A, KEEP6B, KEEP6C, KEEP6D,

5 NCD3B, NCD4A, NCD4B, NCD4C, NCD5A, NCD5B, NCD5C,

6 NCD5D, NCD6A, NCD6B, NCD7, IP8, IP9, IP10, ITYPE,

7 IABAN, IP1, IP2, IP3, IP4, IP5, IP6, IP7, IP8, IP9,

8 IP10, IP11, IP12, IP13, IP14, IP15, IP16, IP17, IP18,

9 IP19, IP20, IP21, IP22, IP23, IP24, IP25, IP26, IP27,

10 IP28, IP29, IP30, IP31, IP32, IP33, IP34, IP35, IP36,

11 IP37, IP38, IP39, IP40, IP41, IP42, IP43, IP44, IP45,

12 IP46, IP47, IP48, IP49, IP50, IP51, IP52, IP53, IP54,

13 IP55, IP56, IP57, IP58, IP59, IP60, IP61, IP62, IP63,

14 IP64, IP65, IP66, IP67, IP68, IP69, IP70, IP71, IP72,

15 IP73, IP74, IP75, IP76, IP77, IP78, IP79, IP80, IP81,

16 IP82, IP83, IP84, IP85, IP86, IP87, IP88, IP89, IP90,

17 IP91, IP92, IP93, IP94, IP95, IP96, IP97, IP98, IP99,

20 COMMON /BLK5/ NPSUB, NITP, N1, N2

COMMON /SKT3/ NCOUNT, NITER, NITERE, NITERF, NITERG,

COMMON /SKT4/ IRV(21,2,10), INDEX, FOMCLD(50,6),

2 IRV3SE, ITAPE, N3

COMMON /SKT8/ NCHCK, TIME, JT, IRDYN, IRSTEP(71)

COMMON /CHAI3/ GAMHS(25,3), GAMHS(25,3)

COMMON /CHAI3/ JRV(25), JRGICN(25)

25 FOMCLD(50,6) = 0.0, 1.0, 1.0, 1.0, 1.0, 1.0, 1.0, 1.0, 1.0, 1.0,

2 12H TAUIS(6) = 0.0, 1.0, 1.0, 1.0, 1.0, 1.0, 1.0, 1.0, 1.0, 1.0,

3 STRAIN = DZZ(JTN) - DVV(JTN)

TAUIS = 0.0

STPHIS = 0.0

IF (INDEX .NE. 1) GO TO 410

DO 400 K = 1, NPTM1

400 GAMHS(JTN, K) = GAMHS(JTN, K)

410 CONTINUE

CONTINUE

DO 1200

SLOPE = 1.0, NPTM1

ER = GAMHS(JTN, K) / GAMCOM(K)

ERT = GAMHS(JTN, K)

IF (DABS (STRAIN-ER) .GE. (GAMCOM(K)-5.0D-10)) GO TO 500

C STPHIS = STPHIS + SLOPE

IF (NCHCK .NE. 1) GO TO 500

COMMENT - ONLY FIRST COMPONENT NEED TO BE MONITORED FOR REVERSAL.

IF (K .NE. 1) GO TO 450

IF (JRGICN(JTN, EQ, 0) .GO TO 450

JRV(JTN) = 1

GO TO 2200

450 CONTINUE

COMMENT - DURING ITERATION PROCESS IT IS POSSIBLE THAT THE STRAIN

COMMENT - RIDES INTO PLASTIC RANGE, AND THEN COMES INTO THE ELASTIC

```

COMMENT - RANGE, IN SUCH A CASE, THE TEMPORARY RESIDUAL STRAIN MUST BE
COMMENT - PROPERLY RE-FIXED IN VALUE, SO THAT IMPROPER VALUES ARE NOT
COMMENT - HENCE THE FOLLOWING STATEMENT
11905*80
11906*80
11907*80
11908*80
11909*80
11910*80
11911*80
11912*80
11913*80
11914*80
11915*80
11916*80
11917*80
11918*80
11919*80
11920*80
11921*80
11922*80
11923*80
11924*80
11925*80
11926*80
11927*80
11928*80
11929*80
11930*80
11931*80
11932*80
11933*80
11934*80
11935*80
11936*80
11937*80
11938*80
11939*80
11940*80
11941*80
11942*80
11943*80
11944*80
11945*80
11946*80
11947*80
11948*80
11949*80
11950*80
11951*80
11952*80
11953*80
11954*80
11955*80
11956*80
11957*80
11958*80
11959*80
11960*80
11961*80
11962*80
11963*80
11964*80
11965*80
11966*80
11967*80

C
500 CONTINUE
IF ( STRAIN .GT. ER ) GC TO 600
C
50 = -TAUCOM(K)
IF ( NCHECK .NE. 1 ) GO TO 550
IF ( K JSGICN(JTN) .NE. 1 ) GO TO 550
JRV(JTN) = 1
GO TO 2200
550 CONTINUE
ERT = STRAIN + GAMCOM(K)
IF ( INDEX.EQ.1 ) GO TO 1000
IF ( K JSGICN(JTN) ) GO TO 1000
C
GO TO 1000 NEGATIVE YIELD ZONE ( END )
C
600 POSITIVE YIELD ZONE ( BEGIN )
50 = TAUCOM(K)
IF ( NCHECK .NE. 1 ) GO TO 650
IF ( K JSGICN(JTN) .NE. -1 ) GO TO 650
JRV(JTN) = 1
GO TO 2200
650 CONTINUE
ERT = STRAIN - GAMCOM(K)
IF ( INDEX.EQ.1 ) GO TO 1000
IF ( K JSGICN(JTN) ) GO TO 1000
C
1000 POSITIVE YIELD ZONE ( END )
TAUHS = TAUHS + 50
GAMHS(JTN,K) = ER
GAMHS(JTN,K) = ERT
1200 CONTINUE
IF ( ITYPE .LE. 2 ) GO TO 2050
IF ( IREYN .EC. 1 .AND. NITERF .EQ. 2 ) GO TO 2100
GO TO 200
2050 CONTINUE
IF ( NITF .EQ. 2 .AND. NITERF .EQ. 2 ) GO TO 2100
GO TO 2200
2100 CONTINUE
IF ( JRV(JTN) .EQ. 0 ) GO TO 2200
STPHS = STPMAX
JRV(JTN) = 0
2200 CONTINUE
COMMENT - OUTPUT MESSAGE IF SHEAR STRAIN EXCEEDS THE LAST STRAIN
COMMENT - ORINATE OF VIRGIN CURVE
IF ( DABS(STRAIN) .LT. GAMCOM(SPTH1) ) GO TO 2500
PRINT 25, JTN, STRAIN, TAUHS, STPHS
2500 CONTINUE
IF ( NCHECK .EQ. 1 ) INVRSE = INVRSE + JRV(JTN)
RETURN
END

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***** SUBROUTINE *****
SUBROUTINE DYNAJUS (RM, RC, W, SL, L1, L3, L4, L6, DELWJT)
COMMENT - SUBROUTINE DYNAJUS PERFORMS DYNAMIC ANALYSIS FOR FRAMES THAT
COMMENT - INCLUDE JOINT SHEAR DEFORMATION EFFECTS.
IMPLICIT REAL*8 (A-H,O-Z)
REAL*8 MEMBER
REAL*4 DEXJ
REAL*4 FORCEL, STREAN, BNOMNL, CURVAL, SHFORL, GAMMAL,
FORCER, STREAR, BNOMNR, CURVAR, SHFORR, GAMMAR,
PRAAFL, PRAARD, FRMCH, FRMOT, FRMSEF, FRMLTD,
TOAFL, TOARD, TOHOR, TOHOT, TOSH, TOLTD,
SHNT
REAL*4 POTENM
DIMENSION SHNT(21)
DIMENSION COMT(6)
DIMENSION POMT(50,6)
DIMENSION FR(71)
DIMENSION RM(L6,L4), RO(L6), W(L6)
DIMENSION DELWJT(L6)
COMMON /BLOCK1/ X(25), Y(25), QXX(25), QYY(25),
Z(25), DZ(25), EXX(25), EYY(25),
NXX(25), NZ(25), EXXZ(25), EYYZ(25),
NSXP(25), ISXP(25), SVV(25), DVV(25), ERVV(25),
CCOMH /BALA01/ QVV(25),
COMMON /BLOCK2/ DKS(25), DYS(25), ZLS(25), DCS(25),
DC2S(25), PRF(25), PRAE(25), JM(25), WE(25),

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[illegible]

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50 FORMAT ( 51H SOLUTION ABANDONED IN SEARCH OF AN INDEPENDENT
2 10H PROBLEM
4 49H THE FOLLOWING CARDS WERE DISCARDED IN SEARCH,
90 FORMAT (///39H DYNAMIC SOLUTION FAILED AT TIME STEP =,I5,
92 FORMAT (///14H DYNAMIC SOLUTION FAILED WHILE TRYING TO PROCEED,
94 FORMAT (///21H TO NEXT TIME STEP =,F10.5,///
96 FORMAT (///42H AVAILABLE RESULTS OF THE LAST STORED GOOD,///
98 FORMAT (///18H ARE PRINTED BELOW,///
99 FORMAT (///11(1E11.3),, 10(1E11.3),, 6(1E11.3) )
100 FORMAT (///31H JOINT DISPLACEMENTS AT TIME =,F10.4,///
110 FORMAT (///31H JOINT VELOCITIES AT TIME =,F10.4,///
120 FORMAT (///31H JOINT ACCELERATIONS AT TIME =,F10.4,///
130 FORMAT (///48H * INDICATES JOINT SUPPORT OFF C- CURVE AT,
150 FORMAT (///20H END OF THIS PROBLEM)
155 FORMAT (///30H *** FRAME ITERATION NO. I5,6H *****///
2 51H MEMBER MEMB
3 11H MEMBER EQUILIBRIUM ERRORS
4 48H NO ITER
5 35H AXIAL LATERAL ROTATIONAL
192 FORMAT (///50H **ATTEMPTED DIVISION BY ZERO IN JOINT SOLUTION **
200 FORMAT (///196X, 34H---REVERSAL HAS BEEN SENSED---
2 10H)
205 FORMAT (1H1,1,14HMEMBER NUMBER =,I3,2X,19HMEMBER RESPONSES IN,
2 56H THE DISSECTION OF ORIGINAL GEOMETRY - RECORDED HYSTERESIS,
206 FORMAT (1X,16HMEMBER NUMBER =,I3,26H--MEMBER RESPONSE AT THE,
2 10H LEFT END--),
207 FORMAT (1X,16HMEMBER NUMBER =,I3,26H--MEMBER RESPONSE AT THE,
2 10H RIGHT END--),
210 FORMAT (20X,25H--- AT THE LEFT END ---,
211 FORMAT (20X,25H--- AT THE RIGHT END ---,
212 FORMAT (1X, 43H MOMENT ROTATION SH. FORCE AX. DISPL,
220 FORMAT (1H1,1,14HMEMBER NUMBER =,I3,2X,19HSECTION RESPONSE IN,
2 56H THE DISSECTION OF RECORDED GEOMETRY - RECORDED HYSTERESIS,
221 FORMAT (19HMEMBER NUMBER =,I3,25H--RESPONSE OF THE SECTION,
2 27HCLCSEST TO THE -FROM- JOINT),
222 FORMAT (16HMEMBER NUMBER =,I3,25H--RESPONSE OF THE SECTION,
2 27HCLCSEST TO THE -TO- JOINT),
230 FORMAT (1X, 4HTIME, 37H STEP TIME AX. FORCE AX. STRAIN,
234 FORMAT (5X,44HMEMBER 8 - JOINT DISPLACEMENTS, REACTIONS AND.
2 29H SHEAR PANEL
3 57H INTERNAL MEMBERS
4 50H DISPL. ROT(Z)
5 24H SHEAR MOMENT(2) SHEAR MOMENT(1) REACT(1) REACT(2) REACT(V), RO,
235 FORMAT (1X, 16H, 1,4(1E15.7), 6(1E11.3) )
236 FORMAT (1X, 16H, 1,4(1E15.7), 6(1E11.3) )
237 FORMAT (1X, 16H, 1,4(1E15.7), 6(1E11.3) )
238 FORMAT (5X,34HMEMBER 10 - JOINT EQUILIBRIUM ERRORS,
3 42H, 9X, 6HERR(1), 9X, 6HERR(2), 9X, 6HERR(V),
3 12H, 9X, 6HERR(1), 9X, 6HERR(2), 9X, 6HERR(V),
250 FORMAT (///,51H * PRINT OPTION IS LIMITED TO 4 OF MEMBERS * OF,
251 FORMAT (20X, 47H----- CLOSEST TO THE -FROM- JOINT,
252 FORMAT (20X, 47H----- SECTION CLOSEST TO THE -TO- JOINT,
253 FORMAT (1X, 4HTIME, 37H STEP TIME AX. FORCE AX. STRAIN,
2 44H MOMENT CURVATURE SH. FORCE SH. STRAIN,
254 FORMAT (1X, 16H, 1,4(1E15.7), 6(1E11.3) )
255 FORMAT (21X, 7,6,3,6(1E11.3) )
256 FORMAT (1X, 15HJOINT NUMBER =,I3,29H--RECORDED DISPLACEMENTS AND,
2 21X, 7,6,3,5(1E12.5) )
257 FORMAT (15H CHECK THE DATA)
490 FORMAT ( 4H DATA *** SOLUTION DID NOT CLOSE - STUDY MONITOR,
777 FORSAT ( 10H
2 NTIME = NTI * NM
IF ( NTIME - NPE, PRINT ) GO TO 400
IF ( NTIME - NPE, PRINT ) GO TO 400
PRINT = PENTNO
PRINT 250
CONTINUE
TEMP = NTI
TOTTEM = TEMP * DTI
NTI = 0
NJTT = 3*NJT
DO 410 I = 1,NJT
IF (JST(I) = NJTT) GO TO 410
NJAT = NJTT + 1
CONTINUE
DO 500 I = 1,NJT
IF(ZMASS(I).GE. 0.0) GO TO 420
ZMASSR(J) = -ZMASS(I)
J = J + 1
GO TO 420
ZMASSR(J) = 0.0
J = J + 1
420

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      4          SLBF2 (I,J,K), SLBFT2(I,J,K), K=1, MSSIM1 ),
953      GO TO 95301
      CONTINUE
      WING2 = 1
      READ (IREAD) (( (EPRTIS(I,J,K), EPRTIS(I,J,K), I=2, MP1 )
      WRITE (N2) (( (EPRTIS(I,J,K), EPRTIS(I,J,K), I=2, MP1 )
      IF ( MODELT .EQ. 0 ) GO TO 954
      READ (IREAD) (( (EPRT1(I,J,K), EPRT1(I,J,K), SLBF1(I,J,K),
      WRITE (N2) (( (EPRT1(I,J,K), EPRT1(I,J,K), SLBF1(I,J,K),
      95301 CONTINUE
      READ (IREAD) (( (RESMAX(I,L,J), EPSMIN(I,L,J), EPSPEE(I,L,J),
      WRITE (N2) (( (RESMAX(I,L,J), EPSMIN(I,L,J), EPSPEE(I,L,J),
      IF ( MODELT .NE. 2 ) GC TO 954
      READ (IREAD) (( (IGROW(I,L,J), ITHROW(I,L,J), J = 1, MNPCS ),
      WRITE (N2) (( (IGROW(I,L,J), ITHROW(I,L,J), J = 1, MNPCS ),
      954 CONTINUE
      IF ( IREAD .EQ. 0 ) GO TO 958
      DO 955 I = 1, MP1
      MCUREV(I,N) = 0
      955 CONTINUE
      958 WRITE (N4) (( MCUREV(I,N), N=1,3), I=2, MP1 )
      CONTINUE
      IF ( MODELT .LE. -1 ) GC TO 980
      DO 960 I = 1, MP1
      DO 960 L = 1, NHINGE
      DO 960 J = 1, MNPCS
      IY(I,L,J) = 0
      960 CONTINUE
      WRITE (N4) (( ( IY(I,L,J), J=1, MNPCS), L=1, NHINGE), I=2, MP1 )
      980 CONTINUE
      IF ( NTR .NE. 0 ) GO TO 1020
      TOTIME = TOTIME + TIME
      1020 CONTINUE
      IYPEL = IYYPEL
      IYYPEL = IYYPEL
      TIME = TIME - DTI
      IRAN = 0
      NJNC = 0
      NTII = NTI + 1
      DO 1030 I = 1, NTII
      ISTEP(I) = 0
      1030 CONTINUE
      JT = 0
      1040 JT = JT + 1
      TIME = TIME + DTI
      IF ( APROB .EQ. PRINT .OR. APROB .EQ. MEMBER ) GO TO 1044
      GO TO 1046
      1044 CONTINUE
      IF ( JT .EQ. 1 ) PRINT 41
      PRINT 40, JT, TIME
      1046 CONTINUE
      NITF = 0
      NITERF = 1
      IRDYN = 0
      IRVSE = 0
      1050 CONTINUE
      IF ( IRVSE .EQ. 0 ) GO TO 1060
      IF ( APROB .EQ. PRINT .OR. APROB .EQ. MEMBER ) GO TO 1055
      GO TO 1060
      1055 CONTINUE
      PRINT 119
      1060 CONTINUE
      ITAPE = 1
      IF ( IRVSE2 .NE. 0 ) ITAPE = 0
      IF ( ITAPE .EQ. 0 ) GO TO 1070
      CONTINUE
      NT = N2
      N2 = N1
      N1 = NT
      1070 CONTINUE
      NT = N4
      N4 = N3
      N3 = NT
      NITF = NITF + 1
      N4 = NT
      KOFFJ = 0
      NCHECK = 0
      INDEX = 0
      IF ( ( ISTEP(J1) + IRDYN ) .NE. 0 ) GO TO 1100
      IF ( NITERF .NE. 1 ) GO TO 1100
      IF ( JT .EQ. 1 ) GO TO 1100
      NCHECK = 1
      INDEX = 1
      1100 CONTINUE
      IRVSE = 0
      COMMENT - SOLVE FOR JOINT REACTIONS

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DO 1250 I = 1, NJT
COMMENT - SUBROUTINE DJSISM CALCULATES THE RESISTIVE SPRING FORCE AND
COMMENT - THE SPRING STIFFNESS FOR THE JOINT SPRINGS FOLLOWING
COMMENT - NONLINEAR LOADING. INELASTIC UNLOADING PATH
CALL DJSISM(I, SJX, SJY, SJZ, SJV, SJXY, SJYX, QJX, QJY, QJZ, QJV)
IF ( IVERSE .NE. 0 ) GO TO 1250
  RXX(I) = - SXX(I) * DX(I) + QJX
  RYY(I) = - SYY(I) * DY(I) + QJY
  RZZ(I) = - SZZ(I) * DZ(I) + QJZ
  RVV(I) = - SVV(I) * DVV(I) + QJV
  KOJ(I) = KOFFJ
  IF ( IINC(JJ) .EQ. 0 ) GO TO 1250
  NBJ = NBJ + 1
  KOMJ(NBJ, NITF) = KOFFJ
1250 CONTINUE
COMMENT - CALL SUBROUTINE DJSISM TO OBTAIN THE SHEAR MOMENT AT EACH
COMMENT - JOINT
DO 1300 I = 1, NJT
  SHMO(I) = 0.0
  IF (JST(I) .EQ. 0) GO TO 1300
  CALL DJSISM(I, STFJ, SHMOJ)
  IF ( IVERSE .NE. 0 ) GO TO 1300
  SHMO(I) = SHMOJ
1300 CONTINUE
  NITERF = NITERF + 1
  IF ( IVERSE .NE. 0 ) GO TO 1600
COMMENT - COMPUTE FOR EACH JOINT - THE SUM OF APPLIED JOINT LOAD
COMMENT - AND THE REACTION WHEN THE APPROPRIATE MEMBER END FORCES
COMMENT - ARE SUBTRACTED FROM THIS SUM THE RESULTS THE JOINT
COMMENT - EQUILIBRIUM ERRORS FOR JOINT SHEAR OPTION SUBTRACT ALSO THE
COMMENT - FORCES THAT ARE CARRIED BY THE JOINT SHEAR DEFORMATION.
DO 1400 I = 1, NJT
  ERXX(I) = CX(I) + RXX(I)
  IF (DABS(QJX(I)) .GE. 1.0E+15) ERXX(I) = 0.0
  ERYY(I) = CY(I) + RYY(I)
  IF (DABS(QJY(I)) .GE. 1.0E+15) ERYY(I) = 0.0
  ERZZ(I) = CZ(I) + RZZ(I) - SHMO(I)
  IF (DABS(QJZ(I)) .GE. 1.0E+15) ERZZ(I) = 0.0
  IF (JST(I) .EQ. 0) GO TO 1400
  ERVV(I) = 0.0
  GO TO 1500
1400 CONTINUE
  ERVV(I) = QVV(I) + RVV(I) + SHMO(I)
  IF (DABS(QJV(I)) .GE. 1.0E+15) ERVV(I) = 0.0
1500 CONTINUE
1600 CONTINUE
COMMENT - INITIALISE THE FOLLOWING VECTORS USED IN SUBROUTINE ADJTER
DO 1650 I = 1, NJT
  ERVVDN(I) = 0.0
  ERVVDN(I) = 0.0
  ERVVDN(I) = 0.0
1650 CONTINUE
  REWIND N1
  REWIND N2
  REWIND N3
  REWIND N4
  IF ( APROB .EQ. PRINT .OR. APROB .EQ. MEMBER ) GO TO 1700
1700 CONTINUE
  PRINT 155, NITF
1710 CONTINUE
  ITERSIP = ANO#
  IFAE = 0
  MNMC = 0
  DO 2000 JJ = 1, NM
    ISTAT = ISTAT(JJ)
    LTT = LT(JJ)
    INC(JJ) = 0
    NITR(JJ) = 0
  CCOMMENT - SKIP FOR NULL MEMBER
  IF ( ISTAT .EQ. 0 ) GO TO 1850
  CALL MEMSD(I, HM, L1, L3, L4, L6)
  IF (INC(JJ) .EQ. 1) MNMC = MNMC + 1
  GO TO 1950
1850 CONTINUE
  SET MEMBER END FORCE MATRIX TO NULL MATRIX FOR NULL MEMBER
  DO 1900 I = 1, 6
    FOMH(JJ, I) = 0.0
  1900 CONTINUE
  IF REVERSAL HAS BEEN SENSED AT THE BEGINNING OF
  COMMENT - A NEW TIME STEP THEN SKIP STIFFNESS FORMATION CALCULATIONS
  COMMENT - IF SOLUTION FAILS FOR ANY REASON, THEN THE LAST GOOD STORED
  COMMENT - SOLUTION ( NOT NECESSARILY THE LAST GOOD SOLUTION SOLVED FOR )
  COMMENT - ADDED TO THE JOINT DISPLACEMENTS AT THE END OF LAST TIME STEP
  COMMENT - SO EVERYTHING MUST BE BACKED UP TO THE LAST TIME STEP. CORRECT
  COMMENT - STIFFNESS MUST BE FORMED AT ITS END, REVISED INCREMENTS MUST
  COMMENT - BE FORMED AT ITS END, REVISED INCREMENTS, AND AGAIN THE NEXT TIME STEP
  COMMENT - MUST BE LEGUM.
  IF ( IVERSE .NE. 0 ) GO TO 2000
  IF ( NITERF .EQ. 0 ) PRINT 777
  COMMENT - IF SOLUTION FAILS FOR ANY REASON, THEN THE LAST GOOD STORED
  COMMENT - SOLUTION ( NOT NECESSARILY THE LAST GOOD SOLUTION SOLVED FOR )
  COMMENT - ADDED TO THE JOINT DISPLACEMENTS AT THE END OF LAST TIME STEP
  COMMENT - SIMILAR THINGS ARE DONE IN CASE OF FAILURE IN JOINT SOLUTION
  COMMENT - WITHIN THE TIME STEP OR AT A NEW TIME STEP
  IF ( NITERF .EQ. 0 ) GO TO 1955
  IABAL = 1

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PRINT 92, JT, TIME
IF ( JT .EQ. 1 ) GO TO 11100
1955 GO TO 3870
CONTINUE
INDEX = 0
NCHECK = 0
IF ( ISTD .EQ. 0 ) GO TO C 2000
COMMENT - SUBROUTINE FORST CALCULATES MEMBERS (6 X 6) STIFFNESS MATRIX
COMMENT - AND TAKING ADVANTAGE OF SYMMETRY STORES IN COMPACT VECTOR
COMMENT - SMMT(I) = 1/2
CALL FORST ( RH, EC, W, SL, SMMT, L1, L3, L4, L6, JJ )
1960 DO 1960 I = 1, 1
SMC( JJ, I) = SMMT(I)
2000 CONTINUE
IF ( ISTD .EQ. 0 ) GO TO 2015
COMMENT - DECREMENT TIME STEP PARAMETERS & JOINT DISPLACEMENTS,
COMMENT - VELOCITIES, AND ACCELERATIONS
NITERF = NITERF - 1
NITERF = 1
NIDYN = 1
INSTEP(JT) = 1
JT = JT - 1
TIME = TIME - DTI
DO 2005 I = 1, NUTT
VELJT(I) = VELJT(I) - DVELJT(I)
ACCJT(I) = ACCJT(I) - DACCJT(I)
2005 CONTINUE
J = 0
DO 2010 I = 1, NJT
J = J + 1
DXX(I) = DXX(I) - DELWJT(J)
J = J
DYY(I) = DYY(I) - DELWJT(J)
DZZ(I) = DZZ(I) - DELWJT(J)
IF (JST(I) .NE. 0) GO TO 2008
GO TO DYY(I) = 0.0
2006 J = J + 1
DVV(I) = DVV(I) - DELWJT(J)
2010 GO TO 1050
CONTINUE
2013 CONTINUE
COMMENT - DUMP CP STIFFNESS MATRIX AND LOAD VECTOR, TO ACTIVATE, SET LAST
COMMENT - DUMP COORDINATES - PROBLEM NUMBER CARD EQUAL TO PRINT
IF ( IPROB .NE. PRINT ) GO TO 2060
DO 2050 JJ = 1, NM
DO 2040 I = 1, 6
POMTEX(JJ, I) = 0.0
2040 CONTINUE
IF ( ISTD .EQ. 0 ) GO TO 2050
PRINT 93, ( POMTEX(JJ, I), I=1, 2), ( POMTEX(JJ, I), I=1, 6 )
2050 CONTINUE
2060 CONTINUE
DO 3000 I = 1, NJT
IF ( NITP .GT. 1 ) GO TO 2900
CALL DYSTLD ( FJX, FJY, FJZ, FJV, TIME, I )
FJXT(I) = FJX
FJYT(I) = FJY
FJZT(I) = FJZ
FJVT(I) = FJV
2900 CONTINUE
ERXX(I) = FJXT(I) + ERXX(I)
ERXY(I) = FJYT(I) + ERXY(I)
ERXZ(I) = FJZT(I) + ERXZ(I)
ERXV(I) = FJVT(I) + ERXV(I)
3000 CONTINUE
NCHECK = 0
INDEX = 0
IF ( JT .GT. 1 ) GO TO 3200
IF ( ITPB .EQ. 4 ) GO TO 3200
DO 3100 I = 1, NJT
J = J + 1
IF ( ZMASSR(J) .GT. 1.0D-10 ) GO TO 3010
GO TO 3020
ACCJT(J) = ERXX(I) / ZMASSR(J)
3010 J = J + 1
IF ( ZMASSR(J) .GT. 1.0D-10 ) GO TO 3030
3020 GO TO 3040
ACCJT(J) = ERXY(I) / ZMASSR(J)
3030 J = J + 1
ACCJT(J) = 0.0
IF (JST(I) .EQ. 0) GO TO 3100
J = J + 1
ACCJT(J) = 0.0
3100 CONTINUE
DO 3200 I = 1, NJT
ACCJT(I) = ZMASSR(I) * ACCJT(I)
DELWJT(I) = CDAMP(I) * VELJT(I)
3200 CONTINUE
J = 0
DO 3300 I = 1, NJT

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12476*82
12477*82
12478*82
12479*82
12480*82
12481*82
12482*82
12483*82
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12487*82
12488*82
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12560*82
12561*82
12562*82
12563*82
12564*82
12565*82
12566*82
12567*82
12568*82
12569*82
12570*82
12571*82

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      J = J + 1
      ERXX(I) = ERXX(I) - FACCJT(J) - FDMHJT(J)
      IF (DABS(FJXT(I)) .GT. 1.00E+10) ERXX(I) = 0.0
      J = J + 1
      ERYI(I) = ERYI(I) - FACCJT(J) - FDMHJT(J)
      IF (DABS(FJYT(I)) .GT. 1.00E+10) ERYI(I) = 0.0
      J = J + 1
      ERZZ(I) = ERZZ(I) - FACCJT(J) - FDMHJT(J)
      IF (DABS(FJZT(I)) .GT. 1.00E+10) ERZZ(I) = 0.0
      IF (JST(I) .NE. 0) GO TO 3260
      ERVI(I) = 0.0
      GO TO 3300
3260 CONTINUE
      J = J + 1
      ERVV(I) = ERVV(I) - FACCJT(J) - FDMHJT(J)
      IF (DABS(FJVT(I)) .GT. 1.00E+10) ERVV(I) = 0.0
      CONTINUE
3300 DO 3400 I = 1,NUT
      IF (DABS(QXX(I)) .LT. 1.0E+15 .AND. DABS(FJXT(I)) .LT. 1.0E+10)
2 GO TO 3320
      ERXYD(I) = ERXYD(I)
3320 IF (DABS(QYY(I)) .LT. 1.0E+15 .AND. DABS(FJYT(I)) .LT. 1.0E+10)
2 GO TO 3340
      ERYID(I) = ERYID(I)
3340 IF (DABS(QZZ(I)) .LT. 1.0E+15 .AND. DABS(FJZT(I)) .LT. 1.0E+10)
2 GO TO 3360
      ERZZD(I) = ERZZD(I)
3360 IF (JST(I) .EQ. 0) GO TO 3400
      IF (DABS(QVV(I)) .LT. 1.0E+15 .AND. DABS(FJVT(I)) .LT. 1.0E+10)
2 GO TO 3400
      ERVVD(I) = ERVVD(I)
3400 CONTINUE
      IRLDYN = 1
      - DENOTES THAT THE PARTICULAR TIME STEP BEING
      - ACCESSED NOW HAS ALREADY BEEN COMPLETELY SOLVED ONCE, BUT IS
      - BACKED UP AGAIN THIS TIME ONLY FOR THE PURPOSE OF
      - (BACKED UP) STIFFNESS FORMATION
      DO 3700 I = 1,NUT
      IF (DABS(QXX(I)) .LT. 1.0E+15 .AND. DABS(FJXT(I)) .LT. 1.0E+10)
2 GO TO 3520
      ERXX(I) = ERXX(I)
3520 IF (DABS(QYY(I)) .LT. 1.0E+15 .AND. DABS(FJYT(I)) .LT. 1.0E+10)
2 GO TO 3540
      ERYI(I) = ERYI(I)
3540 IF (DABS(QZZ(I)) .LT. 1.0E+15 .AND. DABS(FJZT(I)) .LT. 1.0E+10)
2 GO TO 3560
      ERZZ(I) = ERZZ(I)
3560 IF (DABS(QVV(I)) .LT. 1.0E+15 .AND. DABS(FJVT(I)) .LT. 1.0E+10)
2 GO TO 3580
      ERVV(I) = ERVV(I)
3580 IF (NSMJ .EQ. 0) GO TO 3702
      DO 3701 II = 1,NSMJ
      SHHJT(II,II) = SHHO(I)
3701 CONTINUE
3702 CONTINUE
      PRINT 235, I, DIX(I), DIV(I), DZZ(I), DVV(I), RXX(I), RYY(I),
      - EVEN IF NOT REQUESTED, PRINT RESULTS FOR THE LAST TIME STEP
      IF (JST .EQ. NUT) GO TO 3710
      IF ((JT-1)/IP8-IP8 .NE. JT-1) GO TO 3860
      CONTINUE
3710 PRINT 234, I, NSHCB, (AN2(II), II=1,9)
      PRINT 234, JT, TIME
      KASTER = 0
      TEMPMX = 0.0
      TEMPMY = 0.0
      TEMPMZ = 0.0
      TEMPVV = 0.0
      SHMOJ = -SHMO, NUT
      IF (KCOJ(I) .EQ. 1) GO TO 3800
      PRINT 235, I, DIX(I), DIV(I), DZZ(I), DVV(I), RXX(I), RYY(I),
      - EVEN IF NOT REQUESTED, PRINT RESULTS FOR THE LAST TIME STEP
      IF (JST .EQ. NUT) GO TO 3840
      IF ((JT-1)/IP8-IP8 .NE. JT-1) GO TO 3860
      CONTINUE
3800 KASTER = 1
      PRINT 235, I, DIX(I), DIV(I), DZZ(I), DVV(I), RXX(I), RYY(I),
      - EVEN IF NOT REQUESTED, PRINT RESULTS FOR THE LAST TIME STEP
      IF (JST .EQ. NUT) GO TO 3840
      IF ((JT-1)/IP8-IP8 .NE. JT-1) GO TO 3860
      CONTINUE
3840

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2      IF (DABS(CXX(I)).GE.1.0E+15. OR.DABS(FJXT(I)).GE.1.0E+10)
GO TO 3842
3842   TEMPXX = TEMPXX + RXX(I)
CONTINUE
2      IF (DABS(OYY(I)).GE.1.0E+15. OR.DABS(FJYT(I)).GE.1.0E+10)
GO TO 3844
3844   TEMPYY = TEMPYY + RYY(I)
CONTINUE
2      IF (DABS(QZZ(I)).GE.1.0E+15. OR.DABS(FJZT(I)).GE.1.0E+10)
GO TO 3846
3846   TEMPZZ = TEMPZZ + RZZ(I)
CONTINUE
2      IF (DABS(CVV(I)).GE.1.0E+15. OR.DABS(FJVVT(I)).GE.1.0E+10)
GO TO 3850
3850   TEMPVV = TEMPVV + RVV(I)
CONTINUE
PRINT 237, TEMPXX, TEMPYY, TEMPZZ, TEMPVV
3860 CONTINUE ( KASTER .EQ. 1) PRINT 154
IF ( JT .GT. 1) GO TO 3865
LTYPEL .NE. 9 ) GO TO 3865
PRINT 90
PRINT 120, TIME
PRINT 100, ( VELJT(I), I = 1,NJTT )
PRINT 90
PRINT 130, TIME
PRINT 100, ( ACCJT(I), I = 1,NJTT )
3865 CONTINUE
REWIND N1
REWIND N2
NT = N1
N1 = N2
N2 = NT
3870 CONTINUE
IF ( LABAN .EQ. 0 ) GO TO 3890
REWIND 13 IREAD
READ (13) IREAD
READ (13) IREAD
READ (IREAD) (DXX(I),DYY(I),DZZ(I),DVV(I),I=1,NJTT)
READ (IREAD) (GAMES(I,J),GAMRTS(I,J),J=1,3),I=1,NJTT)
DO 3880 I=1,NJTT
IF ( NTEP .EQ. 0 ) GO TO 3860
READ (IREAD) (WRIZ(I,J),WRTIP(I,J),WRY(I,J),WRTY(I,J),WRZ(I,J),
WRIY(I,J),WRTIP(I,J),J=1,10 )
3880 CONTINUE
READ ( IREAD ) JT, TIME, ( VELJT(I), I=1,NJTT )
READ ( IREAD ) ( ACCJT(I), I=1,NJTT )
NTI = JT
NTI = NTI - 1
PRINT 96
PRINT 18, JT, TIME
3890 CONTINUE
COMMENT - SUBROUTINE PRINT 9 OUTPUTS MEMBER RESULTS
CALL PRINT9 (AN2,NPROB,RH,EO,W,SL,L1,L3,L4,L6)
3900 CONTINUE
IF ( LABAN .NE. 0 ) GO TO 3950
IF ( JT .EQ. NTI1 ) GO TO 3970
IF ( L2IO .EQ. 0 ) GO TO 3950
COMMENT - PRINT TABLE 10 IF REQUESTED
CALL PRINT10 (I/I*10*IP10 .NE. JT-1) GO TO 3950
3910 CONTINUE
PRINT 11
PRINT 10
PRINT 238
DO 3940 I = 1,NJTT
3940 PRINT 235, I, ERXX(I), ERYI(I), ERZZ(I), ERVV(I)
PRINT 235
CONTINUE
IF ( JT .EQ. NTI1 ) GO TO 10000
COMMENT - NEW TIME STEP
TIME2 = TIME + DTI
NTEP1 = ANEW
REWIND N1
NT = N3
N3 = N4
N4 = NT
REWIND N3
IFAEZ = 1
MCHECK = 0
INDEX = 0
DO 4000 JJ = 1,NM
ISTT = IST(JJ)
IF ( ISTT .EQ. 0 ) GO TO 4000
CALL FORMST ( ANH, AC, W, SL, SMH, L1, L3, L4, L6, JJ )
CALL FORMH ( ANH, AC, W, SL, FOHT, L1, L3, L4, L6, JJ )
DO 4010 I = 1,6
FORMH(JJ,I) = FORMT(I)
4010 CONTINUE
CONTINUE
NT = N3
N3 = N4
N4 = NT
IF ( APROB .NE. PRINT ) GO TO 4050

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12668*82
12670*82
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12672*82
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12699*82
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12702*82
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12751*82
12752*82
12753*82
12754*82
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12756*82
12757*82
12758*82
12759*82
12760*82
12761*82
12762*82
12763*82

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PRINT 98
DO 4050 JJ = 1,NM
  IF (ISTT = IST(JJ))
    PRINT 99
    SHC(JJ,I), I=1,21), ( FCMH(JJ,I), I=1,6 )
4050 CONTINUE
PRINT 98
4060 CONTINUE
DO 4200 I = 1,NJT
  CALL DISTLD (FJX,FJY,FJZ,FJV,TIME2,I)
  DFJXT(I) = FJX - FJXT(I)
  DFJYT(I) = FJY - FJYT(I)
  DFJZT(I) = FJZ - FJZT(I)
  DFJVT(I) = FJV - FJVT(I)
4200 CONTINUE
  IF (JT - GT, 1) GO TO 4260
  IF (NBNJ, EQ, 0) GO TO 4260
  DO 4250 I = 1,NSJ
    NJOINT = NJ(I)
    I14 = I14 + 4
    DVSJT(I14-3,JT) = DXX(NJOINT)
    DVSJT(I14-2,JT) = DYY(NJOINT)
    DVSJT(I14-1,JT) = DZZ(NJOINT)
    DVSJT(I14,JT) = DVV(NJOINT)
4250 CONTINUE
4260 CONTINUE
    J = 0
    DO 4270 I = 1,NJT
      J = J + 1
      AA = ACCJT(J)
      VV = VELJT(J)
      DFFS(I,1) = MASSB(J) * (2.0*AA + VV*DSS1) + DFJXT(I)
      + CDABZ(J) * 2.0*VV
      J = J + 1
      AA = ACCJT(J)
      VV = VELJT(J)
      DFFS(2,I) = MASSB(J) * (2.0*AA + VV*DSS1) + DFJYT(I)
      + CDABZ(J) * 2.0*VV
      J = J + 1
      DFFS(3,I) = DFJZT(I)
      IF (J,1) = 1, NSJ) J = J + 1
      DFFS(4,I) = DFJVT(I)
4270 CONTINUE
COMMENT - SET CONTROL CONSTANTS FOR FRAME SOLUTION
      I14 = 4
      I14 = 3
      I14 = 2
      I14 = 1
      DO 4275 I = 1,NJT
        IF (JST(I) .NE. 0) NL=NL+1
4275 CONTINUE
        NL = 1
        CALL GRP2A (RM,RO,W,S1,L3,L4,L6,IHB)
        IHB = LT(10000) GC TO 4280
        COMMENT - SYMBOLICALLY MAKE NJNC = 1
        NJNC = 1
        IABN = 1
        STEF = JT + 1
        TEMP = TIME + DTI
        PRINT 94
        GO TO 3870
4280 CONTINUE
COMMENT - COMPUTE INCREMENTS OF VELOCITY AND ACCELERATION
DO 4300 I = 1,NJT
  DACCJT(I) = -2.0*VELJT(I) + 2.0*W(I)/DTI
  DACCJT(I) = -2.0*ACCJT(I) - 4.0*VELJT(I)/DTI + DSS2*W(I)
4300 CONTINUE
DO 4400 I = 1,NJT
  VELJ1(I) = VELJT(I) + DVELJT(I)
  ACCJ1(I) = ACCJT(I) + DACCJT(I)
  DELWJT(I) = W(I)
4400 CONTINUE
  J = 0
  DO 4500 I = 1,NJT
    J = J + 1
    DXX(I) = DXX(I) + W(J)
    J = J + 1
    DYY(I) = DYY(I) + W(J)
    J = J + 1
    DZZ(I) = DZZ(I) + W(J)
    IF (JST(I) .NE. 0) GO TO 4410
    DTI(I) = 0.0
    GO TO 4500
4410 J = J + 1
    DVV(J) = DVV(I) + W(J)
4500 CONTINUE
    J1F1 = JT + 1
    IF (NBNJ, EQ, 0) GO TO 4610
    DO 4600 I = 1,NSJ
      NJOINT = NJ(I)
      I14 = I14 + 4
      DVSJT(I14-3,J1F1) = DXX(NJOINT)
      DVSJT(I14-2,J1F1) = DYY(NJOINT)
      DVSJT(I14-1,J1F1) = DZZ(NJOINT)
      DVSJT(I14,J1F1) = DVV(NJOINT)
4600 CONTINUE

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12846*82
12847*82
12848*82
12849*82
12850*82
12851*82
12852*82
12853*82
12854*82
12855*82
12856*82
12857*82
12858*82
12859*82

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4610 GO CONTINUE
      TO 10000
5100 CONTINUE
      IF (JT.NE. 1) GO TO 5110
      PRINT 92, JT, TIME
      PRINT 260
      GO TO 11100
5110 CONTINUE
COMMENT - ITERATE WITHIN TIME STEP
COMMENT - ZERO DFFS - ONLY SOLVING FOR ERROR
DO 5150 I = 1,NJT
  DFFS(1,I) = 0.0
  DFFS(3,I) = 0.0
  DFFS(4,I) = 0.0
5150 CONTINUE
DO 5155 JJ = 1,NM
  DO 5155 I = 1,6
    FOMH(JJ,I) = 0.0
5155 CONTINUE
COMMENT - SET CONTROL CONSTANTS FOR FRAME SOLUTION
      IIB = 4*IDJ + 3
COMMENT - CALCULATE THE NUMBER OF DEGREES OF FREEDOM
      NL = 3*NJT
DO 5158 I=1,NJT
  (ST(I).NE. 0) NL=NL+1
5158 CONTINUE
      NL = 1
      NFSUB = 23
      CALL GRIP22 (NM,RO,SL,L3,I4,L6,IIB)
      IF ( IIB.LT. 10000 ) GC TO 5160
COMMENT - SYMBOLICALLY MAKE NJNC = 1
      NJNC = 1
      IABAN = 1
      PRINT 92, JT, TIME
      IF ( JT.EQ. 1 ) GO TO 11100
5160 GO TO 3870
CONTINUE
DO 5200 I = 1,NJTT
  VELJT(I) = VELJT(I) + W(I)*2.0/DTI
  ACCJT(I) = ACCJT(I) + W(I)*DSS2
5200 CONTINUE
      J = 0
DO 5300 I = 1,NJT
  J = J + 1
  DX(I) = DX(I) + W(J)
  J = J + 1
  DYY(I) = DYY(I) + W(J)
  J = J + 1
  DZZ(I) = DZZ(I) + W(J)
  IF (JST(I).NE. 0) GO TO 5210
  DVV(I) = 0.0
5210 GO TO 5300
      J = J + 1
  DVV(I) = DVV(I) + W(J)
5300 CONTINUE
      IF (NSMJ.PE. 0) GO TO 5410
DO 5400 II = 1,NSMJ
  HJOINT = HJ(II)
  II4 = II*4
  DISJT(II4-3,JT) = DX(HJOINT)
  DISJT(II4-2,JT) = DYY(HJOINT)
  DISJT(II4-1,JT) = DZZ(HJOINT)
  DISJT(II4,JT) = DVV(HJOINT)
5400 CONTINUE
5410 CONTINUE
      IF (NITF.LT. MNITF) GO TO 1065
COMMENT - SYMBOLICALLY MAKE NJNC = 1
      NJNC = 1
      IABAN = 1
      PRINT 92, JT, TIME
      IF ( JT.EQ. 1 ) GO TO 11100
10000 GO TO 3870
CONTINUE
      IF ( ANI.LT. NTII ) GO TO 1040
      ANI = NTII
      IF ( APRCE.NE. SAVE ) GO TO 10005
WRITE (14,12) ( ANI(II), II=1,40 )
10005 CONTINUE
      IF (NSMJ.EQ. 0) GO TO 10150
DO 10100 II = 1,NSMJ
  PRINT 205, NM(II)
  IF ( APRCE.NE. SAVE ) GO TO 10010
WRITE (14,206) NM(II)
10010 CONTINUE
      PRINT 210
      PRINT 212
      TEMP = TIME - ANTI1 * DTI
DO 10200 J = 1,NTII
  TEMP = TEMP * DTI
PRINT 254, J,TEMP,FEMAXF(II,J),FEMAXD(II,J),FEMCOM(II,J),
  2 FEMROB(II,J),FEMRSH(II,J),FEMRSHD(II,J),
  IF ( APRCE.NE. SAVE ) GO TO 10020
WRITE (14,255) NM(II),J,TEMP,FEMAXF(II,J),FEMAXD(II,J),

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100202 CONTINUE FRMCON(II,J),FRMROT(II,J),FRMSHP(II,J),FRMLTD(II,J) 12956*88
PRINT 205,MM(II) 12957*88
IF (APROB.NE.SAVE) GO TO 10022 12958*88
WRITE (14,207) MM(II) 12959*88
10022 CONTINUE 12960*88
PRINT 212 12961*88
TEMP = TIME - ANTI1 * DTI 12962*88
DO 10024 J = 1,NTI1 12963*88
TEMP = TEMP + DTI 12964*88
PRINT 254, J,TEMP,TOAXF(II,J),TCAXD(II,J),TOMOH(II,J), 12965*88
IF (APROB.NE.SAVE) GO TO 10024 12966*88
WRITE (14,255) MM(II),J,TEMP,TOAXF(II,J),TCAXD(II,J), 12967*88
TOMOH(II,J),TCROT(II,J),TCUSHP(II,J),TCLTD(II,J) 12968*88
100242 CONTINUE 12969*88
PRINT 220,MM(II) 12970*88
IF (APROB.NE.SAVE) GO TO 10030 12971*88
WRITE (15,222) MM(II) 12972*88
CONTINUE 12973*88
10030 TEMP = TIME - ANTI1 * DTI 12974*88
TEMP = TEMP + DTI 12975*88
IF (ELLENH.EQ.SHEAR) GO TO 10060 12976*88
PRINT 251 12977*88
PRINT 230 12978*88
DO 10050 J = 1,NTI1 12979*88
TEMP = TEMP + DTI 12980*88
PRINT 254, J,TEMP,FOCEL(II,J),STRANL(II,J), 12981*88
BCHOML(II,J),CURVAL(II,J) 12982*88
IF (APROB.NE.SAVE) GO TO 10050 12983*88
WRITE (15,255) MM(II),J,TEMP,FOCEL(II,J),STRANL(II,J), 12984*88
BCHOML(II,J),CURVAL(II,J) 12985*88
100502 CONTINUE 12986*88
PRINT 220,MM(II) 12987*88
IF (APROB.NE.SAVE) GO TO 10052 12988*88
WRITE (15,222) MM(II) 12989*88
CONTINUE 12990*88
10052 TEMP = TIME - ANTI1 * DTI 12991*88
PRINT 252 12992*88
PRINT 230 12993*88
DO 10054 J = 1,NTI1 12994*88
TEMP = TEMP + DTI 12995*88
PRINT 254, J,TEMP,FORCEL(II,J),STRANR(II,J), 12996*88
BCHOMR(II,J),CURVAR(II,J) 12997*88
IF (APROB.NE.SAVE) GO TO 10054 12998*88
WRITE (15,255) MM(II),J,TEMP,FORCEL(II,J),STRANR(II,J), 12999*88
BCHOMR(II,J),CURVAR(II,J) 13000*88
10054 CONTINUE 13001*88
GO TO 10100 13002*88
10060 CONTINUE 13003*88
PRINT 253 13004*88
PRINT 253 13005*88
DO 10070 J = 1,NTI1 13006*88
TEMP = TEMP + DTI 13007*88
PRINT 254, J,TEMP,FOCEL(II,J),STRANL(II,J), 13008*88
BCHOML(II,J),CURVAL(II,J),SHFORL(II,J),GAMMAL(II,J) 13009*88
IF (APROB.NE.SAVE) GO TO 10070 13010*88
WRITE (15,255) MM(II),J,TEMP,FOCEL(II,J),STRANL(II,J), 13011*88
BCHOML(II,J),CURVAL(II,J),SHFORL(II,J),GAMMAL(II,J) 13012*88
100702 CONTINUE 13013*88
PRINT 220,MM(II) 13014*88
IF (APROB.NE.SAVE) GO TO 10072 13015*88
WRITE (15,222) MM(II) 13016*88
CONTINUE 13017*88
10072 TEMP = TIME - ANTI1 * DTI 13018*88
PRINT 254 13019*88
PRINT 230 13020*88
DO 10080 J = 1,NTI1 13021*88
TEMP = TEMP + DTI 13022*88
PRINT 254, J,TEMP,FORCEL(II,J),STRANR(II,J), 13023*88
BCHOMR(II,J),CURVAR(II,J),SHFORR(II,J),GAMMAR(II,J) 13024*88
IF (APROB.NE.SAVE) GO TO 10080 13025*88
WRITE (15,255) MM(II),J,TEMP,FORCEL(II,J),STRANR(II,J), 13026*88
BCHOMR(II,J),CURVAR(II,J),SHFORR(II,J),GAMMAR(II,J) 13027*88
10080 CONTINUE 13028*88
10100 CONTINUE 13029*88
10100 CONTINUE 13030*88
10150 CONTINUE 13031*88
PRINT 11 13032*82
PRINT 110, TIME 13033*82
PRINT 103, (DX(I), DYY(I), DZZ(I), DVV(I), I=1,NJT) 13034*82
PRINT 90 13035*82
PRINT 120, TIME 13036*82
DO 10160 I = 1,NJT 13037*82
J = J + 1 13038*82
VV1 = VELJT(J) 13039*82
J = J + 1 13040*82
VV2 = VELJT(J) 13041*82
J = J + 1 13042*82
VV3 = VELJT(J) 13043*82
J = J + 1 13044*82
IF (JST(I).NE.J) GO TO 10158 13045*82
VV4 = 0.0 13046*82
GO TO 10158 13047*82
10158 J = J + 1 13048*82
VV4 = VELJT(J) 13049*82
13051*82

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10159 CONTINUE
10160 PRINT 100, VV1, VV2, VV3, VV4
      CONTINUE
      PRINT 90
      PRINT 130, TIME
      J = 0
      DO 10170 J = 1, NJT
        J = J + 1
        AA1 = ACCJT(J)
        J = J
        AA2 = ACCJT(J)
        J = J + 1
        AA3 = ACCJT(J)
        IF (AAT(I) .NE. 0) GO TO 10168
        AA4 = 0.0
        GO TO 10169
      J = J + 1
      AA4 = ACCJT(J)
10168 CONTINUE
10169 PRINT 100, AA1, AA2, AA3, AA4
10170 CONTINUE
      IF (RSHJ .EQ. 0) GO TO 11000
      DO 10200 II = 1, NSMJ
        II4 = II * 4
        DO 10290 J = 1, NTII
          IF (II .EQ. 1) GO TO 10190
          IF (MSJ - 1) 10190, 10180, 10175
10175 GO TO TR(J) = DISJT(II4-3, J) - DISJT(II4-7, J)
10180 GO TO TR(J) = DISJT(II4-3, J) - DISJT(1, J)
10190 GO TO TR(J) = DISJT(II4-3, J)
10200 CONTINUE
      CALL CSPLLOT (TR, 1, I, TIME, II)
      DO 10300 J = 1, NTII
        IF (II .EQ. 1) GO TO 10290
        IF (MSJ - 1) 10290, 10280, 10270
10270 GO TO TR(J) = DISJT(II4-2, J) - DISJT(II4-6, J)
10280 GO TO TR(J) = DISJT(II4-2, J) - DISJT(2, J)
10290 GO TO TR(J) = DISJT(II4-2, J)
10300 CONTINUE
      CALL CSPLLOT (TR, 2, I, TIME, II)
      DO 10400 J = 1, NTII
        IF (II .EQ. 1) GO TO 10390
        IF (MSJ - 1) 10390, 10380, 10370
10370 GO TO TR(J) = DISJT(II4-1, J) - DISJT(II4-5, J)
10380 GO TO TR(J) = DISJT(II4-1, J) - DISJT(3, J)
10390 GO TO TR(J) = DISJT(II4-1, J)
10400 CONTINUE
      CALL CSPLLOT (TR, 3, I, TIME, II)
      DO 10500 J = 1, NTII
        IF (II .EQ. 1) GO TO 10490
        IF (MSJ - 1) 10490, 10480, 10470
10470 GO TO TR(J) = DISJT(II4, J) - DISJT(II4-4, J)
10480 GO TO TR(J) = DISJT(II4, J) - DISJT(4, J)
10490 GO TO TR(J) = DISJT(II4, J)
10500 CONTINUE
      CALL CSPLLOT (TR, 4, I, TIME, II)
      DO 10520 J = 1, NTII
        TR(J) = SHJIT(II, J)
10520 CONTINUE
      CALL CSPLLOT (TR, 5, I, TIME, II)
      IF (APROE .NE. SAVE) GO TO 10540
      WRITE (16, 230) NJT, I
      TIME = TIME - ANTI1 * DTI
      DO 10530 J = 1, NTII
        TIME = TEMP + DTI
        DISJT(II4-1, J) = DISJT(II4, J) - SHJIT(II, J)
10530 CONTINUE
10540 CONTINUE
10550 CONTINUE
10560 CONTINUE
10570 CONTINUE
      IF (IABAN .EQ. 1) NTR = NTR + 1
      IF (NTR .EQ. 0) GO TO 11100
      DTI = DTI * 0.5
      NTR = (CTIME - TIME) / DTI
      NTR = TEMP
      ITYPE = 4
      PRINT 200
      GO TO 900
11100 CONTINUE
      RETURN
      END

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13052*82
13053*82
13054*82
13055*82
13056*82
13057*82
13058*82
13059*82
13060*82
13061*82
13062*82
13063*82
13064*82
13065*82
13066*82
13067*82
13068*82
13069*82
13070*82
13071*82
13072*82
13073*82
13074*82
13075*82
13076*82
13077*82
13078*82
13079*82
13080*82
13081*82
13082*82
13083*82
13084*82
13085*82
13086*82
13087*82
13088*82
13089*82
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13091*82
13092*82
13093*82
13094*82
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13099*82
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13125*82
13126*82
13127*82
13128*82
13129*82
13130*82
13131*82
13132*82
13133*82
13134*82
13135*82
13136*82
13137*82
13138*82
13139*82
13140*82
13141*82
13142*82
13143*82

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***** SUBROUTINE *****
SUBROUTINE ADJYN2 (JTN,FSS)
COMMENT - SUBROUTINE ADJYN2 CALLED BY SUBROUTINE DYNJNLS ADDS THE
COMMENT - COEFFICIENT DUE TO MASS AND DAMPING TO STIFFNESS MATRIX TO
COMMENT - OBTAIN INCREMENTAL JOINT DISPLACEMENT USING CONSTANT AVERAGE
COMMENT - ACCELERATION METHOD. (A=1)
IMPLICIT REAL*8 (A-H,O-Z)
DIMENSION FSS(4)
2 THK=PAAL02,JST(25),XSSS(25),HLJ(25),HRJ(25),VLJ(25),VUJ(25),
COMMON /BLOC10/ SSL(1,24)
CCBHO=CCBHO,VLLJ(100),VLLJ(100),ZHASSE(100),DACCJT(100),
COMMON /BLOC23/ DFFS(4,25),CDAMP(100),DTSJZ(60,4)
2 COMMON /IRC/ MNT(16),SSS(16),ER2,DTI,CH,NTI,MH(20),MJ(20),MNTF,
DSS2=4.0/DTI*2
DSS12=5.0/DTI*3
DO 100 I=1,JTN
IF (JST(I).NE.0) J=J+1
CONTINUE
IF (J.LT.3)
DO 200 I=1,IL
ITEMP=J-IL+1
SSL(I,ITEMP)=SSL(I,ITEMP)+DSS12*CDAMP(ITEMP)+DSS2*ZHASSE(ITEMP)
2 DO 300 I=1,IL
FSS(I)=FSS(I)+DFFS(I,JTN)
300 RETURN
END

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APPENDIX G
SAMPLE INPUT

EXAMPLE 8.4 - CANTILEVERED BEAM #14X142 WITH DYNAMIC LOAD BUT NO MASS.
AT THE FREE END. JSYES OPTION AND NONLINEAR STRESS-STRAIN CURVE FOR JOINT.

```

1 PDNO JSYES LOAD INCREMENT (STATIC)
2      5      2      2      2      0      0      0      0      2      0      0      0      2
3      1      1      1      1      0      0      0      0      2      0      0      0      2
4      1      1      1      1      0      0      0      0      2      0      0      0      2
5      1      1      1      1      0      0      0      0      2      0      0      0      2
6      1      1      1      1      0      0      0      0      2      0      0      0      2
7      1      1      1      1      0      0      0      0      2      0      0      0      2
8      1      1      1      1      0      0      0      0      2      0      0      0      2
9      1      1      1      1      0      0      0      0      2      0      0      0      2
10     1      1      1      1      0      0      0      0      2      0      0      0      2
11     1      1      1      1      0      0      0      0      2      0      0      0      2
12     1      1      1      1      0      0      0      0      2      0      0      0      2
13     1      1      1      1      0      0      0      0      2      0      0      0      2
14     1      1      1      1      0      0      0      0      2      0      0      0      2
15     1      1      1      1      0      0      0      0      2      0      0      0      2
16     1      1      1      1      0      0      0      0      2      0      0      0      2
17     1      1      1      1      0      0      0      0      2      0      0      0      2
18     1      1      1      1      0      0      0      0      2      0      0      0      2
19     1      1      1      1      0      0      0      0      2      0      0      0      2
20     1      1      1      1      0      0      0      0      2      0      0      0      2
21     1      1      1      1      0      0      0      0      2      0      0      0      2
22     1      1      1      1      0      0      0      0      2      0      0      0      2
23     1      1      1      1      0      0      0      0      2      0      0      0      2
24     1      1      1      1      0      0      0      0      2      0      0      0      2
25     1      1      1      1      0      0      0      0      2      0      0      0      2
26     1      1      1      1      0      0      0      0      2      0      0      0      2
27     1      1      1      1      0      0      0      0      2      0      0      0      2
28     1      1      1      1      0      0      0      0      2      0      0      0      2
29     1      1      1      1      0      0      0      0      2      0      0      0      2
30     1      1      1      1      0      0      0      0      2      0      0      0      2
31     1      1      1      1      0      0      0      0      2      0      0      0      2
32     1      1      1      1      0      0      0      0      2      0      0      0      2
33     1      1      1      1      0      0      0      0      2      0      0      0      2
34     1      1      1      1      0      0      0      0      2      0      0      0      2
35     1      1      1      1      0      0      0      0      2      0      0      0      2
36     1      1      1      1      0      0      0      0      2      0      0      0      2
37     1      1      1      1      0      0      0      0      2      0      0      0      2
38     1      1      1      1      0      0      0      0      2      0      0      0      2
39     1      1      1      1      0      0      0      0      2      0      0      0      2
40     1      1      1      1      0      0      0      0      2      0      0      0      2
41     1      1      1      1      0      0      0      0      2      0      0      0      2
42     1      1      1      1      0      0      0      0      2      0      0      0      2
43     1      1      1      1      0      0      0      0      2      0      0      0      2
44     1      1      1      1      0      0      0      0      2      0      0      0      2
45     1      1      1      1      0      0      0      0      2      0      0      0      2
46     1      1      1      1      0      0      0      0      2      0      0      0      2
47     1      1      1      1      0      0      0      0      2      0      0      0      2
48     1      1      1      1      0      0      0      0      2      0      0      0      2
49     1      1      1      1      0      0      0      0      2      0      0      0      2
50     1      1      1      1      0      0      0      0      2      0      0      0      2
51     1      1      1      1      0      0      0      0      2      0      0      0      2
52     1      1      1      1      0      0      0      0      2      0      0      0      2
53     1      1      1      1      0      0      0      0      2      0      0      0      2
54     1      1      1      1      0      0      0      0      2      0      0      0      2
55     1      1      1      1      0      0      0      0      2      0      0      0      2
56     1      1      1      1      0      0      0      0      2      0      0      0      2
57     1      1      1      1      0      0      0      0      2      0      0      0      2
58     1      1      1      1      0      0      0      0      2      0      0      0      2
59     1      1      1      1      0      0      0      0      2      0      0      0      2
60     1      1      1      1      0      0      0      0      2      0      0      0      2
61     1      1      1      1      0      0      0      0      2      0      0      0      2
62     1      1      1      1      0      0      0      0      2      0      0      0      2
63     1      1      1      1      0      0      0      0      2      0      0      0      2
64     1      1      1      1      0      0      0      0      2      0      0      0      2
65     1      1      1      1      0      0      0      0      2      0      0      0      2
66     1      1      1      1      0      0      0      0      2      0      0      0      2
67     1      1      1      1      0      0      0      0      2      0      0      0      2
68     1      1      1      1      0      0      0      0      2      0      0      0      2
69     1      1      1      1      0      0      0      0      2      0      0      0      2
70     1      1      1      1      0      0      0      0      2      0      0      0      2
71     1      1      1      1      0      0      0      0      2      0      0      0      2
72     1      1      1      1      0      0      0      0      2      0      0      0      2
73     1      1      1      1      0      0      0      0      2      0      0      0      2
74     1      1      1      1      0      0      0      0      2      0      0      0      2
75     1      1      1      1      0      0      0      0      2      0      0      0      2
76     1      1      1      1      0      0      0      0      2      0      0      0      2
77     1      1      1      1      0      0      0      0      2      0      0      0      2
78     1      1      1      1      0      0      0      0      2      0      0      0      2
79     1      1      1      1      0      0      0      0      2      0      0      0      2
80     1      1      1      1      0      0      0      0      2      0      0      0      2
81     1      1      1      1      0      0      0      0      2      0      0      0      2
82     1      1      1      1      0      0      0      0      2      0      0      0      2
83     1      1      1      1      0      0      0      0      2      0      0      0      2
84     1      1      1      1      0      0      0      0      2      0      0      0      2
85     1      1      1      1      0      0      0      0      2      0      0      0      2
86     1      1      1      1      0      0      0      0      2      0      0      0      2
87     1      1      1      1      0      0      0      0      2      0      0      0      2
88     1      1      1      1      0      0      0      0      2      0      0      0      2
89     1      1      1      1      0      0      0      0      2      0      0      0      2
90     1      1      1      1      0      0      0      0      2      0      0      0      2
91     1      1      1      1      0      0      0      0      2      0      0      0      2
92     1      1      1      1      0      0      0      0      2      0      0      0      2
93     1      1      1      1      0      0      0      0      2      0      0      0      2
94     1      1      1      1      0      0      0      0      2      0      0      0      2
95     1      1      1      1      0      0      0      0      2      0      0      0      2
96     1      1      1      1      0      0      0      0      2      0      0      0      2
97     1      1      1      1      0      0      0      0      2      0      0      0      2
98     1      1      1      1      0      0      0      0      2      0      0      0      2
99     1      1      1      1      0      0      0      0      2      0      0      0      2
100    1      1      1      1      0      0      0      0      2      0      0      0      2

```

EXAMPLE 9.2 - BERKELEY 1-BAY 3-STORY FRAME OF R.W. CLOUGH AND D.T. TANG;
JOINT & MEMBER SHEARS ARE INCLUDED; EC400-1 EARTHQUAKE;
921 JSYES STATIC ANALYSIS

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11460.0      2      4      1      0      134      1970      5910
0      441      441      650
11650.0      3      4      1      0      146      2700      7050
0      392      392      636
11850.0      4      4      1      0      127      1520      4840
0      496      496      676
11880.0      0      161      2450      6120

1      0.0      139.399      -0.00441      3      1
45.6995      45.6995
93.6995      93.6995
2      0.0      139.399      -0.00426      3      1
45.6995      45.6995
93.6995      93.6995
3      0.0      139.399      -0.00380      3      1
45.6995      45.6995
93.6995      93.6995
0.042      1      3      5      7      0.1      8      2      4      6      8
2      6      7      8      9      0.01      9      1      2      3      4
JSYES DYNAMIC ANALYSIS - EC400-I INPUT      SAVE 1
1      1      1      1      1      1      1      1      1      1      1      1
10      10      10      10      10      10      10      10      10      10      10
1      2      2      2
2      -1.0E+20
1      -1.0E+20
2      3.86E+18
1      3.86E+18
-442      -33      322      -464      420      112      66      -448      736      -163      381      -118      413      -454      -93      560
498      -855      896      -774      509      -508      547      -592      793      -541      600      -558      673      -542      345      -818
776      -793      896      -749      770      -608      866      -600      875      -636      970      -558      758      -577      458      -745
969      -979      910      -272      105      -750      789      -415      509      -388      -515      -119      -710      855      1234      194
-484      723      1537      -437      -590      -1249      -435      -566      -126      -358      1872      3278      1280      2730      402      1479
-1045      5349      2481      -1594      -1704      1721      3675      425      -2592      36534      1726      1084      1896      -474      643      -2385
75      448      2603      800      -1878      1410      538      -225      2604      1236      3977      -1980      1402      -1055      1405      1230
-3115      641      -258      467      1018      -1592      -492      -1721      3157      -283      2745      1320      3618      2048      -4096      1439
1618      240      254      -594      8377      -495      507      -2082      1497      -2694      8813      3477      4033      -694      -57      5562
1479      -474      1479      -1968      1565      -5877      1452      -1358      1559      -616      1955      -4      587      -425      1460      -1594
1038      -920      -243      -511      1636      1068      1145      -1955      -303      1236      -1577      1082      -1645      502      -280      521
-492      -317      624      -1619      1278      -1077      1007      1486      -204      1236      -1577      1082      -1645      502      -280      521
-858      45      93      2186      -664      -62      -497      -184      -2939      1616      -709      1501      -2009      -925      -1734
545      574      603      633      699      743      802      817      898      638      994      1010      1097      1126      1207      1226
1295      1322      1391      1428      1494      1538      1590      1627      1685      1752      1781      1832      1884      1921      1987      2017
2950      2134      2193      2210      2289      2440      2392      2443      2502      2546      2598      2664      2701      2753      2797      2863
2900      3960      3010      3062      3121      3143      3198      2231      3305      3411      3459      3503      3544      3582      3633      3717
3753      3790      3834      3864      3937      3930      4018      4085      4129      4217      4261      4328      4342      4388      4438      4508
4520      4807      4637      4666      4740      4784      4857      4895      5005      5093      5174      5225      5277      5343      5402      5454
5520      5579      5538      5638      5763      5807      5873      5939      6006      6109      6190      6248      6293      6366      6422      6481
6520      6579      6538      6638      6763      6807      6873      6939      7006      7109      7205      7248      7293      7330      7403      7485
6550      6616      6661      6712      6778      6845      896      6948      7015      7146      7205      7248      7293      7330      7403      7485
7676      7735      7794      7868      7919      7963      8007      8066      8125      8206      8294      8361      8434      8471      8493      8527
8604      8670      8717      8778      8832      8920      9008      9092      9126      9170      9207      9251      9295      9347      9391      9465
9509      9590      9641      9710      9788      9847      9906      9957      10035      10105      10150      10193      10235      10291      10340      10370
10399      10421      10480      10547      10605      10672      10701      10753      10819      10907      10971      10981      11025      11093      11121      11171
11275      11321      11363      11430      11466      11533      11555      11592      11650      11702      11718      11849      11923      11945      12000

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APPENDIX H
SAMPLE OUTPUT

SAMPLE 89 - CANTILEVERED BEAM MIXING WITH DYNAMIC LOAD BUT NO MASS
 AT THE FREE END. USES OPTION AND NONLINEAR STRESS-STRAIN CURVE FOR JOINT.
 I-----TPIN

I-----TBIM

NOTE - THIS PROBLEM ANALYZED EXCLUDING ALL GEOMETRIC
 PROBLEMS. ALL FOLLOW UP PROBLEMS SHOULD
 BE ANALYZED WITH SAME TBIM OPTION

NOTE - THIS ANALYSIS INCLUDES SHEAR DEFORMATION
 AT THE JOINTS. ALL FOLLOW UP PROBLEMS SHOULD BE
 ANALYZED WITH THE SAME JSTES OPTION

EXAMPLE B.4 - CANTILEVERED BEAM 810142 WITH DYNAMIC LOAD BUT NO MASS
 AT THE FREE END. JSTES OPTION AND NONLINEAR STRESS-STRAIN CURVE FOR JOINT.

PROB

1PDMO JSTES LOAD INCREMENT (STATIC)

TABLE 1 - PROGRAM CONTROL DATA
 PROBLEM TYPE 1

INPUT TABLES		
TABLE NUMBER	HOLD DATA FROM (1 = YES, 0 = NO)	NUMBER OF CARDS ADDED FOR THIS PROBLEM
2	0	2
1A	0	2
1B	0	2
1C	0	2
1D	0	2
1E	0	2
1F	0	2
1G	0	2
1H	0	2
1I	0	2
1J	0	2
1K	0	2
1L	0	2
1M	0	2
1N	0	2
1O	0	2
1P	0	2
1Q	0	2
1R	0	2
1S	0	2
1T	0	2
1U	0	2
1V	0	2
1W	0	2
1X	0	2
1Y	0	2
1Z	0	2

OUTPUT TABLES

TABLE SUPPRESS OUTPUT
 NUMBER (1 = YES, 0 = NO)

0	0
10	0

I-----TPIH

PROB (CONTD)
1 LOAD INCREMENT (STATIC)

TABLE 2 - FRAME GEOMETRY DATA

NUMBER OF JOINTS IN FRAME = 2
JOINT 1 IS AT X = 0.0 AND Y = 0.0
JOINT TOLERANCE IS 0.1000*0.2

FROM JOINT		TO JOINT		TO JOINT		TO JOINT	
1	2	1	2	1	2	1	2
1	2	1	2	1	2	1	2
0.1000*0.3	0.0	0.1000*0.3	0.0	0.1000*0.3	0.0	0.1000*0.3	0.0

COMPUTED JOINT COORDINATES

JOINT	X	Y
1	0.0	0.0
2	0.1000*0.3	0.0

I-----TRIN

PROB 1 (CONTD) LOAD INCREMENT (STATIC)

TABLE 3A - JOINT TYPE AND SIZE DATA

NUMBER OF JOINT STIFFNESS TYPES = 2
JOINT TYPE JOINTS

JOINT TYPE	STIFF	HLJ	HEJ	VLJ	VUJ	TRKJ	GJ	MJSS
1	0.0	0.15000-02	0.0	0.68000-01	0.68000-01	0.68000-00	0.0	0
2	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0

TABLE 3B - JOINT SHEAR STRESS-STRAIN CURVES

NOTE: CURVE NUMBER SENT (LINES)
RITAL NUMB PUS OUT (0 = 30)

TAU	GAR	TAU-MULT	GAR-MULT
1	3	1	0.1000-01
2	1	0	0.1000-05
3	0	2078	3013
4	0	1807	7228

DETAILS OF BASIC STRESS-STRAIN CURVES
SCALING FACTORS EXCLUDED

CURVE NUMBER = 1 # OF COMPONENT SPRINGS = 2

STRESS (MPAS)	STRESS (MPAS)	STIFFNESS OF COMPONENTS (UNSCALED)	MAX STRESS OF COMPONENTS (UNSCALED)
1807.0000	2078.0000	0.9175	1766.333
7228.0000	3013.0000	0.1725	1286.667

DEGRADATION YIELD GROWTH
ALEHJ

0.0 0.0

TABLE 3C - MEMBER LOCATION DATA

NUMBER OF MEMBER STIFFNESS TYPES = 1
NUMBER OF MEMBER LOAD TYPES

INPUT OF MEMBER LOCATIONS

FROM JOINT	STIFF TYPE	LOAD TYPE	JOINT	TO	TO	TO	TO	TO	TO
1	1	0	0	2					

COMPUTED MEMBER NUMBERS, LENGTHS, AND OFFSETS

MEMBER FROM JOINT	TO JOINT	STIFF LOAD TYPE	LENGTH	X-OFFSET	Y-OFFSET
1	1	2	1	0	0.1000+03
					0.0

*** COMPUTED MEMBER NUMBERS MAY NOT AGREE WITH LAST PROBLEM ***

I-----TRI H

PROB (CONTD) LOAD INCREMENT (STATIC)

TABLE 4A - JOINT LOADS AND LINEAR RESTRAINTS

INPUT OF JOINT DATA

JOINT	FORCE(X)	FORCE(Y)	MOMENT(Z)	MOMENT(Y)	SPRING(X)	SPRING(Y)	SPRING(Z)	SPRING(Y)	MASS
1	0.0	0.0	0.0	0.0	0.0000+21	0.0000+21	0.0000+21	0.0	0.0
2	0.0	0.0	0.0	0.0	0.0000+21	0.0000+21	0.0000+21	0.0	0.0

ACCUMULATED JOINT DATA

SAME AS INPUT FOR THIS PROBLEM

TABLE 4B - JOINT SUPPORT CURVE NUMBERS

NO DATA

TABLE 4C - JOINT SUPPORT CURVES

NO DATA

TABLE 4D - TIME VARYING JOINT LOADS - CURVE NUMBERS AND MULTIPLIERS

NO DATA

TABLE 4E - TIME VARYING JOINT LOAD CURVES

NO DATA

1-----TD11

PROB (CONTD) LOAD INCREMENT (STATIC)

TABLE 5A - MEMBER STIFFNESS DATA

STEP	NO OF	END OF	ELEMENT PRISMATIC	NON	NUM	AXIS	OUTPUT	PIN	PIN	
TYPE	ELAS	CROSS	TYPE	LINE	CROSS	OPT	FROM	TO	TO	
1	20	0.300E+05	SHEAR	0.1650E+04	0.4159E+02	0	1	1	0	0

END OF PRISMATIC
RIGIDITY SHEAR AREA

0.1159E+05 0.0559E+01

TABLE 5B - CROSS SECTION DATA

NO DATA IN TABLE

TABLE 5C - STRESS STRAIN CURVES

NO DATA IN TABLE

TABLE 5D - SUPPORT CURVES FOR MEMBERS

NO DATA IN TABLE

PROB 1 (CONTD) LOAD INCREMENT (STATIC)

TABLE 6 - MEMBER LOAD DATA

NO DATA

I-----FIN

I-----281H

FNOB (CONTD)		LOAD INCREMENT (STATIC)			
1					
TABLE 10 - JOINT EQUILIBRIUM ERRORS					
JOINT	ERR(1) FORCE	ERR(1) FORCE	ERR(2) MOMENT	ERR(V) MOMENT	
1	0.0	0.0	0.0	0.0	
2	0.0	0.0	0.0	0.0	

EXAMPLE 8.4 - CANTILEVERED BEAM IN 14X142 WITH DYNAMIC LOAD BUT NO JARS
 AT THE FREE END. JSTES OPTION AND NONLINEAR STRESS-STRAIN CURVE FOR JOINT.

I-----TRIM

END
 IFDNO JSTES 2ND LOAD INCREMENT (DYNAMIC)

TABLE 1 - PROGRAM CONTROL DATA
 PROBLEM TYPE 3

INPUT TABLES		
TABLE NUMBER	HOLD DATA FROM WHEN (1 = YES, 0 = NO)	NUMBER OF CARDS RESERVED FOR THIS PROBLEM
2	1	0
3A	1	0
3C	1	0
4B	1	0
4C	1	0
4E	1	2
4F	1	0
5B	1	0
5C	1	0
5F	1	0

OUTPUT TABLES
 TABLE NUMBER

TIME STEP INTERVALS FOR OUTPUT
8
10
10
10

I-----TRIN

PROB (CONTD) 2ND LOAD INCREMENT (DYNAMIC)
 1
 TABLE 2 - FRAME GEOMETRY DATA
 HOLDING DATA FROM THE PREVIOUS PROBLEM PLUS THE FOLLOWING
 NONE

COMPUTED JOINT COORDINATES

JOINT	X	Y
1	0.0	0.0
2	0.1000+03	0.0

NONE

TABLE 3A - JOINT TYPE AND SIZE DATA

HOLDING DATA FROM THE PREVIOUS PROBLEM PLUS THE FOLLOWING
 NONE

TABLE 3B - JOINT SHEAR STRESS STRAIN CURVES

HOLDING DATA FROM THE PREVIOUS PROBLEM PLUS THE FOLLOWING
 NONE

TABLE 3C - MEMBER LOCATION DATA

HOLDING DATA FROM THE PREVIOUS PROBLEM PLUS THE FOLLOWING
 NONE

COMPUTED MEMBER NUMBERS, LENGTHS, AND OFFSETS
 MEMBER FROM TO STIFF LOAD LENGTH X-OFFSET Y-OFFSET
 NUMB JOINT JOINT TYPE TYPE
 1 1 2 1 0 0.1000+03 0.1000+03 0.0

*** COMPUTED MEMBER NUMBERS AGREE WITH LAST PROBLEM ***

I-----TYPE

PROB (CONTD)

2ND LOAD INCREMENT (LINEARIC)

TABLE 4A - JOINT LOADS AND LINEAR RESTRAINTS

HOLDING DATA FROM THE PREVIOUS PROBLEM PLUS THE FOLLOWING

NCEE

ACCUMULATED JOINT DATA

JOINT	FORCE(1)	MOMENT(1)	MOMENT(2)	MOMENT(3)	SPRING(1)	SPRING(2)	SPRING(3)	MASS
1	0.0	0.0	0.0	0.0	0.1000+21	0.1000+21	0.1000+21	0.0

TABLE 4B - JOINT SUPPORT CURVE NUMBERS

HOLDING DATA FROM THE PREVIOUS PROBLEM PLUS THE FOLLOWING

NCEE

ACCUMULATED JOINT DATA

JOINT	Q-MULT	W-MULT	NSIX	NSIX	NSIX	NSIX	NSIX	NSIX	STIFF
-------	--------	--------	------	------	------	------	------	------	-------

TABLE 4C - JOINT SUPPORT CURVES

HOLDING DATA FROM THE PREVIOUS PROBLEM PLUS THE FOLLOWING

NCEE

TABLE 4D - TIME VARYING JOINT LOADS - CURVE NUMBERS AND MULTIPLIERS

HOLDING DATA FROM THE PREVIOUS PROBLEM PLUS THE FOLLOWING

INPUT OF JOINT DATA

J-CURV	FORCE(1)	FORCE(2)	FORCE(3)	TIME	CURVE	CURVE	CURVE	CURVE
MULT	MULT	MULT	MULT	MULT	(1)	(2)	(3)	(4)
2	0.0	0.1000+01	0.0	0.0	0.1000+00	0	1	0

ACCUMULATED JOINT DATA

JOINT	FORCE(1)	FORCE(2)	FORCE(3)	TIME	CURVE	CURVE	CURVE	CURVE
MULT	MULT	MULT	MULT	MULT	(1)	(2)	(3)	(4)
2	0.0	0.1000+01	0.0	0.0	0.1000+00	0	1	0

TABLE 4 - TIME VARYING JOINT LOAD CURVES

HOLDING DATA FROM THE PREVIOUS PROBLEM PLUS THE FOLLOWING

INPUT OF JOINT DATA

ACCUMULATED JOINT DATA

CURVE NUMB
MEMB
PTS

LOAD¹ n 0 -40 40 0

TIME 0 1 3 n

TABLE 5A - MEMBER STIFFNESS DATA

HOLDING DATA FROM THE PREVIOUS PROBLEM PLUS THE FOLLOWING

MEMB

TABLE 5B - CROSS SECTION DATA

HOLDING DATA FROM THE PREVIOUS PROBLEM PLUS THE FOLLOWING

MEMB

TABLE 5C - STRESS STRAIN CURVES

HOLDING DATA FROM THE PREVIOUS PROBLEM PLUS THE FOLLOWING

MEMB

TABLE 5D - SUPPORT CURVES FOR MEMBERS

HOLDING DATA FROM THE PREVIOUS PROBLEM PLUS THE FOLLOWING

MEMB

TABLE 6 - MEMBER LOAD DATA

HOLDING DATA FROM THE PREVIOUS PROBLEM PLUS THE FOLLOWING

MEMB

I-----TFIN

PHCB (CONTD) 2ND LOAD INCREMENT (DYNAMIC)

TABLE 10 - JOINT EQUILIBRIUM ERRORS

JOINT	ERR(1) FORCE	ERR(1) FORCE	ERR(2) MOMENT	ERR(2) MOMENT
1	0.0	0.0	0.0	0.0
2	0.0	0.0	0.0	0.0

1-----TREN

P808 1 (CONTD)

2RD LOAD INCREMENT (DYNAMIC)

TABLE 10 - JOINT EQUILIBRIUM ERRORS

JOINT	ERR (1) FORCE	ERR (2) FORCE	ERR (3) MOMENT	ERR (4) MOMENT
1	0.0	-6.1461947D-13	2.2737368D-13	-5.6274985D-11
2	0.0	4.3862720D-13	-1.860665D-11	0.0

I-----TBH

PROB. (CONTD) 2ND LOAD INCIDENT (DYNAMIC)

TABLE 10 - JOINT EQUILIBRIUM ERRORS

JOINT	ERR(1) FORCE	ERR(2) FORCE	ERR(1) MOMENT
1	0.0	-1.7805180D-19	-9.9569168D-13
2	0.0	1.0090979D-13	-9.0767034D-13

I-----TRAIN

PROB (CONTD) 2ND LOAD INCREMENT (DYNAMIC)

RESULTS AT END OF TIME STEP = 31 AND TIME = 0.30000

TABLE 8 - JOINT DISPLACEMENTS, REACTIONS AND SHEAR PANEL INTERNAL MOMENTS

JNT	DISP (X)	DISP (Y)	ROT (Z)	ROT (Y)	REACT (X)	REACT (Y)	REACT (Z)	PEACT (Y)	SHEAR (Z)	SHEAR (Y)
1	0.0	8.000000E-19	4.000000E-17	6.379467E-03	0.0	-8.000E+01	-8.000E+03	0.0	-8.000E+03	8.000E+03
2	0.0	9.4865412E-01	1.0395511E-02	0.0	0.0	0.0	0.0	0.0	0.0	0.0
TOTAL										
					0.0	-8.000E+01	-8.000E+03	0.0		

I-----TRI8

PEOB (CONTD) 2ND LOAD INCREMENT (DYNAMIC)

TABLE 10 - JOINT EQUILIBRIUM ERRORS

JOINT	ERR(1) FORCE	ERR(1) FORCE	ERR(2) MOMENT	ERR(1) MOMENT
1	0.0	2.069902D-13	-2.842170D-13	5.2750693D-11
2	0.0	-7.1809545D-13	1.5226931D-11	0.0

I-----TRIM

PAGE (LCNID)

2ND LOAD INCREMENT (UTNANC)

RESULTS AT END OF TIME STEP = 41 AND TIME = 0.40000

TABLE 8 - JOINT DISPLACEMENTS, REACTIONS AND SHEAR PANEL INTERNAL AGENTS

JNT	DISP (X)	DISP (Y)	ROT (Z)	ROT (V)	REACT (H)	REACT (V)	REACT (Z)	REACT (Y)	SHR. MOM (Z)	SHR. MOM (Y)
1	0.0	2.286167E-3	3.8889249E-32	3.8866531E-03	0.0	-2.286E-13	-2.889D-12	0.0	-3.408D-12	1.408D-12
2	0.0	3.8866531E-03	3.8889249E-32	0.0	0.0	0.0	0.0	0.0	0.0	0.0
					TOTAL	0.0	-2.286D-13	-2.889D-12	0.0	

I-----FIN

PROB₁ (CONTD) 2ND LOAD INCREMENT (DYNAMIC)
 TABLE 10 - JOINT EQUILIBRIUM ERRORS

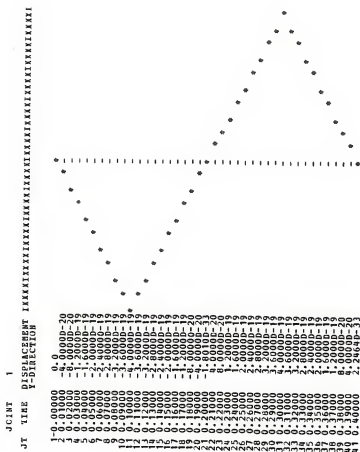
JOINT	ERR (1) FORCE	ERR (2) FORCE	ERR (3) MOMENT	ERR (4) MOMENT
1	0.0	1.0710430D-18	5.1925884D-13	8.1962259D-13
2	0.0	-2.969724D-13	1.5094220D-12	0.0

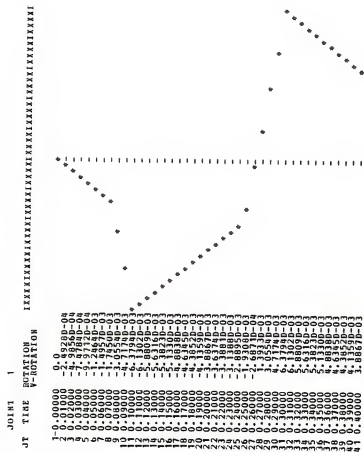
I-----THIN

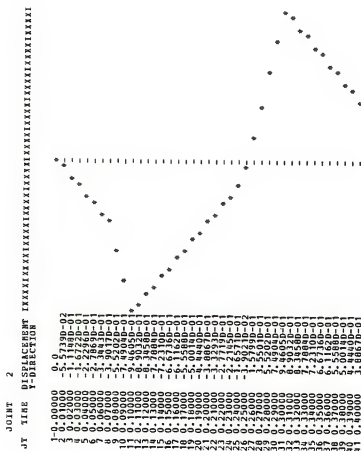
JOINT DISPLACEMENTS AT TIME = 0.4000	
0.0	2.2860D-13
0.0	3.8867D-01
	2.8867D-03
	0.0
JOINT VELOCITIES AT TIME = 0.4000	
0.0	-2.2589D-32
0.0	-7.1575D+00
	1.1912D-29
	-7.1575D-02
	0.0
JOINT ACCELERATIONS AT TIME = 0.4000	
0.0	1.6220D-26
0.0	-2.1129D+05
	2.5967D-25
	-2.1129D+03
	0.0

JCIB1 1
JT TIME DISPLACEMENT XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
X-DIRECTION

ALL VALUES ZERO







JOINT 2
JT TIME ROTATION
POSITION
XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX

ALL VALUES ZERO

JOINT 2

JT TIME SH. MOMENT (2) XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX

ALL VALUES ZERO

APPENDIX I
DIGITIZED VALUES OF EARTHQUAKE MOTIONS EL CENTRO 1940 AND EC400-I

EL CENTRO EARTHQUAKE:- NUMBER OF POINTS = 100:
ACCELERATION AXIS MULTIPLIER = 0.0001 TIMES G: TIME AXIS MULTIPLIER = 0.001 SEC.

[illegible]

EC400-I EARTHQUAKE:- NUMBER OF POINTS = 218;
ACCELERATION AXIS MULTIPLIER = 0.0001 TIMES 'G; TIME AXIS MULTIPLIER = 0.001 SEC.

[illegible]

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BIOGRAPHY

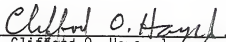
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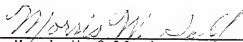
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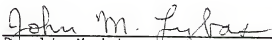
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